

Unit -2

Types of grammar

* Type 3

* Type 2

* Type 1

* Type 0

Type 3:

* It is a regular language

which describes regular expression

* Grammar regular.

* It can be modelled by NFA

or DFA.

e.g.: $a^* b^*$

Type 2:

* Context free language

* Context free grammar

* Machine Push Down Automata

* $a^n b^n$

Type 1

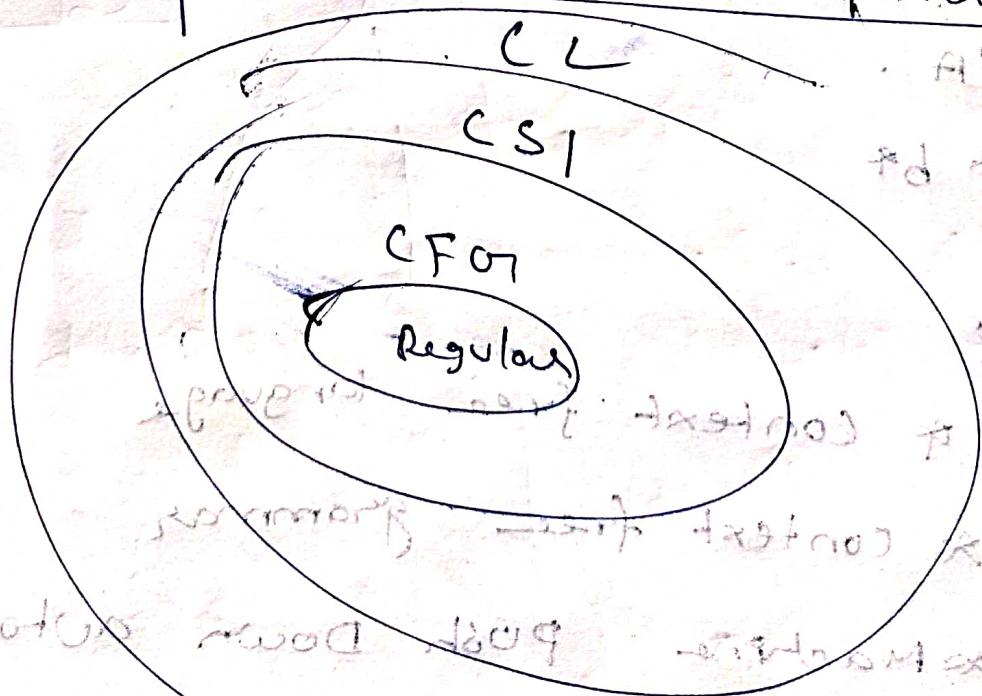
* Decidable language.

* Content sensitive

* linear bounded automata

* $a^n b^n c^n$.

Language Class	language	grammar	Machine
Type 3	Regular	Regular grammar	NFA DFA
Type 2	Context free	Context free grammar	PDA
Type 1	Decidable language	Context sensitive	Linear bounded automata
Type 0	Computable language	Unrestricted grammar	Turning machine



CFG :

1) convert CFL to CFG

$a^n b^n \quad n \geq 0$

$$\begin{array}{|c|c|} \hline \alpha & \beta \\ \hline a & b \\ \hline \end{array} \quad n = 3$$

$$a^3 \ b^3 = aaa \ bbb$$

Parsers :

Parsers

TOP DOWN

- Recursive descent
- LL(0)

Bottom up.

LR(k)

Operator
precedence

LR(0)

LR(1)

LR(0)

SLR(0)

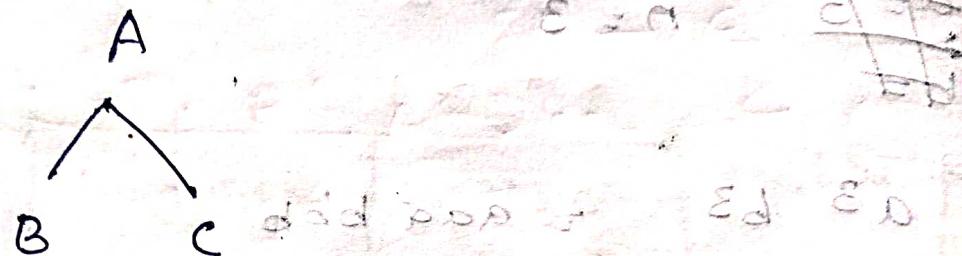
LALR

CLR

Top down parser.

