# NN Scratch

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# 1 Building A Neural Network From Scratch

# 1.1 Deep Learning Tutorial: Assignment 1

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### **Specifications:**

Implement a full, working fully-connected (feed-forward) deep neural network from scratch using only numpy, including:

- Dense layers
- Activation layers (sigmoid/softmax in case of classification)
- Optimizer
- Loss function (e.g., stochastic gradient descent and binary cross-entropy for binary classification).

Finally, include runtime and results on a public dataset (MNIST? CIFAR10?).

The Bigger Picture

- Input data with first layer.
- Data passes forward layer by layer until output.
- Error is calculated after output as a scalar.
- Backpropagate, adjusting parameters by using the chain rule.
- Iterate.

## 1.3 Import Libaries

[46]: import numpy as np
 import matplotlib.pyplot as plt
 import seaborn as sns
 import tqdm
 from keras.datasets import mnist
 from keras.utils import np\_utils
 import time
 from sklearn.metrics import classification\_report
 from sklearn.metrics import confusion\_matrix
 from sklearn.model\_selection import train\_test\_split

```
import pandas as pd
```

# 1.4 Final Neural Network Class Implementation

# **Defining Utility Functions**

```
[2]: ### ACTIVATION FUNCTIONS
     # Leaky ReLU layer
     # we use leaky here to avoid vanishing gradient problem
     def leaky_relu(x):
         return np.where(x > 0, x, x * 0.001)
     def leaky_relu_derivative(x):
         return np.where(x < 0, 0.001, 1)
     # Tanh layer
     def tanh(x):
        return np.tanh(x);
     def tanh derivative(x):
         return 1-np.tanh(x)**2;
     # for final softmax layer
     def softmax(z):
         """Compute softmax values for each sets of scores in x."""
         e = np.exp(z)
         return e / e.sum()
     def softmax_derivative(x):
         """Compute softmax values for each sets of scores in x."""
         e_x = np.exp(x - np.max(x))
         return e_x / e_x.sum(axis=0)
     ### LOSS FUNCTIONS
     def mse(y_true, y_pred):
         return np.mean(np.power(y_true-y_pred, 2));
     def mse_prime(y_true, y_pred):
         return 2*(y_pred-y_true)/y_true.size;
```

### Defining NN Classes

```
[3]: class LayerCreate():
    """

    Overarching class that hosts functions for fully connected layers.
    """
```

```
Initialise NN with input, output, weights, and biases.
             self.input = None
             self.output = None
             self.weights = np.random.rand(input_size, output_size) - 0.5
             self.bias = np.random.rand(1, output_size) - 0.5
         def feedforward(self, input_data):
             Feed forward anything that is input.
             self.input = input_data
             # compute output by taking the dot product of the input
             # and the respective weights + bias
             self.output = self.bias + np.dot(self.input, self.weights)
             return self.output
         def backprop(self, output_error, learning_rate):
             Backpropagate by calculating the previous layer error and weight error.
             Then update parameters before returning input error.
             input_error = np.dot(output_error, self.weights.T)
             weights error = np.dot(self.input.T, output error)
             # update weights and biases using learning rate
             # from gradient descent
             self.weights -= learning_rate * weights_error
             self.bias -= learning_rate * output_error
             return input_error
[4]: class ActivationLayer():
         This class allows us to create the non-linear function
         that we apply over the input data coming to a particular neuron
         and the output from the function will be sent to the neurons present
         in the next layer as input.
         def __init__(self, activation_function, activation_derivative):
             self.input = None
             self.output = None
             self.activation = activation_function
             self.activation_derivative = activation_derivative
         def feedforward(self, input_data):
```

def \_\_init\_\_(self, input\_size, output\_size):

```
Returns the activation function's output.

"""

self.input = input_data
self.output = self.activation(self.input)
return self.output

def backprop(self, output_error, learning_rate):

"""

Uses the derivative of the activation function for the chain rule.

"""

return self.activation_derivative(self.input) * output_error
```

```
[5]: class NeuralNetwork:
         Neural Network creation class.
         Interacts with other classes to add layers, train, and predict with model.
         def __init__(self):
             # store layers and loss
             self.layers = []
             self.loss = None
             self.loss_derivative = None
             self.loss_history = []
         def add(self, layer):
             Add a layer to the network.
             self.layers.append(layer)
         def use(self, loss, loss_derivative):
             11 11 11
             Update loss.
             11 11 11
             self.loss = loss
             self.loss_derivative = loss_derivative
         def predict(self, input_data):
             Predict output
             nnn
             result = []
             # run network over all data
             for i in range(len(input_data)):
                 # feedforward
                 output = input_data[i]
```

