CME 213

SPRING 2019

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Previously in CME213

Global memory: coalesced access; warp requests and uses full 128-byte memory segment.

Shared memory:

Avoid bank conflicts; stride should be an odd number

Occupancy; occupancy calculator (spreadsheet)

Impact of branching on performance

Application to finite-difference stencil:

- Roofline model: memory or compute bound?
- Arithmetic intensity
- Finite-difference is memory bound
- Domain should be square to maximize data reuse and reduce memory traffic

Reductions and scans

- Reduction is a classic problem in parallel computing.
- We will use it to illustrate various computing challenges using CUDA.
- But before we get started:

Challenge!

- Form teams.
- Each team will be a GPU processor.

You need to calculate a cumulative sum. Example:

Time your group! The fastest wins.

Step 1

- Each group of players is assigned a unique group ID
- Download the code from class web page:

```
generate_sequence.cpp
```

Compile and run

```
$ g++ -std=c++11 generate_sequence.cpp; ./a.out
```

- Enter your group number
- The code returns a sequence of random numbers.
- This is the sequence you will use for the cumulative sum.

```
Enter your group number (an integer greater or equal to 1)
Selected group ID: 4
Row 1: index
Row 2: random value
Index 1 to 10
1
             2
                         3
                                                   5
                                                                6
                                                                             7
                                                                                          8
                                                                                                       9
                                                                                                                   10
                                      4
                         503
                                      630
                                                                682
                                                                             973
                                                                                          970
                                                                                                                   677
879
             403
                                                   459
                                                                                                       843
Index 11 to 20
11
             12
                         13
                                      14
                                                   15
                                                                16
                                                                             17
                                                                                          18
                                                                                                       19
                                                                                                                   20
                                                                                                                   529
150
             986
                         512
                                      853
                                                   140
                                                                529
                                                                             150
                                                                                          196
                                                                                                       492
Index 21 to 30
21
             22
                         23
                                      24
                                                   25
                                                                26
                                                                             27
                                                                                          28
                                                                                                       29
                                                                                                                   30
             285
                         271
                                      694
                                                   122
                                                                802
                                                                             819
                                                                                          966
                                                                                                       796
                                                                                                                   501
941
Index 31 to 40
31
             32
                         33
                                      34
                                                   35
                                                                36
                                                                             37
                                                                                          38
                                                                                                       39
                                                                                                                   40
             331
                         423
                                      573
                                                   423
                                                                700
                                                                             231
                                                                                          607
                                                                                                       849
                                                                                                                   756
580
```

[darve@omp:~\$./a.out

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Step 2

Take small pieces of paper of size approximately 3in x 3in.

- Top left: write the group number and your index
- Top right: write the corresponding random number
- Center: write the result of the cumulative sum.

Make sure you write the correct index and random number. Any error will lead to the wrong cumulative sum at the end!

Step 3: rules!

- A memloc is a piece of paper with a single number written on it. You can strike a number to write a new one. A memloc is full when it has a number on it, and empty otherwise.
- There are 3 types of players: mem, net, pu. Each player has only one type.
 You can have as many players of each type as you want.
- mem player: can copy and strikethrough numbers.
- net player: can take/give memlocs to mem and pu. Cannot hold more than 3 memlocs at a time.
- pu player: can take two full memlocs and one empty memloc, add the numbers on the full memlocs (may use a calculator) and write the result on the empty memloc. Can take/give memlocs to net. Cannot hold more than 3 memlocs at a time.

Step 4: pick a team name!

Games

Game 1: players can locate themselves anywhere

 Game 2: there must be a distance of at least 30 meters between mem and pu players.