$$A \rightarrow BC$$

$$B \rightarrow d.$$



$d.$

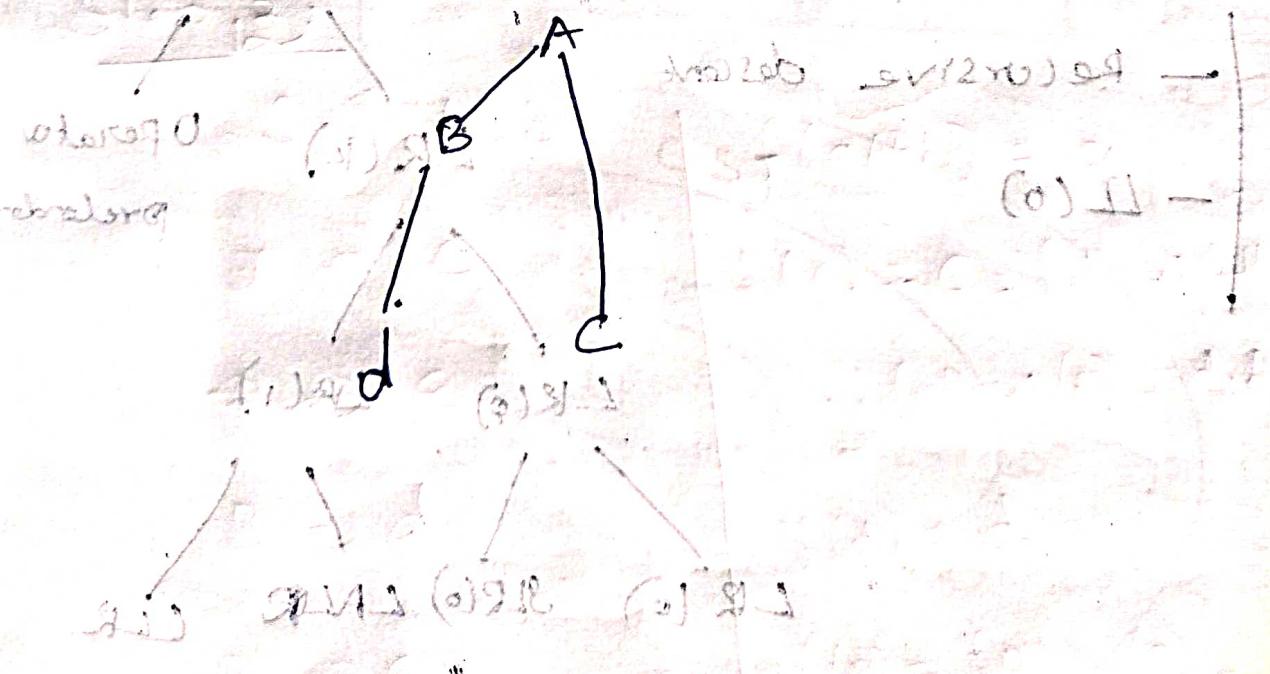
Bottom UP Parser.

$$A \rightarrow BC$$

$$B \rightarrow d.$$

got bottom

now got



LL(1) Parser.

* It is also known as predictive parser

parser

Rules:

* No left recursion

* CFG grammar is used

* No ambiguous grammar

* The grammar should be left factorized if required

Steps:

1) find first and follow for every variable

2) construct parsing Table

3) If the cell has more than one entry, then the grammar is not LL(1)

not LL(1) wrong

1	2/2
---	-----

X

wrong

1	2
---	---

✓

correct

eg:

$$S \rightarrow a A B b \quad S \rightarrow a A B B$$

$$A \rightarrow c / \epsilon$$

$$B \rightarrow d / \epsilon$$

$$A \rightarrow c$$

$$A \rightarrow \epsilon$$

$$B \rightarrow d$$

$$B \rightarrow \epsilon$$

basic BNF grammar (HDL)

Step 1: common follow items over it.