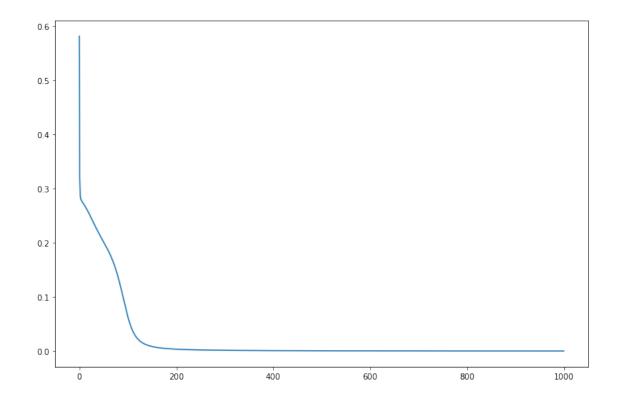
```
for layer in self.layers:
               output = layer.feedforward(output) # for each layer we_
\rightarrow feedforward
           result.append(output) # and then append the result
       return result # return the result of the prediction.
   # train the network
  def fit(self, X_train, y_train, epochs, learning_rate):
       Train the network using data.
       11 11 11
       # Training model here
       for i in tqdm.tqdm(range(epochs)):
           err = 0
           for j in range(len(X_train)):
               # feedforward
               output = X_train[j]
               for layer in self.layers:
                   output = layer.feedforward(output)
               # compute loss for storing
               err += self.loss(y_train[j], output)
               # backprop
               error = self.loss_derivative(y_train[j], output)
               for layer in reversed(self.layers):
                   error = layer.backprop(error, learning_rate)
               # update learning_rate
           # calculate average error on all samples
           err /= len(X train)
           self.loss_history.append(err)
           #print('epoch %d/%d error=%f' % (i+1, epochs, err))
  def plot_loss_per_iteration(self):
       iterations = [i for i in range(len(self.loss_history))]
       plt.figure(figsize=(12, 8))
       plt.plot(iterations, self.loss_history)
       plt.suptitle('Loss per iteration', fontsize=12)
```

### Testing the Neural Network on XOR Data

```
[6]: # XOR training data
X_train = np.array([[[0,0]], [[0,1]], [[1,0]], [[1,1]]])
y_train = np.array([[[0]], [[1]], [[0]]])
```

```
[7]: # network
     model = NeuralNetwork()
     model.add(LayerCreate(2, 3))
     model.add(ActivationLayer(tanh, tanh_derivative))
     model.add(LayerCreate(3, 1))
     model.add(ActivationLayer(tanh, tanh_derivative))
[8]: # train
    model.use(mse, mse_prime)
     model.fit(X_train, y_train, epochs=1000, learning_rate=0.1)
    model.plot_loss_per_iteration()
     # test
     out = model.predict(X_train)
     print(out)
    100%|
               | 1000/1000 [00:00<00:00, 4552.22it/s]
    [array([[0.00089275]]), array([[0.97829716]]), array([[0.97821619]]),
    array([[-0.00143665]])]
```

Loss per iteration



# Running on MNIST

```
[9]: # test on MNIST data
(X_train, y_train), (X_test, y_test) = mnist.load_data()
```

```
[10]: print("Training data shape: ", X_train.shape) # (60000, 28, 28) -- 60000

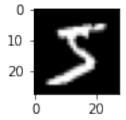
→ images, each 28x28 pixels

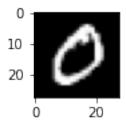
print("Test data shape", X_test.shape) # (10000, 28, 28) -- 10000 images, each

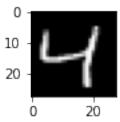
→ 28x28
```

