

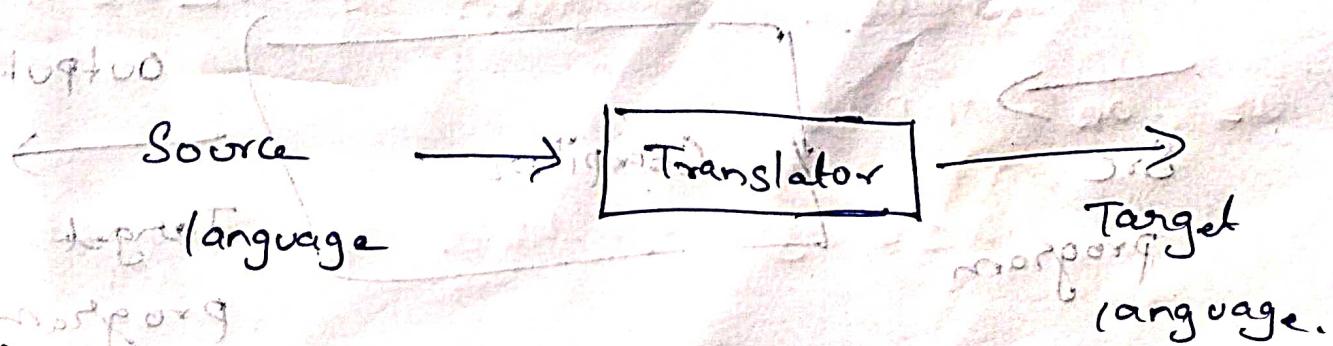
## Unit-1

### 1.1 Translators

\* A translator is one kind of program that takes source code as input and converts it into another form.

\* The input program is called source program and the output language is called target language.

\* The various source languages are C, C++, Fortran, high level language or low level language or a machine language.



## Compiler.

\* A Compiler is a program, which translates a high level language into low level or machine level languages.

\* During this process of translation if some errors are encountered then compiler displays them as error messages.

\* The compiler takes a source program as higher level language.

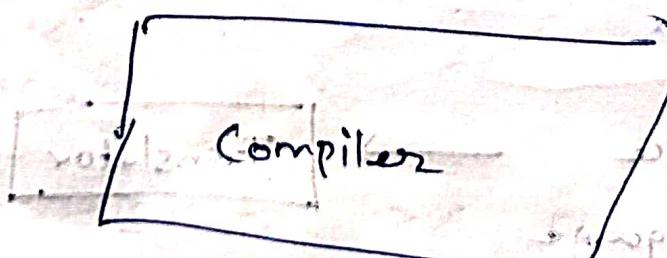
Such as C, Pascal, Fortran.

Input



Src

program



Output



Target

Program

## 2) Language Processors:

\* Language Processors are

cousins of Compiler.

The

\* Compiler typically operates

programs such as preprocessor,  
assemblers, loaders and link editors

### 1) Preprocessors:

\* The output of preprocessors  
may be given as input to  
Compiler.

\* preprocessors allows user to  
use macros in the program.

\* Macros refers to repeated

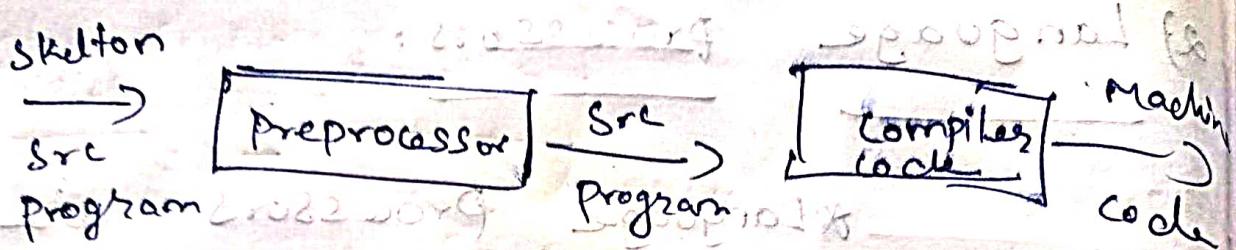
program code or data

\* preprocessors also includes

header files.

e.g.:

#include <stdio.h>



Macro - Preprocessor:

\* It is a type of small macro pre processor.

\* A small set of instructions.

for e.g.:

#define PI 3.14 // define pi as 3.14

Q) Assemblers:

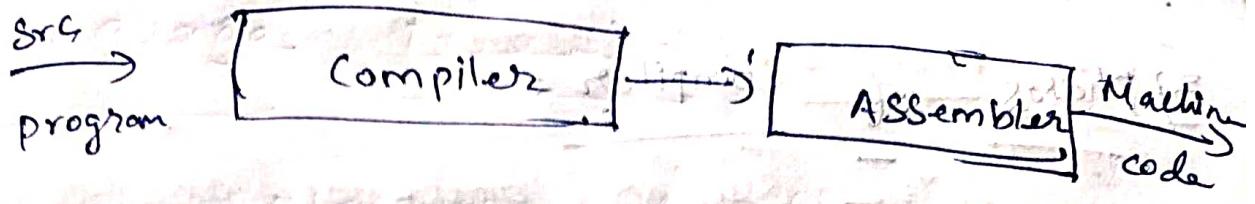
\* Some Compilers produces assembly code as output.

