

# Chapter 2 : Relational Model

Topics :

Data Model      Definition

Relational Model      Definition

'Key' Definition

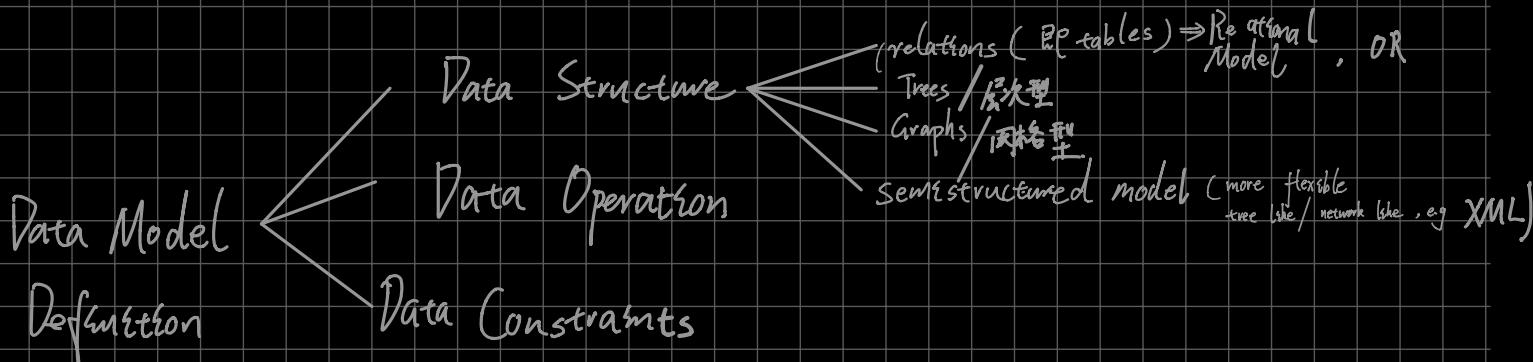
SQL

Key Point :

Relational Algebra

Constraints in Relational Algebra

# Lecture 2 : Relational Data Model



Data model

Example :

OR . OO Model  
Semistructured Model  
Relational Model

Graphical & Network Model (网型模型)

Tree & Hierarchical Model (层次模型)

晚  
History  
早

Why Relational Model : Relations/RDB tables. 易理解 operation set is effectively used in different occasions

Advantages : 1. Simple 2. Limited but versatile

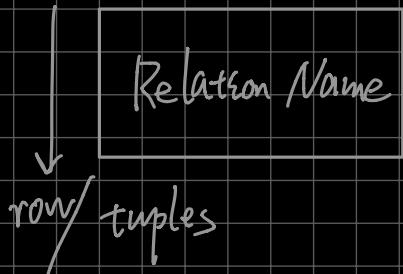
3. allow implementation of VHL (e.g. SQL)

## Definition of Relation:

$R = \{(a_1, a_2, \dots, a_n) \mid a_i \in S_i\}$ , 其中  $S_1, S_2, \dots, S_n$  是各属性集合。

或  $R \subseteq S_1 \times S_2 \times \dots \times S_n$

→ column / Attributes



Relation Schema  $\Rightarrow$  关系模式 = 关系名 + 属性集合 set of

定义：

$\underbrace{\text{Relation-name}}_{\Downarrow} (\underbrace{\text{attribute-list}}_{\Downarrow}) \Rightarrow \text{attributes, 即 attributes 之间无序且不重复。}$

e.g.  $\text{Spy} (\text{code}, \text{name: } \underbrace{D_2}_{\Downarrow}, \text{ID: } \underbrace{D_3}_{\Downarrow}) \rightarrow \text{Domains.}$



RDB Schema: set of relation schemas  
(关系数据库模式  $\Rightarrow$  关系模式的集合)



实际中，我们常用 attribute-list 中给出的顺序作为 standard order

## Relation Instances:

定义：a set of tuples in a relation. (即关系的一个副本)

