1 Dividing integers with DIV and IDIV

- $\mathbf{DIV} \to \mathbf{Divides}$ unsigned numbers.
- $\mathbf{IDIV} \to \mathbf{Divides}$ signed numbers.

1.1 The DIV instruction

Consider the following assembly program:

```
section .data

section .text
global _start

mov eax, 11
mov ecx, 2

DIV ecx

MOV eax, 1

INT 80h
```

The **DIV** and **IDIV** instructions work just like the **MUL** and **IMUL**. The **eax** register is automatically used by the **DIV** and **IDIV** instructions.

In the program, \mathbf{eax} is the dividend and \mathbf{ecx} is the divisor. The quotient gets stored in \mathbf{eax} and the remainder gets stored in the register \mathbf{edx} as shown in the image below:

```
(gdb) info registers eax
eax 0x5 5
(gdb) info registers edx
edx 0x1 1
(gdb)
```

Figure 1: Values in \mathbf{eax} and \mathbf{edx}

1.2 The IDIV instruction

Program:

```
section .data

section .text

MOV eax, -6

MOV ecx, 2

IDIV ecx

MOV eax, 1

INT 80h
```

Here, we are dividing a negative number (-6) by 2.

These values are stored in the registers **eax** and **ebx**:

Figure 2: Values of **eax** before and after dividing.

So, we can see that \mathbf{edx} stores the remainder(as we know) which is 0. \mathbf{eax} stores the the quotient. We can see that \mathbf{eax} stores a rather larger value, it was expected to store -3.

Now, if we check the value in the sub-register $\mathbf{a}\mathbf{x}$ then we get -3:



Figure 3: -3 in ax

Now, we also check in the registers **ah** and **al**. We get the following coutput:

```
(gdb) info registers ah
ah 0xff -1
(gdb) info registers al
al 0xfd -3
(gdb)
```

Figure 4: Values in **ah** and **al**

al stores -3 and ah stores -1.

On converting the value of **eax** to binary we get this:

01111111 11111111 11111111 11111101

ax stores the last 16-bits, out of those 16-bits, the higher 8-bits are in **ah** and the lower 8-bits are stored in **al**. We also know that 111111101 is -3.

1.2.1 Comparision

If we take -6 and -3, this how their binary representation is in 32-bit:

 $\bullet - 6$

11111111 11111111 11111111 11111010

 $\bullet - 3$

11111111 11111111 11111111 11111101

Notice that in the binary representation of -3 and -6 the last 0 in -6 is missing from -3. It almost looks like -6 was shifted towards the right by 1 bit(but that's not the case here).

Now, when we were debugging our program, **eax** had the following values in it. Binary representation has also been provided(in 32-bit binary):

 1^{st} value in **eax**: -6

11111111 11111111 11111111 11111010

 2^{nd} value in **eax**: 2147483645

01111111 11111111 11111111 11111101

Now, here the second value in **eax** seems to be a result of shifting -6 (the previous value of **eax**) to the right by 1-bit.