 Think about how many mem, net, and pu players you want to have on your team. Team Team

Time: Time:

Errors: Errors:

Team Team

Time: Time:

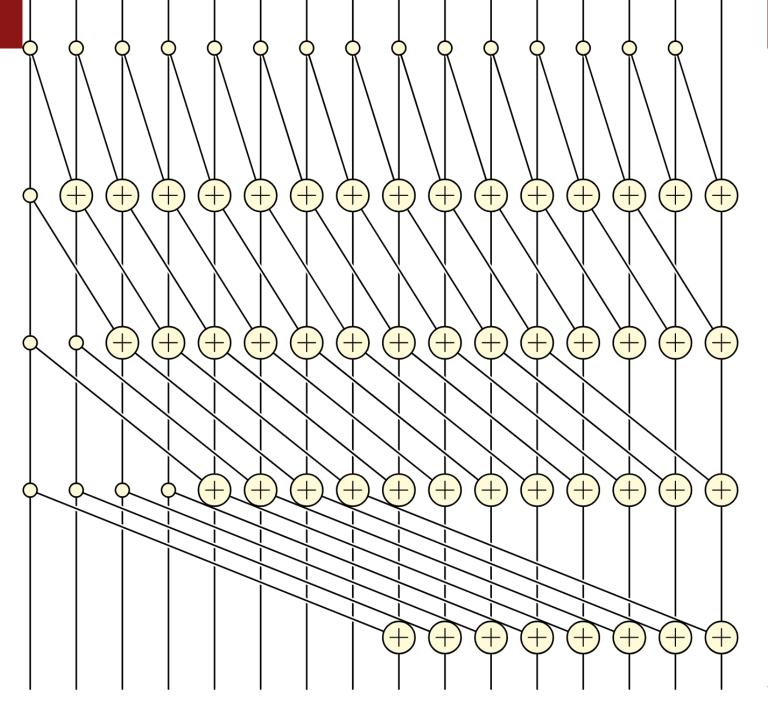
Errors: Errors:

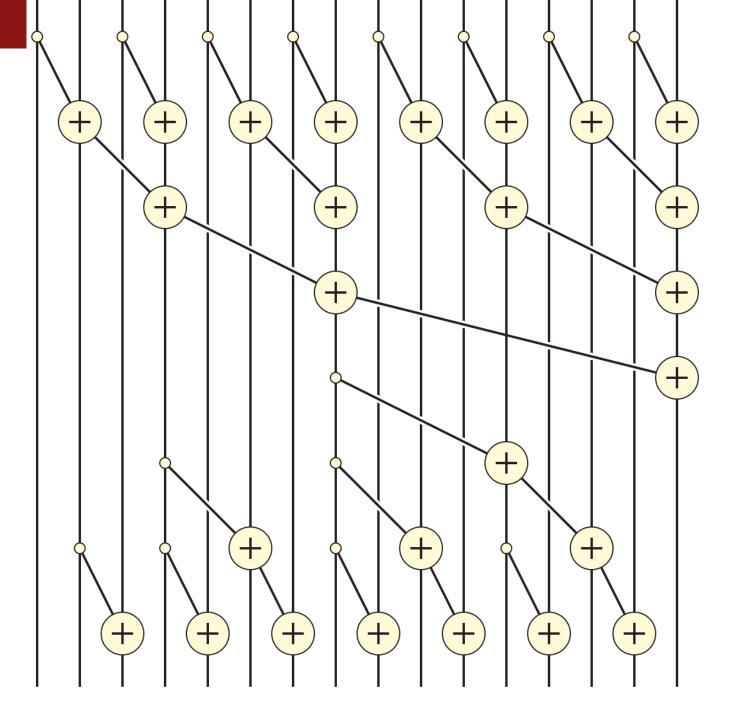
Discussion

What was the best strategy?

What were the main bottlenecks?

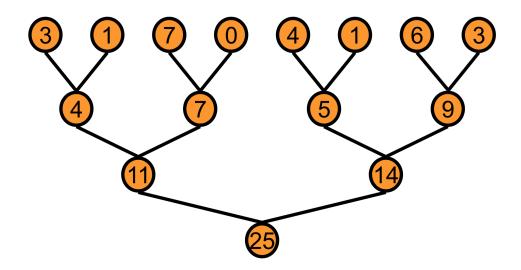
How did you organize your group?