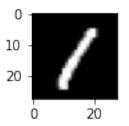
Training data shape: (60000, 28, 28) Test data shape (10000, 28, 28)

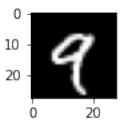
```
[11]: for i in range(9):
    plt.subplot(330 + 1 + i)
    plt.imshow(X_train[i], cmap=plt.get_cmap('gray'))
    plt.show()
```

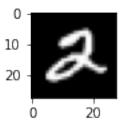


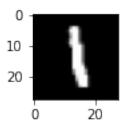


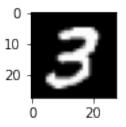


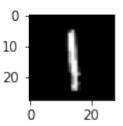










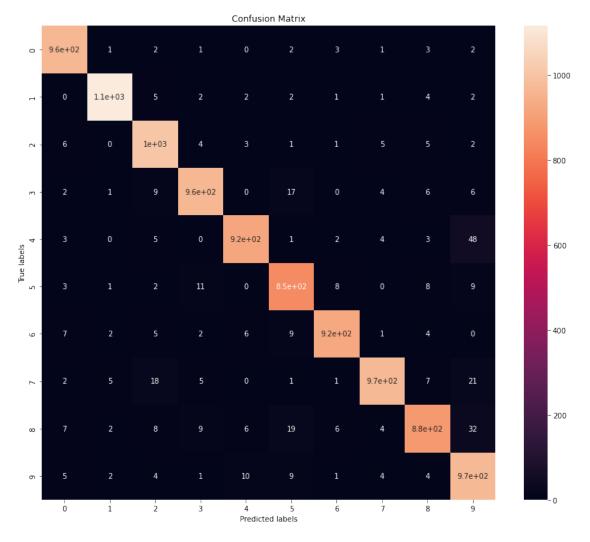


```
Reshape input data and normalise for better model.
          data = data.reshape(data.shape[0], 1, 28*28)
          data = data.astype('float32')
          data /= 255
          return data
      X_train = reshape_data(X_train)
      X_test = reshape_data(X_test)
      # categorical one-hot
      y_train = np_utils.to_categorical(y_train)
      y_test = np_utils.to_categorical(y_test)
[13]: # Network
      model = NeuralNetwork()
      model.add(LayerCreate(28*28, 100))
      model.add(ActivationLayer(tanh, tanh_derivative))
      model.add(LayerCreate(100, 50))
      model.add(ActivationLayer(leaky_relu, leaky_relu_derivative))
      model.add(LayerCreate(50, 10))
      model.add(ActivationLayer(softmax, softmax_derivative))
```

[12]: def reshape\_data(data):

```
[14]: # run model on 20000 samples, otherwise will take really long
      model.use(mse, mse_prime)
      model.fit(X_train[0:20000], y_train[0:20000], epochs=50, learning_rate=0.1)
     100%|
                   | 50/50 [08:27<00:00, 10.14s/it]
[15]: def classify_pred(arr):
          11 11 11
          Run array of probabilities through this to get prediction.
          return np.argmax(arr)
[16]: # test on 5 samples
      out = model.predict(X_test[0:5])
      print("Predictions:")
      for i in out:
          temp = classify_pred(i)
          print(temp)
      print("True Value:")
      for i in y_test[0:5]:
          temp = classify_pred(i)
          print(temp)
     Predictions:
     2
     1
     0
     True Value:
     7
     2
     1
     0
[17]: # predict all
      y_pred_probs = model.predict(X_test)
      y_pred = []
      y_true = []
      for i in range(len(y_pred_probs)):
          y_pred.append(classify_pred(y_pred_probs[i]))
          y_true.append(classify_pred(y_test[i]))
[18]: #Create the confusion matrix using test data and predictions
      cm = confusion_matrix(y_true, y_pred)
      #plot the confusion matrix
```

```
plt.figure(figsize=(14, 12))
ax = plt.subplot()
sns.heatmap(cm,annot=True,ax=ax)
ax.set_xlabel('Predicted labels')
ax.set_ylabel('True labels')
ax.set_title('Confusion Matrix')
plt.show()
```



```
[19]: matrix = classification_report(y_true, y_pred, labels=[0,1,2,3,4,5,6,7,8,9])
print('Classification report : \n',matrix)
```