\* which is given to the assembler as an input.

\* It is a kind of translator.

\* Assembly code is memory

version of Machine code.



\* The instructions of Assembly code are binary language.

\* The binary code is often called as Machine code.

\* The machine code can be directly passed to loader/linker.

for eg -

MOV A, R<sub>1</sub>

MUL #5, R<sub>1</sub>

ADD #7, R<sub>1</sub>

MOV R<sub>1</sub>, b

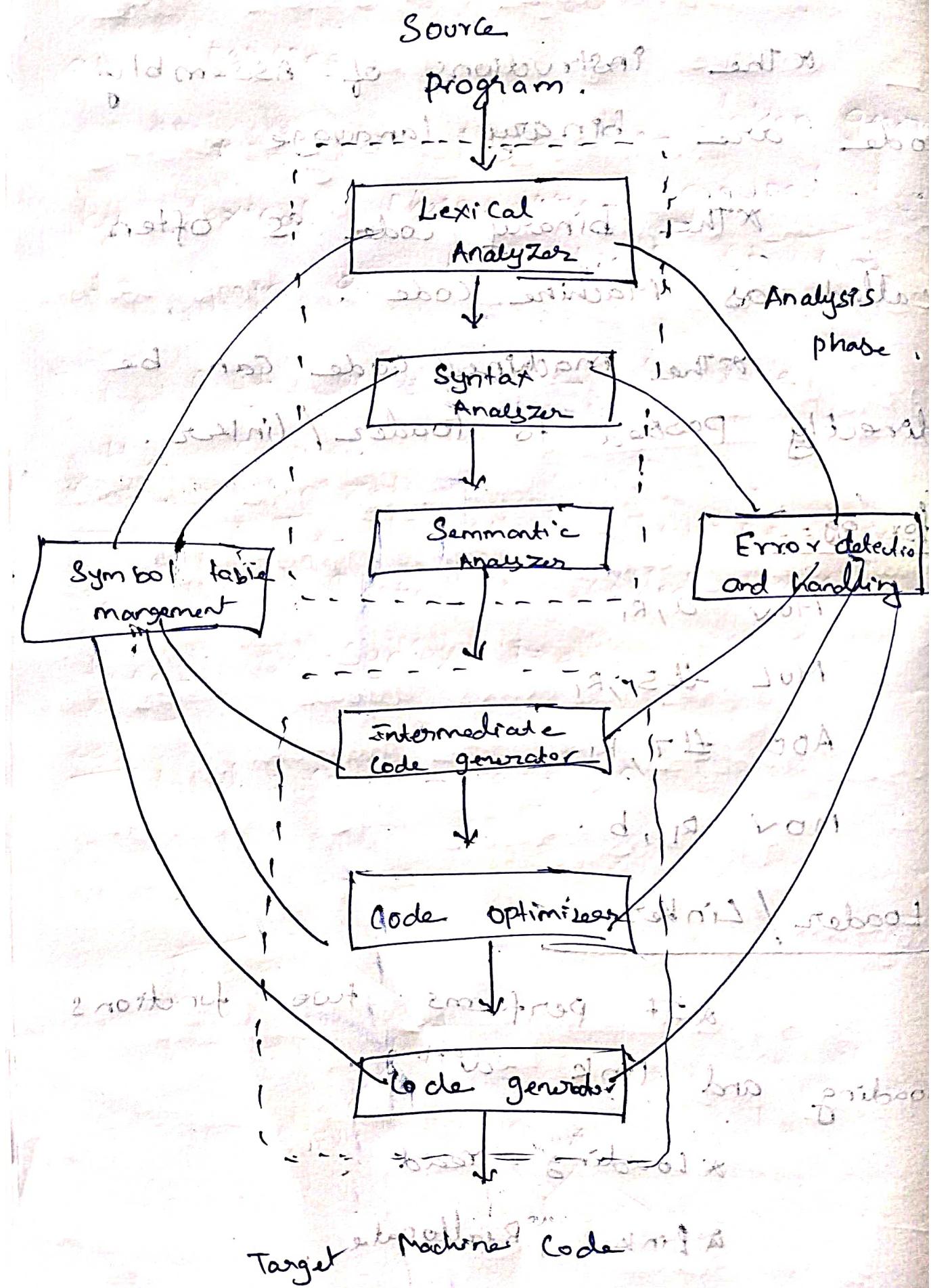
### 3) Loader / Linker

\* It performs two functions loading and link editing.

\* Loading - read.

\* Link, Reallocate.