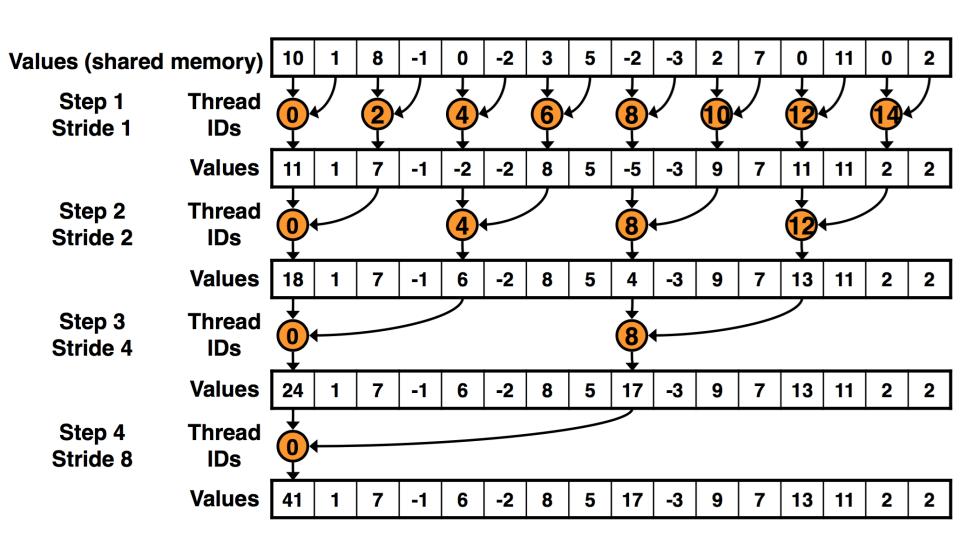
Parallel reduction

- We saw previously how this should be done in parallel: use a reduction tree.
- Let's look how this is going to work on a GPU.
- We need to account for several specific aspects of the hardware.



Kernel o

- Let's start with the simplest implementation.
- We launch a number of blocks.
- Each block performs a reduction.
- We will leave the problem of doing a reduction across multiple blocks to later.
- So now each kernel will output one partial sum per block.



Algorithm

- Load data in shared memory
- Use shared memory to perform a tree reduction inside each block.
- Don't forget __syncthreads to make sure all threads are done before proceeding to the next stage.

```
template <class T>
__global__ void
reduce0(T* g_idata, T* g_odata, unsigned int n) {
   T* sdata = SharedMemory<T>();
   // load shared mem
    unsigned int tid = threadIdx.x;
    unsigned int i = blockIdx.x*blockDim.x + threadIdx.x;
    sdata[tid] = (i < n) ? g_idata[i] : 0;</pre>
    __syncthreads();
    // do reduction in shared mem
    for(unsigned int s=1; s < blockDim.x; s *= 2) {</pre>
        // modulo arithmetic is slow!
        if((tid \% (2*s)) == 0) {
            sdata[tid] += sdata[tid + s];
        __syncthreads();
   // write result for this block to global mem
    if(tid == 0) {
        g_odata[blockIdx.x] = sdata[0];
    3
                                                           anford University
```

Performance of kernel o

Not that great!

```
Reduction, Throughput = 12.1446 GB/s, Time = 0.00553 s, Size

GPU result = 2139353471

CPU result = 2139353471
```