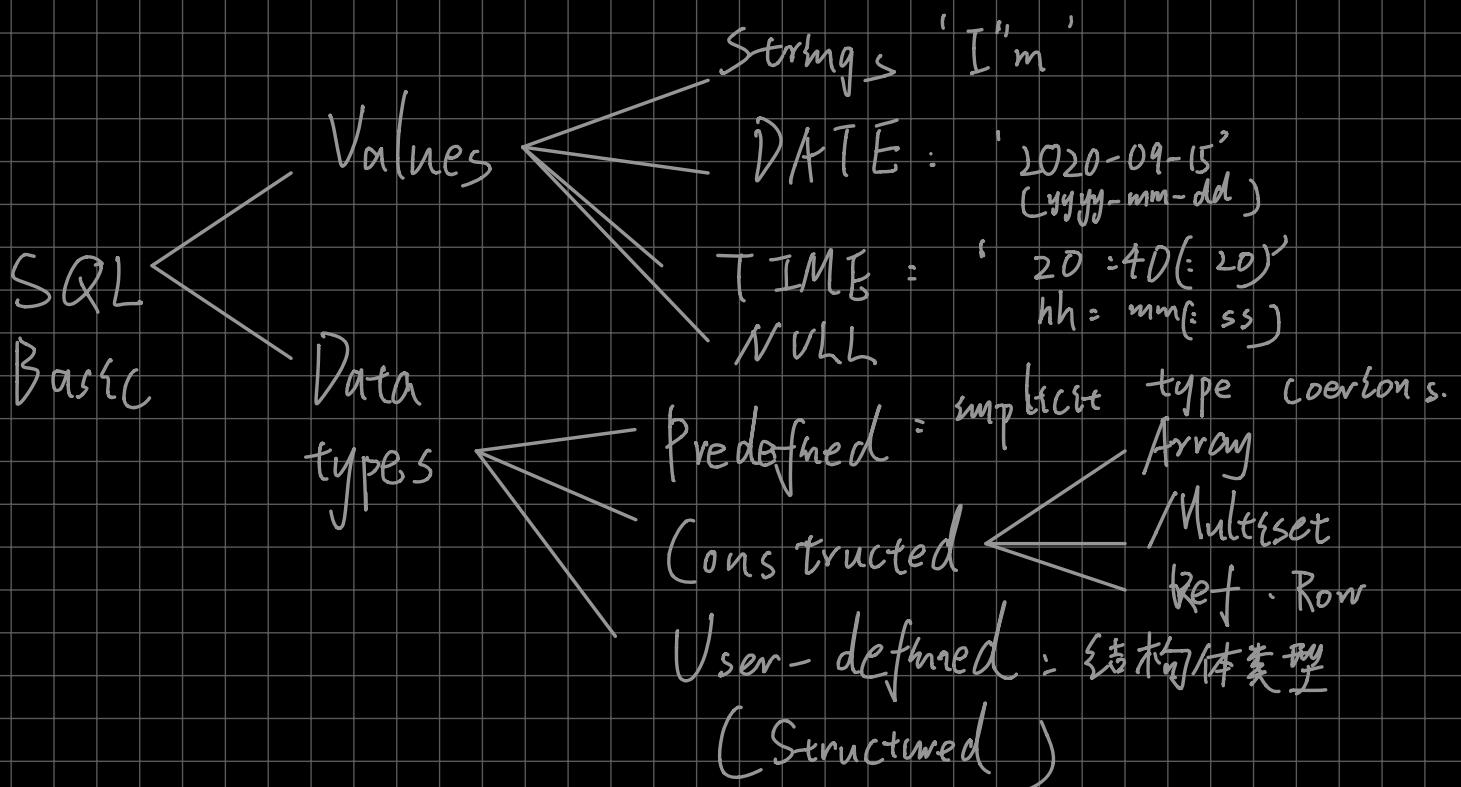
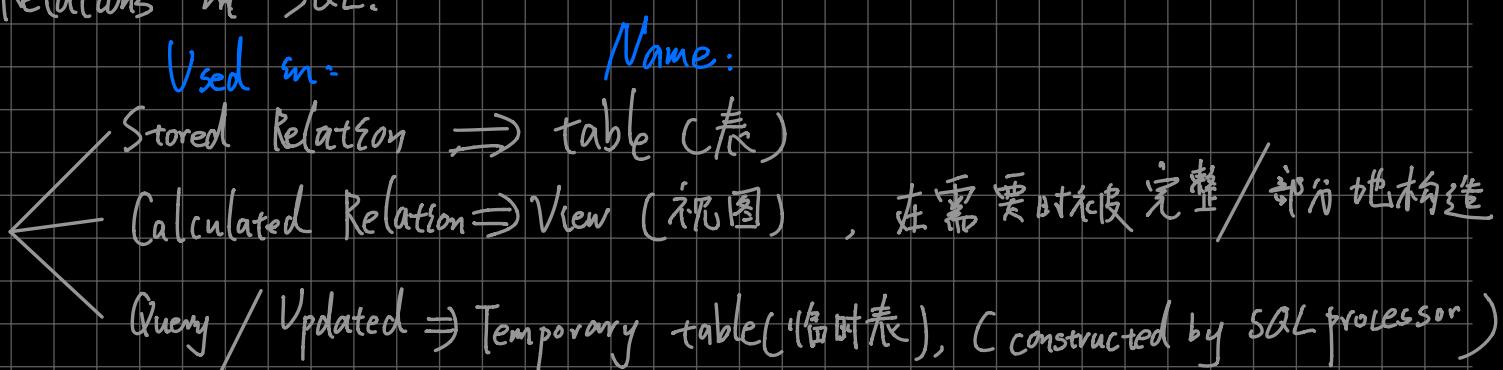
e.g. current instance (当前实例)  $\Rightarrow$  数据库系统仅维护当前实例

△ RDB instance: set of relation instance.

