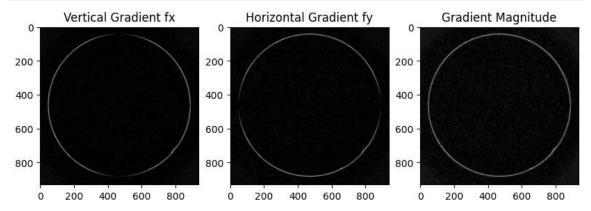
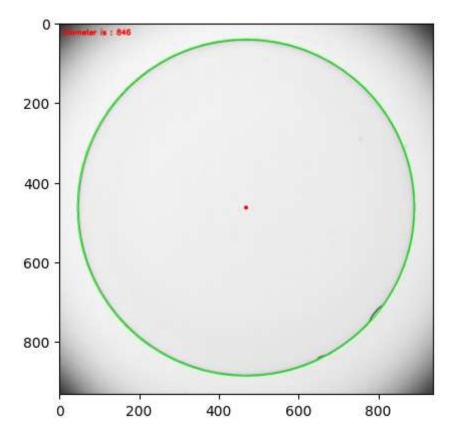
```
In [ ]: #1
        import cv2
        import numpy as np
        import matplotlib.pyplot as plt
        img = cv2.imread('lens.JPG')
        assert im is not None
        gray = cv2.cvtColor(img, cv2.COLOR BGR2GRAY)
        sobel_x = cv2.Sobel(gray, cv2.CV_64F, 1, 0)
        sobel_y = cv2.Sobel(gray, cv2.CV_64F, 0, 1)
        magnitude = cv2.addWeighted(np.absolute(sobel x), 1, np.absolute(sobel y), 1, 0)
        fig, ax = plt.subplots(1, 3, figsize=(10, 5))
        ax[0].imshow(np.absolute(sobel_x).astype('uint8'), cmap='gray')
        ax[0].set_title("Vertical Gradient fx")
        ax[1].imshow(np.absolute(sobel_y).astype('uint8'), cmap='gray')
        ax[1].set title("Horizontal Gradient fy")
        ax[2].imshow(magnitude.astype('uint8'), cmap='gray')
        ax[2].set title("Gradient Magnitude")
        plt.show()
        blurred = cv2.GaussianBlur(gray, (5, 5), 0)
        edges = cv2.Canny(blurred, 50, 150)
        y_cord, x_cord = np.where(edges != 0)
        Center X = int(np.mean(x cord))
        Center_Y = int(np.mean(y_cord))
        distances = np.sqrt((x_cord - Center_X)**2 + (y_cord - Center_Y)**2)
        diameter = int(2 * np.max(distances))
        cv2.circle(img, (Center X, Center Y), 5, (0, 0, 255), -1)
        cv2.circle(img, (Center_X, Center_Y), diameter // 2, (0, 255, 0), 2)
        cv2.putText(img, f"Diameter is : {diameter}", (10, 30), cv2.FONT_ITALIC, 0.6, (0)
        plt.imshow(cv2.cvtColor(img, cv2.COLOR_BGR2RGB))
        plt.show()
```

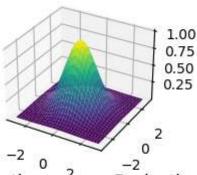




```
In [ ]: #2
        import numpy as np
        import matplotlib.pyplot as plt
        from mpl_toolkits.mplot3d import Axes3D
        def gaussian(x, y, sigma):
            return np.exp(-(x^{**2} + y^{**2}) / (2 * sigma^{**2}))
        def gaussian_dx(x, y, sigma):
            return -x / sigma**2 * gaussian(x, y, sigma)
        def gaussian_dy(x, y, sigma):
            return -y / sigma**2 * gaussian(x, y, sigma)
        def gaussian_dxy(x, y, sigma):
            return x * y / sigma**4 * gaussian(x, y, sigma)
        sigma = 1
        x = np.arange(-3, 3.1, 0.1)
        y = np.arange(-3, 3.1, 0.1)
        X, Y = np.meshgrid(x, y)
        Zx = gaussian_dx(X, Y, sigma)
        Zy = gaussian_dy(X, Y, sigma)
        fig = plt.figure()
        ax = fig.add_subplot(2, 1, 1, projection='3d')
        ax.plot_surface(X, Y, gaussian(X, Y, sigma), cmap='viridis')
        ax.set_title('Gaussian Kernel')
        ax = fig.add_subplot(2, 2, 3, projection='3d')
        ax.plot_surface(X, Y, Zx, cmap='viridis')
        ax.set_title('Derivative in x-direction')
        ax = fig.add_subplot(2, 2, 4, projection='3d')
```

