## METRIC TESTS (TWO-SAMPLE SITUATIONS)





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- 1 Background
- 2 Analyses
  - Mann-Whitney U Test / Wilcoxon Rank-Sum Test
  - Wilcoxon Signed Rank Test
- 3 Our Data
  - Choice Of Variables
  - Methods
  - Research Questions

### Introduction

Metric tests are used to compare parameters of metric/ordinal variable values among groups/individuals.

Prominent metric tests for two-sample situations include:

- Mann-Whitney U Test
- Wilcoxon Signed Rank Test
- t Test (dealt with in seminar 12)
- **.**..

Some of these tests rely on the assumption of independence:

The assumption of independence is a **crucial prerequisite** to many statistical procedures!

### Independence

#### Theory:

- Even the smallest dependence in your data can turn into heavily biased results (which may be undetectable).
- A dependence is a connection between/within the data.
- The assumption of independence relies on the absence of any connection in your data that haven't been accounted for in your approach (accounting for it is difficult).

#### Independent data:

- Between Groups
   Groups of data records should be pulled from different individuals.
- Within Groups Data values within the same group are not to influence one another.
- Within Individuals
  Data values recorded for one
  individual should not influence each
  other. This is often an issue with
  repeated measurement approaches.

→ Fixing this after data collection is almost impossible!

### Purpose And Assumptions

### Mann-Whitney U Test

Purpose:

Assumptions:

 $H_0$ 

wilcox.test(..., paired = FALSE) in base R

To identify whether groups of variable values are different from one another

There is no difference in characteristics of the response

variable values in dependence of the classes of the predictor

variable.

Predictor variable is binary

Response variable is ordinal or metric

■ Variable values are **independent** (not paired)

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## Minimal Working Example

## data: a and b

W = 92, p-value = 7e-04

Let's use the wilcox.test(..., paired = FALSE) function to test whether the medians of an unnamed variable of two unconnected populations (a and b) with 10 individuals each are truly different:

```
set.seed(42)
a <- rnorm(n = 10, mean = 10, sd = 3)
b <- rnorm(n = 10, mean = 5, sd = 3)
wilcox.test(a, b, paired = FALSE)
##
## Wilcoxon rank sum test
##</pre>
```

The medians are significantly different (p =  $7.25 \times 10^{-4}$ ). Keep in mind that the populations do not have to be of the same size for this!

## alternative hypothesis: true location shift is not equal to 0

### Purpose And Assumptions

#### Wilcoxon Signed Rank Test

wilcox.test(..., paired = TRUE) in base R

To identify whether groups of variable values in a repeated

sampling set-up are different from one another.

There is no difference in characteristics of the response

variable values in dependence of the classes of the predictor

variable.

Predictor variable is binary

Response variable is ordinal or metric

■ Variable values are **dependent** (paired)

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Purpose:

Assumptions:

 $H_0$ 

### Minimal Working Example

Let's use the wilcox.test(..., paired =TRUE) function to test whether the medians of an unnamed variable of two connected samples (a and b) with 10 individuals each (i.e. one re-sampled population) are truly different:

```
set.seed(42)
a <- rnorm(n = 10, mean = 10, sd = 3)
b <- rnorm(n = 10, mean = 5, sd = 3)
wilcox.test(a, b, paired = TRUE)
##
## Wilcoxon signed rank test
##</pre>
```

## data: a and b
## V = 52, p-value = 0.01
## alternative hypothesis: true location shift is not equal to 0

The medians are significantly different (p = 0.01). Keep in mind that the samples have to be of the same size for this (i.e. there is one data record in b that corresponds to one data record in a)!

### Variables We Can Use

### Response variables (metric/ordinal)

- Weight
- Height
- Wing Chord
- Nesting Height
- Number of Eggs
- Egg Weight
- Home Range

#### Predictor variables (binary)

- Population Status (Introduced vs. Native)
- Sex (Male vs. Female)
- Nesting Site (Tree vs. Shrub)
- Predator Presence (Yes vs. No)
- Predator Type (Avian vs. Non-Avian)
- Climate (Continental vs. Coastal)

### The with () function I

The with () function can be used to **make** your **code**:

- easier to write and read
- more accessible

You might hear someone refer to it as *soft attach* because it **works** a lot **like** the attach() function in R but causes none of its problems

You use with () to refer to data contained within a data object inside R:

# The with () function II

```
WithFrame <- data.frame(First = 1:10, Second = 11:20)
WithFrame$First
## [1] 1 2 3 4 5 6 7 8 9 10</pre>
WithFrame$Second
```

```
WithFrame$Second
```

```
## [1] 11 12 13 14 15 16 17 18 19 20
```

### Now let's try two operations:

The results are the same!

# Research Questions And Hypotheses

So which of our major research questions (seminar 6) can we answer?

#### Mann Whitney U Test

- Climate Warming/Extremes: Does sparrow morphology depend on climate?
- Predation: Does nesting height depend on predator characteristics?
- Competition: Does home range depend on climate?
- Sexual Dimorphism: Does sparrow morphology depend on sex?

Use the 1 Sparrow\_Data\_READY.rds data set for
these analyses.

**Wilcoxon Signed Rank Test** (suppose a resettling program)

- Climate Warming/Extremes: Does sparrow morphology change depend on climate?
- Predation: Does nesting height depend on predator characteristics?
- Competition: Does home range depend on climate?

Use the 2b -

Sparrow\_ResettledSIUK\_READY.rds data set for these analyses.