Universidad San Carlos de Guatemala Centro Universitario de Occidente División de Ciencias de la Ingeniería Lenguajes Formales y de Computación Ing. Oliver Sierra Byron Fernando Torres Ajxup 201731523

Proyecto Final Parte Lexica

Token 1: Lexema
ID Letras y números
L=letra mayúscula.
N = número.

$$(L/_).(L/_)*.N*$$

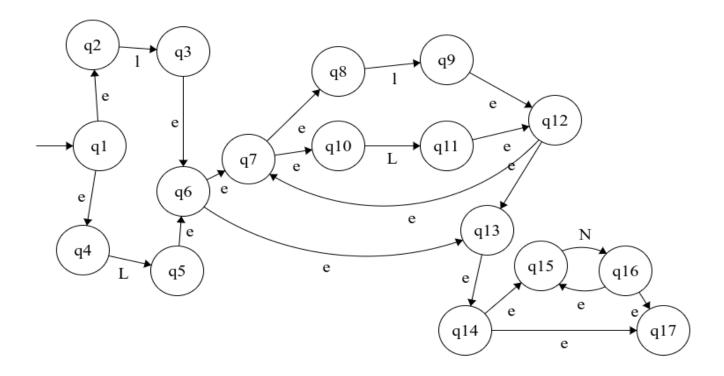


Tabla de Thompson

Estados	Transiciones ε	Funcion transición "I"	Funcion transición "L"	Funcion transición "N"
q1	q2,q4= A	δ(A,l)= q3	δ(A,L)= q5	
q 3	q6,q7,q8,q10,q13, q14,q15,q17= B	δ(B,l)= q9	δ(B,L)=q11	δ(B,N)= q16
q 5	q6,q7,q8,q10,q13, q14,q15,q17= B	δ(B,l)= q9	δ(B,L)=q11	δ(B,N)= q16
q9	q7,q8,q9,q12,q13, q14,q15,q17=C	δ(C,I)=q9	δ(C,L)= q11	δ(C,N)= q16
q11	q7,q8,q9,q12,q13, q14,q15,q17=C	δ(C,I)=q9	δ(C,L)= q11	δ(C,N)= q16
q16	q15=D	δ(E,a)=	δ(E,b)=	δ(D,N)= D

Tabla de transiciones

δ(A,I)= B	δ(A,L)= B	δ(A,N)=
δ(B,I)= C	δ(B,L)= C	δ(B,N)= D
δ(C,I)= C	δ(C,L)= C	δ(C,N)= D
δ(D,I)=	δ(D,I)=	δ(D,N)= D

Definición formal.

 $K=(Q, \Sigma, \partial, S1, F)$

Conjunto de estados del A Q = { A, B,C,D}

Estado inicial.

Α

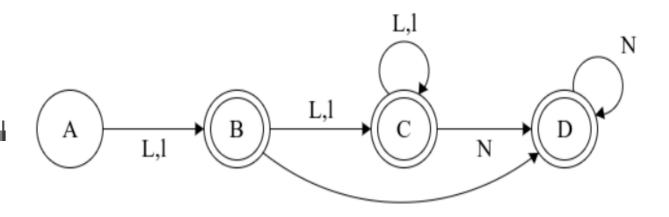
Alfabeto Σ

 $\Sigma = \{_L,N\}$

Estados de aceptación

D

Autómata final.



Token 2: Lexema Número Solo números N = número. N+

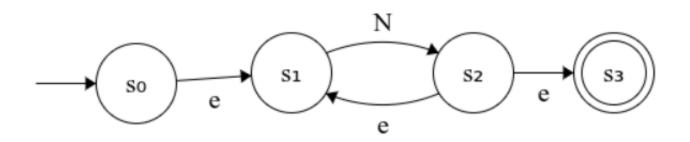


Tabla de Thompson

Estados	Transiciones ε	Funcion transición "N"
S0	S1= A	δ(A,N)= S2
S2	S1,S3=B	δ(B,N)= S2

Definición formal.