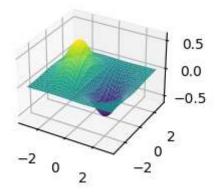
```
ax.plot_surface(X, Y, Zy, cmap='viridis')
ax.set_title('Derivative in y-direction')
plt.show()
```

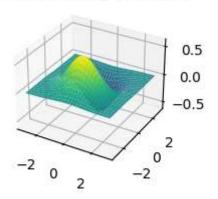
## Gaussian Kernel



## Derivative in x-direction

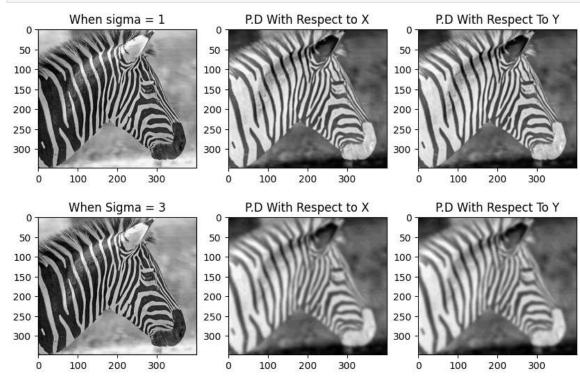
## Derivative in y-direction





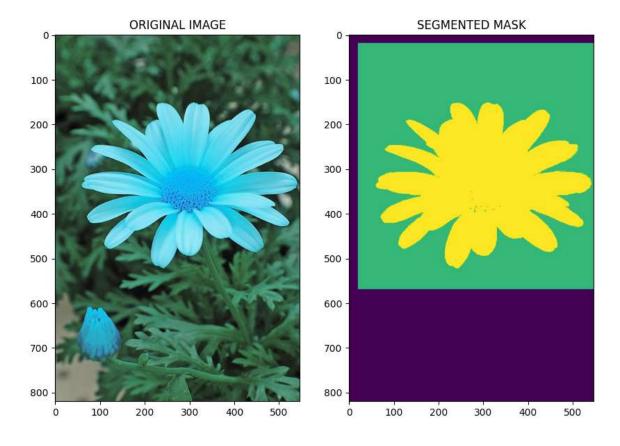
```
In [ ]: #3
        import numpy as np
        import cv2 as cv
        from scipy import ndimage
        import matplotlib.pyplot as plt
        im = cv.imread('zebrahead.jpg', cv.IMREAD_GRAYSCALE)
        assert im is not None
        sigma = 1
        kernel = np.zeros((5*sigma, 5*sigma))
        for i in range(5*sigma):
            for j in range(5*sigma):
                x = i - 2*sigma
                y = j - 2*sigma
                kernel[i, j] = 1/(2*np.pi*sigma**2) * np.exp(-(x**2+y**2)/(2*sigma**2))
        dKdx = ndimage.convolve(im, -kernel/sigma**2)
        dKdy = ndimage.convolve(im, -kernel.T/sigma**2)
        fig, ax = plt.subplots(1, 3, figsize=(10, 5))
        ax[0].imshow(im, cmap='gray')
        ax[0].set_title('When sigma = 1')
        ax[1].imshow(dKdx, cmap='gray')
        ax[1].set_title('P.D With Respect to X')
        ax[2].imshow(dKdy, cmap='gray')
        ax[2].set_title('P.D With Respect To Y')
        plt.show()
        sigma = 3
```