First follow items for each of the

$$a \quad \$$$

$$c, \epsilon \quad d, b$$

$$d, \epsilon \quad b$$

Step 2:

$$S \rightarrow a A B b \text{ sort}$$

2nd start item

$$A \rightarrow c$$

$$A \rightarrow \epsilon$$

$$B \rightarrow d$$

$$B \rightarrow \epsilon$$

$$f(a A B) = c \cup \epsilon$$

$$f(c) = c = \text{follow left hand side}$$

$$\therefore \text{follow}(A) = d, b$$

$$f(d) = d$$

$$f(B) = \text{follow}(B) = b$$

Step 3:		a	b	c	d	\$
S	$S \rightarrow ABb$				$D \cdot S \rightarrow A \cdot b$	
A		$A \rightarrow b$	$A \rightarrow c$	$A \rightarrow \epsilon$		
B		$B \rightarrow \epsilon$	$B \rightarrow c$	$B \rightarrow d$		

LR Parsers:

* It scans input from left to right.

* LR parsers can parse a strictly larger class of grammar than top down grammar.

* LR parser can usually recognize all programming language.

* LR parser detects errors quickly.

Eg:

$$A \rightarrow BC$$

$$B \rightarrow d$$

$$C \rightarrow C$$

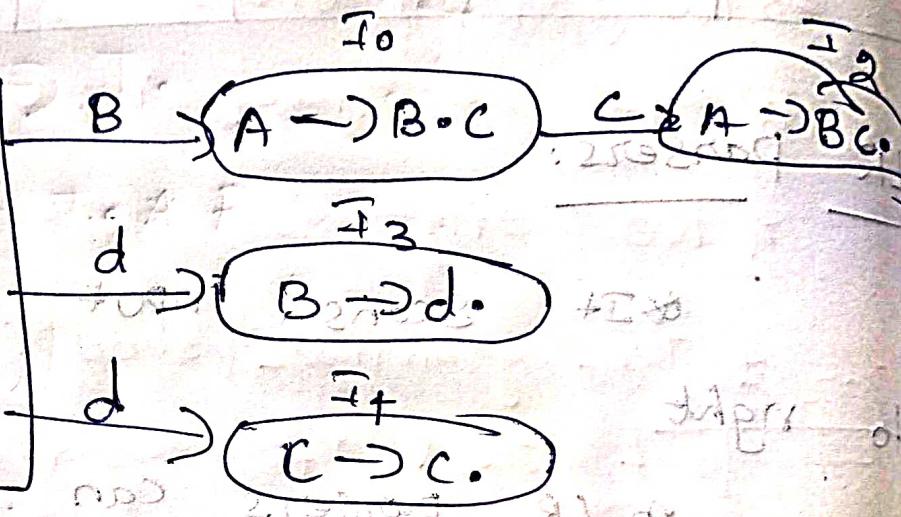
Step 1:

$$A \rightarrow \cdot B C \rightarrow R_1$$

$$B \rightarrow \cdot d \rightarrow R_2$$

$$C \rightarrow \cdot c \rightarrow R_3$$

$A \rightarrow \cdot B C$
 $B \rightarrow \cdot d$
 $C \rightarrow \cdot c$



State

d

c

\$

AB'C

SLR:

* It is known as Simple LR

Parsing Bottom up parser
as it is type of Argumented grammar.

