

**BENDING PAPER**

**ANIMATION**

**A CASE STUDY**

**DEMO**

# VIEW SNAPSHOTS

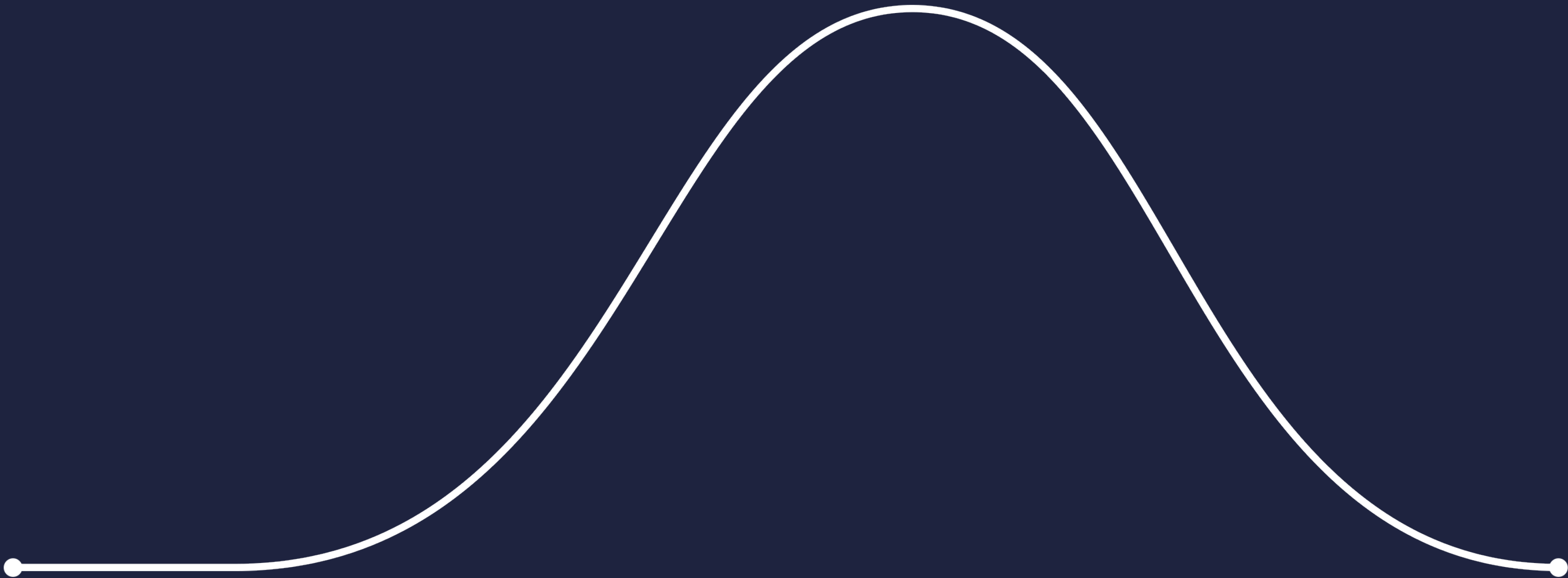
```
- (UIImage *)shp_snapshotImageAfterScreenUpdates:(BOOL)afterUpdate {
    CGSize size = self.bounds.size;
    // prevent creating a context with empty size,
    // would result in a crash with "CGContextSaveGState: invalid context 0x0."