## 3} Phases of Compiler :



## \* Lexical Analysis:

\* Lexical analysis is also called scanning.

In this phase, the source code is scanned and broken up into group of strings called token.

\* A token is sequence of characters having a collective meaning.

Blank statements are eliminated by

for eg: return; is ignored with  $\text{for } \text{eg}$ .

Total = Count + rate \* 10

total - identifier

= - assignment symbol

Count - identifier

+ - plus sign

rate - Identifier

\* - multiplication sign

10 - constant number

## Syntax Analysis:

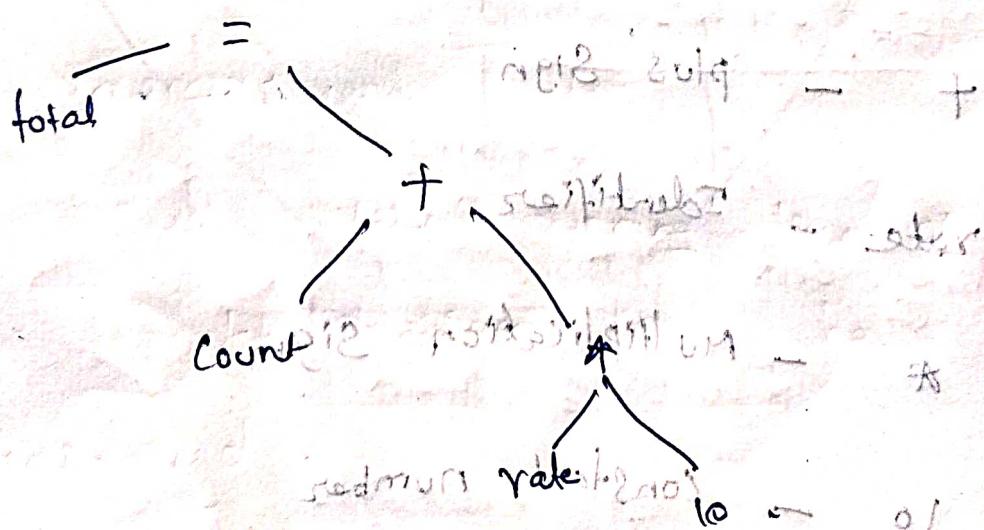
The Syntax analysis is also called as parsing.

\* In this phase tokens generated by lexical phase are grouped together to form a hierarchical structure.

\* It analyses the structure of the source string.

\* The hierarchical structure generated in this phase is called parse tree or syntax tree.

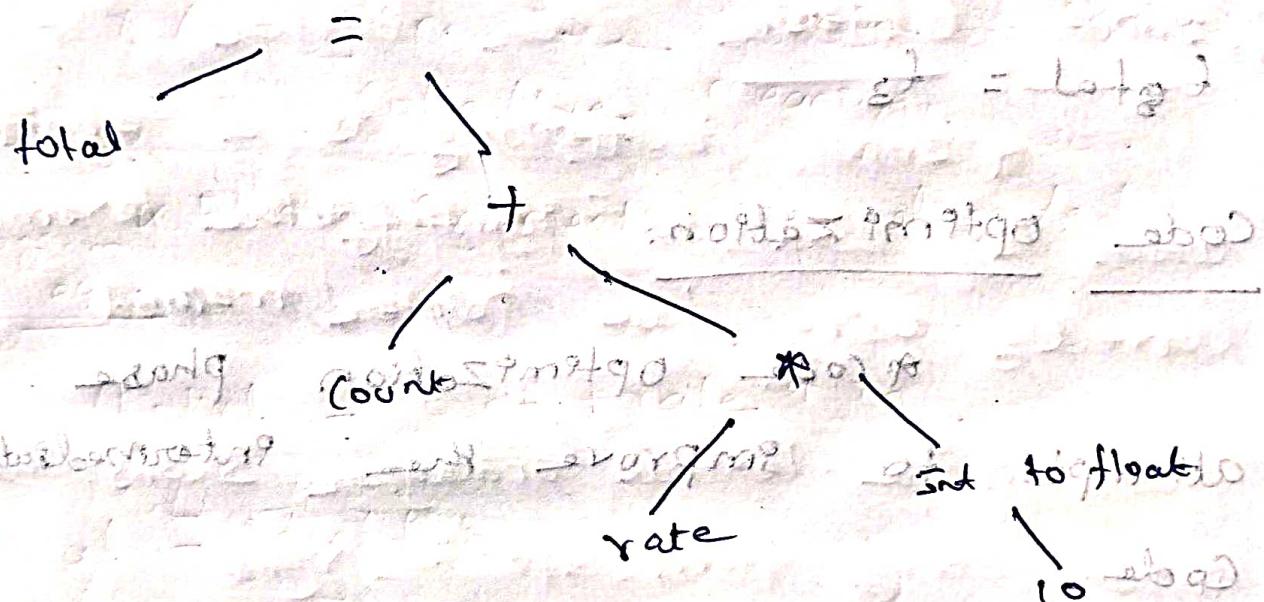
e.g.: total = count \* rate



## Semantic Analysis:

Once the Syntax is checked in the Syntax analyser phase the next phase is Semantic analysis.