Step 1:

$$E \rightarrow E + T$$

$$E \rightarrow T$$

$$T \rightarrow T * F$$

$$T \rightarrow F$$

$$F \rightarrow (E)$$

$$F \rightarrow \text{id}$$

$$E' \rightarrow (E, \text{of}) \text{ at } 0P$$

$$E^* \rightarrow E + T = SF$$

$$E^* \rightarrow T - F = SF$$

$$T \rightarrow T * F$$

$$T \rightarrow F$$

$$F \rightarrow (E)$$

$$F \rightarrow (\text{id}, \text{of}) \text{ at } 0P$$

Step 2: Canonical LR(0) Collection

$$F_0 : E' \rightarrow \cdot E$$

$$E \rightarrow \cdot E + T$$

$$E \rightarrow \cdot T$$

$$T \rightarrow \cdot T * F$$

$$T \rightarrow \cdot F$$

$$F \rightarrow \cdot (E)$$

$$F \rightarrow \cdot \text{id}$$

$$T + F \cdot \leftarrow \exists$$

$$T * F \cdot \leftarrow T$$

$$T \cdot \leftarrow T$$

$$(\exists) \cdot \leftarrow T$$

$$\text{bias} \leftarrow \exists$$

goto (π_0, E)

$$\pi_1 = E^l \rightarrow E^r$$

$$E \rightarrow E^r + T$$

goto (π_0, T)

$$\pi_2 = E \rightarrow T^r$$

$$= T \rightarrow T^r * F$$

goto (π_0, F)

$$\pi_3: T \rightarrow F$$

goto (π_0, C)

$$\pi_4: F \rightarrow (\cdot , E)$$

$$E \rightarrow \cdot E + T$$

$$E \rightarrow \cdot T$$

$$T \rightarrow \cdot T * F$$

$$T \rightarrow \cdot F$$

$$F \rightarrow \cdot (E)$$

$$F \rightarrow \text{id}$$

goto (I_0 , id)

$I_5 : F \rightarrow id$.

goto (I_1 , +)

$I_6 : E \rightarrow T$

$T \rightarrow \cdot T \& F$

$T \rightarrow \cdot F$ Follow branch of $b_{17} : 3+3+3$

$F \rightarrow \cdot (E)$

$F \rightarrow \cdot id$

goto (I_2 , *)

$I_7 : T \rightarrow T \& \cdot F$

$F \rightarrow \cdot (E)$

$F \rightarrow \cdot id$

goto (I_4 , E)

$I_8 : F \rightarrow \{ E \cdot \}$

$E \rightarrow E \cdot + T$

goto (I_6 , T)

$I_9 : E + T$

$T \rightarrow T \cdot \& F$

goto (I_7 , F)

$I_{10} : T \rightarrow T \& F$

goto (I_8 ,)

$I_{11} : F \rightarrow (E)$

CLR(1)

Step 1: Write Argumented grammar

e.g:

$(C, +T) \text{ of } P$

$S \rightarrow CC$

$C \rightarrow CC/d$

$S' \rightarrow \cdot S$ $(+, \cdot F) \text{ of } P$

$S \rightarrow \cdot CC$

$C \rightarrow \cdot CC$ $T + \cdot F : \cdot F$

$C \rightarrow \cdot d$ $T \cdot G \cdot F$

Step 2: Find lookahead value: $\cdot G \cdot T$

$S' \rightarrow \cdot S, \$$

$S \rightarrow \cdot CC, \$$

$C \rightarrow \cdot CC, C/d$

$C \rightarrow \cdot d, C/d$

$(+) \cdot \leftarrow F$

$b1 \cdot \leftarrow F$

$(+, \cdot F) \text{ of } P$

$(+) \cdot \leftarrow F$

Step 3: find SLR for above grammar

Step 4: Make a parsing table

Step 5: Reduce the repeated grammar

$(+, \cdot F) \text{ of } P$

$\cdot T + \cdot F : \cdot F$

$T \cdot G \cdot T \leftarrow T \cdot$

b) Error handling and recovery:

* Error handling and recovery are important aspects of Syntax analyzer.

in a Compiler or Interpreter.

* Syntax errors are encountered by Syntax analyzer

* Here are some of common techniques used for error handling and recovery

1) Error Reporting:

* When Syntax error is detected the parser provides clear and informative msg to the programmer.

