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1 Data structures

1.1 Fenwick tree

```

1  vector<int> data(n);
2
3  // Adds value val on position pos
4  auto addval = [&](int pos, int val) {
5      while (pos < n) {
6          data[pos] += val;
7          pos |= (pos + 1);
8      }
9  };
10
11 // Returns sum of values on half-interval [0,pos)
12 auto getsum = [&](int pos) {
13     int ret = 0;
14     while (pos) {
15         ret += data[pos - 1];
16         pos = pos & (pos - 1);
17     }
18     return ret;
19 };

```

Warning: No tests

2 Graphs

2.1 Hungarian algorithm

```

1  namespace hungary {
2      const int N = 210;
3
4      int a[N][N];
5      int ans[N];
6
7      int calc(int n, int m) {
8          ++n, ++m;
9          vector<int> u(n), v(m), p(m), prev(m);
10         for (int i = 1; i < n; ++i) {
11             p[0] = i;
12             int x = 0;
13             vector<int> mn(m, INF);
14             vector<int> was(m, 0);
15             while (p[x]) {
16                 was[x] = 1;
17                 int ii = p[x], dd = INF, y = 0;
18                 for (int j = 1; j < m; ++j) if (!was[j]) {
19                     int cur = a[ii][j] - u[ii] - v[j];
20                     if (cur < mn[j]) mn[j] = cur, prev[j] = x;
21                     if (mn[j] < dd) dd = mn[j], y = j;
22                 }
23                 for (int j = 0; j < m; ++j) {
24                     if (was[j]) u[p[j]] += dd, v[j] -= dd;
25                     else mn[j] -= dd;
26                 }
27                 x = y;

```

```

28         }
29         while (x) {
30             int y = prev[x];
31             p[x] = p[y];
32             x = y;
33         }
34     }
35     for (int j = 1; j < m; ++j) {
36         ans[p[j]] = j;
37     }
38     return -v[0];
39 }
40 // How to use:
41 // * Set values to a[1..n][1..m] (n <= m)
42 // * Run calc(n, m) to find minimum
43 // * Optimal edges are (i, ans[i]) for i = 1..n
44 // * Everything works on negative numbers
45 //
46 // !!! I don't understand this code, it's copypasted from e-maxx
47 }

```

Warning: No tests

3 String algorithms

3.1 Manacher algorithm (longest palindrome for every center)

```

1 // returns vector ret of length (|s| * 2 - 1),
2 //   ret[i * 2] -- maximal length of palindrome with center in i-th symbol
3 //   ret[i * 2 + 1] -- maximal length of palindrome with center between i-th and (i + 1)-th symbols
4 vector<int> find_palindromes(string const& s) {
5     string t(szof(s) * 2 - 1, '$');
6     for (int i = 0; i < szof(s); ++i) {
7         t[i * 2] = s[i];
8     }
9
10    int c = 0, r = 1;
11    vector<int> d(szof(t));
12    d[0] = 1;
13    for (int i = 1; i < szof(t); ++i) {
14        if (i < c + r) {
15            d[i] = min(c + r - i, d[2 * c - i]);
16        }
17        while (i - d[i] >= 0 && i + d[i] < szof(t) && t[i - d[i]] == t[i + d[i]]) {
18            ++d[i];
19        }
20        if (i + d[i] > c + r) {
21            c = i;
22            r = d[i];
23        }
24    }
25
26    for (int i = 0; i < szof(t); ++i) {
27        if (i % 2 == 0) {
28            d[i] -= 1 - (d[i] & 1);
29        } else {
30            d[i] &= ~1;

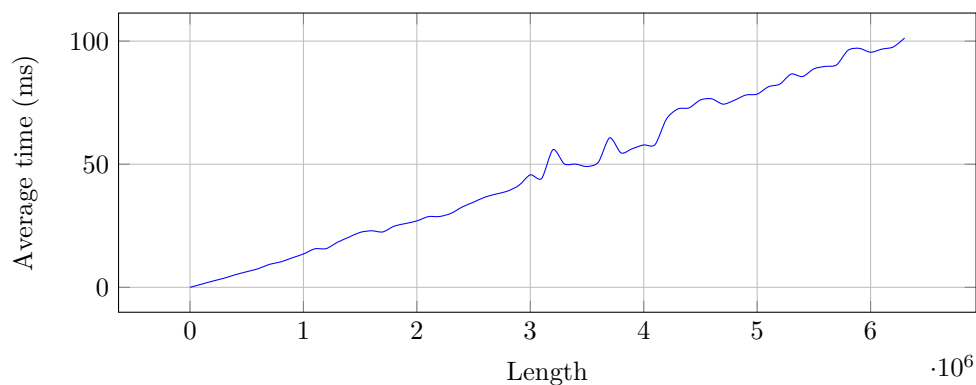
```

```

31     }
32 }
33
34 return d;
35 }