Classification report :

	precision	recall	il-score	support
0	0.96	0.98	0.97	980
1	0.99	0.98	0.99	1135

	2	0.95	0.97	0.96	1032
	3	0.96	0.96	0.96	1010
	4	0.97	0.93	0.95	982
	5	0.93	0.95	0.94	892
	6	0.98	0.96	0.97	958
	7	0.98	0.94	0.96	1028
	8	0.95	0.90	0.93	974
	9	0.89	0.96	0.92	1009
accui	cacy			0.96	10000
macro	avg	0.96	0.96	0.96	10000
weighted	avg	0.96	0.96	0.96	10000

We can see from our results that we have a 96% overall accuracy with just 20000 samples trained on (with a potential for 60000 if given more computational power/implement a different gradient descent method that is more efficient).

It took 8 minutes 27 seconds to run this model, which is a good time considering it is a neural network built from scratch without much optimization.

### 1.5 References

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 $\label{eq:minerval} \begin{tabular}{ll} Minerva & IL181 & Session & 2. & (2022). & Breakout & 2: & PCW & and & Regularization. & Retrieved & from & https://deepnote.com/project/IL181-Session-2-Fundamentals-II-pdyDWwcqQbqegN3EPrtkiw/%2FBreakout_2_Group_1.ipynb/#5cbaacbf-acf8-4adc-939c-2125277aa6d1 & PCW & and & Regularization. & PCW & All & PCW$ 

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Skalski, P. (2018). Let's code a Neural Network in plain NumPy. Retrieved from https://towardsdatascience.com/lets-code-a-neural-network-in-plain-numpy-ae7e74410795

Wang, C-F. (2018). Calculating Gradient Descent Manually. Retrieved from https://towardsdatascience.com/calculating-gradient-descent-manually-6d9bee09aa0b

## 1.6 Previous Attempts to Learn

### 1.6.1 Simple Implementation

```
[489]: # using https://towardsdatascience.com/
        \rightarrow how-to-build-your-own-neural-network-from-scratch-in-python-68998a08e4f6
       ### UTILITY MATHEMATICAL FUNCTIONS
       # Sigmoid activation function
       def sigmoid(x):
           return 1.0/(1+ np.exp(-x))
       # Sigmoid derivative for gradient descent in backprop
       def sigmoid derivative(x):
           return x * (1.0 - x)
       # for final softmax layer
       def softmax(z):
           """Compute softmax values for each sets of scores in x."""
           print(z)
           print(f"VECTOR: {np.exp(z)}")
           print(f"SUM: {np.sum(np.exp(z), axis=0)}")
           e_x = np.exp(z - z.max())
           return e_x / np.sum(e_x, axis=0)
           #return e_z / e_z.sum(axis=0, keepdims=True)
       def softmax derivative(x):
           """Compute softmax values for each sets of scores in x."""
           e x = np.exp(x - np.max(x))
           return e_x / e_x.sum(axis=0, keepdims=True)
       # for leaky relu layer
       # we use leaky here to avoid vanishing gradient problem
       def leaky_relu(x):
           return np.where(x > 0, x, x * 0.001)
       def leaky_relu_derivative(x):
           return np.where(x < 0, 0.001, 1)
       # Multi-class cross-entropy loss function
       def multi_cross_entropy(y_pre, y):
          print(y_pre)
```

```
loss=-np.sum(y*np.log(y_pre))
return loss/float(y_pre.shape[0])
```

```
[507]: ### NEURAL NETWORK CLASS
       class NeuralNetwork:
           def __init__(self, x, y, activation_function, af_gradient, loss_function):
               # there are 10 different numbers, so we have an input layer of 10.
               self.input = x # set input
               self.weights1 = np.random.rand(self.input.shape[1],50) # layer 1 weights
               self.weights2 = np.random.rand(50,10) # layer 2 weights
               self.weights3 = np.random.rand(10,10) # layer 3 weights
               self.y = y # output size
               self.output = np.zeros(self.y.shape) # set up output
               self.activation_function = activation_function
               self.loss_function = loss_function
               self.af_gradient = af_gradient
               self.loss_history = [] # set up loss function array
           def feedforward(self):
               Run weights through activation function in sequence to get to output.
               print(f"weights1: {self.weights1}")
               self.layer1 = self.activation function(np.dot(self.input, self.
        →weights1))
               print(f"LAYER1 = {self.layer1}")
               self.layer2 = self.activation_function(np.dot(self.layer1, self.
        →weights2))
               self.output = softmax(np.dot(self.layer2, self.weights3))
               # append loss at end out weight passing through NN
               self.loss history.append(self.loss function(self.output, self.y))
           def backpropagation_gd(self):
               We work backwards, using the chain rule, derivative of activation \sqcup
        \hookrightarrow function, and the transpose of weight matrix
               to find the derivative of our loss function. This is using gradient,
        \rightarrow descent.
               # dot product of layer2 weights transposed, with (2*difference between_
        \rightarrow y and output*activation function gradient)
               d_weights3 = np.dot(self.layer2.T, (2*(self.y - self.output) *_
        ⇒softmax derivative(self.output)))
               # again, chain rule using previous calculations
```

