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**COS 285**  
**Assignment 4**  
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## Analysis for Program 4 sub-tasks

### File Input

The time complexity of the file input method has a worse case of  $O(10n)$  as each line element has ten comma separated values which are all parsed one time. If a flight does not originate from the specified state, then only three of the ten elements will be parsed. This time complexity simplifies to  $O(n)$ .

### Running `QueueSimulator.simulation()`

The `QueueSimulator.simulation()` function handles the logic for running a single simulation for a given amount of counters. It executes a for loop that adds passengers to a queue and subsequently processes the queue. The for loop executes  $23n$  times where  $n$  is the number of days in the `flightList` - named 'aList' and 23 is the number of hours per day that a person can be processed. It is assumed that all passengers arrive one hour before their flight, and no flight departs at 00:00 hours.

The simulation function has a for-loop that calls two additional function calls on each iteration: `addPassengers(ltd)` and `processQueue()`. The first function `addPassengers(ltd)` has a while loop that executes  $k$  times, where  $k$  is the number of flights in aList who board at the same time for a given ltd. In the worst case  $k = aList.size()$ . The second function `processQueue()` has a while loop that executes while the queue from `addPassengers(ltd)` is not empty, or until the amount of time taken to process the passengers exceeds the limit. Worst case this executes  $k$  times. Thus the overall worst case time complexity for the simulation function is  $O(2kn) \leftrightarrow O(n)$ .

The function from the main class that runs each simulation is called `simRunner()`. This function will execute `QueueSimulator.simulation()`  $m$  times where  $m$  is minimum the number of counters required by an airport to process all passengers. This function occurs  $m$  times because the algorithm starts with 1 counter and iterates by 1 until the  $m$ th counter is found.

The overall time complexity of running a simulation for  $n$  days on one airport is  $O(mn) \leftrightarrow O(n)$ .