It determines the meaning of the source string.



## Intermediate code generator:

The intermediate code is a kind of code, which is easy to generate with smaller elements and this code can be easily converted into target code.

\* There are three types of pointer  
three  
mediate code generator, such as  
address code, quad tuple, triple.

for example.

$t_1 = \text{ptr to float}(10)$

$t_2 = \text{rate} \times t_1$

$t_{\text{total}} = t_2$

### Code Optimization:

\* Code optimization phase  
attempts to improve the intermediate  
code.

\* This is necessary to have a  
faster executing code or less consumption  
of memory.

\* Thus overall running time of  
a target program can be  
improved.

## Code generator: (process) of produces code

\* In code generation phase,  
the target code gets generated.

e.g.

$$a = b + c * 60$$



Lexical analyzer

Input is processed

mixed with symbol of base & new  
by id<sub>1</sub> = id<sub>2</sub> + id<sub>3</sub> \* 60 (int. or float)

Syntax analyzer

Input at the next point is

id<sub>1</sub> =

+ id<sub>3</sub>

- division assigned to id

id<sub>2</sub> starting bracket - {

end bracket } - }

id<sub>3</sub> + 60

int. to float



# Data Structure In Compiler

\* Stack

\* Queue

\* Trees

\* Linked List

\* DAG

\* File

## 4) Input buffering.

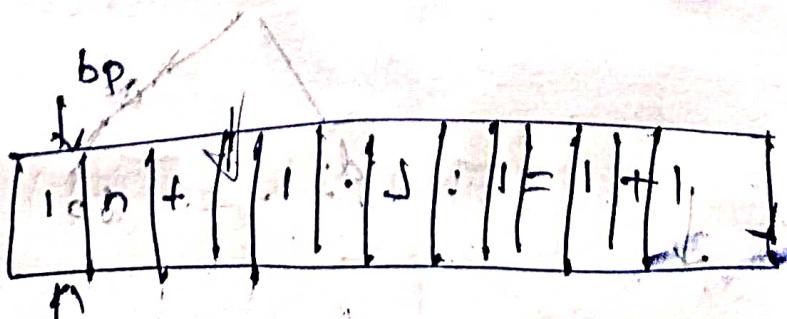
\* Input buffering is a technique which is used to identify the lexeme correctly using two pointer method

\* The lexical analyzer scans the input string from left to right

\* It uses two pointers namely

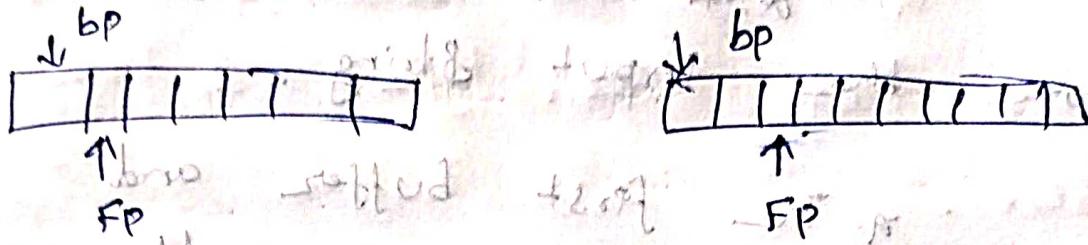
bp - Beginner pointer

fp - forward pointer



FP

\* Initially both the pointer starts from first character



\* forward ptr() is used to moves ahead, and the blank spaces are encountered.

\* There are two methods used in this context: they are one buffer scheme and two buffer scheme.

### One buffer Scheme:

\* In this buffer only one buffer is used to store the input String.

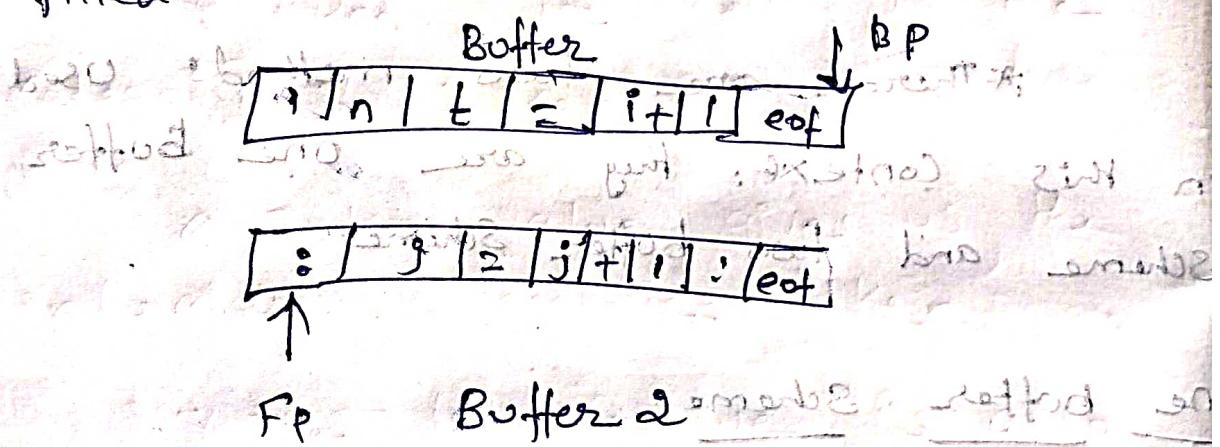
\* But the problem is lenne is very large.

