Week 8_LI, Junkai

2019年11月23日

Task 1:

Using the diagrams given in the presentation calculate how much (%) is the effect of applying different modifications (changing the gas, adding an extra pane, using a low emissivity coating) on the U value with respect to a benchmark case of double layer with air and no coating? (keep the gap thickenss to be 13 mm)

Answer

$$\label{eq:Uwindow} \begin{split} & To \ calculate \ the \ U-value \ of \ a \ window, \\ & U_{window} = \frac{U_{center} A_{center} + U_{edge} A_{edge} + U_{fram} A_{fram}}{A_{window}}. \end{split}$$

If it is a double - pane window, disregard the thermal resistances of glass layers,

$$\frac{1}{U_{double\,-pane\,(center\,region)}} \approx \frac{1}{h_i} + \frac{1}{h_{space}} + \frac{1}{h_0}, \, h_{space} = h_{rad,\,space} + h_{conv,\,space}$$

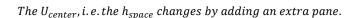
The U_{center} , i. e. the h_{space} changes by changing the gas that fills the gap.

From the diagram in the right side, we can see that:

When the gap thickenss is 13 mm,

By changing the gas that fills the gap from air to argon, the *U-value of the center of the glass decreases from 2.8* $\frac{W}{m^2K}$ to $2.65 \frac{W}{m^2 K}$, which means the U-value decreases about 5.71%;

By changing the gas that fills the gap from air to krypton, the *U-value of the center of the glass decrease from* $2.8 \frac{W}{m^2 K}$ to $2.6 \frac{W}{m^2 K}$, which means the U-value decreases abouth 7.14%.



From the diagram in the right side, we can see that:

When the gap thickenss is 13 mm, and the gas that fills the gap is

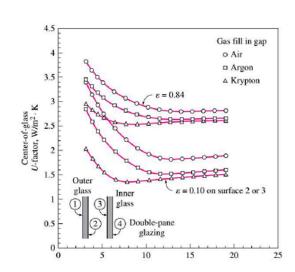
By adding an extra pane, the U-value of the center of the glass decreases from 2.8 $\frac{W}{m^2K}$ to 1.8 $\frac{W}{m^2K}$, which means the U-value decreases about 35.71%.

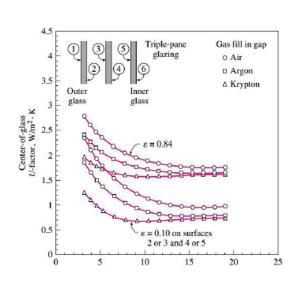
Another way to change the U_{center} , is to coat the glass surfaces with a film that has a low emissivity.

From the diagram in the right we can see that:

When the gap thickenss is 13 mm, and the gas fills the gap is air,

By coating the glass surfaces with a film that has the emissivity of 0.1, the U-value of the center of the glass decreases from 2.8 $\frac{W}{m^2K}$ to 1.8 $\frac{W}{m^2K}$, which means the U-value decreases about 35.71%.





Task 2:

Consider the house that we analysed in the alst two examples, calculate the heating and cooling load of the other windows which are fixed 14.4 m^2 on the west, fixed 3.6 m^2 on the south and an operable 3.6 m^2 on the south (the same window and frame type). How much does the total value change if I change the frame of the window from wooden one to aluminium?

(The questions exempli gratia:

- 1. The net area of walls (excluding doors and windows) of a building located in Piacenza is 105.8 m², the calculated U value is 0.438 W/m²K for the winter and 0.435 W/m²K for the summer. Find the corresponding heating and cooling load.
- 2. A fixed heat absorbing double layer glass (with a wooden frame) window at the east side of a building located in Piacenza has a surface of 14.4 m². In case there are no internal and external shading factors. Calculate the heating and cooling load of the corresponding to that window.)

