

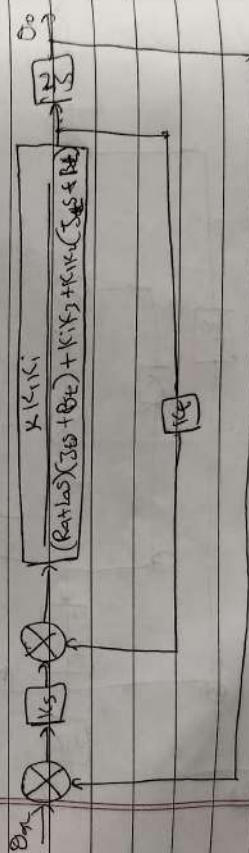
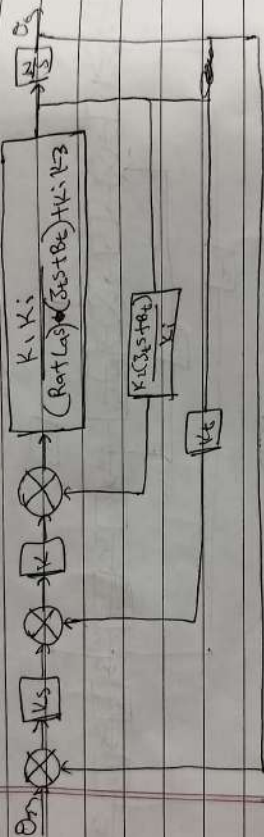
$$\frac{O_o}{O_e} = \frac{K_3 K K_1 K_i N}{S [(R_a + L_s)(J_t S + B_t) + K_2 K_1 (J_t S + B_t) + K_b K_i + K_t X + K_e]}$$

12 → 10
13 → 11

1891

considering both

$$\begin{aligned} \text{loop 1} \rightarrow L_1 &= \frac{K_1 K_L}{R_1 + L_1 s} \\ \text{loop 2} \rightarrow L_2 &= \frac{K_2 K_L}{R_2 + L_2 s} - K_3 K_1 \\ \text{loop 3} \rightarrow L_3 &= \frac{K_3 K_1 K_L}{R_3 + L_3 s} - \frac{K_4 K_L}{R_4 + L_4 s} (I_2 s + B_2) \end{aligned}$$



$$Q(s) = 2 \times 10^5 \times K_i$$

$$(R_{\text{atbas}})(J_{\text{st}} + B_{\text{t}}) + K_3 K_i - K_{11} (J_{\text{st}} + B_{\text{t}}) + K_{11} K_{\text{fix}}$$

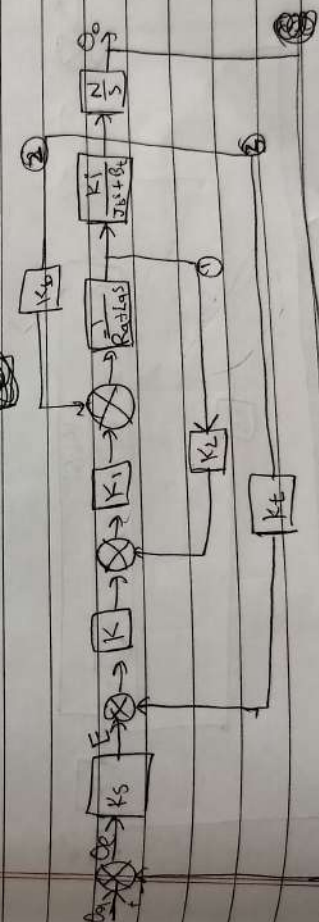
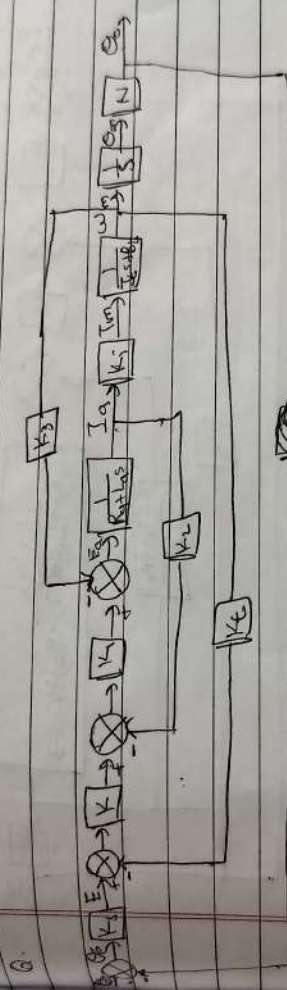
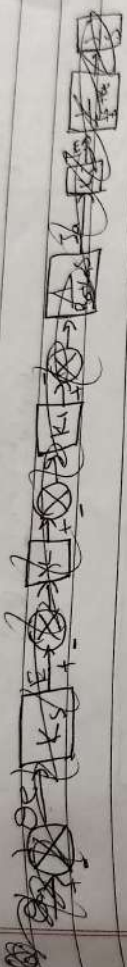
$$I_4 \left(\frac{P}{S} x_{K_S} x_{K_i} \right) + K_S x_{K_i} + K_E x_{K_i} + K_S x_{K_i} + K_E x_{K_i}$$

$$\frac{\phi_A(s)}{\phi_B(s)} = \frac{K_1 K_2 K_3 K_4}{S(R_A + L A_s)(S^2 + B_s) + K_1 K_2 + K_3 K_4 + K_1 K_2 K_3 + K_1 K_2 K_3 K_4}$$

$$\frac{10(45) \times E}{8^2 + 6^2} = \gamma \left(\frac{1 - 20}{8^2 + 6^2} \right)$$