\* It is an time consuming process.

## 2) Two buffer Scheme

It uses two buffer to store the input string.

- \* The first buffer and second buffer scanned alternately.
- \* When end of current buffer is reached the other buffer is filled.



Code:

```
if (fp == eof(buff1))
```

```
{
```

```
    fp++;
```

2

```
else if (fp == eof(buff2))
```

3

```
    fp++;
```

4

```

else if (fp == eof(input))
    return;
else
    fp++;

```

### 5) specification of tokens:

\* To specify the tokens regular expressions are used.

\* Regular expressions are mathematical symbolisms.

\* It provides convenient and useful notation for representing tokens.

There is a set of rules denotes regular expression.

$\epsilon$  - empty string

$R = R_1 + R_2$  = Union operation

$R = R_1 \cdot R_2$  = Concatenation operation

$R = R_1^*$  = Kleen Closure

## 6) Recognition of Tokens:

\* Tokens are usually represented by a pair token type and token value.

\* Various type of tokens such as Identifier, keywords, constants and operators and so on.

\* Token Type tells us the category of token

\* Token value gives us the information regarding token

\* The token value is also called token attribute

\* During lexical analysis process symbol table is maintained.

for eg :

Token	Code
-------	------

if

1

else

2

for various types of tokens

of identifiers & constant

and constants

## 6. Finite Automata.

A finite automata is a collection of 5 tuples  $(Q, \Sigma, \delta, q_0, F)$

$Q \rightarrow$  Set of finite States

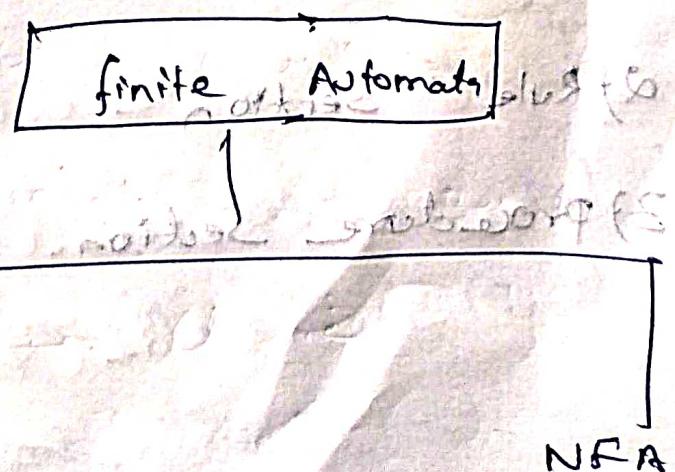
$\Sigma \rightarrow$  Input alphabets

$q_0 \rightarrow$  Initial state

$f \rightarrow$  final state

$\delta \rightarrow$  Transition function

Types:



## 7) Lex tool

\* for efficient design of Compiler

Various tools have been used for the construction of lexical analyzer

\* Basically LEX is a ~~unix~~ utility generates the lexical analyzer.

2) ~~advantages~~ ~~disadvantages~~  
\* LEX is very much faster in finding the tokens.

\* The Lex program is handwritten by person C.

\* LEX Scans the source program to get the stream of tokens.

Structure of a LEX:

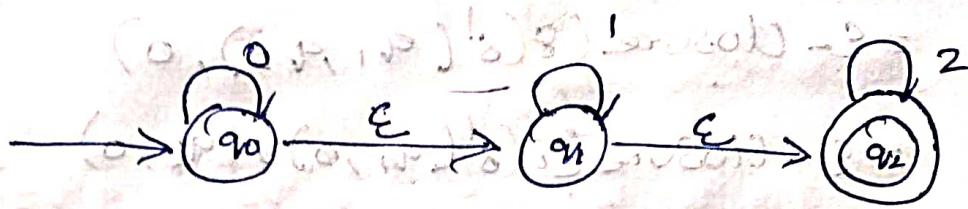
1) Declaration Section

2) Rule Section

3) Procedure Section



T. NFA with  $\epsilon$  to without  $\epsilon$



$$\epsilon\text{-closure } q_0 = \{q_0, q_1, q_2\}$$

$$\epsilon\text{-closure } q_1 = \{q_1, q_2\}$$

$$\epsilon\text{-closure } q_2 = \{q_2\}$$

$$\begin{aligned} \delta'(q_0, 0) &= \epsilon\text{-closure}(\delta(\delta(q_0), 0)) \\ &= \epsilon\text{-closure}(\delta(\delta(q_0, q_1, q_2), 0)) \\ &= \epsilon\text{-closure}(\delta(\delta(q_0; 0) \cup (q_1, 0) \cup (q_2, 0)) \\ &= \epsilon\text{-closure}(q_0 \cup \emptyset \cup \emptyset) \\ &= \epsilon\text{-closure}(q_0) \\ &= \epsilon\text{-closure}(q_0, q_1, q_2) \end{aligned}$$

$$\begin{aligned} \delta'(q_0, 1) &= \epsilon\text{-closure}(\delta(\delta'(q_0), 1)) \\ &= \epsilon\text{-closure}(\delta(\delta(q_0, q_1, q_2), 1)) \\ &= \epsilon\text{-closure}(\delta(\delta(q_0, 1) \cup (q_1, 1) \cup (q_2, 1))) \\ &= \epsilon\text{-closure}(\emptyset \cup q_1 \cup \emptyset) \\ &= \epsilon\text{-closure}(q_1) \end{aligned}$$

$$\delta'(q_1, 0) = \epsilon\text{-closure}(\delta(\delta'(q_1), 0))$$

$$= \epsilon\text{-closure}(\delta(\delta'(q_1, q_2), 0))$$

$$= \epsilon\text{-closure}(\delta(\delta'(q_1, 0) \cup (q_2, 0)))$$

$$= \epsilon\text{-closure}(\delta(\delta'(\emptyset)) \cup \emptyset)$$

$$= \epsilon\text{-closure}(\emptyset \cup \emptyset)$$

$$= \epsilon\text{-closure}(\emptyset)$$

$$= \emptyset$$

$$\delta'(q_1, 1) = \epsilon\text{-closure}(\delta(\delta'(q_1), 1))$$

$$= \epsilon\text{-closure}(\delta(\delta'(q_1, q_2), 1))$$

$$= \epsilon\text{-closure}(\delta(\delta'(q_1, 1) \cup (q_2, 1)))$$

$$(0, \emptyset) \cup (0, \emptyset) \cup (0, \emptyset) =$$

$$= \epsilon\text{-closure}(q_1) \cup (\emptyset)$$

$$= \epsilon\text{-closure}(q_1)$$

$$= \{q_1, q_2\}$$

$$\delta'(q_1, 2) = \epsilon\text{-closure}(\delta(\delta'(q_1), 2))$$

$$= \epsilon\text{-closure}(\delta(\delta'(q_1, q_2), 2))$$

$$= \epsilon\text{-closure}(\delta(\delta'(q_1, 2) \cup (q_2, 2)))$$

$$(1, \emptyset) \cup (1, \emptyset) \cup (1, \emptyset) =$$

$$\geq \epsilon\text{-closure}(\emptyset \cup q_2)$$

$$\approx \epsilon\text{-closure}(q_2)$$

$$(1, \emptyset) \approx \{q_2\} (1, \emptyset) =$$

$$\begin{aligned}
 \delta'(q_2, 0) &= \varepsilon\text{-closure}(\delta(\delta'(q_2), 0)) \\
 &= \varepsilon\text{-closure}\delta'(q_2, 0) \\
 &= \varepsilon\text{-closure}(\emptyset) \\
 &= \varepsilon\text{-closure}(\emptyset) \\
 &= \emptyset
 \end{aligned}$$

$$\begin{aligned}
 \delta'(q_2, 1) &= \varepsilon\text{-closure}(\delta(\delta'(q_2), 1)) \\
 &= \varepsilon\text{-closure}(\delta'(\delta'(q_2, 1))) \\
 &= \varepsilon\text{-closure}(\emptyset) \\
 &= \varepsilon\text{-closure}(\emptyset) \\
 &= \emptyset
 \end{aligned}$$

$$\begin{aligned}
 \delta'(q_2, 2) &= \varepsilon\text{-closure}(\delta(\delta'(q_2), 2)) \\
 &= \varepsilon\text{-closure}(\delta(\delta'(q_2, 2))) \\
 &= \varepsilon\text{-closure}(\delta(\delta(q_2))) \\
 &= \varepsilon\text{-closure}(q_2) \\
 &= q_2
 \end{aligned}$$

$$\begin{aligned}
 \delta'(q_0, 2) &= \varepsilon\text{-closure}(\delta(\delta'(q_0), 2)) \\
 &= \varepsilon\text{-closure}(\delta(\delta'(q_0, 2))) \\
 &= \varepsilon\text{-closure}(\text{closure}(q_0, q_1, q_2), 2) \\
 &= \varepsilon\text{-closure}(q_0, 2) \cup (q_1, 2) \cup (q_2, 2) \\
 &= \varepsilon\text{-closure}(q_2, 2) \\
 &= \varepsilon\text{-closure}(q_2) = q_2
 \end{aligned}$$