| | | | | | | P | IACENZ | ZA, Italy | | | | | | WMO#: | 160840 | |
|-----------|--------------|-------------|-------------|---------------|--------------|------------|-----------|-----------|------------|-------------|-----------|--------|-------|---------------|--------|-----|
| Lat | 44.92N | Long: | 9.73E | Elev: | 138 | StdP: | 99.68 | | Time Zone: | 1.00 (EU | W) | Period | 89-10 | WBAN: | 99999 | |
| Annual He | eating and H | umidificati | on Design C | onditions | | | | | | | | | | | | |
| Coldest | Heating | DB . | | Humi 99.6% | dification D | P/MCDB and | HR 99% | | _ | Coldest mon | th WS/MCD | B % | | PCWD 5% DB | | |
| Month | 99.6% | 99% | DP | HR | MCDB | DP | HR | MCDB | WS | MCDB | WS | MCDB | MCWS | PCWD | | |
| (0) | (b) | (0) | (d) | (0) | (1) | (9) | (h) | (1) | ()) | (k) | (1) | (m) | (n) | (0) | | |
| 1 | -6.2 | -4.8 | -11.6 | 1.4 | 3.1 | -8.8 | 1.8 | 1.8 | 8.8 | 5.6 | 7.7 | 6.2 | 2.1 | 250 | | (1) |
| Annual Co | ooling, Dehu | midificatio | n, and Enth | alpy Design | Conditions | 1 | | | | | | | | | | |
| Hottest | Hottest | | | Cooling D | B/MCWB | | | | | Evaporation | wb/Mcde | 3 | | MCWS | PCWD | ſ |
| Month | Month | | 4% | 1 | % | 2% | | 0 | .4% | 1 | % | - 2 | % | to 0.4 | | |
| INICITUT | DB Range | DB | MCWB | DB | MCWB | DB | MCWB | WB | MCDB | WB | MCDB | WB | MCDB | MCWS | PCWD | |
| (a) | (b) | (c) | (d) | (0) | (f) | (9) | (h) | (i) | (j) | (k) | (1) | (m) | (n) | (0) | (P) | |
| 8 | 11.9 | 33.1 | 22.7 | 31.9 | 22.4 | 30.3 | 21.8 | 24.6 | 30.2 | 23.7 | 29.2 | 22.9 | 28.3 | 2.4 | 90 | (2) |

Answer:

First of all, define the cooling design temperature $T_{cooling}=24\,^{\circ}C$, and heating design temperature $T_{heating}=20\,^{\circ}C$, thus

$$\Delta T_{cooling} = 31.9 \,^{\circ}C - 24 \,^{\circ}C = 7.9 \,^{\circ}C = 7.9K$$

$$\Delta T_{heating} = 20^{\circ}C - (-4.8^{\circ}C) = 24.8^{\circ}C = 24.8K$$

From the table above, $DR = 11.9 \,^{\circ}C = 11.9K$

| | | | | | L | atitud | le | | | |
|---------------------|-------|------|------|-----|-----|--------|-----|-----|-----|-----|
| Exposure | | 20° | 25° | 30° | 35° | 40° | 45° | 50° | 55° | 60° |
| North | E_D | 125 | 106 | 92 | 84 | 81 | 85 | 96 | 112 | 136 |
| | E_d | 128 | 115 | 103 | 93 | 84 | 76 | 69 | 62 | 55 |
| | E_t | 253 | 221 | 195 | 177 | 166 | 162 | 164 | 174 | 191 |
| Northeast/Northwest | E_D | 460 | 449 | 437 | 425 | 412 | 399 | 386 | 374 | 361 |
| | E_d | 177 | 169 | 162 | 156 | 151 | 147 | 143 | 140 | 137 |
| | E_t | 637 | 618 | 599 | 581 | 563 | 546 | 529 | 513 | 498 |
| East/West | E_D | 530 | 543 | 552 | 558 | 560 | 559 | 555 | 547 | 537 |
| | E_d | 200 | 196 | 193 | 190 | 189 | 188 | 187 | 187 | 187 |
| | E_t | 730 | 739 | 745 | 748 | 749 | 747 | 742 | 734 | 724 |
| Southeast/Southwest | E_D | 282 | 328 | 369 | 405 | 436 | 463 | 485 | 503 | 517 |
| | E_d | 204 | 203 | 203 | 204 | 205 | 207 | 210 | 212 | 215 |
| | E_t | 485 | 531 | 572 | 609 | 641 | 670 | 695 | 715 | 732 |
| South | E_D | 0 | 60 | 139 | 214 | 283 | 348 | 408 | 464 | 515 |
| | E_d | 166 | 193 | 196 | 200 | 204 | 209 | 214 | 219 | 225 |
| | E_t | 166 | 253 | 335 | 414 | 487 | 557 | 622 | 683 | 740 |
| Horizontal | E_D | 845 | 840 | 827 | 806 | 776 | 738 | 691 | 637 | 574 |
| | E_d | 170 | 170 | 170 | 170 | 170 | 170 | 170 | 170 | 170 |
| | Ε, | 1015 | 1010 | 997 | 976 | 946 | 908 | 861 | 807 | 744 |

Calculating the cooling load of the fixed window on the west:

$$q_{window_{west}} = A \times CF_{window_{west}}$$

$$A = 14.4m^2$$

$$CF_{window_{west}(Heat\ Trasnfer\ Part)} = U_{window_{west}}(\Delta T_{cooling} - 0.46\ DR)$$