    if (CGSizeEqualToSize(size, CGSizeZero)) return nil;

    // scale == 0: use main screen's device scale
    UIGraphicsBeginImageContextWithOptions(size, YES, 0);
    [self drawViewHierarchyInRect:self.bounds afterScreenUpdates:afterUpdate];
    UIImage *image = UIGraphicsGetImageFromCurrentImageContext();
    UIGraphicsEndImageContext();

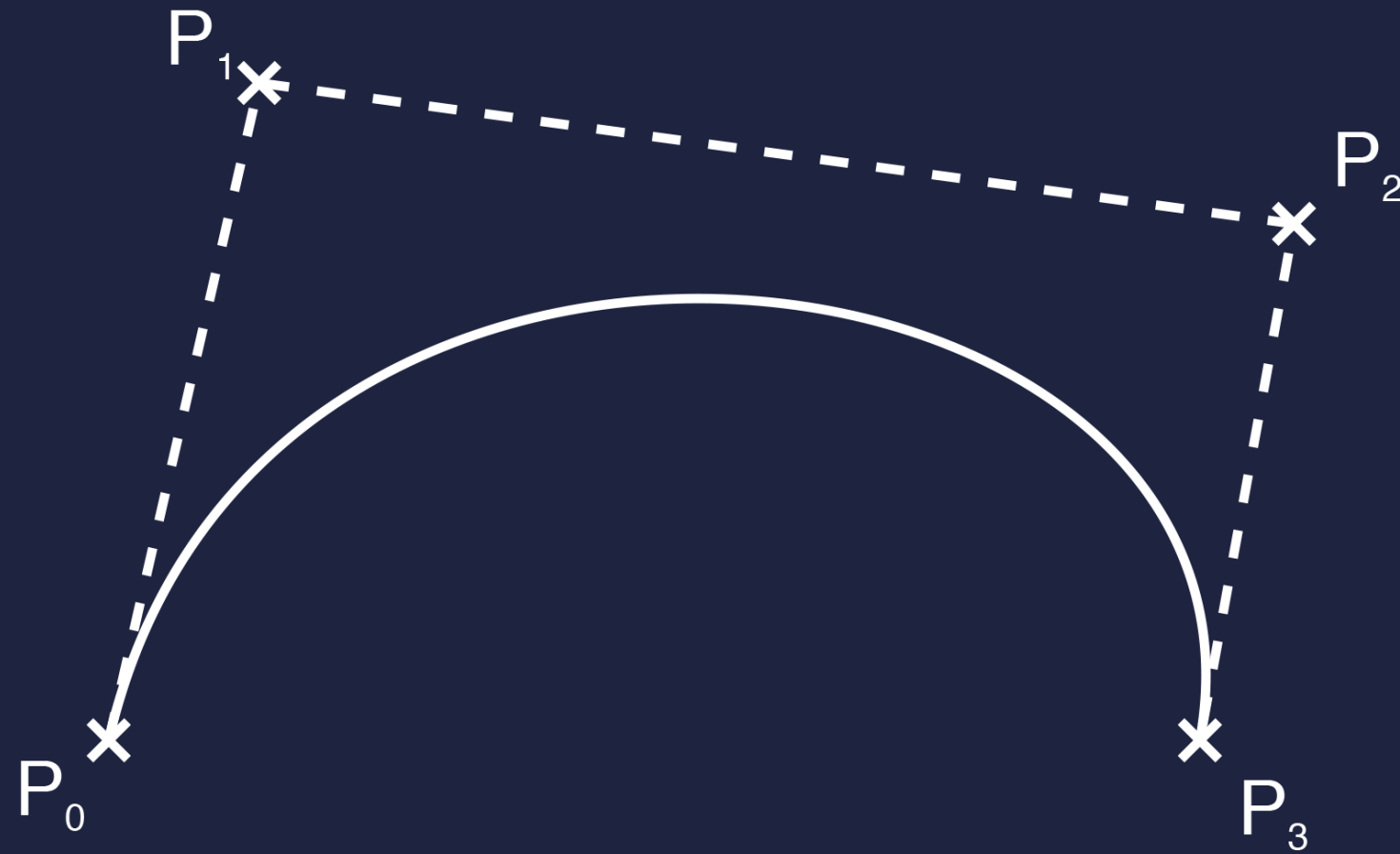
    return image;
}
```