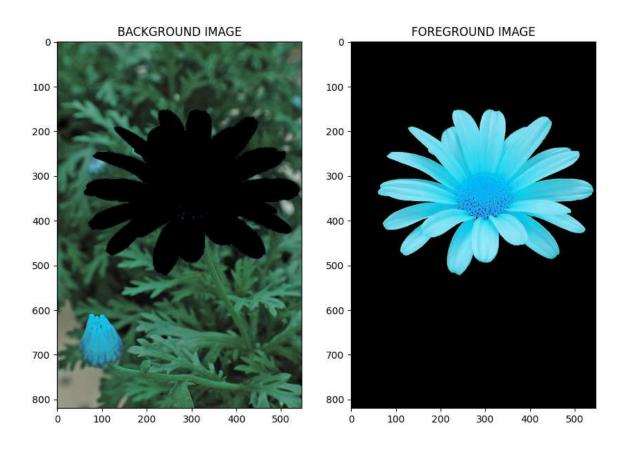
```
kernel = np.zeros((5*sigma, 5*sigma))
for i in range(5*sigma):
    for j in range(5*sigma):
        x = i - 2*sigma
        y = j - 2*sigma
        kernel[i, j] = 1/(2*np.pi*sigma**2) * np.exp(-(x**2+y**2)/(2*sigma**2))
dKdx = ndimage.convolve(im, -kernel/sigma**2)
dKdy = ndimage.convolve(im, -kernel.T/sigma**2)
fig, ax = plt.subplots(1, 3, figsize=(10, 5))
ax[0].imshow(im, cmap='gray')
ax[0].set_title('When Sigma = 3')
ax[1].imshow(dKdx, cmap='gray')
ax[1].set_title('P.D With Respect to X')
ax[2].imshow(dKdy, cmap='gray')
ax[2].set_title('P.D With Respect To Y')
plt.show()
```



```
In [ ]: #4
        import cv2 as cv
        import matplotlib.pyplot as plt
        import numpy as np
        img= cv.imread('daisy.jpg')
        assert img is not None
        rectangle = (20, 20, 550, 550)
        mask = np.zeros(img.shape[:2], np.uint8)
        background = np.zeros((1,65), np.float64)
        cv.grabCut(img, mask, rectangle, background, None, 5, cv.GC_INIT_WITH_RECT)
        newmask = np.where((mask == cv.GC_FGD) | (mask == cv.GC_PR_FGD), 1, 0).astype('u)
        foreground = cv.bitwise_and(img, img, mask=newmask)
        background = cv.bitwise_and(img, img, mask=1 - newmask)
        blurred_background = cv.GaussianBlur(background,(31,31),0)
        enhanced image = cv.addWeighted(foreground, 1, blurred background, 0.8, 0)
        fig ,ax = plt.subplots (2,2, figsize= (10,20))
        ax[0,0].imshow(img,cmap = 'gray')
```

```
ax[0,0].set_title('ORIGINAL IMAGE')
ax[0,1].imshow(mask)
ax[0,1].set_title('SEGMENTED MASK')
ax[1,1].imshow(foreground)
ax[1,1].set_title('FOREGROUND IMAGE')
ax[1,0].imshow(background)
ax[1,0].set_title('BACKGROUND IMAGE')
plt.figure(figsize=(12,6))
plt.subplot(1, 2, 1), plt.imshow(img[:,:,::-1]), plt.title('ORIGINAL IMAGE')
plt.axis('off')
plt.subplot(1, 2, 2), plt.imshow(enhanced_image[:,:,::-1]), plt.title('ENHANCED plt.axis('off'))
plt.show()
```





ORIGINAL IMAGE



**ENHANCED IMAGE** 