```

✓Tests passed



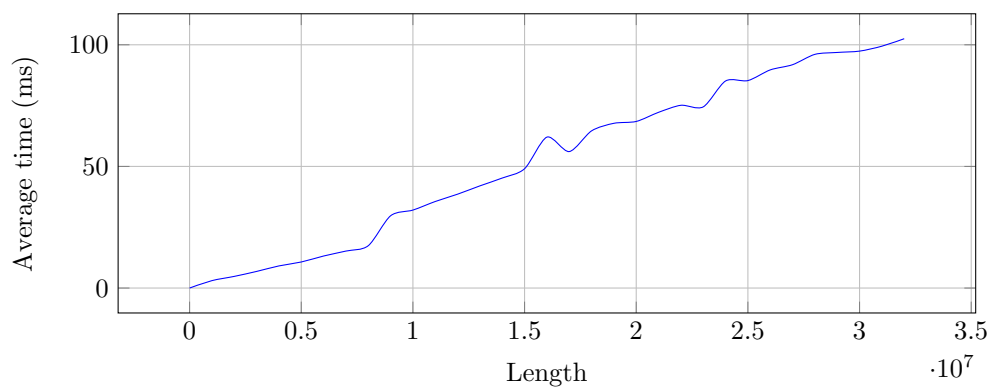
3.2 Prefix function

```

1 vector<int> calc_pref(string s) {
2     vector<int> pref(szof(s));
3     for (int i = 1; i < szof(s); ++i) {
4         pref[i] = pref[i - 1];
5         while (pref[i] && s[pref[i]] != s[i]) {
6             pref[i] = pref[pref[i] - 1];
7         }
8         if (s[pref[i]] == s[i]) {
9             ++pref[i];
10        }
11    }
12    return pref;
13 }

```

✓Tests passed



3.3 Suffix structures

3.3.1 Suffix array

```

1 vector<int> suff_array(string s) {
2     s += '\0';

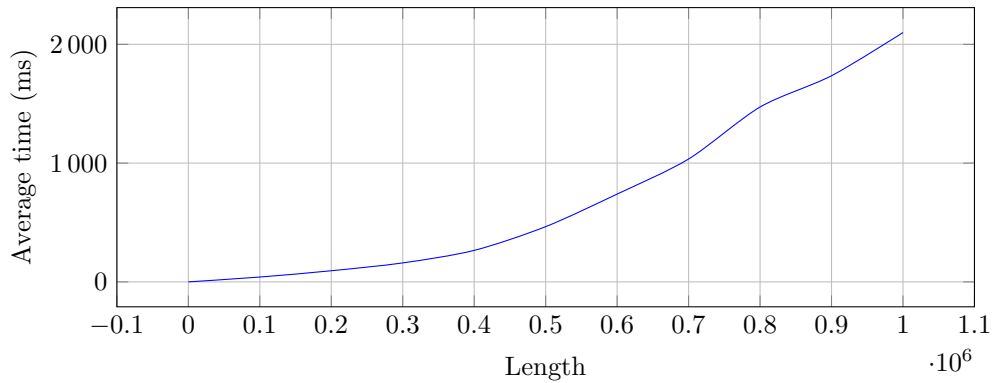
```

```

3      int n = s.size();
4      vector<int> classes(s.begin(), s.end()), new_classes(n);
5      vector<int> order(n), new_order(n);
6      iota(order.begin(), order.end(), 0);
7
8      function<int(int)> mod = [&](int num) {
9          if (num >= n) {
10             return num - n;
11         }
12         return num;
13     };
14
15     vector<int> from(max(n, 128) + 1);
16     for (int num : classes) {
17         from[num + 1]++;
18     }
19
20     for (int i = 1; i < (int) from.size(); ++i) {
21         from[i] += from[i - 1];
22     }
23
24     for (int i = 0; i < n; i == 0 ? i = 1 : i <= 1) {
25         for (int j = 0; j < n; ++j) {
26             int pos = mod(order[j] - i + s.size());
27             new_order[from[classes[pos]]++] = pos;
28         }
29
30         swap(order, new_order);
31
32         int cnt = -1;
33         for (int j = 0; j < n; ++j) {
34             if (j == 0 || classes[order[j]] != classes[order[j - 1]] || classes[mod(order[j] + i)]
35                 ↪ != classes[mod(order[j - 1] + i)]) {
36                 ++cnt;
37                 from[cnt] = j;
38             }
39             new_classes[order[j]] = cnt;
40         }
41         swap(classes, new_classes);
42     }
43
44     order.erase(order.begin());
45     return order;
46 }

