

# MODEL CARD — CED-008

**Audit ID:** CED-008

**Paper:** *Generalized G-inflation: Inflation with the most general second-order field equations*

**Authors:** Kobayashi, Yamaguchi, Yokoyama (2011)

**Status:** Pre-audit (no diagnostics run)

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## 1. Declared Aim (Author-Stated)

To construct the most general single-scalar inflationary theory yielding **second-order field equations**, avoiding Ostrogradsky instabilities, and to analyze its background and perturbative dynamics within a controlled EFT framework.

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## 2. Claimed Mechanism

- Inflation driven by a scalar field with **nonminimal derivative couplings** to gravity.
  - Acceleration arises from explicit terms in the action (Horndeski functions  $G_i(\phi, X)G_{-i}(\phi, X)G_i(\phi, X)$ ).
  - Stability ensured by restricting to regions without ghost or gradient instabilities.
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## 3. Degrees of Freedom

**Fundamental:**

- Metric  $g^{\mu\nu} g_{\{\mu\nu\}\mu\nu}$
- Scalar field  $\phi^\dagger \phi$

**No emergent or horizon-defined degrees of freedom introduced.**

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## 4. Action-Level Structure

General Horndeski action:

$$S = \int d^4x \sqrt{-g} \sum_{i=2}^5 \mathcal{L}_i(\phi, X)$$

- All couplings specified at the Lagrangian level.
  - No phenomenological stress–energy inserted post hoc.
  - Inflation sourced by explicit dynamics.
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## 5. Regime of Validity (Declared)

- Classical background + linear perturbations.
  - EFT validity below cutoff scale.
  - Stability conditions imposed:
    - no ghosts,
    - no gradient instabilities,
    - subluminal propagation often assumed.
  - Results not claimed outside these bounds.
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## 6. Cosmological Claims

- Sustained inflation without fine-tuned potential.
- Modified consistency relations.
- Distinct perturbation signatures *within regime*.

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## 7. Conservation & Closure

- Energy-momentum conservation explicit via diffeomorphism invariance.
  - Field equations closed without auxiliary exchange terms.
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## 8. Author-Acknowledged Limits

- Breakdown outside stability region.
- EFT cutoff limits predictivity.
- Strong coupling possible in parts of parameter space.