Power

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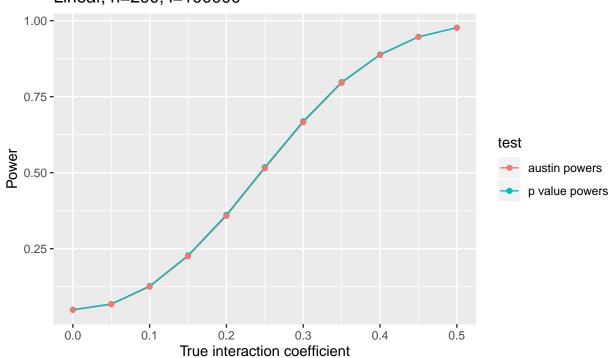
Power

Linear

Scenario 1

$$\begin{split} & \text{iterations} = 100000 \ n = 200 \\ & \text{true interaction coefficients} = \text{seq}(0, \, 0.5, \, 0.05) \\ & \text{exp.coefs} = c(I = \text{-}0.4, \, X = 0.01) \\ & \text{med.coefs} = c(I = 3, \, Z = 2, \, X = 0.05, \, ZX = 0) \\ & \text{out.coefs} = c(I = 5, \, Z = 1, \, M = 0.5, \, ZM = 0, \, X = 0.05, \, ZX = 0, \, MX = 0, \, ZMX = 0) \end{split}$$

Linear, n=200, i=100000



Estimated power differences (sum(p.values.def.test<0.05)/iter - sum(p.values.p.test<0.05)/iter) for each value of interaction:

[1] -0.00093 -0.00124 -0.00208 -0.00249 -0.00341 -0.00335 -0.00337 -0.00236 ## [9] -0.00150 -0.00099 -0.00040 t-test of group differences. Eftersom alla har samma tecken är det supersignifikant.

```
##
## Paired t-test
##
## data: austin.powers and p.value.powers
## t = -6.1884, df = 10, p-value = 0.000103
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -0.002734934 -0.001286884
## sample estimates:
## mean of the differences
## -0.002010909
```