## Congratulations! You passed!

**Grade received** 86.81% **To pass** 80% or higher

Go to next item

1.	<ul> <li>Which of the following is true about policy gradient methods? (Select all that apply)</li> <li>✓ The policy gradient theorem provides a form for the policy gradient that does not contain the gradient of the state distribution µ, which is hard to estimate.</li> </ul>				
	<ul> <li>✓ Correct</li> <li>Correct.</li> </ul>				
	Policy gradient methods do gradient ascent on the policy objective.				
	Orrect Correct. Policy gradient methods maximize the policy objective, and hence perform gradient ascent.				
	Policy gradient methods use generalized policy iteration to learn policies directly.				
	If we have access to the true value function $v_\pi$ , we can perform unbiased stochastic gradient updates using the result from the Policy Gradient Theorem.				
	$\odot$ <b>Correct</b> Correct. We derived this stochastic update by multiplying and dividing by $\pi(A S)$ .				
2.	Which of the following statements about parameterized policies are true? ( <b>Select all that apply</b> )	1/1 point			
	☐ The policy must be approximated using linear function approximation.				
	☐ The function used for representing the policy must be a softmax function.				
	The probability of selecting any action must be greater than or equal to zero.				
	○ Correct     Correct! This is one of the conditions for a valid probability distribution.				
	For each state, the sum of all the action probabilities must equal to one.				
	<ul> <li>Correct</li> <li>Correct! This condition is necessary for the function to be a valid probability distribution.</li> </ul>				
3.	Assume you're given the following preferences $h_1=44, h_2=42$ , and $h_3=38$ , corresponding to three different actions $(a_1,a_2,a_3)$ , respectively. Under a softmax policy, what is the probability of choosing $a_2$ , rounded to three decimal numbers?	1/1 point			
	0.879				
	<ul><li>0.119</li></ul>				
	O 0.002				
	0.42				
4.	Which of the following is true about softmax policy? (Select all that apply)	0.5 / 1 point			
	It cannot represent an optimal policy that is stochastic, because it reaches a deterministic policy as one action preference dominates others.				
	This should not be selected     Incorrect. Softmax policy allows action selection of arbitrary probabilities and if the optimal policy is stochastic, it is able to learn the optimal stochastic policy.				
	It can be parameterized by any function approximator as long as it can output scalar values for each available action, to form a softmax policy.				

Correct. It can use any function approximation from deep artificial neural networks to simple linear features.  Similar to epidion greedy policy, softmax policy cannot approach a deterministic policy.  Similar to epidion greedy policy, softmax policy cannot approach a deterministic policy.  Similar to epidion greedy policy, softmax policy cannot approach a deterministic policy as the preference of one action dominates other preferences.  It is used to represent a policy in discrete action spaces.  It is used to represent a policy in discrete action spaces.  It is used to represent a policy in discrete action spaces.  It is used to represent a policy or deterministic policy over action preferences (Select all that apply)  When using softmax policy over action preferences, assuming a tabular representation, the policy will converge to the optimal policy over action preferences (Select all that apply)  When using softmax policy over action epidens, assuming a tabular representation, the policy will converge to the optimal policy over action epidens, assuming a tabular representation, the policy will converge to the optimal policy over action epidens, assuming a tabular representation, the policy will converge to the optimal policy over action epidens, assuming a tabular representation, the policy will converge to the optimal policy is sochastic or deterministic.  It is used to represent the policy over action epidens, assuming a tabular representation, the policy will converge to the optimal policy is sochastic or deterministic.  It is action to applicate or the policy over action epidens, assuming a tabular representation, the policy will converge to the true values which would differ by a finite amount, and each action would use estimates would converge to the true values which would differ by a finite amount, and each action would use estimates would converge to the true values which would differ by a finite amount, and each action would use the deptor properties of the policy of the policy will always select		(	Correct	
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$\mathbb{E}_{\pi}[\Sigma_a \nabla \pi(a S,\theta)q_{\pi}(S,a)]$ In discrete action space, by approximating q_pi we could also use this gradient to update the policy. $ \bigcirc \text{ correct} $ Correct. The expression contains sum over actions, which can be computed for discrete actions. In the textbook, this is also called the all-actions method. $ \blacksquare $ We do not need to compute the gradient of the state distribution $\mu$ . $ \bigcirc \text{ correct} $ Correct Correct.		$\nabla \tau$	$r(\pi) = \Sigma_s \mu(s) \Sigma_a  abla \pi(a s, heta) q_\pi(s,a)$	
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<ul> <li>✓ Correct         Correct Correct. The expression contains sum over actions, which can be computed for discrete actions. In the textbook, this is also called the all-actions method.     </li> <li>✓ We do not need to compute the gradient of the state distribution µ.</li> <li>✓ Correct Correct.</li> </ul>			$\mathbb{E}_{\pi}[\Sigma_a  abla \pi(a S, heta)q_{\pi}(S,a)]$	
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Correct.		<b>~</b>	We do not need to compute the gradient of the state distribution $\mu$ .	
		@		
$lue{}$ This expression can be converted into the following expectation over $\pi$ :		<b>✓</b>	This expression can be converted into the following expectation over $\pi$ :	

