

1. (4 pts ea = 12 pts) What are the worst-case bounds (in big-O form) of the following search methods with branching factor  $b$  and search depth  $d$ ? Specify bounds for time and for space; if the bound for both has the same big-O form, you may give 1 answer and specify it applies to both.

- c. Depth-first search

2. (5 pts) Explain what it means for a search method to be *complete*, and how this differs from being *optimal*.

(5 points). Explain why iteratively-deepening breadth-first search is one of the most commonly used implementations for unguided search.

(5 points) Explain how a *beam search of width  $k$*  differs from doing  $k$  hill-climbing searches in parallel.

(5 points) In a backtracking search, what is the advantage of the minimum-remaining-values (MRV) heuristic?

(5 points) Given the following KB, show 5 inferences that can be drawn via resolution. (Results of 1 resolution can be used in future resolutions. Specify by number which statements you are resolving.)

1.  $P1 \vee P3 \vee \neg P4$
2.  $P2 \vee P4 \vee P1$
3.  $\neg P2 \vee \neg P5 \neg P4$
4.  $P2 \vee P3$
5.  $P3 \vee \neg P1$

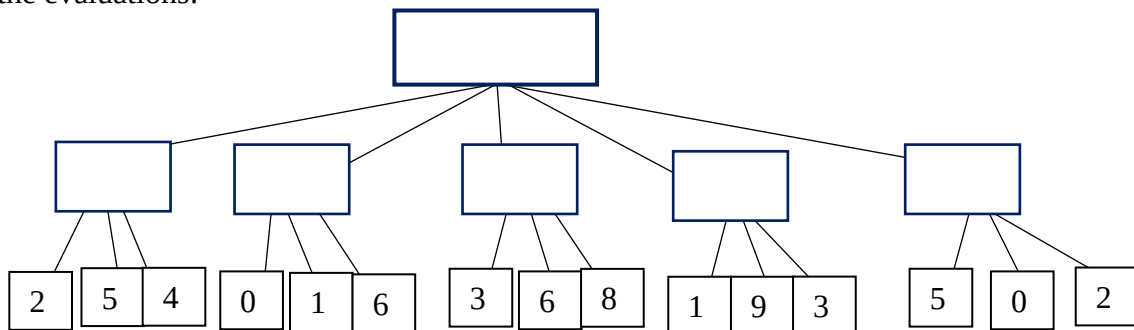
3. (5 pts) We are solving a problem via simulated annealing, and we note that only a small fraction of the possible successor states are being accepted. What does that tell us about how our algorithm is progressing?

4. (5 points) What quantity is minimized in A\* search? (Give the formula and specify what each term means)

5. (5 points) In selecting a heuristic to guide a search strategy, what must be true of the heuristic to ensure good results?

6. (6 points) Describe 2 methods by which heuristics can be generated.

7. A game search is in progress. The player has the goal of maximizing the score, the opponent is trying to minimize. 5 possible moves are being considered, with 3 replies by the opponent for each. Here are the evaluations:



(5 points) For each move being considered and the root position, fill in the backed-up score.

(2 points) Draw a line from the root through the path indicating best play by both sides.

8. (10 points) Explain how Monte Carlo tree search can evaluate a move as relatively favorable or unfavorable even if nothing is known but the basic rules of the game.

SCRATCH/CONTINUATION