* error information includes such as line number, position and brief description of the error

2) Panic Mode Recovery:

In this mode recovery, the parser skips a certain number of tokens

3. Insertion, Deletion, Substitution

4) Global Correction

5) Interactive error Handling

7) YACC

* YACC Stands for Yet Another Compiler Compiler

* YACC tool is used to produce a parser for a given grammar

* It is designed to compile LR(0) grammar

* The input of YACC is rule or grammar

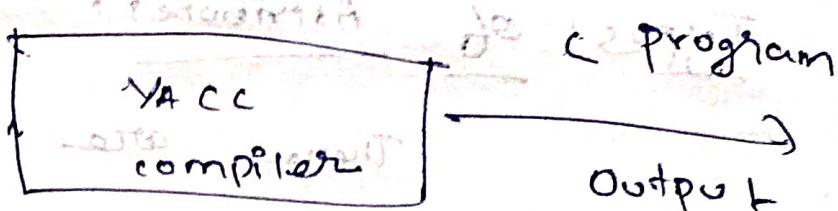
* The output of YACC is C program

e.g.: solar system

I P: file.y

Output: tab.c

grammar



Unit - 3

1.) SDD

* Syntax

Directed definition

* It is a combination of context free grammar and Semantics rules

$$SDD = CFG + \text{Semantic Rules}$$

* Attributes are associated with grammar

Symbols

* Semantic rules are associated with production

* Attributes may number, string reference, datatype

productions → Semantic rule

$$E \rightarrow E + T \quad E.\text{val} = E.\text{val} + T.\text{val}$$

$$E \rightarrow T \quad E.\text{val} = T.\text{val}$$

Types of Attributes

There are two types of attributes they are

1) Synthesized Attribute

2) Inherited Attribute

Synthesized Attribute

If a node takes a value from its children then it is said to be synthesized attribute.

Eg:

A → B C D

A be a parent node and B, C, D are children nodes.

Inherited Attribute

If a node takes a value from its parent node or sibling node then it is said to be inherited attribute.

2) Construction of Syntax Tree:

(eg. $x^y - z$) Postfix = xy^z-

functions:

Mknode (op, left, right)

Mkleaf (id, entry)

(Mkleaf (num, val))

(eg. $x^y - z$) Infix = $x^y - z$

Expression: $x^y - z$

Step 1: Convert the expression from infix to postfix

Step 2: make use of Mknode(), Mkleaf()
and Mkleaf (id, num) functions

Step 3: The postfix expression is

xy^z-

Step 4: Create a symbol and operation table.