**⊘** Correct

Correct. In fact, this expression is normally used to perform stochastic gradient updates.

- lacksquare The true action value  $q_\pi$  can be approximated in many ways, for example using TD algorithms.
- Correct
  Correct.
- 8. Which of the following statements is true? (Select all that apply)

0.75 / 1 point

- ightharpoonup To update the actor in Actor-Critic, we can use TD error in place of  $q_{\pi}$  in the Policy Gradient Theorem.

Correct. This is equivalent to using one-step state value and subtracting a current state value baseline.

- Subtracting a baseline in the policy gradient update tends to reduce the variance of the update, which results in faster learning.
- **⊘** Correct

Correct.

- ✓ The Actor-Critic algorithm consists of two parts: a parameterized policy the actor and a value function the critic.
- **⊘** Correct

Correct.

- TD methods do not have a role when estimating the policy directly.
- (X) This should not be selected

Incorrect. Remember that TD methods still play an important role. In the Actor-Critic algorithm the value function plays the role of a critic evaluating how good are the actions selected by the actor.

**9.** To train the critic, we must use the average reward version of semi-gradient TD(0).

1/1 point

- O True
- False

Correct. We can use any state-value learning algorithm.

**10.** Consider the following state features and parameters  $\theta$  for three different actions (red, green, and blue):

1/1 point

$$\mathbf{X}(s) = \begin{bmatrix} 0.1 \\ 0.3 \\ 0.6 \end{bmatrix} \qquad \boldsymbol{\theta} = \begin{bmatrix} 45 \\ 73 \\ 21 \\ 120 \\ 120 \\ -10 \\ -100 \\ 200 \\ -25 \end{bmatrix} \boldsymbol{a}_{1}$$

	stacked features for the action preferences.						
	What is the action preference of $a_0$ (red)?						
	O 33						
	39						
	O 37						
	○ 35						
11.	Which of the following statements are true about the Actor-Critic algorithm with softmax policies? (Choose all that apply)	0.5 / 1 point					
	The preferences must be approximated using linear function approximation.						
	This should not be selected Incorrect. The preferences can be approximated using any function approximation technique.						
	☑ The learning rate parameter of the actor and the critic can be different.						
	Correct Correct! In practice, it is preferable to have a slower learning rate for the actor so that the critic can accurately critique the policy.						
	Since the policy is written as a function of the current state, it is like having a different softmax distribution for each state.						
	○ Correct     Correct!						
	The actor and the critic share the same set of parameters.						
	$igstyle{\otimes}$ This should not be selected Incorrect. Remember that the parameters of the critic are denoted with $f w$ and the parameters of the actor with $m  heta$ , which are not the same.						
12.	. A Gaussian policy becomes deterministic in the limit $\sigma  o 0$ .	1 / 1 point					
	True						
	○ False						
	$\bigcirc$ Correct Correct: As $\sigma$ approaches 0, the values of the Gaussian policy approach the mean of the policy in a given state.						