Input  
State

$q_0$

$q_1$

$q_2$

$$\{q_0, q_1, q_2\} \xrightarrow{\text{Input}} \{q_1, q_2\}$$

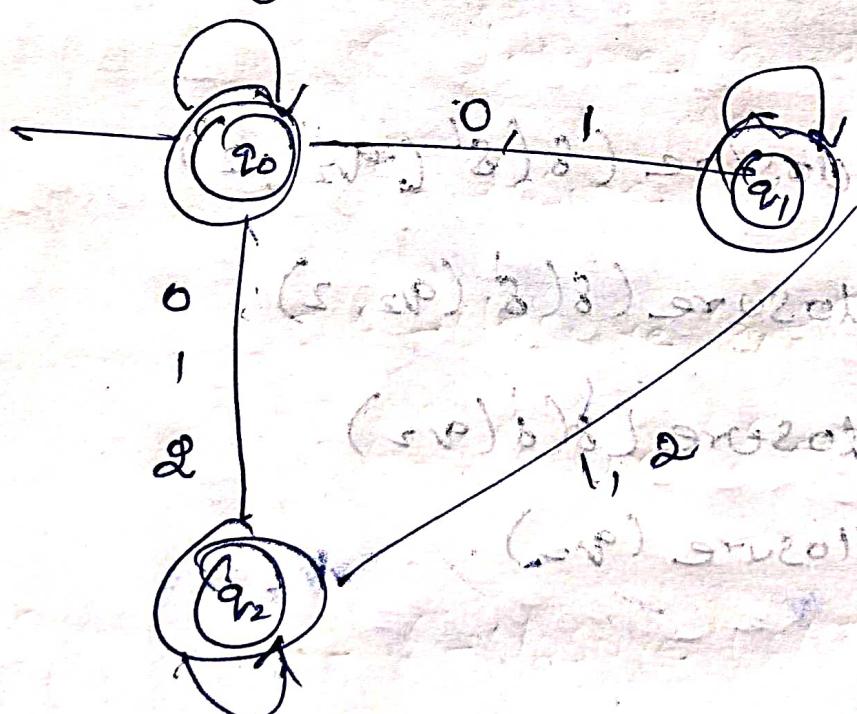
$$\{q_1, q_2\} \xrightarrow{\text{Input}} \{q_2\}$$

$$\{q_1, q_2\} \xrightarrow{\text{Input}} \{q_2\}$$

$$(1, \varphi) \xrightarrow{\text{Input}} \{q_2\}$$

$$(0, 0) \xrightarrow{\text{Input}} \{q_2\}$$

Diagram

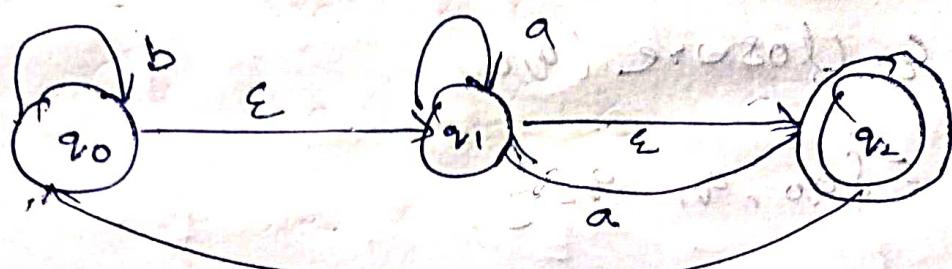


$$q_0 \xrightarrow{(0, 1, 2)} \{q_1, q_2\} = \{q_1, q_2\}$$

$$(0, 1) \xrightarrow{\text{Input}} \{q_2\}$$

$$(1, 2) \xrightarrow{\text{Input}} \{q_1\}$$

## Equivalence of NFA (with $\epsilon$ ) to DFA



$$b \cdot A = \{q_0, q_1\}$$

$$\epsilon\text{-closure}(q_0) = \{q_0, q_1, q_2\} = A$$

$$\epsilon\text{-closure}(q_1) = \{q_1, q_2\}$$

$$\epsilon\text{-closure}(q_2) = \{q_2\}$$

Let call  $q_0$  as  $A$

$$\delta'(A, a) = \epsilon\text{-closure}(\delta'(A), a)$$

$$= \epsilon\text{-closure}(\delta'(q_0, q_1, q_2), a)$$

$$= \epsilon\text{-closure}(q_0, a) \cup (q_1, a) \cup (q_2, a)$$

$$= \epsilon\text{-closure}(\emptyset) \cup (q_1) \cup \emptyset$$

$$= \epsilon\text{-closure}\{q_1\}$$

$$= \{q_1, q_2\} \text{ Let call this as } B$$

$$\delta'(A, b) = \epsilon\text{-closure}(\delta'(A), b)$$

$$\Rightarrow \epsilon\text{-closure} \delta(\delta'(q_0, q_1, q_2), b)$$

$$= \epsilon\text{-closure} \delta(\delta'(q_0, b) \cup (q_1, b) \cup (q_2, b))$$

