

# FACULTY OF ENGINEERING DEPARTMENT OF INDUSTRIAL ENGINEERING ISE344 SIMULATION PROJECT

# **BARBERSHOP QUEUE OPTIMIZATION**

## **TEAM MEMBERS**

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## 1. INTRODUCTION

In the realm of Simulation lesson, our group has identified a pertinent and common challenge faced by service-oriented businesses, within the context of a barber shop. The issue at hand revolves around the efficiency of the queue management system, which directly impacts customer satisfaction, service delivery, and overall business performance.

## **Background:**

Barber shops traditionally operate on a first-come, first-served basis, with customers waiting in a queue until a barber becomes available. However, inefficiencies in the queue management process or other problems like inefficient tools, insufficient number of employees etc. can lead to longer waiting times, customer dissatisfaction, and potential revenue loss. Factors such as varying service times, walk-in clients, and the unpredictable nature of service demand contribute to the complexity of this challenge.

# **Objective:**

Our primary objective is to optimize the queue management system (it can be include anything to make the process faster like buying a new razor) in the barbershop to enhance overall efficiency, reduce customer waiting times, and improve the utilization of barber resources. By doing so, we aim to create a positive impact on customer experience, staff productivity, and the profitability of the business.

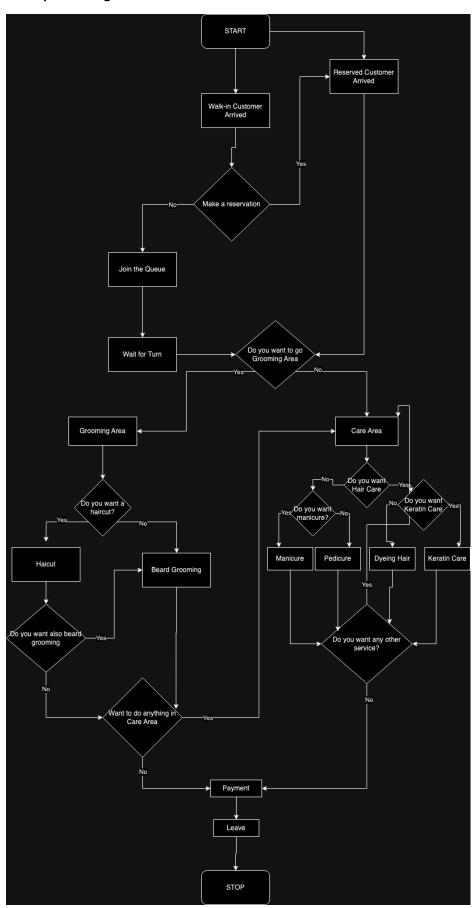
#### Rationale:

- **Customer Satisfaction:** Long waiting times negatively impact customer satisfaction. By implementing an efficient queue management system, we aim to enhance the overall experience for clients, leading to increased loyalty and positive word-of-mouth.
- Resource Utilization: Barbers are a valuable resource, and their time should be utilized
  optimally. By understanding the dynamics of service demand and improving the scheduling
  of appointments, we can ensure that barber resources are allocated efficiently.
- Revenue Optimization: All businesses want to make more profit. An efficient queue
  management process can result in increased customer turnover, leading to higher revenue.
  Additionally, the potential introduction of appointment scheduling may attract more diverse
  clients, including those with busier schedules.

## **Expected Outcomes:**

- Identification of an optimal queue management strategy that maximizes the profit.
- Increasing customer satisfaction by reducing waiting time. (We accept that there is an increase in customer satisfaction when service time decreases.)
- Recommendations for implementing the proposed changes in the real-world barber shop setting.

# **Conceptual Design**



## 2. DATA COLLECTION AND INPUT ANALYSIS

INTE	RARRIVAL TIN	ΛES	INTERARRIVALS TIMES				
#	Minute	Hour	#	Minute	Hour		
1	60	1,00	31	12	0,20		
2	22	0,37	32	10	0,17		
3	21	0,35	33	15	0,25		
4	60	1,00	34	15	0,25		
5	60	1,00	35	19	0,32		
6	30	0,50	36	60	1,00		
7	19	0,32	37	0	0,00		
8	0	0,00	38	34	0,57		
9	27	0,45	39	21	0,35		
10	43	0,72	40	22	0,37		
11	9	0,15	41	0	0,00		
12	31	0,52	42	19	0,32		
13	57	0,95	43	34	0,57		
14	28	0,47	44	12	0,20		
15	22	0,37	45	25	0,42		
16	0	0,00	46	49	0,82		
17	22	0,37	47	16	0,27		
18	60	1,00	48	12	0,20		
19	16	0,27	49	0	0,00		
20	15	0,25	50	19	0,32		
21	64	1,07	51	34	0,57		
22	0	0,00	52	19	0,32		
23	52	0,87	53	34	0,57		
24	16	0,27		AVERAGE	0,42		
25	21	0,35		•			
26	63	1,05					
27	31	0,52					
28	0	0,00					
29	0	0,00					
30	13	0,22					