 $K=(Q, \Sigma, \partial, S1, F)$

Conjunto de estados del A $Q = \{A, B\}$

Estado inicial.

Α

Alfabeto Σ

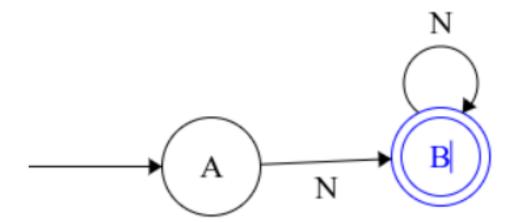
 $\Sigma = \{0,1,2,3,4,5,6,7,8,9\}$

Estados de aceptación

В

Autómata final

$$\delta(A,N)=B$$
 $\delta(B,N)=B$



Token 3: Lexema Símbolo Signos de puntuación, comillas, slash P = Algún símbolo.

P

Autómata Final

Definición formal.

$$K=(Q, \Sigma, \partial, S1, F)$$

Conjunto de estados del A $Q = \{A, B\}$

Estado inicial.

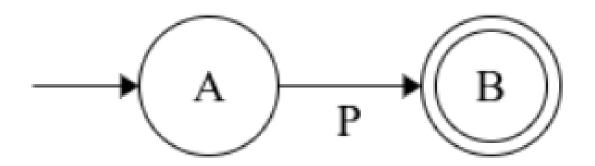
A

Alfabeto $\boldsymbol{\Sigma}$

$$\Sigma = \{ ', : ; / <> + * \div - \}$$

Estados de aceptación

В



Token 4: Lexema

Comentario doble diagonal y palabras seguidas

C = Símbolo de comentario.

/./.id*

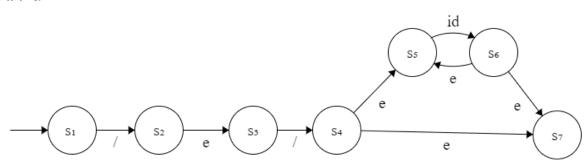


Tabla de transiciones thompson

Tabla de transiciones thompson						
Estados	Transiciones ε	Transiciones /	Transiciones id			
s1	0=A	(A,/)=s2				
s2	s3=B	(B, /)=s4				
s4	s5,s7=C	(C, /)=	(C, id)= s6			
s6	s5,s7=C	(C, /)=	(C)			

Tabla de transiciones

δ(A,/)= B	δ(A,id)=
δ(B,/)= C	δ(B,id)=
δ(C,/)=	δ(C,id)= C
δ(C,)=	δ(C,id)= C

Definición formal.

$$K=(Q, \Sigma, \partial, S1, F)$$

Conjunto de estados del A $Q = \{A, B,C,D\}$

Estado inicial.

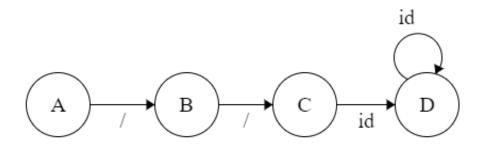
Α

Alfabeto Σ $\Sigma = \{/,[a-z]\}$

Estados de aceptación

D

Autómata final.



Token 5: Lexema

Especial diagonal y letras

E = Símbolo de operador.