$\epsilon$ -closure  $\delta'(\delta'(q_0) \cup \emptyset \cup \emptyset)$

$\epsilon$ -closure ( $q_0$ )

$$= \{q_0; q_1, q_2\}$$

$$\delta'(A, a) = B$$

$$\delta'(A, B) = A \cup \{P, Q, QP\} = (Q, P) \text{ sur 201.3}$$

$$\delta'(B, a) = \epsilon\text{-closure}(\delta(\delta'(B), a))$$

$$= \epsilon\text{-closure}(a, q_2), a)$$

$$= \epsilon\text{-closure}(q_1, a) \cup (q_2, a)$$

$$= (\epsilon\text{-closure}(q_1) \cup \emptyset) \cup (q_2, a)$$

$$= \epsilon\text{-closure}(q_1)$$

$$(P, QP) \cup (P, P) \cup (P, QP) = \epsilon\text{-closure}(q_1, q_2)$$

$$\delta'(B, b) = \epsilon\text{-closure}(\delta(\delta'(B), b))$$

$$= \epsilon\text{-closure}(\delta(\delta'(q_1, q_2), b))$$

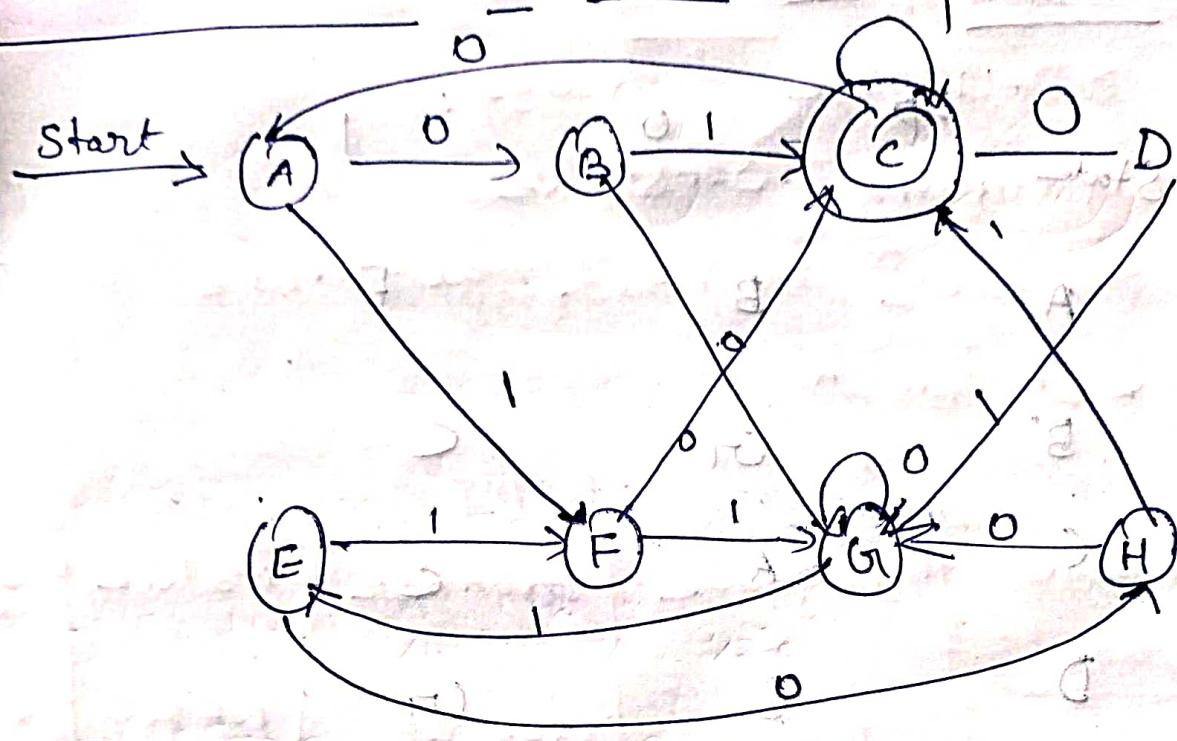
$$= \epsilon\text{-closure}(q_1, b) \cup (q_2, b)$$

$$= \epsilon\text{-closure}(\emptyset) \cup \emptyset$$

$$(Q, P) \cup (Q, Q) \cup \epsilon\text{-closure}(\emptyset)$$

$$= \emptyset$$

# Minimization of DFA



State

A

B

F

B

C

(C)

A

C

D

C

G

E

H

F

F

C

G

G

G

E

H

G

C

Minimized

DFA