	SERVICE TIME (Hours)									
	Haircut	Beard	Manicure	Pedicure	DyeinHair	Keratin				
	0,97	0,20	0,30	0,22	0,40	0,23				
	0,67	0,12	0,25	0,25	0,30	0,25				
	0,73	0,20	0,28	0,22	0,48	0,28				
	0,82	0,15	0,20	0,20	0,38	0,18				
	0,87	0,17	0,20	0,20	0,40	0,20				
	0,53	0,12	0,23	0,27	0,32	0,28				
	0,87	0,18	0,30	0,27	0,40	0,33				
	0,87	0,18	0,22	0,25	0,38	0,27				
	0,97	0,18	0,28	0,25	0,50	0,22				
	1,05	0,22	0,28	0,27	0,33	0,20				
	1,02	0,22	0,20	0,28	0,38	0,30				
	0,58	0,15	0,28	0,27	0,25	0,25				
	0,87	0,22	0,30	0,23	0,38	0,23				
	0,52	0,22	0,25	0,28	0,45	0,22				
	0,82	0,22	0,23	0,30	0,38	0,23				
	1,03	0,08	0,23	0,27	0,25	0,18				
	0,73	0,10	0,22	0,27	0,28	0,23				
	0,80	0,17	0,22	0,25	0,28	0,27				
	0,80	0,10	0,20	0,30	0,30	0,32				
	0,67	0,08	0,22	0,28	0,25	0,18				
	0,67	0,13	0,25	0,22	0,25	0,28				
	0,55	0,20	0,23	0,22	0,48	0,27				
	0,62	0,12	0,25	0,22	0,30	0,23				
	0,98	0,15	0,30	0,25	0,38	0,20				
	1,03	0,12	0,28	0,23	0,30	0,33				
	0,90	0,15	0,25	0,27	0,35	0,27				
	0,73	0,13	0,25	0,28	0,43	0,25				
	1,03	0,20	0,27	0,22	0,45	0,18				
	0,93	0,17	0,30	0,25	0,43	0,22				
	0,80	0,13	0,23	0,22	0,38	0,33				
	0,80	0,08	0,23	0,22	0,38	0,27				
AVERAGE	0,81	0,16	0,25	0,25	0,36	0,25				

	PROBABILITIES						
HAİR BEARD CARE AREA							
0.7	0.7 0.5 0.2						

If a customer goes to Care Area it is equally likely to go manicure, pedicure, hair dyeing or keratin care.(0.05 each)

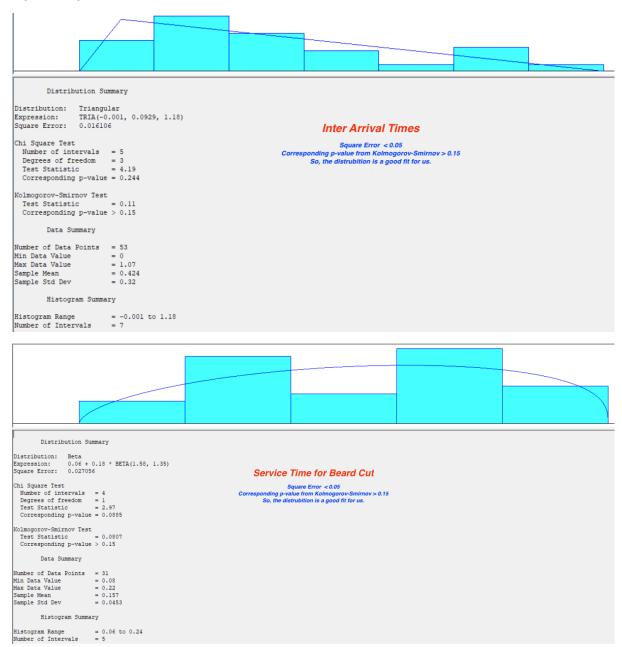
The "Probabilites" dataset is the historical Data about when a customer steps in the shop what is the probability of taking a service, we get the historical data from the owner of the barber shop.