SQL:



Relations in SQL:



e.g

```
CREATE TABLE Student C  
sno CHAR(10),  
age INT DEFAULT 18,  
id INT PRIMARY KEY)
```

```
ov id INT UNIQUE KEY
```

SQL

Create Table:

Drop Table:

Operation

Alter Table:

ALTER TABLE relation  
ADD column type

△ Difference between PRIMARY and UNIQUE:

① 1个 Relation 中 PRIMARY 只能出现1次，但可以通过独立  
主键声明一次性指定多个 attributes. e.g. PRIMARY(age, id)

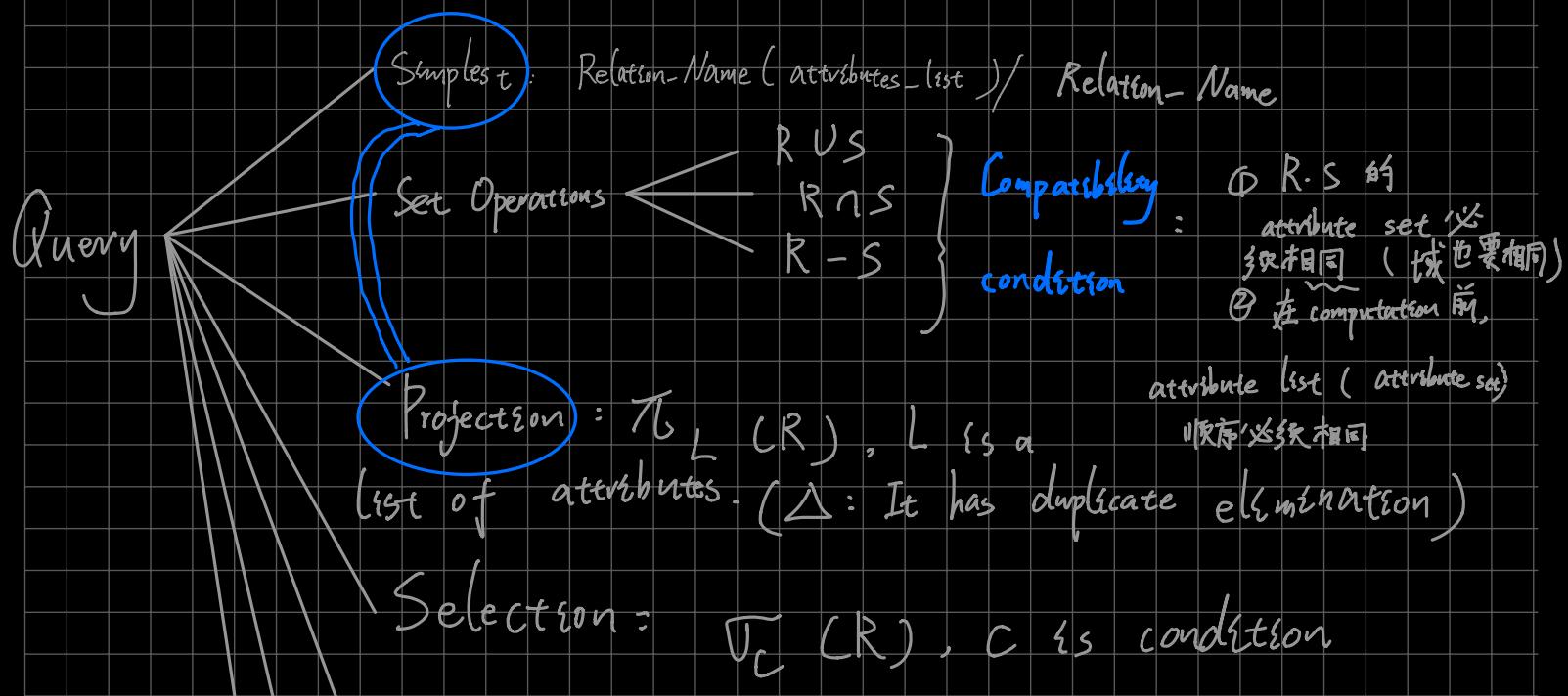
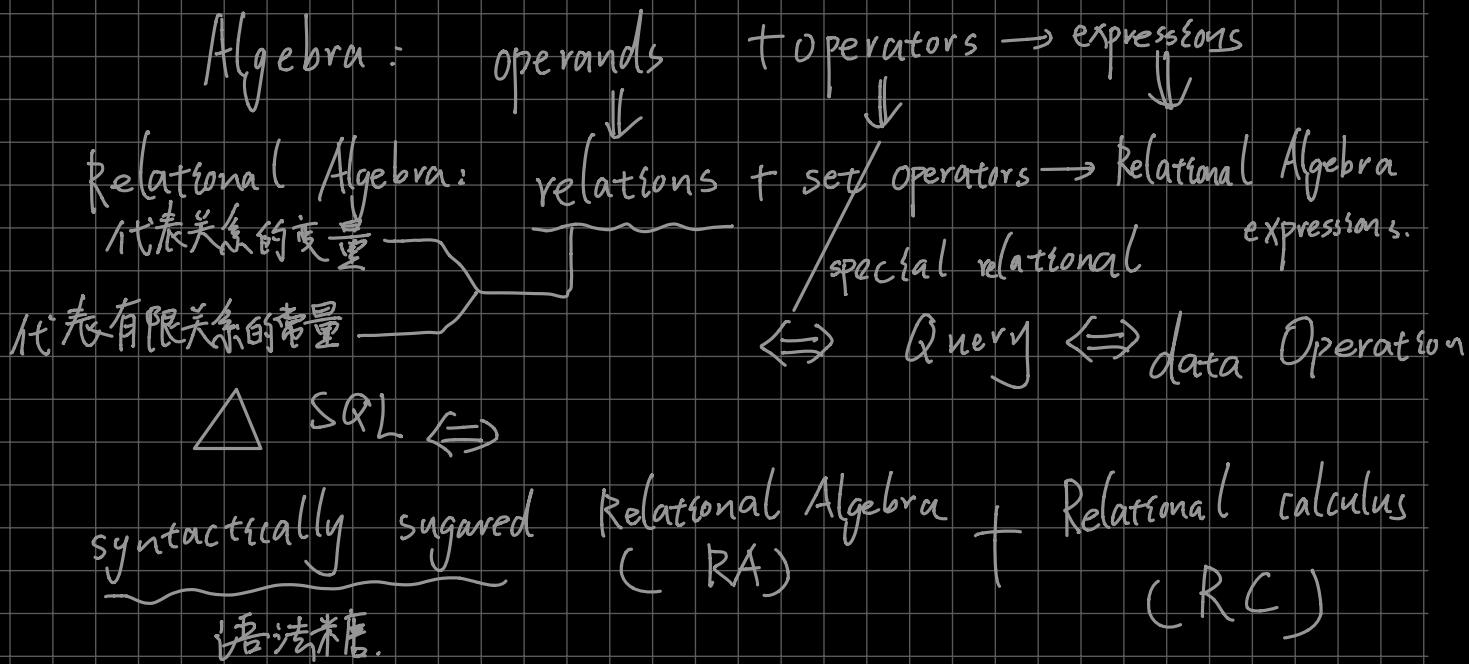
UNIQUE 可出现多次

