

# Physics 241 - Lecture 14

Happy Friday!

## Assignment 3

General themes:

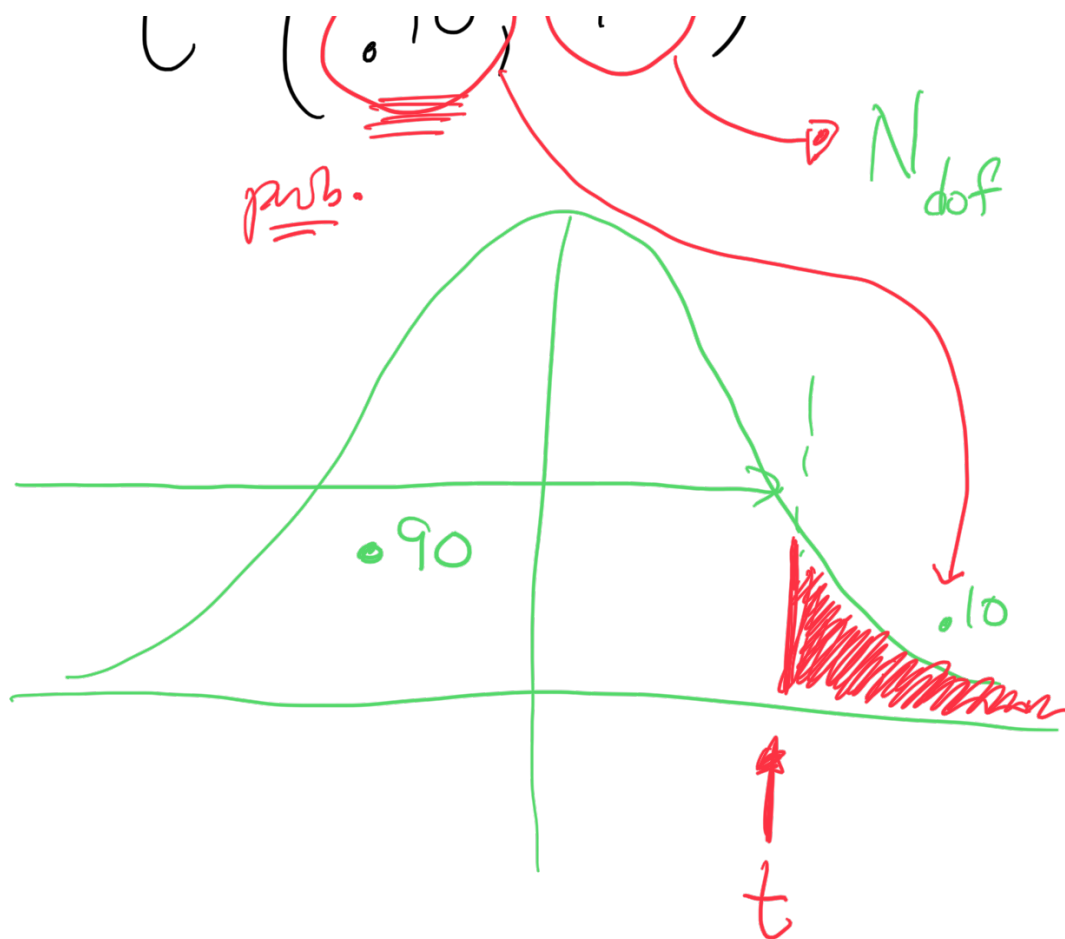
- ① What does WebAssign, your boss / your prof, your mom want?

