U -s Imput X -s state y -s output $U \left\{ \begin{array}{c} u_1 \\ u_2 \\ \vdots \\ u_m \end{array} \right\} \times C$ MM - isi SS-MM -> state eg -> output eg.) x(+) = Ax(+) + b u(+) Y(+) = c^T x(+)+d u(+) io-mu imput -> output $\sum_{v=0}^{\infty} a_v f(v) = \sum_{\mu=0}^{\infty} b_{\mu} u(\mu)$ $= \sum_{v=0}^{\infty} b_{\mu} u(t)$ $= \sum_{\mu=0}^{\infty} b_{\mu} u(t)$ -, representare functionale a unui solem

Clasificarea -s continuu (s)
-s discret (z) System Strame En Timp Continues x(+): f(+, x(+), u(+)) y(+): f(+, x(+), u(+)) -s state -s output ×(to) specificat x(+)-storea (+,x(+)) -> fato systemulus Mulks Imput Mulks Out Sisteme multivariabile Sistem In time discret tx (la momentul Te/Ts) -> sampling perise U(tk)=Uk y(tk)= fk -> somples Sampling Process

$$x(k+1) = f(k, x(k), u(k))$$
 is state

 $y(k) = g(k, x(k), u(k))$ is output

 $k \in \mathbb{Z}(x)$ m. de momente de impo disent

 $t = k Te$

(Proportional Integration)

Controller PI

 $u(t) = kp e(t) + k$; $\int e(T) dT$
 $e(t) = \int_{1}^{\infty} f(t) - f(t) dT$
 $e(t) = \int_{1}^{\infty} f(t) - f(t) dT$

parametri $f(t) = f(t) + f(t) dT$

parametri $f(t) = f(t) + f(t) dT$
 $f(t) = f(t) + f(t) d$