独立主键声明

② 任意一个 tuples 的指定为 PRIMARY KEY 的 attributes  
均不能为 NULL. 但是 UNIQUE 可以。

# Lecture 3 : Relational Algebra

Definition :



组合操作:

笛卡尔积及笛卡尔

积的特殊

形式(Join)

: 在信息孤岛中

建立连接的桥梁.

Cartesian Product:  $R \times S$ , pairing tuples in all possible combinations. (Unrelated tuples is meaningless)

Theta-Join:  $R \bowtie_{\theta} S \Leftrightarrow \exists \theta (R \times S)$ ,  $\theta$  is an equation [条件]

△ Theta-Join 并不进行合并属性 列去重

Natural Join:  $R \bowtie S$ ,  $\theta = (\text{shared attributes of } R \text{ and } S)$  (此时有 Duplicate Elimination - 只留一个)  
shared attributes (数据) (操作将 R, S 模式中相同属性且属性有相同值的元组配对.  $\Rightarrow$  相等的共有属性)

Quotient:  $T = R \div S$  ( $R(X, Y), S(Y)$ )

Constraint:  $S$  的属性集  $\subseteq R$  属性集.

$$T = \{t \mid \underbrace{\underbrace{t \in \pi_X(R)}_{\substack{\text{结果表中元素} \\ \text{即除 } S \text{ 中属性} \\ \text{外.}}}}_{\substack{\text{R 属性} \\ \text{子集 } X, \\ \text{且 } t_s \in R.}} \wedge \underbrace{\forall s \in S \underbrace{(t_s \in R)}_{\substack{\text{对应 } S \text{ 中元素.} \\ (注意到 } S \subseteq R)}$$

方法: 先将  $\pi_X(R)$  中所有  $S(Y)$  中出现的行选出,

再看这些行:  $t \in \pi_X(R)$  是否  $\forall s, Xs \in R$ .

若是, 将该  $t$  加入  $T(X)$  中.