Communication → ② Pictures are



CRUCIAL

1 / (10 19)



stats. t. pdf  $(1 - \alpha, N_{dof})$



95%  
0.95

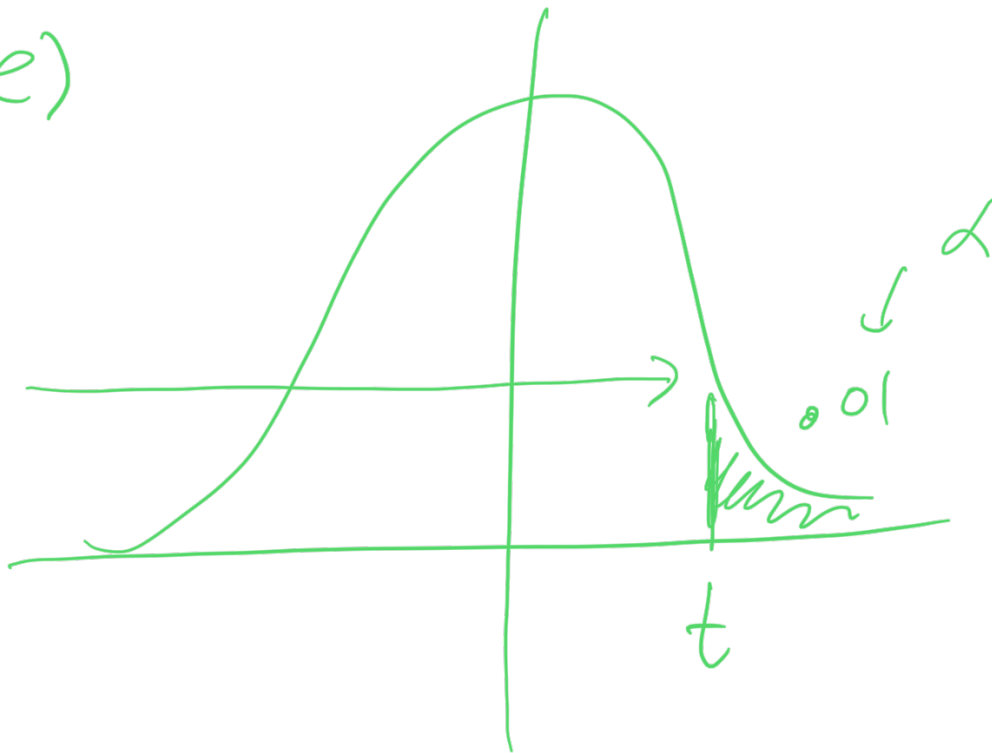
$t$

$$N_{\text{dof}} = N - 1$$

$$df = N - 1$$

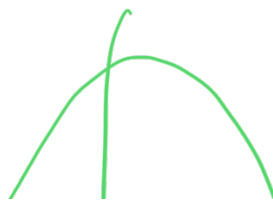
$$(1 - \text{central area}) = \alpha \quad \gamma = N - 1$$

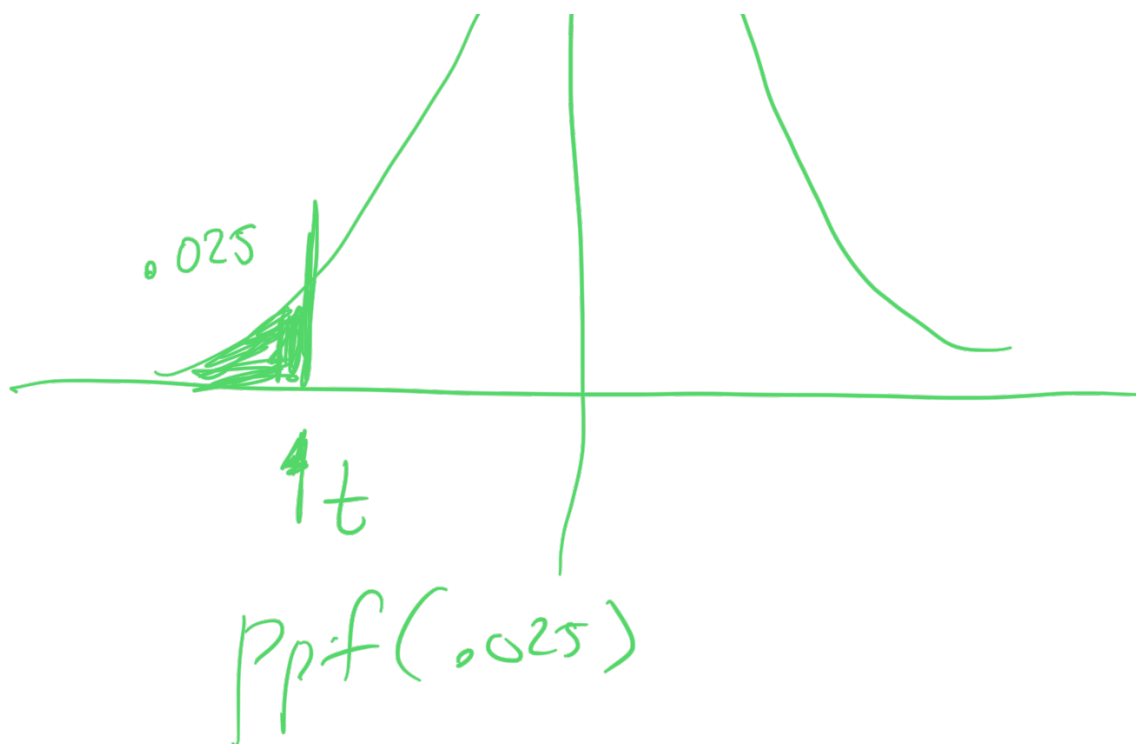
e)