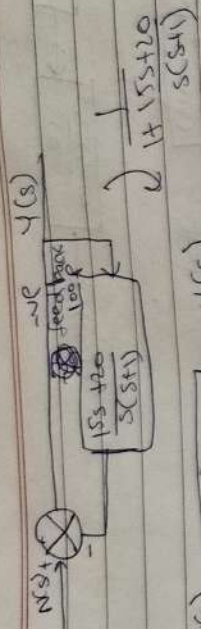
$$10(4+5)E = \gamma(s^2 + 6s - 20)$$

$$\frac{y(s)}{E(s)} = \frac{10(s+5)}{s^2 + 6s - 20}$$



If we only consider no loops

$$Q_e = (K_s \times K_i \times \frac{1}{K_i}) \times \frac{K_i}{K_i} \times \frac{2}{s} \times \frac{1}{s}$$

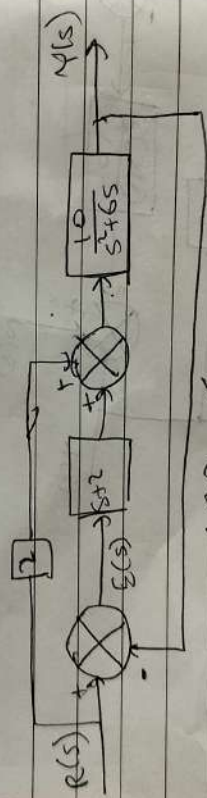
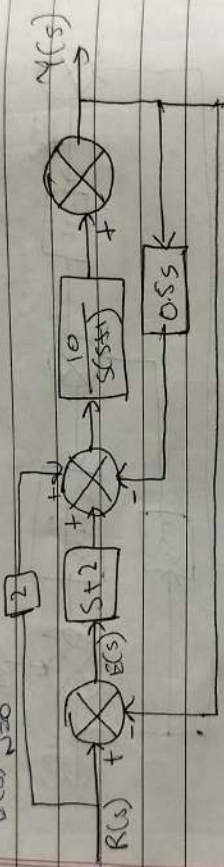


$$N(s) = \frac{s(s+1)}{s^2+16s+20}$$

$$\frac{N(s)}{N(s)} = \frac{s(s+1)}{s^2+16s+20}$$

②

$$\frac{Y(s)}{E(s)}$$



$$E = R - Y$$

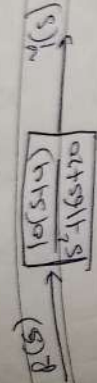
$$[2R + (R - Y)(s+2)] \frac{10}{s^2+6s} = Y$$