∴The window has a fixed heat absorbing double layer glass with a wooden frame,

$$\therefore U_{window_{west}} = 2.84 \frac{w}{m^2 K}$$

i.e.,
$$CF_{window_{west}(Heat\ Trasnfer\ Part)} = 2.84 \frac{W}{m^2 K} \times (7.9\ K\ -0.46 \times 11.9\ K) \approx 6.89 \frac{W}{m^2}$$

$$PXI_{window_{west}} = E_D + E_d = 559 + 188 = 747$$

$$SHGC = 0.54$$

No internal shading, so IAC = 1

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| Table 13 | Fenestration Solar Load Factors FF _s | | | | | | | |
|------------|---|---------------------|--|--|--|--|--|--|
| Exposure | Single Family Detached | Multifamily 0.27 | | | | | | |
| North | 0.44 | | | | | | | |
| Northeast | 0.21 | 0.43 | | | | | | |
| East | 0.31 | 0.56 | | | | | | |
| Southeast | 0.37 | 0.54 | | | | | | |
| South | 0.47 | 0.53 | | | | | | |
| Southwest | 0.58 | 0.61 | | | | | | |
| West | 0.56 | 0.65 | | | | | | |
| Northwest | 0.46 | 0.57 | | | | | | |
| Horizontal | 0.58 | 0.73 | | | | | | |

$$FF_s = 0.56$$

$$CF_{window_{west}(Irradiation\ Part)} = PXI \times SHGC \times IAC \times FF_{s}$$

$$q_{window_{west}} = A \times CF_{window_{west}} = A \times (CF_{window_{west}(Heat\ Trasnfer\ Part)} + CF_{window_{west}(Irradiation\ Part)})$$

$$\approx 14.4\ m^2 \times (6.89\ + 747 \times 0.54 \times 1 \times 0.56) \frac{w}{m^2} \approx 3352.07\ W$$

Calculating the heating load of the fixed window on the west:

$$q_{window_{west}} = A \times HF_{window_{west}} = A \times U_{window_{west}} \Delta T_{heating}$$

= 14.4 m² × 2.84 $\frac{W}{m^2 V}$ × 24.8K ≈ 1014.22 W

When the frame were to be aluminium, $U_{window_{west}} = 3.61 \frac{w}{m^2 K}$, HSGC = 0.56

$$CF'_{window_{west}(Heat\ Trasnfer\ Part)} = U'_{window_{west}} \left(\Delta T_{cooling} - 0.46\ DR \right)$$

= $3.61 \frac{W}{m^2 K} \times (7.9\ K - 0.46 \times 11.9\ K) \approx 8.76 \frac{W}{m^2}$

Cooling load $q'_{window_{west}} = A \times CF'_{window_{west}}$

$$= A \times \left(CF'_{window_{west}(Heat\ Trasnfer\ Part)} + CF'_{window_{west}(Irradiation\ Part)} \right)$$

$$\approx 14.4\ m^2 \times (8.76\ +747\times 0.56\times 1\times 0.56) \frac{W}{m^2} \approx 3499.48\ W$$

Heating load
$$q'_{window_{west}} = A \times HF'_{window_{west}} = A \times U'_{window_{west}} \Delta T_{heating}$$

= 14.4 $m^2 \times 3.61 \frac{W}{m^2 K} \times 24.8 K \approx 1289.20 W$

Calculating the cooling load of the fixed window on the south:

$$q_{window_{south}} = A \times CF_{window_{south}}$$

$$A = 3.6 m^2$$
,

$$CF_{window_{south}(Heat\ Trasnfer\ Part)} = U_{window_{south}} \left(\Delta T_{cooling} \ -0.46\ DR \right)$$

:The window has a fixed heat absorbing double layer glass with a wooden frame,

$$\therefore U_{window_{south}} = 2.84 \frac{W}{m^2 K}$$

i.e.,
$$CF_{window_{south}(Heat\ Trasnfer\ Part)} = 2.84 \frac{w}{m^2 K} \times (7.9\ K\ -0.46 \times 11.9\ K) \approx 6.89 \frac{w}{m^2}$$

$$PXI_{window_{south}} = E_D + E_d = 348 + 209 = 557$$

$$SHGC = 0.54$$

No internal shading, so IAC =1

$$FF_s = 0.47$$

$$CF_{window_{south}(Irradiation\ Part)} = PXI \times SHGC \times IAC \times FF_{s}$$

$$\begin{aligned} q_{window_{south}} &= A \times CF_{window_{south}} = A \times (CF_{window_{south}(Heat\ Trasnfer\ Part)} + CF_{window_{south}(Irradiation\ Part)}) \\ &\approx 3.6\ m^2 \times (6.89\ +557 \times 0.54 \times 1 \times 0.47) \frac{w}{m^2} \approx 553.72\ W \end{aligned}$$