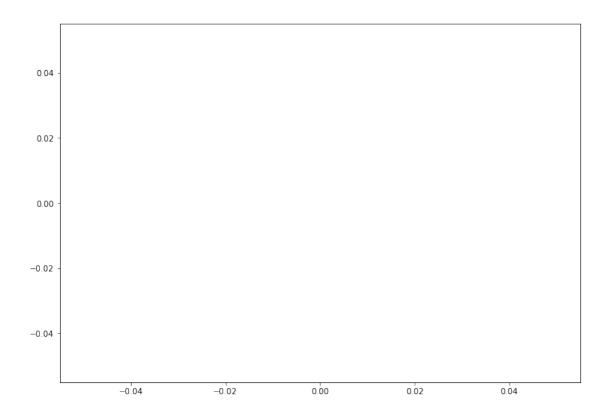
```
d weights2 = np.dot(self.layer1.T, (np.dot(2*(self.y - self.output) *__
        →self.af_gradient(self.output), self.weights3.T) * self.af_gradient(self.
        →layer2)))
               d weights1 = np.dot(self.input.T, (np.dot(2*(self.y - self.output) *___
        →self.af_gradient(self.output), self.weights2.T) * self.af_gradient(self.
        →layer1)))
               # we then update the weights using this derivative of the loss function
               self.weights1 += d_weights1
               self.weights2 += d_weights2
               self.weights3 += d_weights3
           def train(self, iterations):
               for i in tqdm.tqdm(range(iterations)):
                   self.feedforward()
                   self.backpropagation_gd()
           def plot_loss_per_iteration(self):
               a4_dims = (11.7, 8.27)
               iterations = [i for i in range(len(self.loss_history))]
               plt.figure(figsize=a4_dims)
               plt.plot(iterations, self.loss_history)
               plt.suptitle('Loss per iteration', fontsize=12)
[524]: nn = NeuralNetwork(X_train, y_train, leaky_relu, leaky_relu_derivative,_
       →multi_cross_entropy)
       nn.train(1)
        0%1
      | 0/1 [00:00<?, ?it/s]
      weights1: [[0.26792746 0.03642086 0.47690898 ... 0.65241207 0.07678089
      0.55353486]
       [0.1816278  0.24702717  0.229208  ...  0.61497263  0.66308378  0.31710673]
       [0.76215828 0.15314635 0.14832372 ... 0.64453016 0.98366745 0.65771891]
       [0.46245683 0.01126835 0.8136033 ... 0.72074003 0.9305517 0.56066853]
       [0.6547219  0.60867753  0.95748858 ... 0.95167416  0.41037387  0.40059171]
       [0.61931785 0.85277644 0.88905725 ... 0.25479949 0.35958875 0.71718486]]
      LAYER1 = [[13650.7896587 13383.45236081 14830.74066124 ... 12130.29938744
        13830.51447355 12115.71806256]
       [15081.65269538 15326.19177906 16388.04105355 ... 14009.49503686
        15478.29316219 16062.04460395]
       [10675.39134806 9734.22294266 8787.77052096 ... 9219.73197423
         9612.91615525 10010.95867039]
       [11226.08609812 10475.380367 11616.78006219 ... 10086.70737261