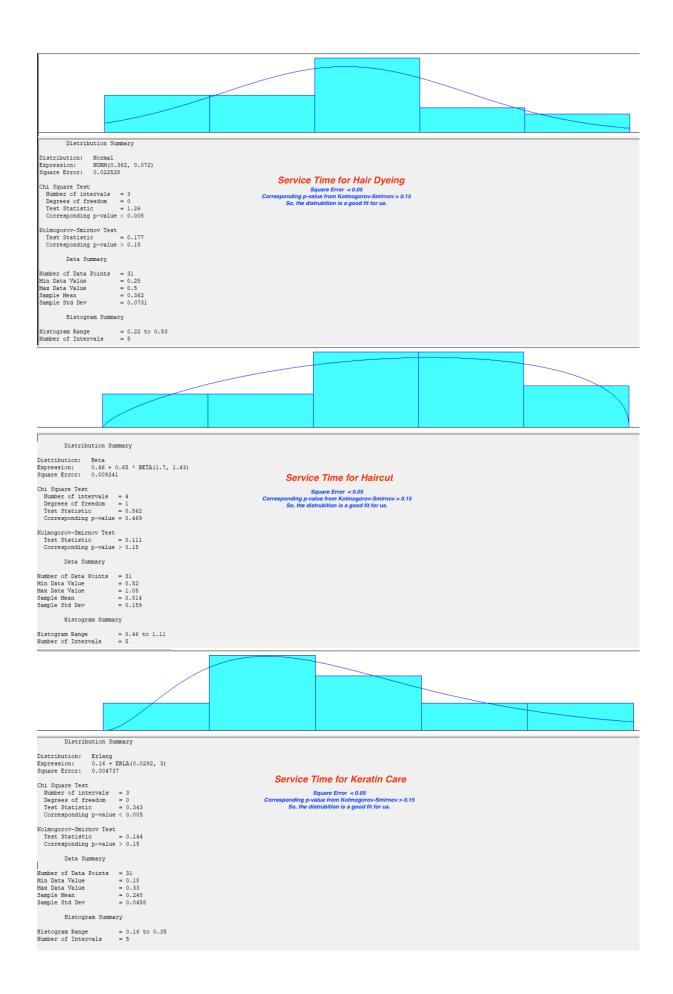
Scheduled Customer Total Time(Hours)									
0.8	0.92	0.78	0.9	1.01	0.68	0.87	1.25	0.91	0.8
1.03	0.85	1	1.2	0.9	0.85	0.92	1.1	1.02	0.84
0.75	0.96	1.3	0.88	0.98	1.05	0.73	0.9	1.15	0.97
0.88	1.03	1.1	1.05	0.72	0.91	0.98	0.81	0.92	1.1
1.28	1.08	0.96	1.3	0.88	1.16	1.05	0.9	0.77	0.82

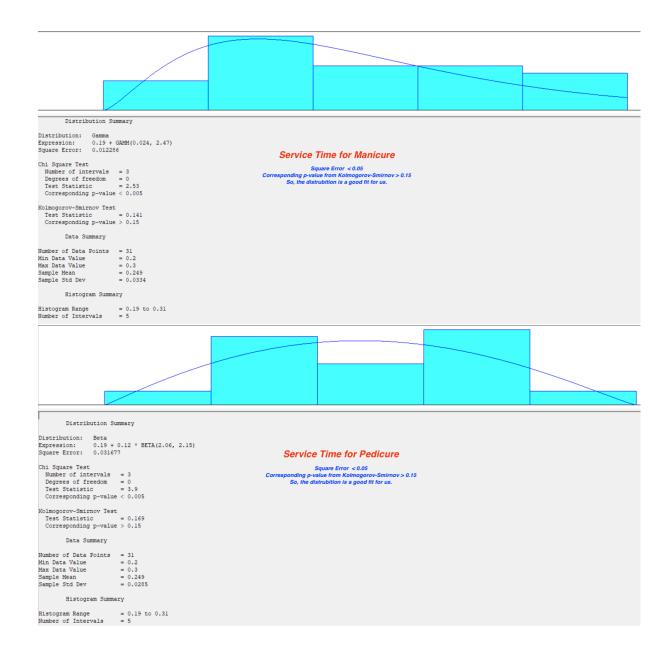
Walk-In Customer VA Time				
0.54	0.87	0.79	0.94	0.82
0.85	0.96	0.91	0.79	0.73
0.69	0.7	0.88	0.6	0.67
0.7	0.74	0.55	0.61	0.64
0.75	0.7	0.63	0.39	0.72
0.48	0.83	0.85	0.48	0.68
0.55	0.63	0.55	0.74	0.46
0.69	0.67	0.8	0.65	0.53
0.66	0.72	0.79	0.58	0.62
0.81	0.68	0.55	0.56	0.87

