

Answer to the Question no: a

For one Building,

Given

$$\begin{aligned}\text{Time } t &= 2.0 \text{ hours} \\ &= 2 \times 60 \times 60 \text{ s} \\ &= 7200 \text{ s}\end{aligned}$$

Assuming 1 story  
= 3m

$$\text{Height of Building} = (3 \times 6) = 18 \text{ m}$$

$$\begin{aligned}\text{Length of pipe } L &= (2 + 3 + 2 + 18 + 3 + 4.1) \text{ m} \\ &= 30.3 \text{ m}\end{aligned}$$

$$\begin{aligned}\text{Diameter of pipe } D &= 2.54 \text{ cm} \\ &= 0.0254 \text{ m}\end{aligned}$$

$$\begin{aligned}\text{Cross section Area of pipe } A &= \frac{\pi}{4} \times D^2 = \frac{\pi}{4} (0.0254)^2 \\ &= 5.067 \times 10^{-4} \text{ m}^2\end{aligned}$$

$$\begin{aligned}\text{Volume of Tank, } V_0 &= (5.5 \times 4.5 \times 3.5) \text{ m}^3 \\ &= 86.625 \text{ m}^3\end{aligned}$$

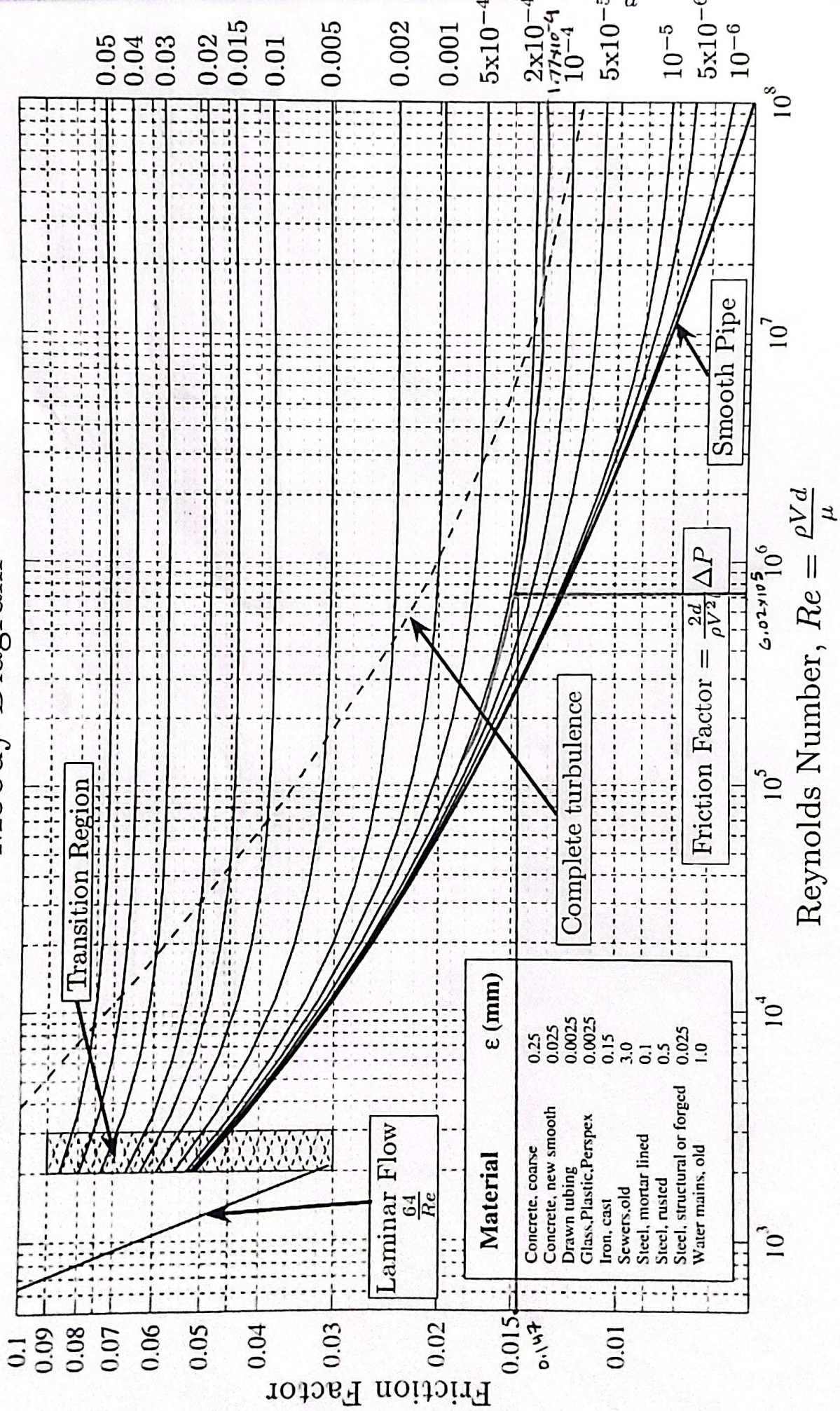
$$\begin{aligned}\text{So,} \\ \therefore \text{Flow Rate } Q &= \frac{V_0}{t} = \frac{86.625 \text{ m}^3}{7200 \text{ s}} = 0.01203 \text{ m}^3/\text{s}\end{aligned}$$