```

✓Tests passed



4 FFT

4.1 FFT by modulo

```

1 namespace fft {
2     int const BP = 20, SZ = 1 << BP;
3     int const INV_SZ = mpow(SZ, MOD - 2);
4     int perm[SZ], roots[SZ];
5     int arr1[SZ], arr2[SZ];
6
7     void fft(int* arr) {
8         for (int i = 0; i < SZ; ++i) {
9             if (perm[i] > i) {
10                 swap(arr[i], arr[perm[i]]);
11             }
12         }
13
14         for (int i = 1, diff_pow = SZ >> 1; i < SZ; i <= 1, diff_pow >= 1) {
15             for (int j = 0; j < SZ; j += i * 2) {
16                 int cur_pow = 0;
17                 for (int k = 0; k < i; ++k) {
18                     int b = mult(arr[j + i + k], roots[cur_pow]);
19                     arr[j + i + k] = sum(arr[j + k], MOD - b);
20                     add(arr[j + k], b);
21                     cur_pow += diff_pow;
22                 }
23             }
24         }
25     }
26
27     void fill_arr(vector<int> const& a, int* arr) {
28         for (int i = 0; i < SZ; ++i) {
29             if (i < (int) a.size()) {
30                 arr[i] = a[i];
31             } else {
32                 arr[i] = 0;
33             }
34         }
35     }
36
37     vector<int> mult(vector<int> const& a, vector<int> const& b) {
38         fill_arr(a, arr1);
39         fft(arr1);
40         fill_arr(b, arr2);

```

```

41     fft(arr2);
42     for (int i = 0; i < SZ; ++i) {
43         arr1[i] = mult(arr1[i], arr2[i]);
44     }
45     fft(arr1);
46     reverse(arr1 + 1, arr1 + SZ);
47     vector<int> ret;
48     for (int i = 0; i < SZ; ++i) {
49         ret.push_back(mult(arr1[i], INV_SZ));
50     }
51     while (ret.back() == 0) {
52         ret.pop_back();
53     }
54     return ret;
55 }
56
57 void init() {
58     int rt = 646; // this is precalculated 220-th root of 1 for MOD = 998244353
59     /*
60     for (int i = 0; i < MOD; ++i) {
61         if (mpow(i, 1 << (BP - 1)) == MOD - 1) {
62             rt = i;
63             break;
64         }
65     }
66     */
67
68     roots[0] = 1;
69     for (int i = 1; i < SZ; ++i) {
70         perm[i] = (perm[i >> 1] >> 1) | ((i & 1) << (BP - 1));
71         roots[i] = mult(roots[i - 1], rt);
72     }
73 }
74 }

```

Error: Compilation error while compiling test

4.2 FFT in complex numbers

Warning: Leaf directory without any information

5 Convex hull trick

5.1 Arbitrary order of lines

```

1 // Adds line k * x + b
2 void add_line(ll k, ll b) {
3
4 }

```

Warning: No tests