**OPENGL ES 2.0**

**MESH**



# CUBIC BÉZIER CURVES



$$\mathbf{B}(t) = (1 - t)^3 \mathbf{P}_0 + 3(1 - t)^2 t \mathbf{P}_1 + 3(1 - t) t^2 \mathbf{P}_2 + t^3 \mathbf{P}_3, \quad t \in [0, 1]$$

First  $P_2$

b

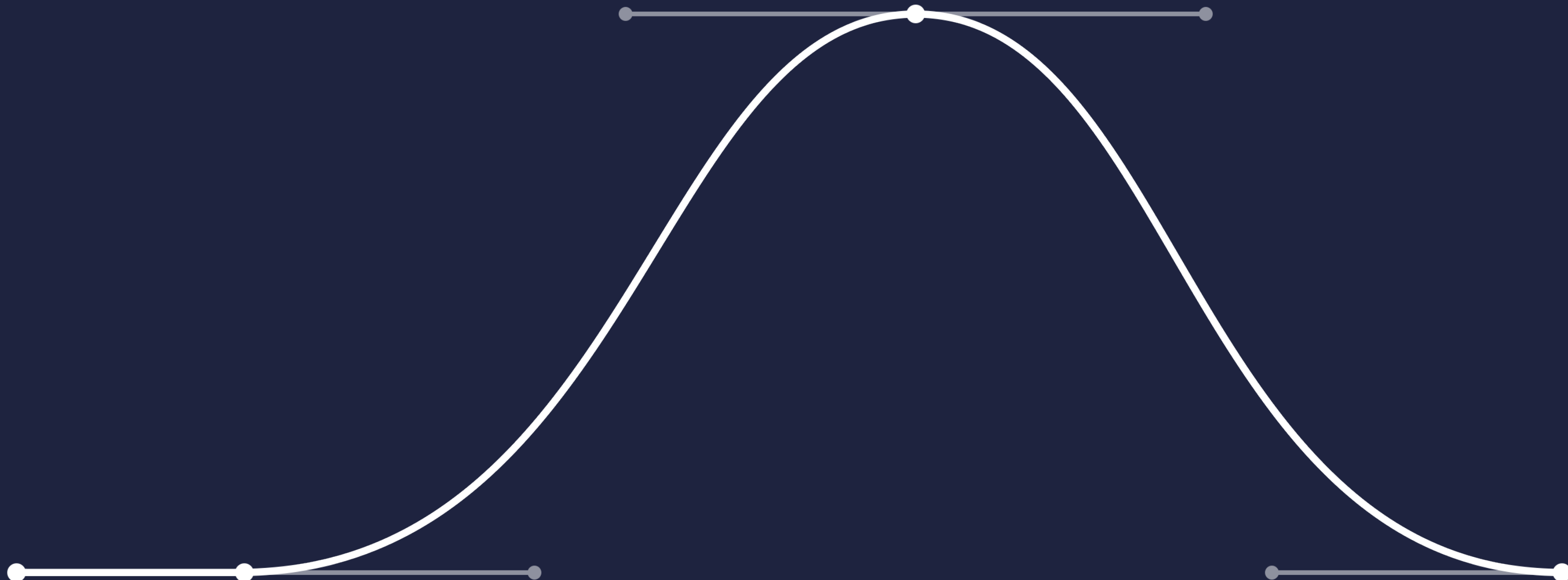
Last  $P_1$

a

First  $P_1$

Last  $P_2$

c





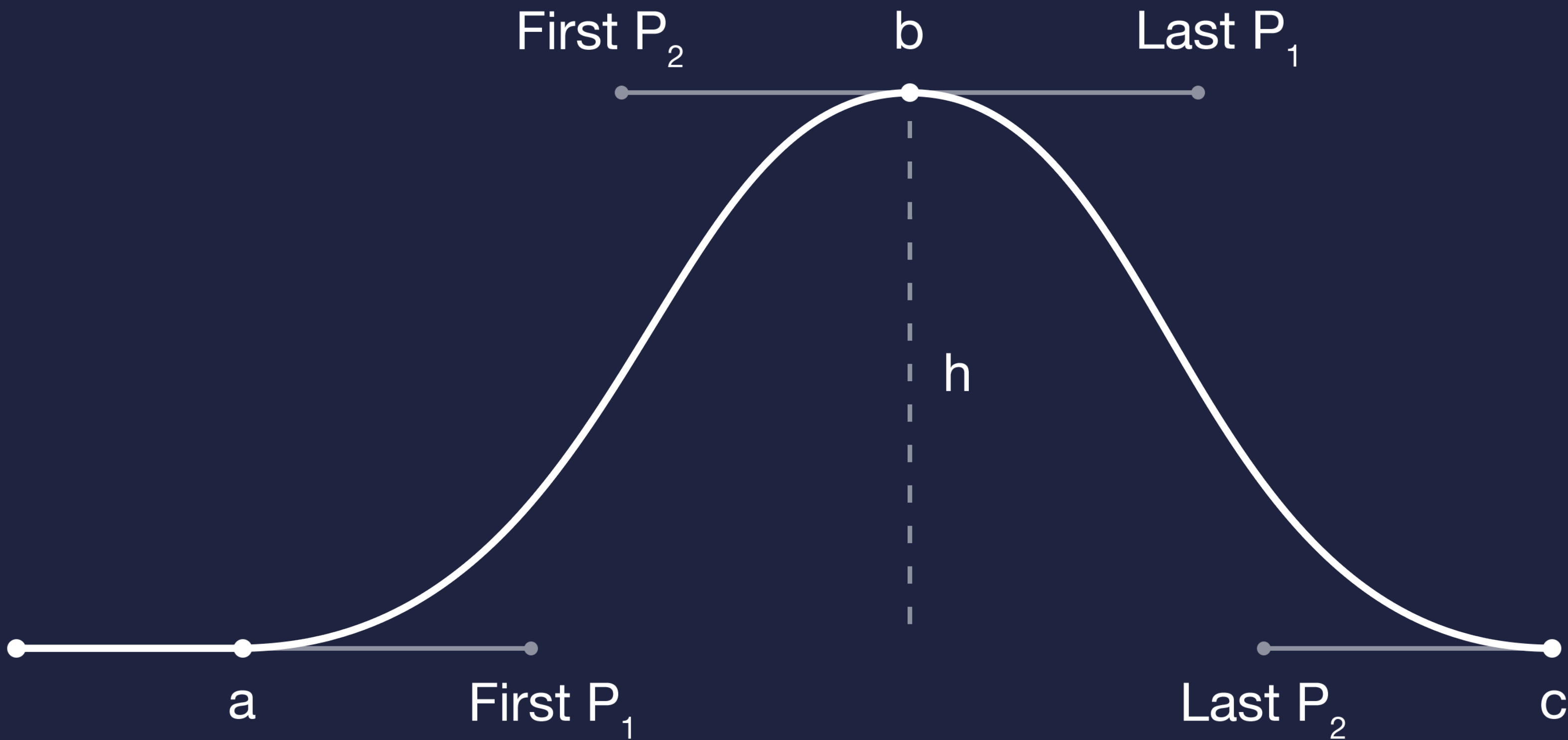
**DEMO**

**PAPER IS NOT ELASTIC**

**=**

**CONSTANT CURVE LENGTH**

**ESTIMATE CURVE LENGTH NUMERICALLY BY  
STEPPING STROUGH  $t$  AND SUM DISTANCE  
BETWEEN POINTS**



**HOW DO WE CALCULATE THE HEIGHT?**

SINCE OUR CURVES ARE MONOTONIC WE CAN ESTIMATE HEIGHT  
ITERATIVELY:

$$bx \cdot k = height + e$$

for some constant  $k$ .

$$k_{next} = k - e * \delta$$

where  $\delta$  is a small positive number

**SOLVING NUMERICALLY BY ITERATION IS TOO  
SLOW @ 60 FPS**

**TRICK**



*bx* CHANGES SLOWLY COMPARED TO THE  
FRAMERATE

SO WE CAN DO ONE ITERATION PER FRAME  
AND THE ERROR WILL CONVERGE TOWARDS 0

**SHAPE**

**WE ARE HIRING!**

**SEND EMAIL TO [OLE@SHAPE.DK](mailto:OLE@SHAPE.DK)**