$$2(2R + (R - Y)(s+2)) \frac{10}{s^2+6s} = Y$$

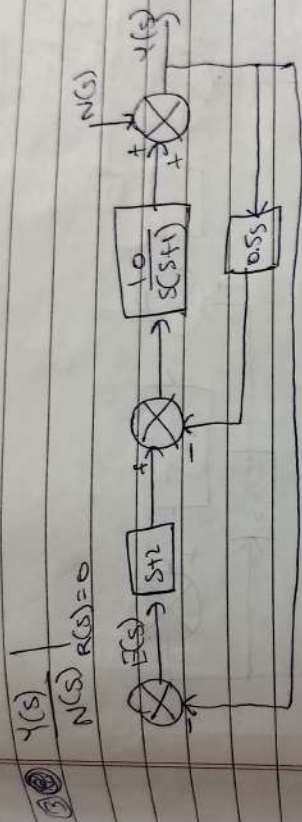
$$E = R - Y$$

$$E(4s+10) \frac{10}{s^2+6s} + 20Y = Y$$

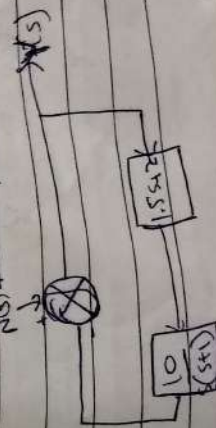
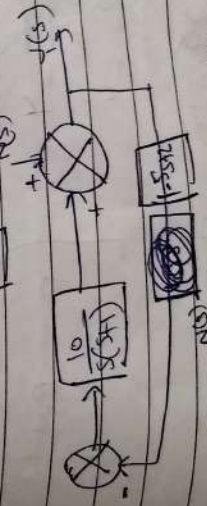
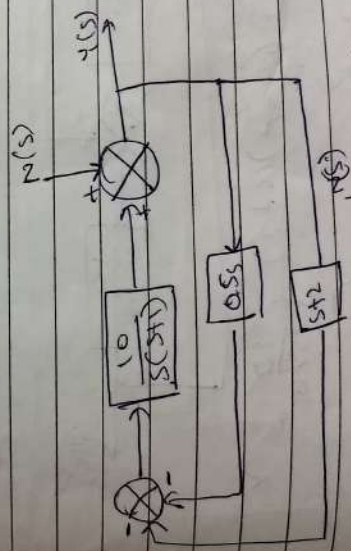
$$E(4s+10) \frac{10}{s^2+6s} = Y - 20Y$$



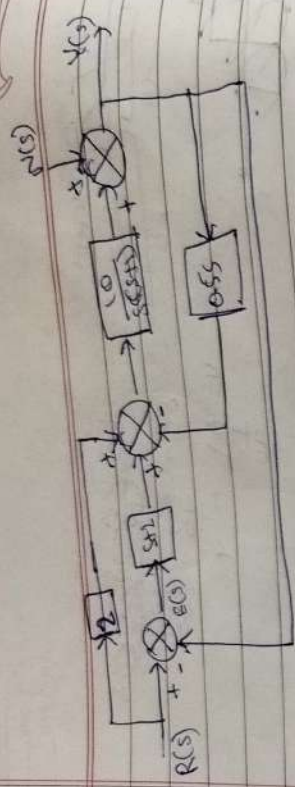
Hence, $\frac{Y(s)}{R(s)} = \frac{10(s+1)}{s^2+16s+20}$



eliminating
a feedback
loop
 $\frac{10(s+1)}{s^2+16s+20}$



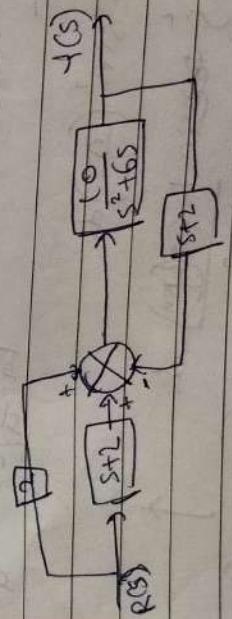
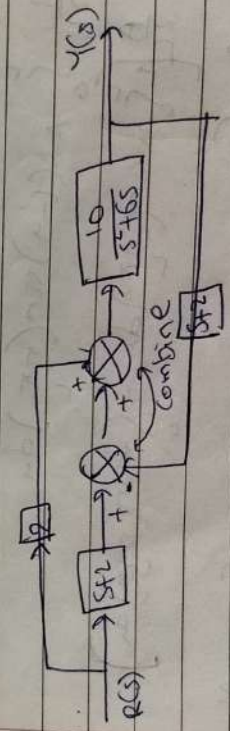
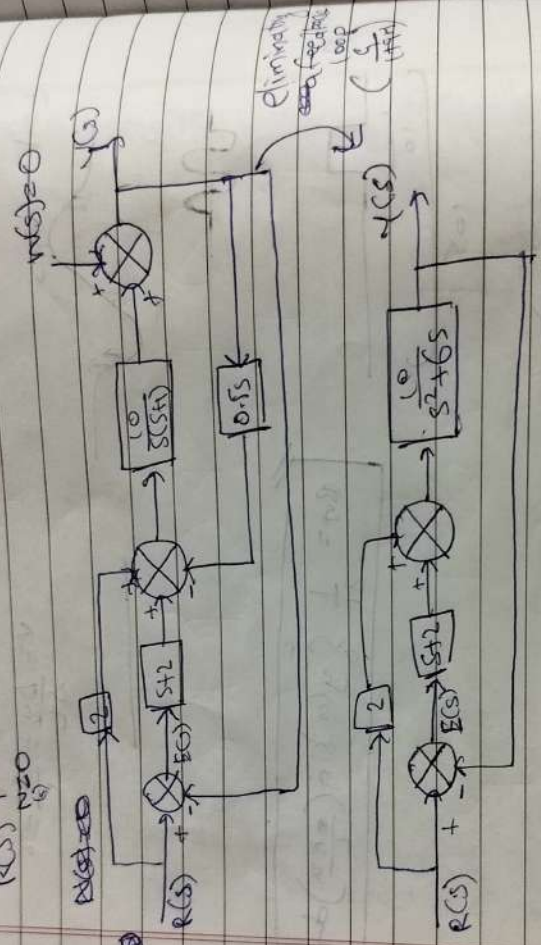
back loop



Q.

$$\frac{Y(s)}{R(s)} = \frac{10}{s^2 + 5s + 10}$$

(1)



eliminating feedback loop