Changxing Cao

(1) convert them into grayscale images convert them into grayscale images by using the formula luminance = 0.30R + 0.59G + 0.11B

```
 \begin{array}{ll} & function \ [\ gray] = grayi \ mg(i \ mg) \\ \% \ mg = i \ mr \ ead(' \ TestI \ mge \ lc.j \ pg'); \\ R = doubl \ e(i \ mg(:,:,1)); \\ G = doubl \ e(i \ mg(:,:,2)); \\ B = doubl \ e(i \ mg(:,:,3)); \\ gray = 0.30*R + 0.59*G + 0.11*B; \\ \% \ frint \ f(' \ \%'', \ max(\ max(\ gray3))); \\ \% \ gray = doubl \ e(\ gray3)/doubl \ e(\ max(\ max(\ gray3)))*255.0; \\ \end{aligned}
```

detect edges using the Sobel's operator, Sobel operator:

$$\mathsf{Gx} = \begin{bmatrix} -1 & 0 & +1 \\ -2 & 0 & +2 \\ -1 & 0 & +1 \end{bmatrix} * \mathsf{A}$$

$$Gy = \begin{bmatrix} -1 & -2 & -1 \\ 0 & 0 & 0 \\ +1 & +2 & +1 \end{bmatrix} *A$$

$$G = \int_{-\infty}^{\sqrt{Gx^2 + Gy^2}}$$

Code:

```
clear;
s our ce Pi c = i mr ead(' Test I mage 3. j pg');
%grayPic=mat 2gray(sourcePic);
%ne wGrayPic=rgb2gray(sourcePic); %convert 3D-2D
grayPic=grayi mg(sourcePic);
%figure;
%i ms ho w(grayPic);
[m, n] = size(grayPic);
ne wGrayPic=zeros(mn);
[ m, n] =si ze( ne wGr a y Pi c);
%ne w Gray Pic2=r gb2gray(source Pic);
s obel Nu m=0;
s obel Thr es hol d=40; %1 40; 2 70-80; 3 40
for j = 2: m-1
   for k=2: n-1
     sobel Nu m=s qrt(( gr ay Pi c(j-1,k+1) + 2*gr ay Pi c(j,k+1) ...
         +grayPi\;c(j+l,k+l)-grayPi\;c(j-l,k-l)-2*grayPi\;c(j,k-l)-grayPi\;c(j+l,k-l))^2+...
         (\,gr\,ay\,Pi\,\,c(j-1,\,k-1)\,+2\,*\,gr\,a\,y\,Pi\,\,c(j-1,\,k)\,+gr\,a\,y\,Pi\,\,c(j-1,\,k+1)\,-\,gr\,a\,y\,Pi\,\,c(j+1,\,k-1)\,\,\dots
         -2*grayPic(j+1, k)-grayPic(j+1, k+1))^2;
     if(s obel Nu m > s obel Thr es hol d)
         ne wGr a yPi c(j, k) = 255;
     else
        ne wGr a y Pi c(j, k) = 0;
     end
   end
end
fi gur e;
i mshow(newGrayPic)
title('Sobel ???????')
```

In order to detect accurate straight lines, we improve the detection with **canny** and improve canny with Sobel operator instead of [-1,1;-1,1].

Code:

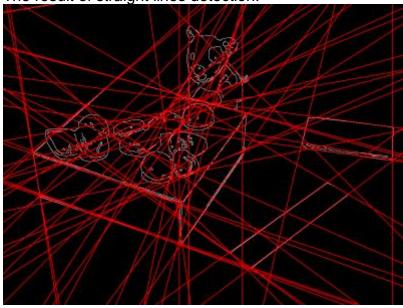
```
function [ m, theta, sector, canny1, canny2, bin] = canny1step( src, lowTh, highTh)
[ \ Ay, \ Ax, \ di \ m ] \ = si \ ze(src);
if dim⊳1
   src = rgb2gray(src);
src = doubl e(src);
m = zeros(Ay, Ax);
t het a = zeros(Ay, Ax);
sect or = zeros(Ay, Ax);
canny1 = zeros(Ay, Ax); %??????
canny2 = zeros( Ay, Ax); %????????
bi n = zeros(Ay, Ax);
for y = 2: (Ay-1)
   for x = 2: (Ax-1)
      gx = src(y-1, x+1) + 2*src(y, x+1) + src(y+1, x+1) - ...
         src(y-1, x-1) - 2*src(y, x-1) - src(y+1, x-1);
      gy = src(y+1, x-1) + 2*src(y+1, x) + src(y+1, x+1) ...
         - src(y-1, x-1) - 2*src(y-1, x) - src(y-1, x+1);
       m(y, x) = (gx^2+gy^2)^0.5;
      t \ het \ a(\ y,\ x) \ = \ at \ and(\ gx/\ gy) \quad ;
      t e m = t het a(y, x);
      if (te m<67. 5) &&(te m>22. 5)
         sect or(y, x) = 0;
      elseif (te m<22.5) &&(te m>-22.5)
         sect or(y, x) = 3;
      elseif (te m<- 22. 5) &&(te m>- 67. 5)
         sect or(y, x) = 2;
      else
         sect or(y, x) = 1;
      end
   end
%??????
% 3 X 3
%y 0 1 2
for y = 2: (Ay-1)
   for x = 2: (Ax-1)
      if sect or (y, x) == 0 \%?? - ??
          \  \  \, \text{if ( } m\!\left(\,y,\,x\right)\!>\!m\!\left(\,y\!-1,\,x\!+\!1\right)\,\,)\,\,\&\&(\  \  \, m\!\left(\,y,\,x\right)\!>\!m\!\left(\,y\!+\!1,\,x\!-\!1\right)\,\,\,) \\
            canny 1(y, x) = m(y, x);
            canny 1(y, x) = 0;
         end
      elseif sector(y, x) == 1 \%????
          \  \  \, \textbf{if} \, \left( \  \  \, \textbf{n}\!\left( \, \, \textbf{y}, \, \textbf{x} \right) \! > \! \textbf{n}\!\left( \, \, \textbf{y} \! - \! 1, \, \textbf{x} \right) \, \, \right) \, \&\& \left( \quad \, \textbf{n}\!\left( \, \textbf{y}, \, \textbf{x} \right) \! > \! \textbf{n}\!\left( \, \, \textbf{y} \! + \! 1, \, \textbf{x} \right) \, \, \, \right) \\
            canny l(y, x) = m(y, x);
          else
            canny 1(y, x) = 0;
         end
      elseif sector(y, x) == 2 %?? - ??
         canny l(y, x) = m(y, x);
          else
            canny 1(y, x) = 0;
      elseif sector(y, x) ==3 %???
         canny 1(y, x) = m(y, x);
            canny 1(y, x) = 0;
         end
      end
   end %end for x
end %end for y
```

```
for y = 2: (Ay-1)
   for x = 2: (Ax-1)
    if canny 1(y, x) dowTh %?????
        canny 2(y, x) = 0;
        bi n(y, x) = 0;
        continue:
     elseif canny l(y, x)>hi ghTh %?????
        canny 2(y, x) = canny 1(y, x);
        bi n(y, x) = 1;
        continue;
     else %??????8??????????????????
        tem = \{canny 1(y-1, x-1), canny 1(y-1, x), canny 1(y-1, x+1)\}
               canny 1(y, x-1), \quad canny 1(y, x), \quad canny 1(y, x+1);
               canny 1(y+1, x-1), canny 1(y+1, x), canny 1(y+1, x+1)];
        temMax = max(tem);
        if te mMa x(1) > hi gh Th
           \operatorname{canny} 2(y, x) = \operatorname{te} m \operatorname{Ma} x(1);
           bi \ n(y, x) = 1;
           continue;
        else
          canny 2(y, x) = 0;
          bi n(y, x) = 0;
        end
     end
   end\ \%end\ for\ x
end %end for y
end % end of function
```