 $\ln(r/n/t/f)$

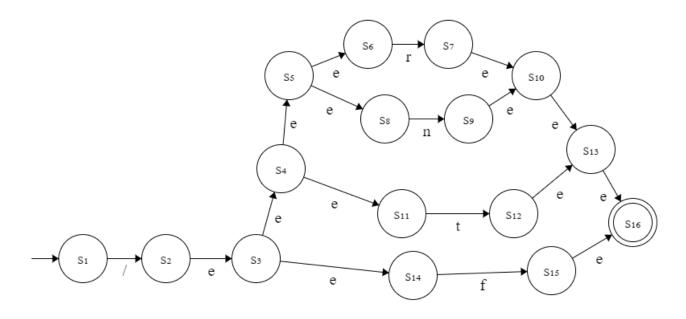


Tabla de Thompson

Estad os	Transicio nes ε	Funcion transición "\"	Funcion transición "r"	Funcion transición "t"	Funcion transición "n"	Funcion transición "f"
s1	0= A	δ(A,\)= B	δ(A,r)=	δ(A,t)=	δ(A,n)=	δ(A,f)=
s2	s3,s4,s5,s 6,s8,s11,s 14=B	δ(B,\)=	δ(B,r)=s7	δ(B,t)= s12	δ(B,n)= s9	δ(B,f)= s15
s7	s10,s13,s 16=C	δ(C,\)=	δ(C,r)=	δ(C,t)=	δ(C,n)=	δ(C,f)=
s12	s13,s16=D	δ(D,\)=	δ(D,r)=	δ(D,t)=	δ(D,n)=	δ(D,f)=
s9	s10,s13,s 16=E	δ(E,\)=	δ(E,r)=	δ(E,t)=	δ(E,n)=	δ(E,f)=
s15	s16=f	δ(f,\)=	δ(f,r)=	δ(f,t)=	δ(f,n)=	δ(f,f)=

Tabla de transiciones

δ(A,\)= B	δ(A, ľ)=	δ(A, t)=	δ(A, n)=	δ(A, f) =
δ(B,\)=	δ(B, ľ)= C	$\delta(B, t) = D$	δ(B, n)= E	δ(B, f)= F
δ(C,\)=	δ(C, ľ)=	δ(C, t)=	δ(C, n)=	δ(C, f)=

δ(D,\)=	δ(D, ľ)=	δ(D, t)=	δ(D, n)=	δ(D, f)=
δ(E,\)=	δ(E, r)=	δ(E, t)=	δ(E, n)=	δ(E, f)=
δ(f,\)=	δ(f, ľ)=	δ(f, t)=	δ(f, n)=	δ(f, f)=

Definición formal.

 $K=(Q, \Sigma, \partial, S1, F)$

 $\begin{aligned} & \text{Conjunto de estados del A} \\ & \text{Q} = \{ \text{ A, B} \} \end{aligned}$

Estado inicial.

Α

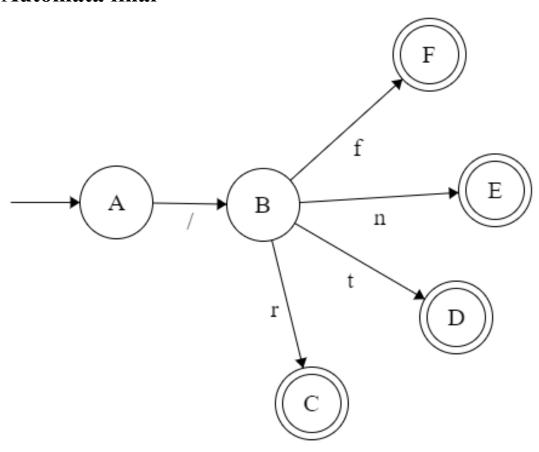
Alfabeto Σ

$$\Sigma = \{A\}$$

Estados de aceptación

В

Autómata final



Expresión regular Total.

