1 Floating point numbers

Consider the following program:

```
section .data
x DD 3.14
y DD 2.1

section .text
MOVSS xmm0, [x]
MOVSS xmm1, [y]

ADDSS xmm0, xmm1

MOV eax, 1
INT 80h
```

See about **xmm** registers here.

How many **xmm** registers?.

 ${f MOVSS}$ instruction is used to move the floating point values to the ${f xmm}$ registers. ${f SS}$ means ${f Scaler}$ Single precision.

We will execute this program with GDB.

Figure 1: Values in xmm

We can see a bunch of arrays(I guess) which have a bunch of values in them. To get the value stored in **xmm0** we particularly use the **v4_float** array.

```
(gdb) p $xmm0.v4_float[0]
$1 = 3.1400001
(gdb)
```

Figure 2: $\mathbf{v4}$ _float array's 0^{th} element($\mathbf{xmm0}$)

Notice that we assigned the value 3.14 to **xmm0** but in this image it's showing 3.1400001.

Similar behaviour can be seen in **xmm1** as well.

```
(gdb) p $xmm1.v4_float[0]
$3 = 2.0999999
(gdb)
```

Figure 3: $\mathbf{v4}$ _float array's 0^{th} element($\mathbf{xmm1}$)

The reason why these values are not stored exactly as they were defined is that we use a special notation called $\overline{\text{IEEE}}$ floating-point notations.

From the image below:

```
(gdb) p $xmm0.v4_float[0]
$4 = 5.23999977
(gdb)
```

Figure 4: Sum of xmm0 and xmm1

We can see that the sum is also not exact.