	Sample Schedule from a day of working							
Time	Hairdresser1	Hairdresser2	Care Area Worker					
9am	0	0	0					
10am	0	1	0					
11am	0	0	0					
12pm	1	1	0					
1pm	1	0	0					
2pm	1	0	1					
3pm	0	0	0					
4pm	1	1	0					
5pm	1	1	0					
6pm	1	1	1					
7pm	0	1	0					
8pm	0	1	0					
9pm	0	0	0					

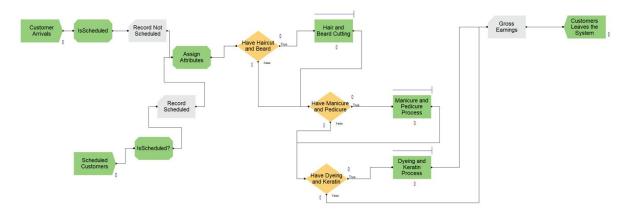
## **Input Analysis**







#### 3. SIMULATION MODEL



We have 2 input(Customer) generation model:

- 1- Walk-in Customers ("Customer Arrivals" in arena model)
  - a. Implemented by the statistical distribution of interarrival time data
  - b. Assigned "ScheduledCustomer" attribute as 0.
- 2- Scheduled Customers ("Sheduled Customer" in arena model)
  - a. İmplemented by the Schedule that we get from the barber shop, "sample schedule from a day of working" data.
  - b. Assigned "ScheduledCustomer" attribute as 1.
- The "ScheduledCustomer" attribute assigned because the arena model should prioritize the scheduled customer, model does it due to highest attribute value of assigned attribute.

In the "Assign Attributes" part of the model, the attributes are assigned to BeardCut, Haircut, Manicure, Pedicure, Dyeing, and Keratin services as 1 if the service will be used, 0 otherwise. This assignment occurs due to "Probabilities" data, which is a set of historical data that we gather from the barbershop's owner.

In the decision parts of the model:

```
if\ BeardCut + Haircut \geq 1\ returns\ True, \qquad else\ returns\ False. if\ Pedicure + Manicure \geq 1\ returns\ True, \qquad else\ returns\ False if\ Dyeing + Keratin \geq 1\ returns\ True, \qquad else\ returns\ False
```

Equations are used because beard and hair cutting, pedicure and manicure, dyeing a hair and keratin events take place without the customer getting up from their seats, but for example, someone who wants to get a manicure after a haircut must get up and change seats.

For the process part of the model:

$$Haircut*(0.46+65*BETA(1.7,1.43)) + BeardCut(0.06+0.18*BETA(1.58,1.35))$$

$$Manicure*(0.19+GAMM(0.024,2.47)) + Pedicure*(0.19+0.12*BETA(2.06,2.15))$$

$$Keratin*(0.16+ERLA(0.0292,3)) + Dyeing(NORM(0.362,0.72))$$

Equations are used. if the customer does not use a service it will be zero because the service attribute will be zero due to the "Assign Attributes" part, the statistical distributions are the distributions that found with input analysis.

• The fixed capacities are specified in the model.

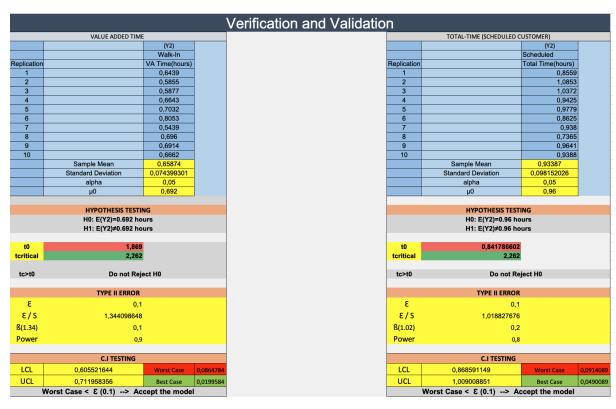
Worker's Area	Capacity
Cutting Area	2
Care Care	1

After all processes are finished the model counts the Gross Earnings.

$$\sum_{service} (Price \ of \ the \ service) * (Service)$$

Then customer leaves the system.

## 4. VERIFICATION AND VALIDATION



In the validation and verification of the simulation model, historical data means were utilized for comparison with the simulation outputs through a t-test, which ultimately concluded that there is no significant difference, affirming the model's adequacy. Additionally, a power analysis for Type II error indicated sufficiently high power levels at 90% and 80%, minimizing the risk of overlooking significant differences. Confidence interval testing further supported the validation, revealing that the simulation and real system data are close enough as the confidence interval contains the hypothesis mean ( $\mu$ 0). The decision rule, considering worst-case error bounds, the model is accepted worst-case error is <-error. In conclusion, our methodology, which includes hypothesis testing, power analysis, and confidence interval testing, strongly supports the validity of our simulation model with no identified reasons for its invalidation.

