

Homework 1, Due Date*: 12:00pm 09/01/2017, Cutoff Date*: 12:00pm 09/04/2017

***Late penalty will apply for past-due late submission, ** Submission will NOT be accepted after the cutoff deadline**

Submission: TWO .s files on Blackboard (please include _apm_ in the names if using APM or _uV_ if using uVision 5)

Modified from Textbook. Perhaps the simplest “serious” symmetric block encryption algorithm is the Tiny Encryption Algorithm (TEA). TEA operates on 64- bit blocks of plaintext using a 128- bit key. The *plaintext* is divided into two 32- bit blocks (L_0, R_0), and the *key* is divided into four 32-bit blocks (K_0, K_1, K_2, K_3). As shown in the diagram, encryption involves repeated application of a pair of rounds, defined as follows for rounds i and $i + 1$ (i starts with 1):

$$L_i = R_{i-1} \quad R_i = L_{i-1} \boxplus F(R_{i-1}, K_0, K_1, \delta_i)$$

$$L_{i+1} = R_i \quad R_{i+1} = L_i \boxplus F(R_i, K_2, K_3, \delta_{i+1})$$

where F is defined as

$$F(X, K_m, K_n, \delta_y) = ((X \ll 4) \boxplus K_m) \oplus ((X \gg 5) \boxplus K_n) \oplus (X \boxplus \delta_y)$$

and where the logical left shift of x by y bits is denoted by $x \ll y$; the logical right shift of x by y bits is denoted by $x \gg y$; δ_i (Δ_i) is a sequence of predetermined constants; and \boxplus denotes addition-mod- 2^{32} .

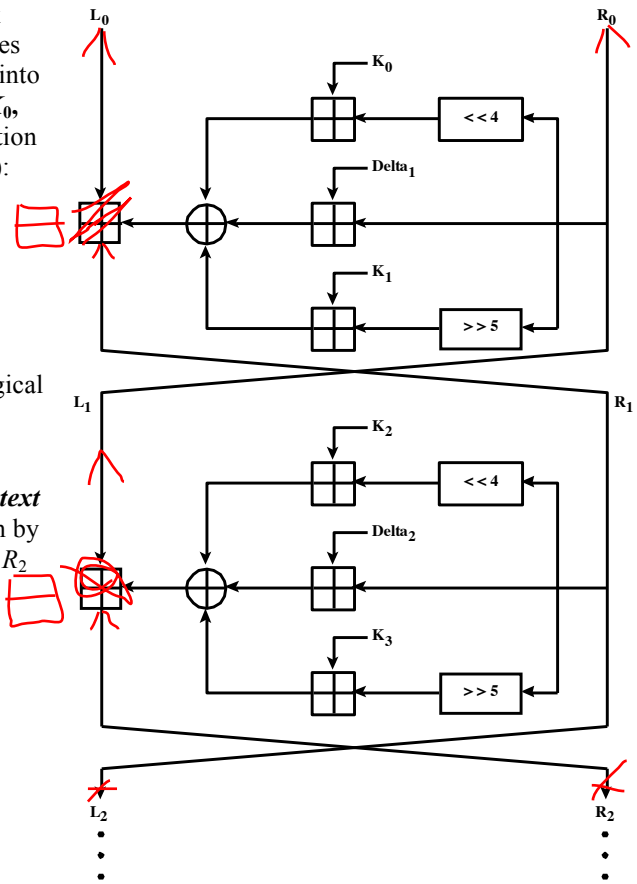
- a. If only one *pair* of rounds, i.e., rounds 1 and 2, is used, then *the ciphertext is the 64- bit block (L_2, R_2)*. You may express the *encryption* algorithm by representing L_2 as a function of L_0, R_0, K_0, K_1 , and δ_1 , and representing R_2 as a function of L_2, R_0, K_2, K_3 , and δ_2 .

- b. The *decryption* algorithm is given as below. You may verify it by reverting the calculation in the *block diagram*.

$$R_0 = R_2 \boxminus [((L_2 \ll 4) \boxplus K_2) \oplus [L_2 \boxplus \delta_2] \oplus [(L_2 \gg 5) \boxplus K_3]]$$

$$L_0 = L_2 \boxminus [((R_0 \ll 4) \boxplus K_0) \oplus [R_0 \boxplus \delta_1] \oplus [(R_0 \gg 5) \boxplus K_1]]$$

where \boxminus denotes subtraction-mod- 2^{32} .



Task 1. Program TEA Encryption. Write an ARM program to implement TEA *Encryption* when there is only one pair of rounds.

- in the data area,
 - declare a **word** labeled with DeltaOne, initialize it as 0x11111111
 - declare a **word** labeled with DeltaTwo, initialize it as 0x22222222
 - declare four **words** labeled with KZero, KOne, KTwo, and KThree, initialize them using the key of your choice
 - declare two **words** labeled with LZero and RZero, initialize them according to the plaintext of your choice
 - declare two **word** labeled with LTwo and RTwo, initialize them as 0's
- in the main program,
 - Load the values of $\delta_1, \delta_2, L_0, R_0, K_0, K_1, K_2$, and K_3 to registers of your choice
 - Implement the **encryption** algorithm to calculate L_2 and R_2
 - Store the values of L_2 and R_2 to memory locations at LTwo and RTwo, respectively

Task 2. Program TEA Decryption. Write another ARM program to implement TEA *Decryption* for one pair of rounds.

- in the data area,
 - declare a **word** labeled with DeltaOne, initialize it as 0x11111111
 - declare a **word** labeled with DeltaTwo, initialize it as 0x22222222
 - declare four **words** labeled with KZero, KOne, KTwo, and KThree, initialize them the same as Task 1
 - declare two **words** labeled with LTwo and RTwo, initialize them using the results of Task 1
 - declare two **word** labeled with LZero and RZero, initialize them as 0's
- in the main program,
 - Load the values of $\delta_1, \delta_2, L_2, R_2, K_0, K_1, K_2$, and K_3 to registers of your choice
 - Implement the **decryption** algorithm to calculate L_0 and R_0
 - Store the values of L_0 and R_0 to memory locations at LZero and RZero, respectively

Task 3. Debug and TEST your programs: The grading is based on TESTING results instead of code reading. Up to 5% of the points may be given if your programs cannot be assembled.