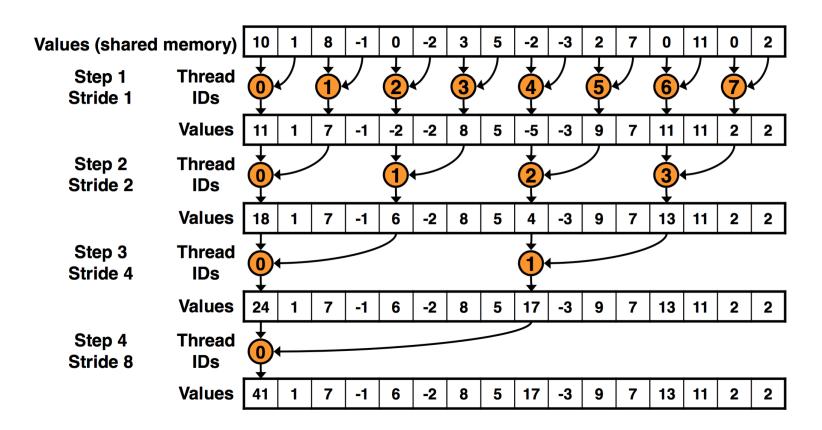
TEST PASSED

Issues

```
// do reduction in shared mem
for(unsigned int s=1; s < blockDim.x; s *= 2) {</pre>
    // modulo arithmetic is slow!
    i((tid % (2*s)) = 0) {
        sdata[tid] += sdata[tid + s];
    __syncthreads();
```

Kernel 1

Let's try to have only a few warps doing most of the work. This means less thread divergence.



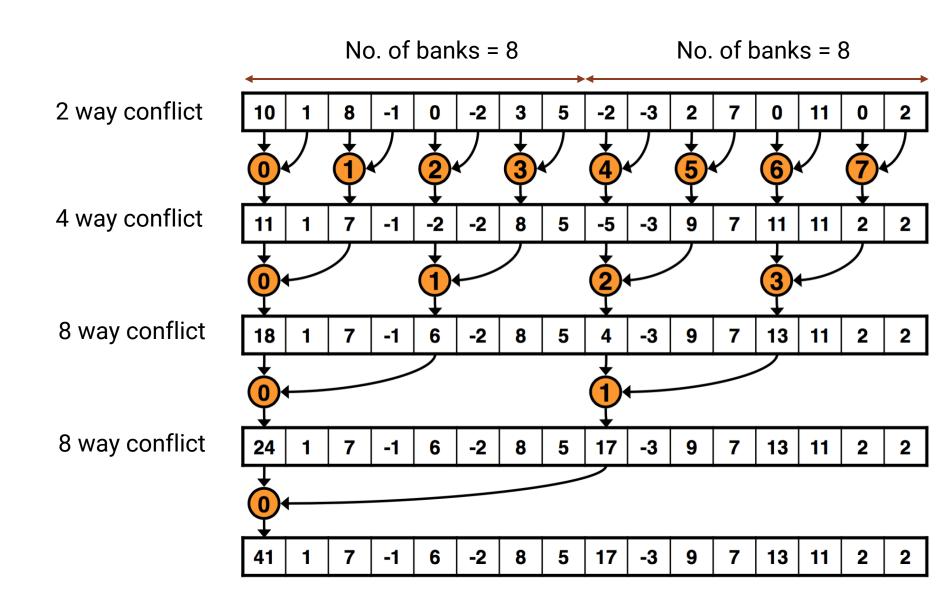
```
// do reduction in shared mem
for(unsigned int s=1; s < blockDim.x; s *= 2) {
   int index = 2 * s * tid;

   if(index < blockDim.x) {
      sdata[index] += sdata[index + s];
   }

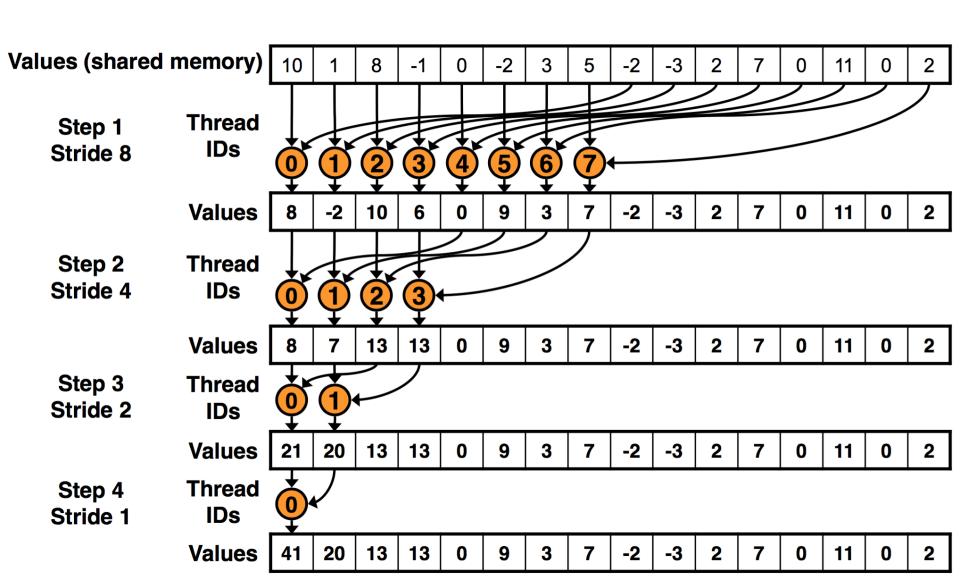
__syncthreads();
}</pre>
```