```

```
10849.2165663 11836.15537543]
 [10546.61645832 10404.13435608 10785.43955391 ... 10282.50653619
  10522.28498636 10489.36078193]
 [ 9654.20886961 10079.68535625 9914.01157002 ... 10833.1326421
  10351.48187351 10125.30918115]]
[[1628512.92561829 1749448.34795995 1800145.33856451 ... 1580297.20988735
  2101805.63564202 1316524.95663658]
 [1833382.47565703 1968451.81779936 2026808.43387291 ... 1782182.66957102
  2367288.09023992 1482704.31624837]
 [1150985.25915508 1233759.35420179 1270815.82284408 ... 1115630.65491579
  1484996.31213249 928152.45603302]
 [1312907.91214602 1409162.36496874 1451805.51680043 ... 1275705.62968546
  1696393.51752882 1062060.05218988]
 [1204336.25210541 1291917.9292189 1332396.25348196 ... 1172528.72143378
  1555643.01080829 974837.47076329]
 [1228583.46188107 1320063.49123468 1359114.7456319 ... 1195177.31553148
  1587425.56254068 994388.81453497]]
VECTOR: [[inf inf inf inf inf inf]
 [inf inf inf inf inf inf]
 [inf inf inf ... inf inf inf]]
SUM: [inf inf inf inf inf inf inf inf]
[[nan nan nan ... nan nan nan]
 [nan nan nan ... nan nan nan]
 [nan nan nan ... nan nan nan]
 [nan nan nan nan nan nan]
 [nan nan nan ... nan nan nan]
 [nan nan nan ... nan nan nan]]
/var/folders/9c/7bqqxzp11xx4mn0mks51_b3h0000gn/T/ipykernel_3285/2741386404.py:15
: RuntimeWarning: overflow encountered in exp
  print(f"VECTOR: {np.exp(z)}")
/var/folders/9c/7bqqxzp11xx4mn0mks5l_b3h0000gn/T/ipykernel_3285/2741386404.py:16
: RuntimeWarning: overflow encountered in exp
  print(f"SUM: {np.sum(np.exp(z), axis=0)}")
/var/folders/9c/7bqqxzp11xx4mn0mks51_b3h0000gn/T/ipykernel_3285/2741386404.py:17
: RuntimeWarning: overflow encountered in exp
  return np.exp(z) / np.sum(np.exp(z), axis=0)
/var/folders/9c/7bqqxzp11xx4mn0mks5l b3h0000gn/T/ipykernel 3285/2741386404.py:17
: RuntimeWarning: invalid value encountered in true_divide
  return np.exp(z) / np.sum(np.exp(z), axis=0)
100%|
               | 1/1 [00:00<00:00, 1.45it/s]
```

```
[525]: print(nn.output)
    nn.plot_loss_per_iteration()

[[nan nan nan ... nan nan nan]
    [nan nan nan ... nan nan nan]
    ...
    [nan nan nan ... nan nan nan]
    [nan nan nan ... nan nan nan]
```