## 5. OUTPUT ANALYSIS

OUTPUT ANALYSIS									
		CI ESTI	MATION	ı					
	Ro	5				Yi	(Yi - \bar{Y})2		
					1	0,8559	0,0060793		
					2	1,0853	0,022931		
	So <sup>2</sup>	0,021676095			3	1,0372	0,0106771		
					4	0,9425	7,448E-05		
	3	0,1			5	0,9779	0,0019386		
					6	0,8625	0,0050937		
					7	0,938	1,706E-05		
	( <b>Z</b> 0.025* <b>S</b> 0 / <b>ε</b> )²	8,327088751			8	0,7365	0,0389549		
					9	0,9641	0,0009139		
					10	0,9388	2,43E-05		
	R	9	10	11		Ÿ	0,93387		
	to.025, R-1	2,306	2,262	2,228		∑(Yi - Ÿ)²	0,0867044		
	( to.025, R-1 *So / E ) ^2	11,52655844	11,090886	10,759979					
	R = 11 is the smallest integer satisfying the e				) = 6 replica	tion neede	d.		
		, ,							
	Confidance Interval	(0.86, 1.00)	Prediction I	nterval	(0.71, 1.16)				
LCL	0,864716454		0,7054634				PI > CI		
UCL	1,003023546		1,1622766			Р	I is wider than CI		

In a statistical sampling scenario, an initial sample of size R0=5 was taken, yielding an initial estimate of the population variance  $S0^2=0.0216$ . The desired final sample size, guided by an error criterion  $\varepsilon=0.1$  and a confidence coefficient  $1-\alpha=0.95$ , was determined to be  $8.32^9$ . Resulting in a total of R is 11, this necessitates an additional 6 replications beyond the initial 5. Notably, the prediction interval for individual observations is expected to be wider than the confidence interval for the mean, reflecting the inherent variability in both individual data points and the sample mean.

#### 6. COMPARISON OF ALTERNATIVES

Cor	Comparison of Current Model And Alternative Model									
			7							
	Y1	Y2			Y1-Y2(D)	(D - D_avg)^2				
Replication	Current Model	Alternative Model			-3300.00	640000.00				
1	14750.00	18050.00			-3700.00	1440000.00				
2	11950.00	15650.00			-800.00	2890000.00				
3	13900.00	14700.00			-500.00	4000000.00				
4	11200.00	11700.00			-4550.00	4202500.00				
5	12700.00	17250.00			-2000.00	250000.00				
6	14450.00	16450.00			-3200.00	490000.00				
7	9850.00	13050.00			-3800.00	1690000.00				
8	12850.00	16650.00			-2650.00	22500.00				
9	13250.00	15900.00			-500.00	4000000.00				
10	13600.00	14100.00		Total	-25000.00	19625000				
Mean	12850	15350		Avg. (D_avg)	-2500					
Std. Dev	1511.070261	1966.101614		Sd	1476.670429					
tcritical	2.262	C.I for	01-02 (-3556.273,-1443.727)							
s.e.(Y1-Y2)	466.9641909	L.I	-3556							
		H.I	-1444							
Note: If c.i. is totally to the left of 0. strong evidence for the hypothesis that $\theta 1 - \theta 2 < 0$ ( $\theta 1 < \theta 2$ ).										

We increased our hairdresser capacity from 2 to 3 to the model we offered as an alternative and compared the Gross earnings of the alternative model and the current model. we found that  $\theta 1 < \theta 2$  and zero is not in the interval so this is strong evidence that our alternative model is better than the current model.

## 7. CONCLUSIONS

When we started the project, our main objective was to maximize the profit of the barbershop with queue optimization. To do that, we gathered data, made a simulation model that was similar to real life, made statistical tests, evaluated the results, and decided that we had to hire a new hairdresser to make more profit. After we made the output analysis to compare the current system's and the alternative system's profits, which have three hairdresser capacities, we saw that we had strong evidence to accept the alternative model. In our barbershop, when a barber gives a service, he earns half of it, and the owner earns the other half. Gross earnings increase by an average of 2500 Turkish Liras, which means 1250 Turkish Liras more profit per day can be made, which is equal to 37500 more profit per month. That shows that we can implement our alternative model in real life to have a better business.

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