 $[P/N+/.(r/n/t/f) / ./.id* / (L/_).(L/_)*.N*]+$

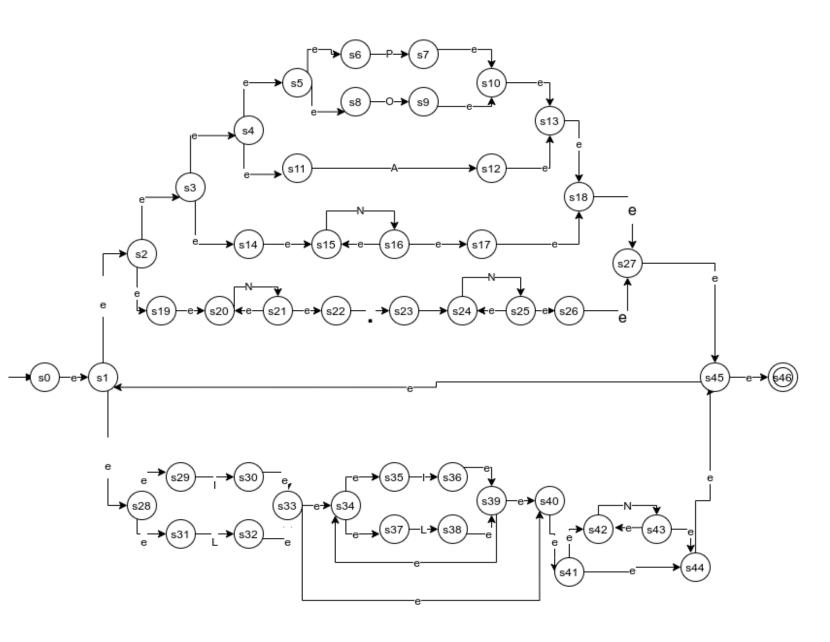


Tabla de Thompson

Estados	Transiciones ε	Funcion transición "l"	Funcion transición "L"	Funcion transición "N"	Funcion transición "."	Funcion transición "P"	Funcion transición "O"	Funcion transición "A"
SO	s1,s2,s3,s4,s5,s 6,s8,s11,s14,s15 ,s19,s20,s28,s29 ,s31 = B	δ(B,I)= s30	δ(B,L)= s32	δ(B,N)= s16,s21	δ(Β, •)=	δ(B,P) = S7	δ(B,O)=S9	δ(B,A)=s12
s30	s33,s34,s35,s37, s40,s41,s42,s44, s45,s46 = C	δ(C,I)=s36	δ(C,L)= s38	δ(C,N)= s43	δ(C, •)=	δ(C, P)=	δ(C,O)=	δ(C,A)=
s32	s33,s34,s35,s37, s40,s41,s42,s44, s45,s46 = C	δ(C,I)=s36	δ(C,L)= s38	δ(C,N)= s43	δ(C, •)=	δ(C, P)=	δ(C,O)=	δ(C,A)=
{s16,s21}	s15,s17,s18,s27, s22,s1,s2,s3,s4, s5,s6,s8,s11,s14 ,s15,s19,s20,s28 ,s29,s31,s45,s46 = D	δ(D,I)=s30	δ(D,L)= s32	δ(D,N)= s16,s21	δ(D, .) = s23	δ(D, P)=-s7	δ(D,O)=s9	δ(D,A)= s12
S7	s10,s13,s18,s27, s45,s46,s1,s2,s3 ,s4,s5,s6,s8,s11, s14,s15,s19,s20, s28,s29,s31=	δ(E,I)= s30	δ(E,L)= s32	δ(E,N)= s16,s21	δ(Ε, •)=	δ(E,P) = S7	δ(E,O)=S9	δ(E,A)=s12
s9	s10,s13,s18,s27, s45,s46,s1,s2,s3 ,s4,s5,s6,s8,s11, s14,s15,s19,s20, s28,s29,s31=E	δ(E,I)= s30	δ(E,L)= s32	δ(E,N)= s16,s21	δ(Ε, •)=	δ(E,P) = S7	δ(E,O)=S9	δ(E,A)=s12