Loss per iteration



```
[519]: # from https://mlfromscratch.com/neural-network-tutorial/#/

class DeepNeuralNetwork():
    def __init__(self, sizes, epochs=10, l_rate=0.001):
        self.sizes = sizes
        self.epochs = epochs
        self.l_rate = l_rate

# we save all parameters in the neural network in this dictionary
```

```
self.params = self.initialization()
   def sigmoid(self, x, derivative=False):
       if derivative:
           return (np.exp(-x))/((np.exp(-x)+1)**2)
       return 1/(1 + np.exp(-x))
   def softmax(self, x, derivative=False):
       # Numerically stable with large exponentials
       exps = np.exp(x - x.max())
       if derivative:
           return exps / np.sum(exps, axis=0) * (1 - exps / np.sum(exps, _____
\rightarrowaxis=0))
       return exps / np.sum(exps, axis=0)
   def initialization(self):
       # number of nodes in each layer
       input_layer=self.sizes[0]
       hidden 1=self.sizes[1]
       hidden_2=self.sizes[2]
       output_layer=self.sizes[3]
       params = {
           "W1":np.random.randn(hidden_1, input_layer) * np.sqrt(1. / ___
→hidden_1),
           "W2":np.random.randn(hidden_2, hidden_1) * np.sqrt(1. / hidden_2),
           "W3":np.random.randn(output layer, hidden 2) * np.sqrt(1. /___
→output_layer)
       }
       return params
   def forward_pass(self, x_train):
       params = self.params
       # input layer activations becomes sample
       params['A0'] = x_train
       # input layer to hidden layer 1
       params['Z1'] = np.dot(params["W1"], params['A0'])
       params['A1'] = self.sigmoid(params['Z1'])
       # hidden layer 1 to hidden layer 2
       params['Z2'] = np.dot(params["W2"], params['A1'])
       params['A2'] = self.sigmoid(params['Z2'])
       # hidden layer 2 to output layer
```

```
params['Z3'] = np.dot(params["W3"], params['A2'])
      params['A3'] = self.softmax(params['Z3'])
       return params['A3']
   def backward_pass(self, y_train, output):
           This is the backpropagation algorithm, for calculating the updates
           of the neural network's parameters.
           Note: There is a stability issue that causes warnings. This is
                 caused by the dot and multiply operations on the huge arrays.
                 RuntimeWarning: invalid value encountered in true_divide
                 RuntimeWarning: overflow encountered in exp
                 RuntimeWarning: overflow encountered in square
      params = self.params
       change_w = \{\}
       # Calculate W3 update
       error = 2 * (output - y_train) / output.shape[0] * self.

→softmax(params['Z3'], derivative=True)
       change_w['W3'] = np.outer(error, params['A2'])
       # Calculate W2 update
       error = np.dot(params['W3'].T, error) * self.sigmoid(params['Z2'],__
→derivative=True)
       change_w['W2'] = np.outer(error, params['A1'])
       # Calculate W1 update
       error = np.dot(params['W2'].T, error) * self.sigmoid(params['Z1'],__
→derivative=True)
       change_w['W1'] = np.outer(error, params['A0'])
      return change_w
   def update_network_parameters(self, changes_to_w):
           Update network parameters according to update rule from
           Stochastic Gradient Descent.
            = - * J(x, y),
                                  a network parameter (e.g. a weight w)
               theta:
               eta:
                                  the learning rate
               gradient J(x, y): the gradient of the objective function,
                                   i.e. the change for a specific theta
```

```
for key, value in changes_to_w.items():
             self.params[key] -= self.l_rate * value
    def compute_accuracy(self, x_val, y_val):
            This function does a forward pass of x, then checks if the indices
             of the maximum value in the output equals the indices in the label
             y. Then it sums over each prediction and calculates the accuracy.
        predictions = []
        for x, y in zip(x_val, y_val):
            output = self.forward_pass(x)
            pred = np.argmax(output)