again,

$$\begin{aligned}\text{Velocity of water. } v &= \frac{Q}{A} \quad [Q = vA] \\ &= \frac{0.01203 \text{ m}^3/\text{s}}{5.067 \times 10^{-4} \text{ m}^2} = 23.74 \text{ m s}^{-1}\end{aligned}$$



# Moody Diagram





Given,

$$\text{Surface Roughness } \epsilon = 0.0045 \text{ mm} \\ = 0.0045 \times 10^{-3} \text{ m}$$

So

$$\text{Relative Roughness, } \frac{\epsilon}{D} = \frac{0.0045 \times 10^{-3} \text{ m}}{0.0254 \text{ m}} \\ = 1.77 \times 10^{-4}$$

Now

Raynold's Number

$$Re = \frac{\rho v D}{\mu} \\ = \frac{1000 \text{ kg/m}^3 \times 23.74 \text{ m/s} \times 0.0254 \text{ m}}{1.0016 \times 10^{-3} \frac{\text{Ns}}{\text{m}^2}}$$

$$= 602032.74 > 4000$$

So flow is turbulent.

From Moody Diagram,

$$\text{friction factor } f = 0.0147$$

Assuming  
viscosity  $\mu = 1.0016 \times 10^{-3} \frac{\text{Ns}}{\text{m}^2}$   
at  $20^\circ\text{C}$   
 $\rho = 1000 \text{ kg/m}^3$

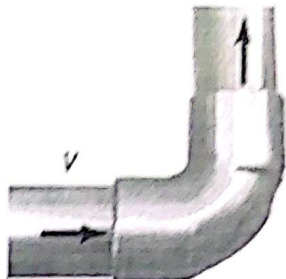
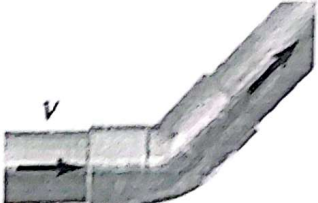
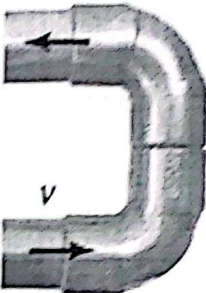
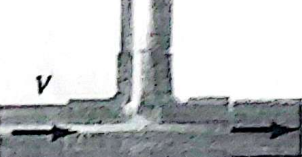
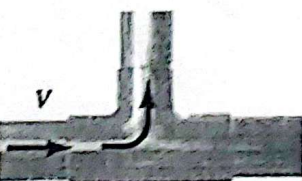
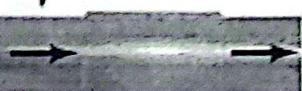

Component	$K$		
<b>a. Elbows</b>			
Regular 90°, flanged	0.3	 90° elbow	
Regular 90°, threaded	1.5		
Long radius 90°, flanged	0.2		
Long radius 90°, threaded	0.7		
Long radius 45°, flanged	0.2		
Regular 45°, threaded	0.4	 45° elbow	
<b>b. 180° return bends</b>			
180° return bend, flanged	0.2	 180° return bend	
180° return bend, threaded	1.5		
<b>c. Tees</b>			
Line flow, flanged	0.2	 Tee	
Line flow, threaded	0.9		
Branch flow, flanged	1.0		
Branch flow, threaded	2.0		
<b>d. Union, threaded</b>		0.08	 Tee
<b>e. Valves</b>			
Globe, fully open	10	 Tee	
Angle, fully open	2		
Gate, fully open	0.15	 Union	
Gate, $\frac{1}{4}$ closed	0.26		
Gate, $\frac{1}{2}$ closed	2.1		
Gate, $\frac{3}{4}$ closed	17		
Swing check, forward flow	2		
Swing check, backward flow	$\infty$		
Ball valve, fully open	0.05		
Ball valve, $\frac{1}{3}$ closed	5.5		
Ball valve, $\frac{2}{3}$ closed	210		

