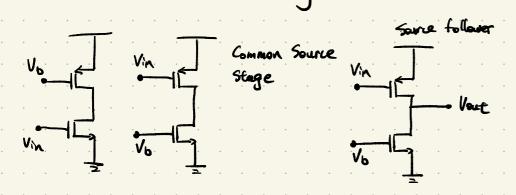
LecJ: Problem of Biasing; Intro & Current Mirrors

- · The Need for Current Sources
- · Problem of Biasing General Sources
- · Current Mirrors
- · Current Sources are everywhere:

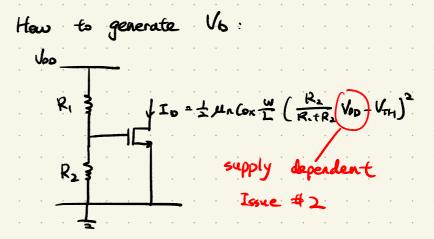


· Problem of Browny Germant Sources

$$V_0 = \frac{1}{2} (V_0 - V_{TH})^2$$

Vo - Vary with temperature

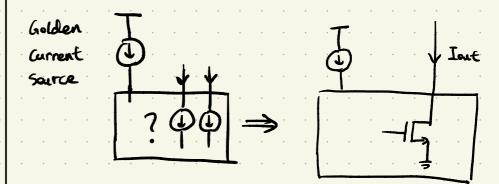
issue #1

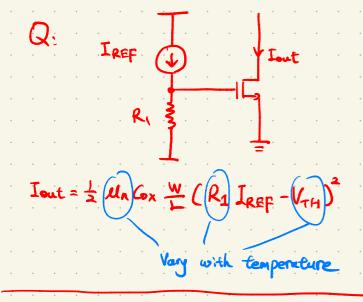


· Current Mirror
Basic Gncept

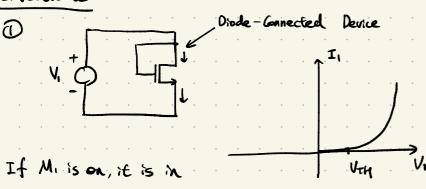
first, build one "golden" current source using a bandgap circuit.

Next, we clone this current source to build many others

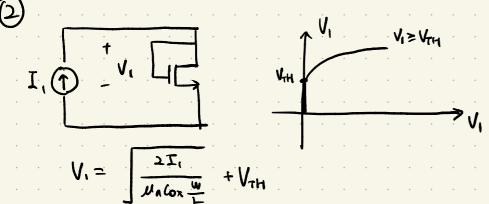


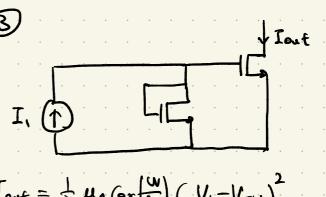


Observations



Sat. I.= ± en Gn \(\frac{\psi}{\psi}\) (V.-V_{TH})^2 \\ V_1 ≥ V_{TH}





$$I_{\text{out}} = \frac{1}{2} \mu_{\Lambda} G_{X} \left(\frac{W}{L}\right)_{2} \left(V_{1} - V_{TH}\right)^{2}$$

$$= \frac{1}{2} \mu_{\Lambda} G_{X} \left(\frac{W}{L}\right)_{2} \left[\int \frac{2I_{1}}{\mu_{\Lambda} G_{X} \left(\frac{W}{L}\right)_{1}} + V_{TH} - V_{TH}\right]^{2}$$

$$= \frac{\left(\frac{W}{L}\right)_{2}}{\left(\frac{W}{L}\right)_{1}}. I_{1}$$

Current Mirror

IREF (
$$\frac{(\frac{W}{L})_2}{(\frac{W}{L})_1}$$
 IREF ($\frac{(\frac{W}{L})_1}{(\frac{W}{L})_1}$ IREF ($\frac{(\frac{W}{L})_2}{(\frac{W}{L})_1}$ always Select $\frac{W_2}{W_1}$ accordingly