            predictions.append(pred == np.argmax(y))
        return np.mean(predictions)
    def train(self, x_train, y_train, x_val, y_val):
        start time = time.time()
        for iteration in range(self.epochs):
            for x,y in zip(x_train, y_train):
                 output = self.forward_pass(x)
                 changes_to_w = self.backward_pass(y, output)
                 self.update_network_parameters(changes_to_w)
            accuracy = self.compute_accuracy(x_val, y_val)
            print('Epoch: {0}, Time Spent: {1:.2f}s, Accuracy: {2:.2f}%'.format(
                 iteration+1, time.time() - start_time, accuracy * 100
            ))
dnn = DeepNeuralNetwork(sizes=[784, 128, 64, 10])
dnn.train(X_train, y_train, X_test, y_test)
/var/folders/9c/7bqqxzp11xx4mn0mks51_b3h0000gn/T/ipykernel_3285/2571412226.py:13
: RuntimeWarning: overflow encountered in exp
  return 1/(1 + np.exp(-x))
/var/folders/9c/7bqqxzp11xx4mn0mks51 b3h0000gn/T/ipykernel 3285/2571412226.py:12
: RuntimeWarning: overflow encountered in exp
  return (np.exp(-x))/((np.exp(-x)+1)**2)
/var/folders/9c/7bqqxzp11xx4mn0mks5l_b3h0000gn/T/ipykernel_3285/2571412226.py:12
: RuntimeWarning: overflow encountered in square
  return (np.exp(-x))/((np.exp(-x)+1)**2)
/var/folders/9c/7bqqxzp11xx4mn0mks5l b3h0000gn/T/ipykernel 3285/2571412226.py:12
: RuntimeWarning: invalid value encountered in true_divide
 return (np.exp(-x))/((np.exp(-x)+1)**2)
```

```
Epoch: 1, Time Spent: 61.16s, Accuracy: 100.00%
     Epoch: 2, Time Spent: 123.88s, Accuracy: 100.00%
     Epoch: 3, Time Spent: 189.94s, Accuracy: 100.00%
     Epoch: 4, Time Spent: 262.12s, Accuracy: 100.00%
     Epoch: 5, Time Spent: 327.72s, Accuracy: 100.00%
     Epoch: 6, Time Spent: 400.28s, Accuracy: 100.00%
     Epoch: 7, Time Spent: 475.47s, Accuracy: 100.00%
     Epoch: 8, Time Spent: 536.92s, Accuracy: 100.00%
     Epoch: 9, Time Spent: 610.13s, Accuracy: 100.00%
     Epoch: 10, Time Spent: 677.50s, Accuracy: 100.00%
     Running on IRIS
[52]: from sklearn import datasets
      iris = datasets.load_iris()
[53]: df = pd.DataFrame(data=iris.data, columns=iris.feature_names)
[54]: df["target"] = iris.target
[55]: X = df.drop(['target'], axis=1)
      y = df["target"]
[56]: X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.4, ___
       →random_state=5)
[74]: # Network
      model = NeuralNetwork()
      model.add(LayerCreate(4, 16))
      model.add(ActivationLayer(tanh, tanh_derivative))
      model.add(LayerCreate(16, 64))
      model.add(ActivationLayer(leaky_relu, leaky_relu_derivative))
      model.add(LayerCreate(64, 4))
      model.add(ActivationLayer(softmax, softmax_derivative))
[75]: model.use(mse, mse prime)
      model.fit(np.array(X_train), np.array(y_train), epochs=15, learning_rate=0.1)
       0%1
     | 0/15 [00:00<?, ?it/s]
                                                 Traceback (most recent call last)
       /var/folders/9c/7bqqxzp11xx4mn0mks5l_b3h0000gn/T/ipykernel_8987/4150190733.py i
       →<module>
             1 model.use(mse, mse_prime)
       ----> 2 model.fit(np.array(X_train), np.array(y_train), epochs=15,u
       →learning_rate=0.1)
```

```
/var/folders/9c/7bqqxzp11xx4mn0mks5l_b3h0000gn/T/ipykernel_8987/1641724436.py i
 →fit(self, X_train, y_train, epochs, learning_rate)
     60
                         error = self.loss_derivative(y_train[j], output)
     61
                         for layer in reversed(self.layers):
 ---> 62
                             error = layer.backprop(error, learning_rate)
     63
      64
                         # update learning_rate
/var/folders/9c/7bqqxzp11xx4mn0mks5l_b3h0000gn/T/ipykernel_8987/1663074970.py i: _
 →backprop(self, output_error, learning_rate)
                 11 11 11
      28
      29
                 input_error = np.dot(output_error, self.weights.T)
                 weights_error = np.dot(self.input.T, output_error)
 ---> 30
      31
      32
                 # update weights and biases using learning rate
<__array_function__ internals> in dot(*args, **kwargs)
ValueError: shapes (4,) and (1,16) not aligned: 4 (dim 0) != 1 (dim 0)
```