Table: Loss coefficient for pipe components



Bernoulli's Equation,

when pump's are used

$$\frac{P_1}{\gamma} + \frac{V_1^2}{2g} + Z_1 + h_{\text{pump}} = \frac{P_2}{\gamma} + \frac{V_2^2}{2g} + Z_2 + h_{\text{Lf}}$$

in this case,

$$h_{\text{pump}} = Z_2 + h_{\text{Lf}} = Z_2 + h_{\text{Lf major}} + h_{\text{Lf minor}}$$

~~For~~ major Head loss,

for turbulent flow

$$\begin{aligned} h_{\text{Lf major}} &= \frac{f L V^2}{2g D} \\ &= \frac{0.0147 \times 30.3 \times (23.74)^2}{2 \times 9.81 \times 0.0254} \\ &= 503.72 \text{ m} \end{aligned}$$

For minor Head loss,

we have 4 90° angle (Assuming flanged)

with Loss coefficient  $K_L = 0.3$

we have 1 union (Assuming Threaded) with

Loss coefficient  $K_L = 0.08$

we have 2 Gate valve (Assuming fully open)

with Loss coefficient  $K_L = 0.15$

Now

$$\begin{aligned}\text{Minor Head loss } h_{f \text{ minor}} &= \sum K_L \frac{v^2}{2g} \\ &= (0.3 \times 4 + 0.08 \times 5 + 0.15 \times 2) \\ &\quad \times \frac{(23.74)^2}{2 \times 9.81} \\ &= 1.9 \times \frac{(23.74)^2}{2 \times 9.81} = \frac{54.57}{56.87} \text{ m}\end{aligned}$$

From Building figure,

$$Z_2 = 2 + (3 \times 6) + 3 = 23 \text{ m}$$

From

Bernoulli's Equation,

$$\begin{aligned}h_{\text{pump}} &= Z_2 + h_{f \text{ major}} + h_{f \text{ minor}} \\ &= 23 + 503.72 + 56.87 \text{ m} \\ &= 583.59 \text{ m}\end{aligned}$$

So,

$$\text{Power of Pump } P_{\text{pump}} = \rho g Q h_{\text{pump}}$$

$$= 1000 \times 9.81 \times 0.01203 \times 583.59 = 68600.53$$

$$= 68.6 \text{ kW}$$

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$$= 68.6 \text{ kW}$$



Answer to the Ques No: 6

Given,

$$\text{Pump Efficiency } \eta_{\text{pump}} = 60\% = 0.6$$

$$\text{Motor Efficiency } \eta_{\text{motor}} = 78\% = 0.78$$

$$\begin{aligned}\text{Machine efficiency } \eta_{\text{machine}} &= \eta_{\text{pump}} \times \eta_{\text{motor}} \\ &= 0.6 \times 0.78 \\ &= 0.468 = 46.8\%\end{aligned}$$

From (a)

$$P_{\text{pump}} \text{ or } P_{\text{out}} = \frac{68.6}{0.468} \text{ Kilo watt}$$

$$\begin{aligned}\therefore \eta_{\text{machine}} &= \frac{P_{\text{out}}}{P_{\text{in}}} \\ \Rightarrow P_{\text{in}} &= \frac{P_{\text{out}}}{\eta_{\text{machine}}} = \frac{68.6}{0.468} = 146.58 \text{ Kilo watt}\end{aligned}$$

The motor operates 2 time a day for 2 hours

So Time for 30 days or a month

$$t = 2 \times 2 \times 30 = 120 \text{ hour}$$

We know,

$$\text{Energy} = \text{Power} \times \text{time}$$

$$= \frac{146.58}{147.158} \text{ kilowatt} \times 120 \text{ hours}$$

$$= 17589.74 = \cancel{17658.96} \text{ kilowatt hours}$$

$$\text{Kilowatt hour} = \cancel{17658.96} \text{ unit per month}$$

$$= 17589.74 \text{ unit} = \cancel{6.357 \times 10^{10}} \text{ Joule}$$

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