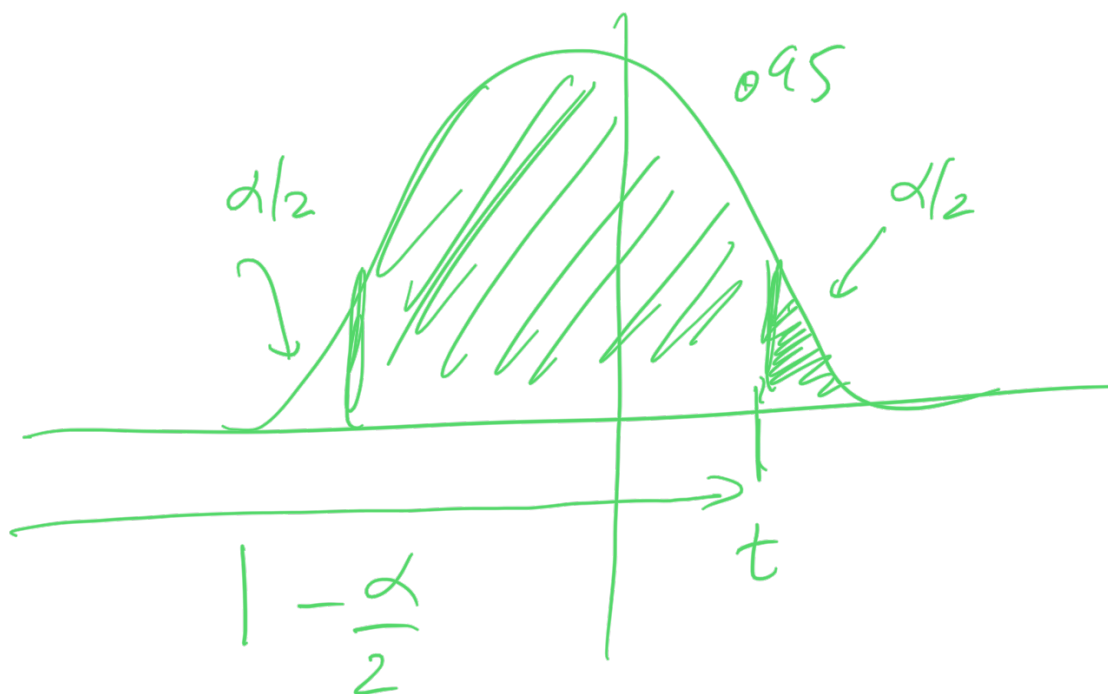
$\text{ppf}(1 - \alpha)$

f





Q3 : confidence level = 95%  
 Central area = 0.95



4.

$$n = 8$$

sample  
mean

$$\rightarrow \bar{x} = 32.6$$

sample

standard  
deviation

$$\rightarrow s = 3.3$$

Pop.