- Operations are performed in the same way in shared memory.
- However, these are done by different threads.
- Towards the end for example, only threads 0 and 1 do work, instead of 0 and 256 in the previous example.

	Throughput GB/s
Kernel 0	16
Kernel 1	20



Kernel 2



```
// do reduction in shared mem
for(unsigned int s=blockDim.x/2; s>0; s>>=1) {
    if(tid < s) {
        sdata[tid] += sdata[tid + s];
    }
    __syncthreads();
}</pre>
```

	Throughput GB/s
Kernel 0	16
Kernel 1	20
Kernel 2	31

Half of the threads are idle!

Only half of the threads have work to do.

Let's change the code a little bit to make sure all threads do at least 1 addition.

```
// do reduction in shared mem
for(unsigned int s=blockDim.x/2; s>0; s>>=1) {
    if(tid < s) {
        sdata[tid] = mySum = mySum + sdata[tid + s];
    }
    __syncthreads();
}</pre>
```

```
T mySum = (i < n) ? g_idata[i] : 0;
if(i + blockSize < n) {
    mySum += g_idata[i+blockSize];
}
sdata[tid] = mySum;
__syncthreads();</pre>
```

	Throughput GB/s
Kernel 0	16
Kernel 1	20
Kernel 2	31
Kernel 3	63

Unrolling

- The next steps get more complicated.
- We need the compiler to be more effective.
- The last warp is a bit different.
- All threads in that warp are by definition synchronized.
- __syncthreads() is not needed.
- Let's just write a specialized routine for this.

Last warp

We write separate code for the very end.

```
// do reduction in shared mem
for(unsigned int s=blockDim.x/2; s>32; s>>=1) {
    if(tid < s) {</pre>
        sdata[tid] += sdata[tid + s];
    __syncthreads();
// fully unroll reduction within a single warp
if(tid < 32) {
    warpReduce<T,blockSize>(sdata, tid);
}
```

```
template <class T, unsigned int blockSize>
__device__ void warpReduce(volati(le T* sdata, in) tid) {
   if(blockSize >= 64) {
        sdata[tid] += sdata[tid + 32];
   }
   if(blockSize) = 32) {
        sdata[tid] + sdata[tid + 16];
   if(blockSize >= 16) {
        sdata[tid] += sdata[tid + 8];
   if(blockSize >= 8) {
        sdata[tid] += sdata[tid + 4];
   if(blockSize >= 4) {
        sdata[tid] += sdata[tid + 2];
   if(blockSize >= 2) {
        sdata[tid] += sdata[tid + 1];
```

- All the if statements are optimized away by the compiler.
- We manually write out all the operations so the compiler can produce better code.

That was actually worth it

	Throughput GB/s
Kernel 0	16
Kernel 1	20
Kernel 2	31
Kernel 3	63
Kernel 4	70

Let's do this for the main loop as well

```
// do reduction in shared mem
#pragma unroll

for(unsigned int s=blockSize/2;) s>32; s>>=1) {
    if(tid < s) {
        sdata[tid] += sdata[tid + s];
    }

__syncthreads();
}</pre>
```

- The loop size is known at compile time.
- So the compiler can completely unroll this.