~~insert node 2~~ operation for insertion of symbol

~~x~~ $P_1 = \text{MKleaf}(\text{id}, \text{ptr entry to } y)$

~~x~~ $P_2 = \text{MKleaf}(\text{id}, \text{ptr entry to } y)$

~~*~~ $P_3 = \text{MKnode}(*, P_1, P_2)$

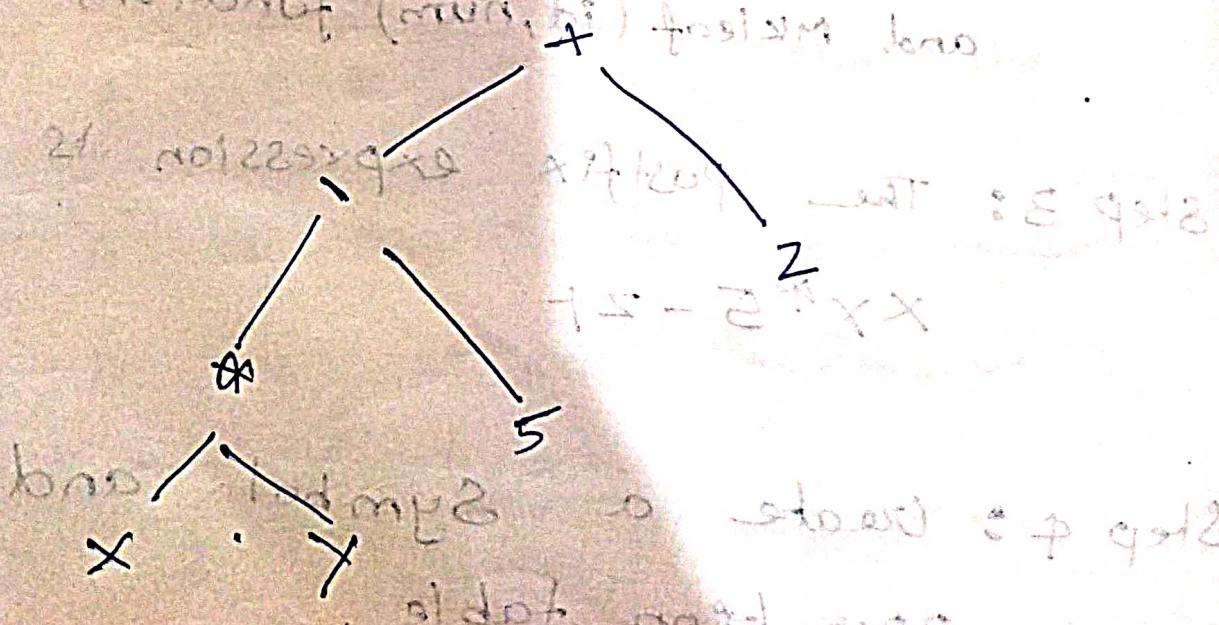
~~5~~ $P_4 = \text{MKleaf}(\text{num}, 5)$

~~-~~ $P_5 = \text{MKnode}(-, P_3, P_4)$

~~Z~~ $P_6 = \text{MKleaf}(\text{id}, \text{ptr entry to } z)$

~~after more traversing~~ $P_7 = \text{MKnode}(+, P_5, P_6)$

Step 5: Draw Syntax tree.



Step 6: write SDD. for above grammar.

Production rule	Semantic Operation
$E \rightarrow E_1 + T$	$E_1.Node = \text{new node}(' + ', E_1.Node, T.Node)$
$E \rightarrow E_1 - T$	$E_1.Node = \text{new node}(' - ', E_1.Node, T.Node)$
$E \rightarrow E_1 * T$	$E_1.Node = \text{new node}(' * ', E_1.Node, T.Node)$
$E \rightarrow T$	$E.Node = T.Node$
$T \rightarrow id$	$T.Node = \text{new leaf}(id, id, int)$
$T \rightarrow \text{num}$	$T.Node = \text{new leaf}(num, value)$

3) Three Address Code:

- * Maximum three addresses in each instruction
- * Maximum one operator in RHS
- * It would be equivalent for Syntax tree or DAG

Syntax tree

or DAG

Eg :

$$a = b + c \checkmark$$

$$a = x + y + z \times$$

eg:

$$a = x + y + z$$

Convert it into three address code

$$t_1 = x + y$$

$$t_2 = t_1 + z$$

$$a = t_2$$

eg2.

$$a = b + c * d$$

$$t_1 = b + c$$

$$t_2 = t_1 * d$$

$$a = t_2$$

eg3.

$$a = (c+d) + (e+f)$$

$$t_1 = c + d$$

$$t_2 = e + f$$

$$t_3 = t_1 + t_2$$

$$a = t_3$$

eg4:

do $i = p + 1$; while ($a[i] < v$);
loop rotorgo

L: $t_1 = p + 1$

$i = t_1$

$t_2 = a[i]$

If $t_2 < v$ goto L

eg5:

if A < B and C < D then t=1 else

t=0

$t_1 = 0$

$t_2 = 1$

if A < B \neq C < D goto t_2

i

cont. alignat 67 590

cont. alignat 67 590

Quadruples

operator arg₁ arg₂ = result
 eg + b c $b + c = a$

$a = b + c$ + b c $b + c = a$

$d = e - f$ - e f $e - f = d$

$a = -d$ - d $-d = a$

Triples:

operator arg₁ arg₂

$t = b + c$ + b c $b + c = t$

$d = t$ = t $t = d$

Type checking:

Static \rightarrow compile time.

Dynamic \rightarrow Run time