

# Advanced Programming Languages for A. I.

## Final Project

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**⚠ Attention:** Your report still contains 4 instructions or comments. Make sure to delete all of them for the final version. (Run `pdflatex` at least two times after removing them to make sure this warning disappears.)

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*Some preliminary notes below, things to start with. In this introduction we can give a short overview of the content of the report.*

## 1 Sudoku

The Sudoku problem is classically modelled as a constraint problem with `all_different` constraints on rows, columns and blocks. Such global inequalities tend to improve upon the use of binary inequalities (see Thibault, Mémoire de Stage de Master). `ECLiPSe` and `CHR` implementations are available in `code_file.pl` and in `code_file_chr.pl` respectively. The constraint generating code is fairly trivial and needn't be detailed here.

Several alternative viewpoints are possible. The widely cited study by Simonis and subsequent studies (that of Laburthe in particular) provide some ideas :

- DUAL
- ABSTRACT
- SAT
- Natural combined model
- Mixed Integer Programming
- Graph colouring problem

Laburthe lists rules and models for the puzzles, and proposes a link between the level of difficulty and the constraint models.

### 1.1 Experiments

Number of backtracks and running time of solvers for each of these models are displayed in table 1. Aside from the provided set of puzzles we also made use of a set of nearly 50.000 puzzles having a minimal amount of pre-filled cells (that would be 17[McGuire, 2014]).

Demoen shows that in the case of 9x9 Sudokus up to 6 out of the 27 'big' (`all_different`) constraints can be redundant[X]. We experimented with the removal of such constraints. This decreased the performance, as expected (footnote to Demoen's study). We didn't experiment further with any of the 'small' constraints.

### 1.2 Ideas ...

- Probably do ABSTRACT from Laburthe (discuss first), and then some more models "for curiosity's sake". SAT should be useful, fast. These are simple constraints.
- The redundant constraints listed in the study of Helmut Simonis will be useful, and it would be nice to consider his repetitive cycles thing (which he claimed could be a source of more redundant constraints)

- Could make separate LaTeX report with all the code + references to help with navigability
- Simonis also uses inverse constraints to deal with problems with `all_different` from `ic` and `ic_global`, where values are assigned if there's only one left, but not when one value only appears once in all current domains of all variables.

## 2 Hashiwokakero

 **TODO:** Task 2

## 3 Scheduling Meetings


 **TODO:** Task 3

## A Appendix

### A.1 Reflection

 **TODO:** Invullen kritische reflectie

### A.2 Workload

 **TODO:** Invullen aantal uren gewerkt