(2) detect straight line segments using the Hough Transform Hough Transform Create (-90° 90°)*(0, rho) space with 0 value, where rho is the sqrt(x2+y2). Get non-0 (edge) data of the image after edge detection, get the (x,y) Code:

```
function [h, theta, rho] = houghTs(f, dtheta, drho)
    \quad \text{if} \ nar \, gi \, n \, < 3
      drho = 1;
    end
    \quad \text{if } nar \, gi \, n \, < 2 \\
      dt het a = 1;
    end
    f = doubl e(f);
    [M,N] = size(f);
    t het a = li ns pace(-90, 0, ceil(90/dt het a) + 1);
    t het a = [t \text{ het } a \text{ -fli plr}(t \text{ het } a(2; \text{ end } -1))];
    nt het a = lengt h(t het a);
    D = sqrt((M-1)^2 + (N-1)^2);
    q = ceil(Ddrho);
    nr ho = 2*q - 1;
    r ho = li ns pace(-q*dr ho, q*dr ho, nr ho);
    [x, y, val] = find(f);
    x \ = \ x \ - \ 1; \quad y \ = \ y \ - \ 1;
    % I nitialize out put.
    h = zeros(nrho, length(theta));
    % To avoid excessive me mory usage, process 1000 nonzero pixel
    % values at a time.
    for k = 1: ceil(lengt h(val)/1000)
      first = (k - 1)*1000 + 1;
      last = min(first +999, length(x));
      x_matrix = rep mat(x(first:last), 1, nt het a);
      y_matrix = rep mat(y(first:last), 1, nt het a);
       val_matrix = rep mat(val(first:last), 1, nt het a);
      t\,het\,a\_\,mat\,ri\,x\,=r\,ep\,mat\,(t\,het\,a,\,\,si\,ze(\,x\_\,mat\,ri\,x,\,\,1),\,\,1)\,*pi/\,1\,80;
      rho_matri x = x_matri x *cos(thet a_matri x) + ...
        y_matrix.*sin(theta_matrix);
      slope = (nrho - 1)/(rho(end) - rho(1));
      rho_bi n_i ndex = round(slope*(rho_matrix - rho(1)) + 1);
      thet a_bi n_i nde x = rep mat(1: nt het a, size(x_matri x, 1), 1);
      h = h + full(sparse(rho\_bi n\_i ndex(:), thet a\_bi n\_i ndex(:), ...
Hough Peak:
Find the max(x,y) in certain local region. Eg,(7*7);
function [r, c, hne w] = hpeak(h, nhood)
 \quad \text{if } nar \, gi \, n \, < 2 \\
   nhood = si ze(h)/50;
    % Make sure the neighborhood size is odd.
   nhood = max(2*ceil(nhood/2) + 1, 1);
h ma x = ma x(h(:));
hne w = h; r = []; c = [];
 [hm, hn] = size(h);
local maxa=80; %2nd 80; 3rd 5
local maxb=10; %2nd 10; 3rd 5
 for ha=1+local maxa:local maxa*2:hm-local maxa
    for hb=1+l ocal maxb:l ocal maxb*2: hn-l ocal maxb
       hne\ wp = hne\ w(\ ha-l\ ocal\ ma\ xa:\ ha+l\ ocal\ ma\ xa,\ hb-l\ ocal\ ma\ xb:\ hb+l\ ocal\ ma\ xb);
      if( \max(\text{hne wp}(:)) \sim = 0 \& \max(\text{hne wp}(:)) > = h \max x * 0.2) %2 nd 0.2 3r d0.15
         [p, q] = fi \text{ nd(hne wp} == max(hne wp(:)));
       p=p+ha-l ocal maxa-1;
       q=q+hb-l ocal maxb-1;
       p=p(1); q=q(1);
      r(end+1) = p; c(end+1) = q;
       end
```

The result of straight lines detection:

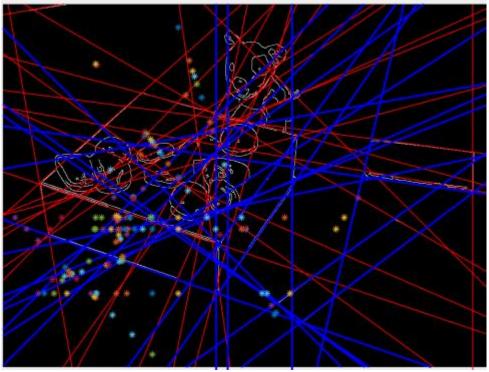


Then thin the number of lines: EG:

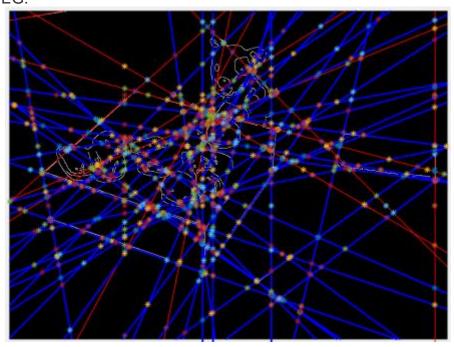
c 1x50 double 1x50 double 1x50 double 1x50 double 1x50 double 1x50 double 1x50 double1x50 double

thin the number lines from 65->50 cc 1x65 d

get the lines couple whose theta was like,



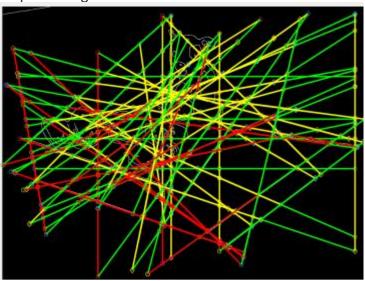
And get the lines couple's points where they cross each other.
Calculate the function of two variable equation
Detect point of parallelograms
EG:



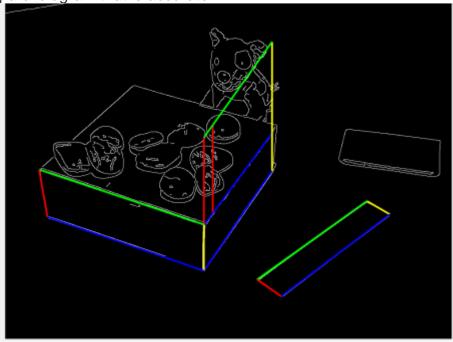
(3) detect parallelograms from the straight-line segments detected in step (2). Firstly, determine pairs of parallel lines and from the parallel lines determine candidate parallelograms by computing the lines' intersection points.

Then compute the number of edge points (in percentage) that are present on each of the four sides of the candidate parallelograms; if the percentage is high, it is a parallelogram.

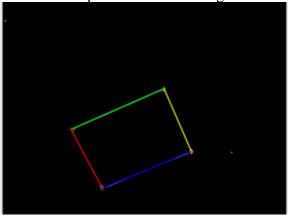
All parallelogram:



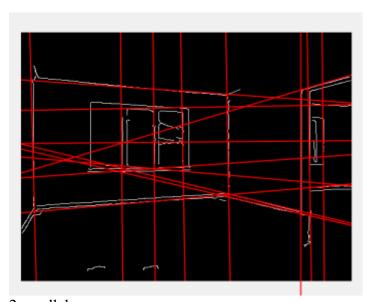
parallelogram that is accurate:



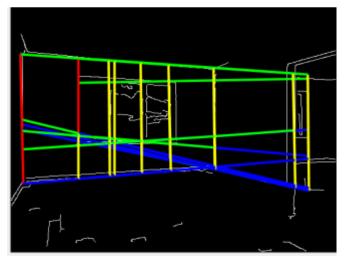
Result and step of the next two img:



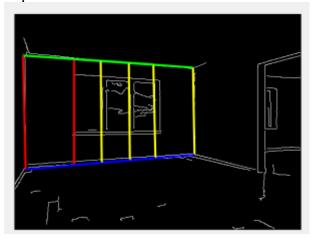
1.straight lines:



2.parallelogram:



Improve:



Extra Credits (10 points). This part is optional.

