

AUDIT 009 - DIAGNOSTIC CARD

Paper: *On Average Properties of Inhomogeneous Fluids in GR I*

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Audit Context: Division 1 — Backreaction / Averaging

CEDA Version: v1.2 (frozen)

On Average Properties of

Diagnostic Set Applied

By protocol for this class of model:

- **D2 — Coarse-Graining Stability Test** ✓ REQUIRED
 - **C1 — Functional Redundancy / Free-Function Test** ✓ REQUIRED
 - **D1 — Null Baseline** ✗ NOT APPLICABLE (no horizon/entropy agency claimed)
 - **D3 / D4** ✗ NOT APPLICABLE at this stage (no explicit novelty beyond averaging)
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D2 — Coarse-Graining Stability Test

D2.a Definition (CEDA)

A model passes D2 if its claimed physical effect is invariant (or convergent) under admissible variations of coarse-graining scale, domain choice, and averaging prescription **within its declared regime**.

D2.b Application to Buchert (2000)

Declared structure:

- Averaging performed over arbitrary compact comoving domains
- Effective dynamics explicitly **domain-dependent**
- No claim of scale invariance or convergence
- No privileged averaging scale identified

Observed behavior:

- $aD(t)aD(t)$, $QD(t)QD(t)$, and $\langle R \rangle D(t)\langle R \rangle D(t)$ change with:
 - domain size
 - domain shape
 - domain location
 - The formalism allows:
 - FRW-like behavior for some domains
 - strong deviations for others
 - No mechanism is provided to select a physically preferred coarse-graining
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D2.c Result

D2 Outcome:  **CONDITIONAL FAIL (By Design)**

Reason:

The paper does *not* claim coarse-graining stability—and explicitly acknowledges domain dependence. The effect therefore **does not survive scale variation** as a universal physical mechanism.

CEDA Interpretation:

This is **not an error**. It is a **structural limitation**: the effect is descriptive and scale-relative, not globally dynamical.

C1 — Functional Redundancy / Free-Function Test

C1.a Definition (CEDA)

A model fails C1 if its effective dynamics can be reparameterized as an arbitrary function of time (e.g., an effective $w(t)w(t)$) without new predictive constraints, indicating descriptive relabeling rather than mechanism.

C1.b Application to Buchert (2000)

Key object under test:

Backreaction scalar $QD(t)QD(t)$

Properties:

- Defined as a variance aggregate of expansion and shear
- Not governed by an independent evolution equation

- Coupled to $\langle R \rangle D \langle R \rangle D$ via an integrability condition
- System remains **underdetermined** without extra assumptions

Critical observation:

- Choosing a functional form for $QD(t)QD(t)$ (or equivalently $\langle R \rangle D(t)\langle R \rangle D(t)$) **closes the system**
 - Different closures yield different effective expansion laws
 - These choices are external to the formalism
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C1.c Result

C1 Outcome:  FAIL — FUNCTIONAL REDUNDANCY

Reason:

Absent a closure principle, $QD(t)QD(t)$ functions as a **free effective source**, capable of mimicking multiple expansion histories without additional physical DOF.

CEDA Classification:

Descriptive freedom, not earned dynamics

Diagnostic Summary Table

Diagnostic	Result	Notes
D2 — Coarse-Graining Stability	 Conditional Fail	Domain dependence explicit
C1 — Functional Redundancy	 Fail	Underdetermined effective source
D1 — Null Baseline	N/A	No forbidden agency
D3 / D4	N/A	No novel mechanism claimed

Verdict (CEDA v1.2 Language)

Final Classification:

Reinterpretation — Scale-Dependent Bookkeeping Framework

Meaning (precise):

- The paper provides a **mathematically consistent averaging formalism**
- It does **not** supply a closed physical mechanism for modified expansion
- Apparent dynamical effects arise from **coarse-grained variance reorganization**
- No violation of conservation, locality, or GR is identified

This is a **clean, non-pathological failure**: the framework does what it says, but what it says is *descriptive*, not mechanistic.