One more step closer to heaven

	Throughput GB/s
Kernel 0	16
Kernel 1	20
Kernel 2	31
Kernel 3	63
Kernel 4	70
Kernel 5	74

One more obvious optimization

- Right now, we are using one thread per entry in the vector (actually, no. of threads = n/2).
- However, it is more efficient to fix the total number of threads, and have each thread do a local reduction first.
- This produces better code because doing a local reduction is more efficient than doing everything using a reduction tree.
- In addition, this produces fewer partial sum values at the end.
 (Remember that so far we only have each block produce a partial sum.)

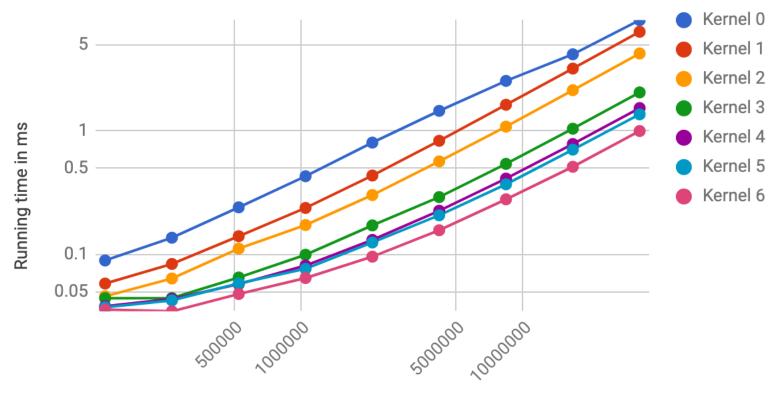
```
while(i < n) {
    mySum += g_idata[i];
    i += gridSize;
}

// each thread puts its local sum into shared memory
sdata[tid] = mySum;
__syncthreads();</pre>
```

	Throughput GB/s
Kernel 0	16
Kernel 1	20
Kernel 2	31
Kernel 3	63
Kernel 4	70
Kernel 5	74
Kernel 6	105

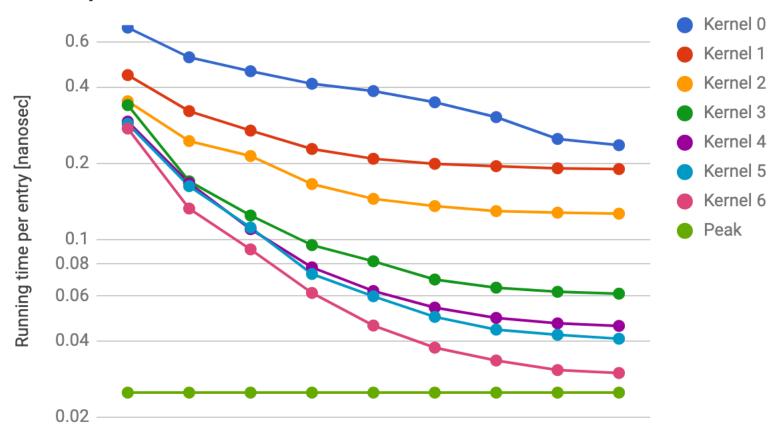
The great shmoo plot

Shmoo plot



Running time per vector entry

Shmoo plot



One final point

How should we do the reduction across the different blocks? Different options:

- Write another kernel that runs with a single block and does the final reduction. Time to run final kernel is negligible.
- Send partial sum results back to CPU and sum on CPU. Also fast whenever possible.
- Use atomics:

```
T atomicAdd(T* address, T val);
atomicAdd(g_odata, sdata[0]);
```

Atomics table

```
atomicAdd()
atomicSub()
atomicExch()
                   exchange
atomicMin()
atomicMax()
atomicInc()
                   increment integer
atomicDec()
atomicCAS()
                   compare and exchange
atomicAnd()
                   bitwise operation
atomicOr()
atomicXor()
```