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"I pledge my honor that I have abided by the Stevens Honor System."

Problem 1:

- A. Variables i, j, m, n
- B. The Variable A and the 2d array Anew
- C. The program would be slower because the structure of the array is `[[j]][i]`. (further explanation below)

2d Array:

1	2	3	4
5	6	7	8

Memory Structure:

1
2
3
4
5
6
7
8

As you can see the matrix is stored in memory row by row. So if the outer loop is i and the inner loop is j, then we would be going column by column meaning we would first visit **(row 1 column 1)**, **(row 2 column 1)**, **(row 3 column 1)**, we would then move on to the next column. This means that instead of going in sequence down the stack/memory, we would have to jump to different parts of the memory, making the program with the new changes slower.

Problem 2:

A.

Reference	Binary Word Address	Index	Tag	hit/miss
0x43	1000011	$1000011 \% 10000 =$ 0011	100	miss
0xc4	11000100	$11000100 \% 10000 =$ 0100	1100	miss
0x2b	101011	$101011 \% 1000 =$ 1011	10	miss
0x42	1000010	$1000010 \% 10000 =$ 0010	100	miss
0xc5	11000101	$11000101 \% 10000 =$ 0101	1100	miss
0x28	101000	$101000 \% 10000 =$ 1000	10	miss
0xbe	10111110	$10111110 \% 10000 =$ 1110	1011	miss
0x05	101	$101 \% 10000 =$ 0101	0	miss
0x92	10010010	$10010010 \% 10000 =$ 0010	1001	miss
0x2a	101010	$101010 \% 1000 =$ 1010	10	miss
0xba	10111010	$10111010 \% 10000 =$ 1010	1011	miss

0xbd	10111101	10111101% 10000 = 1101	1011	miss
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B.

hex	binary	tag	index	offset	hit/miss
0x43	10000 11	100	001	1	miss
0xc4	11000 100	1100	010	0	miss
0x2b	10101 1	10	101	1	miss
0x42	10000 10	100	001	0	hit
0xc5	11000 101	1100	010	1	hit
0x28	10100 0	10	100	0	miss
0xbe	10111 110	1011	111	0	miss
0x05	101	0	010	1	miss
0x92	10010 010	1001	001	0	miss
0x2a	10101 0	10	101	0	hit
0xba	10111 010	1011	101	0	miss
0xbd	10111 101	1011	110	1	miss

Problem 3:

a.)

$$(8*30).5 = 12$$

$$(16*30).3 = 14.1$$

$$(32*30).02 = 19.2$$

$$(64*30).02 = 19.2$$

$$(128*30).011 = 42.24$$

8 bytes is the optimal block size

b.)

$$(8+24)*.05=1.6$$

$$(16+24)*.03=1.2$$

$$(32+24)*.02=1.12$$

$$(64+28)*.015=1.32$$

$$(128+24)*.011=1.672$$

32 bytes is the optimal block size.

c.)

The largest block size, 128, is the optimal one since the latency is constant.

Problem 4:

A.)

$$512 \text{ block} = 2^n, n=9.$$

$$1\text{-word block: } 2^m, m=2$$

$$64-9 = 55$$

53 bits for the tag, 9 bits for the index, 2 bits for the offset

B.)

$$64 \text{ blocks} = 2^n, n=6.$$

$$8\text{-word blocks} = 2^m, m=5.$$

$$64-(6+3) = 55$$

53 bits for the tag, 6 bits for the index, 5 bits for the offset

C.)

(Using the following equation: $2^n (2^m * 35 + 63 - n - m)$)

$$1. 2^9(32 + 63 - 9) = 44,032$$

$$44032/64 = 688/1 \text{ bit}$$

$$2. 2^6(2^3 * 35 + 63 - 9 - 3) = 19,648$$

$$19648/64 = 307/1 \text{ bit}$$

D.)

2 way associative

54 for the tag

8 for the index

2 for the offset

Problem 5:

	Tag	Data	Tag	Data	Tag	Data	Tag	Data
00								
01	101101011	Mem[0xb2d]						
10	1100010010	Mem[0xc4a]	100100100	Mem[0x492]	001010 1000	Mem[0x2a2]	0011101110	Mem[0x3ba]
11	0001010000	Mem[0x143]	0010001010	Mem[0x22b]	010000 1011	Mem[0x42f]		