2,s3,s4, ,s11,s14 ,s20,s28 =F	(F,I)= s30	δ(F,L)= s32	δ(F,N)= s16,s21	δ(F, •)=	δ(F,P) = S7	δ(F,O)=S9	δ(F,A)=s12
	/C I\==2C		i	<u> </u>			
s1,s2,s3 6,s8,s11, s19,s20, s31 = <mark>G</mark>	s(G,I)=s36	δ(G,L)= s38	δ(G,N)= s43	δ(G, •)=	δ(G,P)= s38	δ(G,O)= s43	δ(G,A)= s43
\$35,\$37, \$42,\$44. \$1,\$2,\$3 6,\$8,\$11, \$19,\$20, \$31 =G	s(G,I)=s36	δ(G,L)= s38	δ(G,N)= s43	δ(G, •)=	δ(G,P)= s38	δ(G,O)= s43	δ(G,A)= s43
s45,s46, ,s4,s5,s ,s14,s15 ,s28,s29	s(H,I)=s30	δ(H,L)= s32	δ(H,N)= s43	δ(H, •)=s	δ(H,P)= s7	δ(H,O)= s9	δ(H,A)= s12
δ((i,l)=s	δ(i,L)=	δ(i,N)= s25	δ(i, •)=s	δ(i,P)=	δ(i,O)=	δ(i,A)=
s27,s45, 2,s3,s4, ,s11,s14 ,s20,s28 = j	(j,l)=s30	δ(j,L)= 32	δ(j,N)= s25	δ(j, •)=s	δ(j,P)= s7	δ(j,O)= s9	δ(j,A)= s12
,	527,s45, δ 2,s3,s4, s11,s14 s20,s28	2,s3,s4, s11,s14 s20,s28	δ(j,L)= 32 δ(j,L)= 32 δ(j,L)= 32 δ(j,L)= 32 δ(j,L)= 32	$\delta(j,L)=32$ $\delta(j,N)=s25$	δ(i, •)=s δ(z7,s45, β(j,l)=s30 δ(j,L)= 32 δ(j,N)= s25 δ(j, •)=s δ(j, •)=s	$\delta(j, l) = s30$ $\delta(j, l) = s30$ $\delta(j, l) = s30$ $\delta(j, l) = s25$ $\delta(j, l) = s7$ $\delta(j, l) = s7$ $\delta(j, l) = s7$	$\delta(j, \cdot) = s$

Tabla de transiciones

δ(B,l)= C	δ(B,L)= C	δ(B,N)= D	δ(B, .)=s	δ(B,P)= E	δ(B,O)= E	δ(B,A)=F
δ(C,l)= G	δ(C,L)= G	δ(C,N)= H	δ(C, .)=	δ(C,P)= E	δ(C,O)= E	δ(C,A)= F
δ(D,I)= C	δ(D,L)= C	δ(D,N)= D	δ(D, .)= i	δ(D,P)= E	δ(D,O)= E	δ(D,A)= F
δ(E,I)= C	δ(E,L)= C	δ(E,N)= D	δ(Ε, .)=	δ(E,P)= E	δ(E,O)= E	δ(E,A)= F
δ(F,I)= C	δ(F,L)= C	δ(F,N)= D	δ(F, .)=	δ(F,P)= E	δ(F,O)= E	δ(F,A)= F
δ(G,I)=G	δ(G,L)=G	δ(G,N)= H	δ(G, .)=	δ(G,P)= E	δ(G,O)= E	δ(G,A)= F
δ(H,I)=C	δ(H,L)= C	δ(H,N)= H	δ(H, •)=s	δ(H,P)= E	δ(H,O)= E	δ(H,A)= F
δ(i,l)=s	δ(i,L)=	δ(i,N)= j	δ(i, .)=s	δ(i,P)=	δ(i,O)=	δ(i,A)=
δ(j,l)=C	δ(j,L)= C	$\delta(j,N)=j$	δ(j, .)=s	δ(j,P)= E	δ(j,O)= E	δ(j,A)= F

Definición formal.

$$K=(Q, \Sigma, \partial, B, F)$$

Conjunto de estados del A Q = { B,C,D,E,F,G,H,I,J}

Estado inicial.

В

Alfabeto Σ

$$\Sigma = \{L,l,N,\bullet,P,O,A\}$$

Estados de aceptación {C,D,E,F,G,H,J}

Donde

$$1 = [a-z]$$

$$L=[A-Z]$$

$$N=[0-9]$$

Autómata Final