$(\mu)$

$(\sigma)$

↑  
do not  
know!

95%

CI

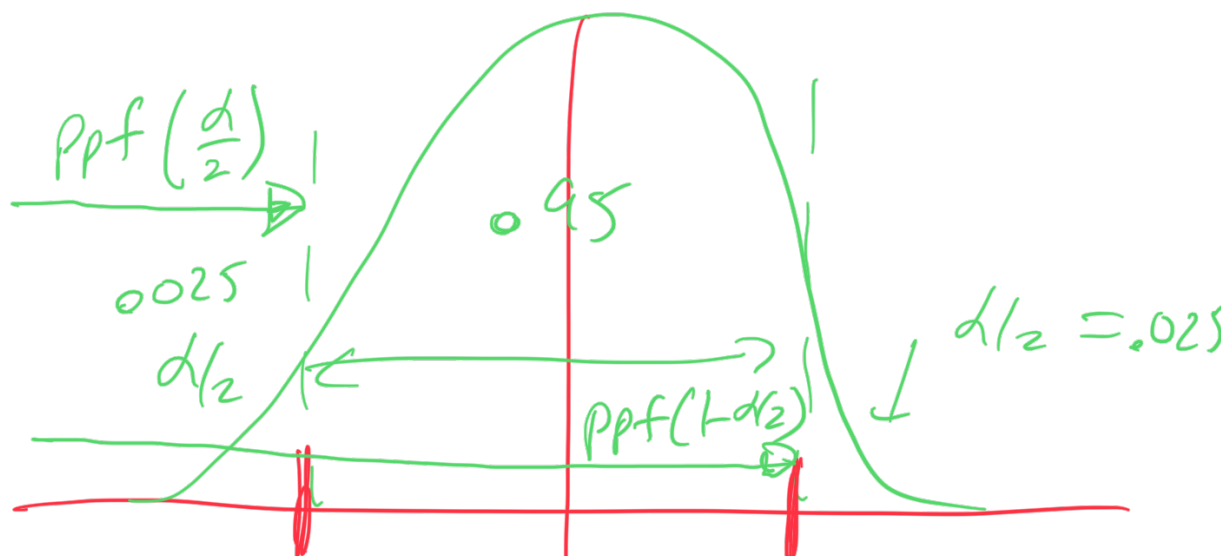
on  
 $\mu$

↓  
t-distribution

$$df = n - 1$$

$$cl = 0.95$$

$$\alpha = 1 - cl$$



$t_{low}$

$t_{high}$

$$t_{data} = \frac{\bar{x} - \mu}{s/\sqrt{n}}$$

$s/\sqrt{n}$

Std. Err.  
in Mean  
(SEM)

$$t_{high} = \frac{\bar{x} - \mu_1}{s/\sqrt{n}}$$

-1/e

$$\mu_{\text{low}} = \bar{x} + t_{\text{low}} \cdot \text{SE}_{\bar{x}}$$

$$\mu_{\text{high}} = \bar{x} + t_{\text{high}} \cdot \text{SE}_{\bar{x}}$$

+ve

$$\begin{array}{l} \mu_{\text{low}} = 29.84 \\ \mu_{\text{high}} = 35.36 \end{array} \left. \vphantom{\begin{array}{l} \mu_{\text{low}} \\ \mu_{\text{high}} \end{array}} \right\} \begin{array}{l} 95\% \\ \text{confidence} \end{array}$$

$$\bar{x} = \underline{\underline{32.6}}$$

Estimate of  
 $\mu$ , based on  
8 data pts.

Will it be on the test?