Calculating the heating load of the fixed window on the south:

$$q_{window_{south}} = A \times HF_{window_{south}} = A \times U_{window_{south}} \Delta T_{heating}$$

= 3.6 $m^2 \times 2.84 \frac{W}{m^2 K} \times 24.8K \approx 253.56 W$

When the frame were to be aluminium, $U_{window_{south}} = 3.61 \frac{w}{m^2 K}$, HSGC = 0.56

$$\begin{split} CF'_{window_{south}(Heat\,Trasnfer\,Part)} &= U'_{window_{south}} \left(\Delta T_{cooling} - 0.46 \, DR \right) \\ &= 3.61 \, \frac{w}{m^2 K} \times (7.9 \, K \, - 0.46 \times 11.9 \, K) \approx 8.76 \, \frac{w}{m^2} \end{split}$$

Cooling load $q'_{window_{south}} = A \times CF'_{window_{south}}$

$$= A \times \left(CF'_{window_{south}(Heat\ Trasnfer\ Part)} + CF'_{window_{south}(Irradiation\ Part)} \right)$$

$$\approx 3.6 \ m^2 \times (8.76 + 557 \times 0.56 \times 1 \times 0.47) \frac{W}{m^2} \approx 559.30 \ W$$

 $\textit{Heating load } q'_{\textit{window}}_{\textit{south}} = \textit{A} \times \textit{HF'}_{\textit{window}}_{\textit{south}} = \textit{A} \times \textit{U'}_{\textit{window}}_{\textit{south}} \, \Delta T_{\textit{heating}}$

$$= 3.6 \, m^2 \, \times 3.61 \frac{W}{m^2 K} \times 24.8 \, K \approx 322.30 \, W$$

Calculating the cooling load of the operable window on the south:

 $q_{window_{south}} = A \times CF_{window_{south}}$

$$A = 3.6 m^2$$

$$CF_{window_{south}(Heat\,Trasnfer\,Part)} = U_{window_{south}} \left(\Delta T_{cooling} - 0.46\,DR \right)$$

:The window has an operable heat absorbing double layer glass with a wooden frame,

$$\therefore U_{window_{south}} = 2.87 \frac{W}{m^2 K}$$

i.e.,
$$CF_{window_{south}(Heat\ Trasnfer\ Part)} = 2.87 \frac{W}{m^2 K} \times (7.9\ K\ -0.46 \times 11.9\ K) \approx 6.96 \frac{W}{m^2}$$

$$PXI_{window_{south}} = E_D + E_d = 348 + 209 = 557$$

$$SHGC = 0.46$$

No internal shading, so IAC =1

$$FF_{\rm S} = 0.47$$

$$CF_{window_{south}(Irradiation\ Part)} = PXI \times SHGC \times IAC \times FF_{s}$$

$$q_{window_{south}} = A \times CF_{window_{south}} = A \times (CF_{window_{south}(Heat\ Trasnfer\ Part)} + CF_{window_{south}(Irradiation\ Part)})$$

$$\approx 3.6\ m^2 \times (6.96\ +557 \times 0.46 \times 1 \times 0.47) \frac{w}{m^2} \approx 458.58\ W$$

Calculating the heating load of the operable window on the south:

$$q_{windowsouth} = A \times HF_{windowsouth} = A \times U_{windowsouth} \Delta T_{heating}$$

= 3.6 $m^2 \times 2.87 \frac{W}{m^2 K} \times 24.8K \approx 256.23 W$

When the frame were to be aluminium, $U_{window_{south}} = 4.62 \frac{W}{m^2 K}$, HSGC = 0.55

$$CF'_{window_{south}(Heat\ Trasnfer\ Part)} = U'_{window_{south}} \left(\Delta T_{cooling} - 0.46\ DR \right)$$

=4.62
$$\frac{W}{m^2 K} \times (7.9 \ K - 0.46 \times 11.9 \ K) \approx 11.21 \frac{W}{m^2}$$

Cooling load $q'_{window_{south}} = A \times CF'_{window_{south}}$

$$= A \times \left(\mathit{CF'}_{window_{south}(Heat\ \mathit{Trasnfer\ Part})} + \mathit{CF'}_{window_{south}(Irradiation\ \mathit{Part})} \right)$$

$$\approx 3.6 \; m^2 \times (11.21 \; + 557 \times 0.55 \times 1 \times 0.47) \frac{w}{m^2} \approx 558.70 \; W$$

 $\textit{Heating load } {q'}_{window_{South}} = \textit{A} \times \textit{HF'}_{window_{South}} = \textit{A} \times \textit{U'}_{window_{South}} \, \Delta \textit{T}_{heating}$

$$= 3.6 \, m^2 \, \times 4.62 \, \frac{W}{m^2 K} \, \times 24.8 \, K \approx 412.47 \, W$$