

# Test 009 — Executive Diagnostic Summary

**Paper:** *On Average Properties of Inhomogeneous Fluids in General Relativity I* — \*Thomas Buchert (2000)

**Audit Class:** Division 1 — Backreaction / Averaging

**CEDA Version:** v1.2 (frozen)

## Final Classification

**Reinterpretation — Scale-Dependent Bookkeeping Framework**

That verdict is precise, not dismissive.

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## What the Paper Actually Does (and does well)

Buchert derives **exact, non-perturbative scalar-averaged Einstein equations** for irrotational dust. No fake fields. No horizon mysticism. No conservation violations. The formalism is honest and mathematically clean.

Crucially, the paper **explicitly states**:

- the equations are **not closed** without extra assumptions,
- results are **domain-dependent**,
- no universal acceleration mechanism is claimed.

This restraint is why Test 009 is a *gold-standard diagnostic case* rather than a takedown.

009 - CEDA MODEL CARD

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## Why It Fails (and Why That's Not an Insult)

### D2 — Coarse-Graining Stability

**Result:** ⚠ Conditional Fail (by design)

The effective expansion depends explicitly on:

- domain size,
- domain shape,

- domain location,
- slicing choice.

There is **no physically preferred coarse-graining** and no convergence claim. That's not a bug—it's the point of the construction. But under CEDA, that means the effect **cannot be promoted to a global dynamical mechanism**.

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## C1 — Functional Redundancy

**Result:** ✗ Fail

The backreaction term  $QD(t)QD(t)$ :

- has no independent evolution equation,
- must be *chosen or constrained externally* to close the system,
- can mimic many effective equations of state depending on closure.

That places it squarely in **free-function territory**. Once you pick a closure, you've injected structure from outside the formalism. That's descriptive freedom, not earned dynamics.

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