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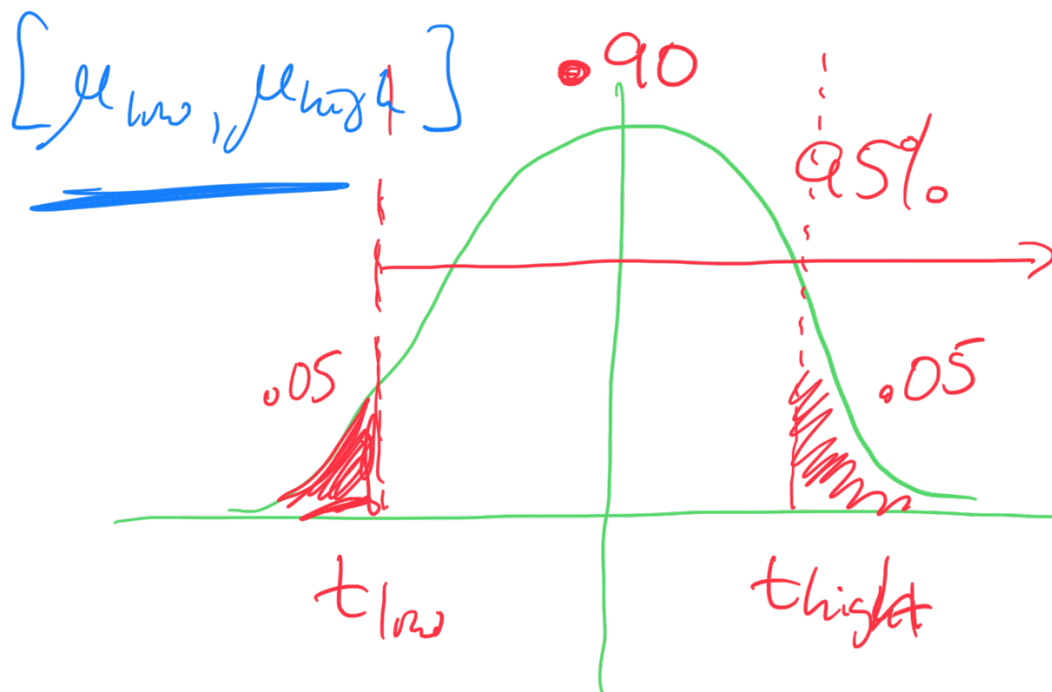
1. - 111

- - 8 11

$$N = 17, \quad \alpha = 0.05$$

$$S = .66$$

c) "95% lower confidence bound.



Stats. t interval (0.90, df,  
 $\bar{x}$ , SE)

( $\mu_{low}, \mu_{high}$ )

↑ 7 75



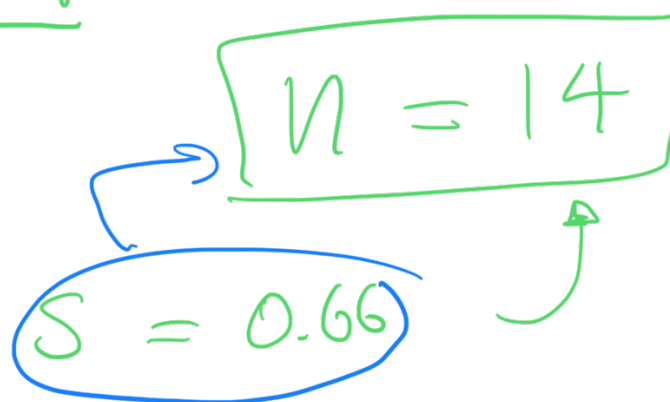
✓

(TOT)

b) Single joint

$$t = \frac{\bar{x} - \mu}{S}$$

single joint       $S \leftarrow$  ~~SEM~~

stats, t. interval (cl, df,  $\bar{x}$ , S)Philosophy

1. Take another data pt.

b) Use value of  $S$  based on 15<sup>th</sup> data pt.

Use a value of  $S$  based  
on 15 data pts.  
( $n+1$ )

$$S_{\text{future}} = S_{\text{original}} \cdot \sqrt{\frac{n+1}{n}}$$

6.85

$$\sqrt{\frac{15}{14}}$$

6.89