


Lab2 Running Time Survey

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- ▶ This week, let's do a running time survey.
 - ▶ A simple frame for you to do the running time survey of different algorithms on inputs of increasing size.

RunningTimeSurvey.java

How to use?

- ▶ You should register your tasks and methods in the taskList

You can change the number according your computer configuration

```
//      task name      function name      run times upper
static String[][] taskList = {
    { "LinearTimeTest",    "linearTime",    "10000000" },
    { "LinearTimeTest",    "linearTimeCollections", "10000000" },
    /*
    * { "NlognTimeTest",    "NlognTime",    "1000000"},
    * { "QuadraticTimeTest", "QuadraticTime", "100000"},
    * { "CubicTimeTest",    "CubicTime",    "1000"},
    * { "ExponentialTimeTest", "QuadraticTime", "10"},
    * { "FactorialTimeTest", "FactorialTime", "10" }
    */
};
```

LinearTimeTest

Since “linearTime” is registered for “LinearTimeTest”, you should define a function named linearTime, which looks like the following code:

```
public static long linearTime(int n) {  
    long[] list = new long[n];  
    generateList(n, list);  
    long timeStart = System.currentTimeMillis();  
    getMax(n, list);  
    long timeEnd = System.currentTimeMillis();  
    long timeCost = timeEnd - timeStart;  
    return timeCost;  
}
```

You can first write a function to generate data for your following algorithm.

Implements a Linear algorithm, for example, computing the maximum.

```
max ← a1  
for i = 2 to n {  
    if (ai > max)  
        max ← ai  
}
```

You can also choose other linear time algorithms.

$O(n \log n)$ TimeTest

- ▶ You should register a new task named “NlognTimeTest”.
- ▶ You should register a function named “NlognTime”, the input parameter should be int, the return type should be long.
- ▶ You should generate your test data for your algorithm.
- ▶ You should implement your algorithm which running time is required, for example, heap sort.

```
public static long NlognTime(int n) {  
    //TODO:generate you test input data here  
    long timeStart = System.currentTimeMillis();  
    //TODO: write a algorithm  
    long timeEnd = System.currentTimeMillis();  
    long timeCost = timeEnd - timeStart;  
    return timeCost;  
}
```

QuadraticTimeTest

- ▶ Optional:
- ▶ Closest pair of points. Given a list of n points in the plane $(x_1, y_1), \dots, (x_n, y_n)$, find the pair that is closest.
- ▶ $O(n^2)$ solution. Try all pairs of points.

```
min ←  $(x_1 - x_2)^2 + (y_1 - y_2)^2$ 
for i = 1 to n {
    for j = i+1 to n {
        d ←  $(x_i - x_j)^2 + (y_i - y_j)^2$ 
        if (d < min)
            min ← d
    }
}
```

CubicTimeTest

- ▶ Optional:
- ▶ Set disjointness. Given n sets S_1, \dots, S_n each of which is a subset of $1, 2, \dots, n$, is there some pair of these which are disjoint?
 $O(n^3)$ solution: For each pairs of sets, determine if they are disjoint.

```
foreach set  $S_i$  {  
    foreach other set  $S_j$  {  
        foreach element  $p$  of  $S_i$  {  
            determine whether  $p$  also belongs to  $S_j$   
        }  
        if (no element of  $S_i$  belongs to  $S_j$ )  
            report that  $S_i$  and  $S_j$  are disjoint  
    }  
}
```

ExponentialTimeTest

- ▶ Given n bits, enumerate all possible Number.

FactorialTimeTest

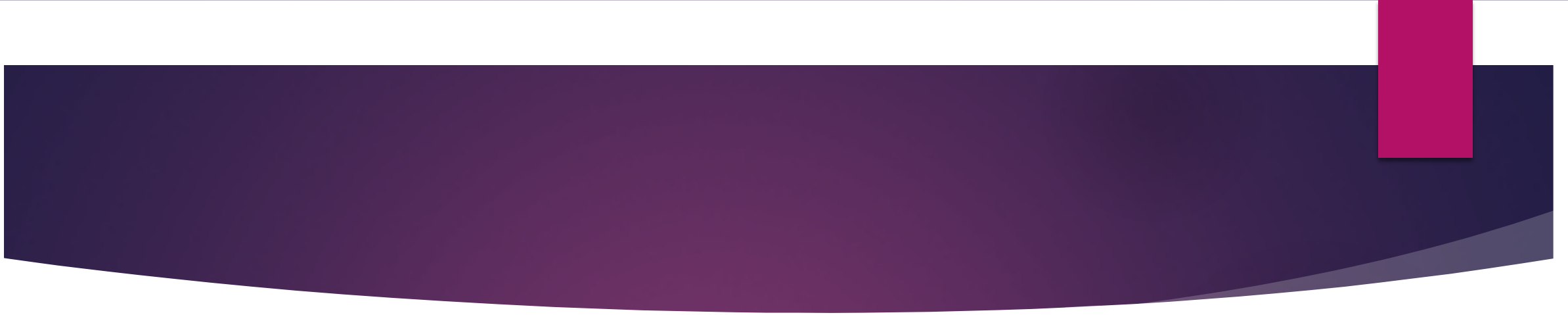
- Brute force to compute factorial n

```
Factorial(n) {  
    if (n == 1) return 1;  
    else {  
        sum <- 0;  
        for (i = 1 to n) {  
            sum <- sum + Factorial(n - 1);  
        }  
        return sum;  
    }  
}
```

Optional: KPolynomialTimeTest

- ▶ Independent set of size k . Given a graph, are there k nodes such that no two are joined by an edge?
- ▶ $O(nk)$ solution. Enumerate all subsets of k nodes.

```
foreach subset S of k nodes {  
    check whether S is an independent set  
    if (S is an independent set)  
        report S is an independent set  
}  
}
```



A sample run:

RunningTimeSurvey.xls... 在工作表中搜索

开始 插入 页面布局 公式 数据 审阅 视图 共享

粘贴 字体 对齐方式 编号 条件格式 套用表格格式 单元格样式 单元格 编辑

A1

	A	B	C	D	E	F	G	H	I
1			n = 10	n = 100	n = 1000	n = 10000	n = 100000	n = 1000000	n = 10000000
2	LinearTimeTest	linearTime	0	0	0	0	2	3	8
3	LinearTimeTest	linearTimeCollections	0	0	0	1	5	20	191
4									
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RunningTime + 100%