

## Station to Station protocol

- Put together PFS and direct authentication (proving the peer the knowledge of session key, key confirmation).
  - Protects session key from future compromise of shared secrets or secrets of peers.

NOTE:  $\langle X \rangle_P$ : digital signature made by P on X.

- Uses PKE

We assume every peer has a pair of keys.

A( $\text{priv}K_A, \text{pub}K_A$ )

B( $\text{priv}K_B, \text{pub}K_B$ )

$a \leftarrow \text{gen}()$

Alice generates a  $\text{priv}/\text{pub}K_A$

M1:  $g^a$

$b \leftarrow \text{gen}()$

upon receiving  $g^a$ , Bob generates b and computes

$$K_{AB} = (g^b)^a \bmod p$$

DELETE b

M2:  $g^b, \{g^b, g^a\}_{K_{AB}}$

This is to authenticate Bob's public param,  
to avoid MITM. Presence of  $g^a$  is a sort of  
manic for A, because it is freshly generated.  
 $a$  is fresh  $\Rightarrow g^a$  fresh. So Alice realizes  
message comes from B (signature) and  
belongs to the current execution.

Alice can compute

session key:

$$K_{AB} = (g^b)^a$$

Decrypts CT and verifies

the digital signature.

Note: Since  $\langle \cdot \rangle_B$  proves Alice  $g^b$  comes from Bob,  $g^a$  proves freshness, then the encryption using  $K_{AB}$  is there why?  $\langle X \rangle_B = X, \text{sign}_{\text{priv}K_B}(h(X))$ . After decrypting

for Alice, she checks whether the Cleartext contains quantities she knows.

Alice concludes that message has been correctly computed by Bob and he knows  
session key (key confirmation). Message 2 can also be enriched with  
CertB.

- Now Alice can delete  $a$   
to avoid compromise.

$M3: \{ \langle g^a, g^b \rangle_A \}_{K_{AB}}, \text{CertA}$  <sup>if needed</sup>

Bob can determine  $g^a$  comes from  
Alice by signature, and is fresh because  
 $g^b$  is fresh. This also proves Alice has  
the key.

From now on  $K_{AB}$  can be used as session key, and at the end of session  
it has to be deleted.

- Protocol should not allow an offline MITM attack.

$S \rightarrow C: m_s$

$C \rightarrow S: \{m_s, K, m_c, P\}_{\Pi_S}$

→ Password. 2nd version of 1st postulate

→ eavesdropping protection

→ client generates Key. Must be an authority.

$S \rightarrow C: \{m_s, m_c\}_K$

If someone intercepts session, he/she knows  $m_s$ .  $K$  is random, but attacker knows pubkey. So might try. But  $K$  randomizes message: exhaustive PW attack is not possible because for each PW I try I should check all keys.

We could remove  $m_c$  because Key is fresh.

Adversary wants to discover PW. So  $C$  should take CT made of 3 fields:

$m_s$	$K$	$P$
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if bro wants to see if  $P = P_{\text{pub}}$ , bro should encrypt with pubkey  $K$ . see if encrypted value is correct, should try all possible keys.  $2^{128}$  times.

That's why you can't do PW attack.

1. If protocol allows replay
2. If protocol exposes you to other attacks like offline PW attack.

NOTE: If you suppose  $K$  is compromised, you discover  $K$  and discover  $m_s, m_c$  by  $M3$  and you could make an exhaustive PW check after you discover  $m_c$ . Solution: remove  $m_c$  from  $M3$ , that will act as salt in  $M2$ .