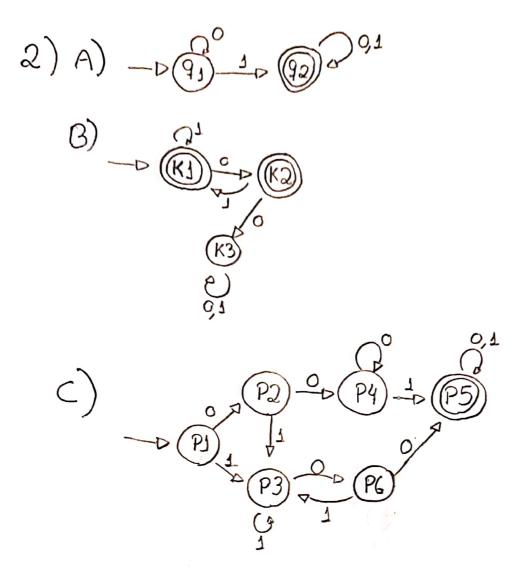
$$\begin{array}{c}
1) \quad A) \quad S_0 = \left\{ \{1, 2, 3, 5, 7, 8\}, \{4, 6\} \right\} \\
S_1 = \left\{ \{1, 2, 5, 7\}, \{3, 8\}, \{4, 6\} \right\} \\
S_2 = \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{8\}, \{4, 6\} \right\} \\
S_3 = \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{8\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{3\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{5, 7\}, \{3\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{5, 7\}, \{4, 6\}, \{4, 6\} \right\} \\
\longrightarrow \left\{ \{1, 2\}, \{4, 6\}, \{$$

B) $L = \{ w \in \{0,1\}^* | \{0\}\{0\}^*\{1\}^*\{1\}^*\} \{0\}\{1\}^*, \text{ ou seta, cada}$ Palavna $w \in \text{Formada por uma sequencia}$ de 0's uma sequencia de 1's e pode terminar en zero ou zero com uma sequência de 1's.



3) Caso Bose:
$$|\omega|=0$$

 $\hat{S}_3([e_1,e_2],\lambda)=[e_1,e_3] \rightarrow pole de finição de \hat{S}_3
 $=[\hat{S}_1(e_1,\lambda),\hat{S}_2(e_2,\lambda)]$$

Hipotese de Indusão: Ŝ3([e1,e2], y) = [Ŝi(e1,y), Ŝ(ex)]

Cherenos demonstrar que Sa([e1, e2], ay) = [Si(e1, ay), Sa(e2 ay)]

$$\hat{S}_{3}([e_{1},e_{2}],ay) = \hat{S}_{3}(\hat{S}_{3}([e_{1},e_{2}],a),y)
= \hat{S}_{3}(\hat{S}_{1}(e_{1},a),\hat{S}_{2}(e_{2}a)],y)
= [\hat{S}_{1}(\hat{S}_{1}(e_{1},a),y),\hat{S}_{2}(\hat{S}_{2}(e_{2},a),y)]
= [\hat{S}_{1}(e_{1},ay),\hat{S}_{2}(e_{2},ay)]
C.Q.D.$$