

# IT350 : Data Analytics

## Lab Assignment 2

### Hypothesis testing

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#### Z-test: One sample

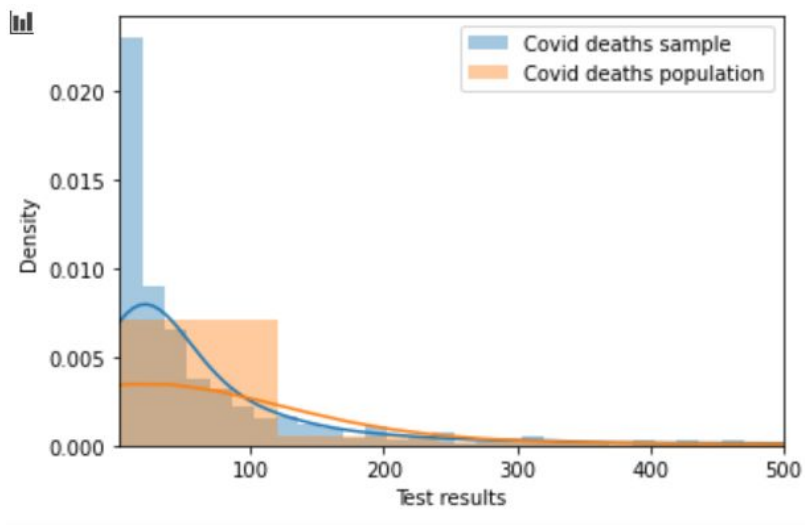


Fig 1. Comparison between covid\_deaths sample and population

**Step 1:** State null hypothesis

**Null hypothesis:** covid deaths mean = 97.7

**Step 2:** State alternate hypothesis

**Alternate hypothesis:** Mean is lesser than 97.7

**Step 3:** Apply tail test for distribution

We need to apply the left-tailed test.

**Step 4:** Choose significance level

**Significance level :** 0.05

**Step 5:** Compute standard deviation of sample

Standard deviation of sample: 1.032991062450859

**Step 6:** Compute critical value at chosen significance level using z score

From the left-tailed z table

**Critical value at 0.05** = 1.03- 0.8531 = 0.1769

**Step 7:** Find z-score

Sample mean: 71.53115264797508

Population mean: 97.70478983382209

Population standard deviation: 388.9082048843275

Sample size: 642

Z-score: 1.7052359753909032

**Decision:** Since z-score is more than the critical value, the null hypothesis can be rejected.

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**Step 1:** State null hypothesis

**Null hypothesis:** covid deaths mean = 97.7

**Step 2:** State alternate hypothesis

**Alternate hypothesis:** covid deaths mean is greater than 97.7

**Step 3:** Apple tail test for distribution

We need to apply right-tailed test

**Step 4:** Choose significance level

**Significance level :** 0.05

**Step 5:** Compute standard deviation of sample

Standard deviation of sample: 1.032991062450859

**Step 6:** Compute critical value at chosen significance level using z score

From the right-tailed z table

Critical value at 0.05 = 1.03 + 0.3531 = 1.3831

**Step 7:** Find z-score

Sample mean: 71.53115264797508

Population mean: 97.70478983382209

Population standard deviation: 388.9082048843275

Sample size: 642

Z-score: 1.7052359753909032

**Decision:** Since z-score is greater than the critical value, the null hypothesis can be rejected.

Therefore, covid deaths mean is greater than 97.7

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**Step 1:** State null hypothesis

**Null hypothesis:** covid deaths mean = 97.7

**Step 2:** State alternate hypothesis

**Alternate hypothesis:** covid deaths mean  $\neq$  97.7

**Step 3:** Apply tail test for distribution

We need to apply the two-tailed test.

**Step 4:** Choose significance level

**Significance level :** 0.05

**Step 5:** Compute standard deviation of sample

Standard deviation of sample: 1.032991062450859

**Step 6:** Compute critical value at chosen significance level using z score

Critical value at 0.05 = 1.03 + 0.3461 = 1.3761

**Step 7: Find z-score**

**z-score:** 1.7052359753909032

**Decision:** Since z-score is greater than critical value, the null hypothesis is rejected. Therefore, mean is not equal to 97.7.

**z-test : Two sample**

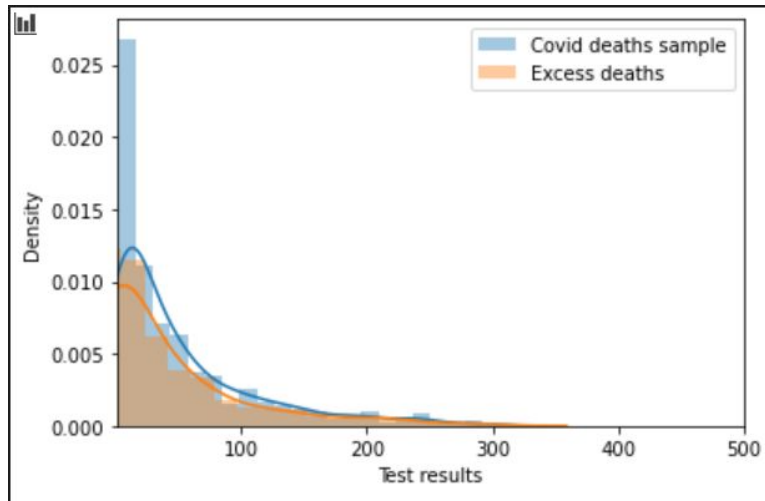


Fig 2. Covid deaths sample and excess deaths sample

**Step 1: State null hypothesis**

**Null hypothesis:** covid deaths mean = excess deaths mean

**Step 2: State alternate hypothesis**

**Alternate hypothesis:** covid deaths mean  $\neq$  excess deaths mean

**Step 3: Apple tail test for distribution**

We need to apply the two-tailed test.

**Step 4: Choose significance level**

**Significance level :** 0.05

**Step 5:** Compute standard deviation of sample

```
Standard deviation of covid deaths sample: 1.032991062450859
Standard deviation of excess deaths sample: 2.3385788593429044
```

**Step 6:** Compute critical value at chosen significance level using z score

Critical value at 0.05 for covid deaths sample =  $1.03 + 0.3461 = 1.3761$

Critical value at 0.05 for excess deaths sample =  $2.33 + 0.4898 = 2.8198$

**Step 7:** Find z-score

```
z-score: 227.3830017777252
```

**Decision:** Since z-score is greater than critical value, the null hypothesis is rejected. Therefore, both the samples do not have equal mean.

## T-test

### One sample t- test

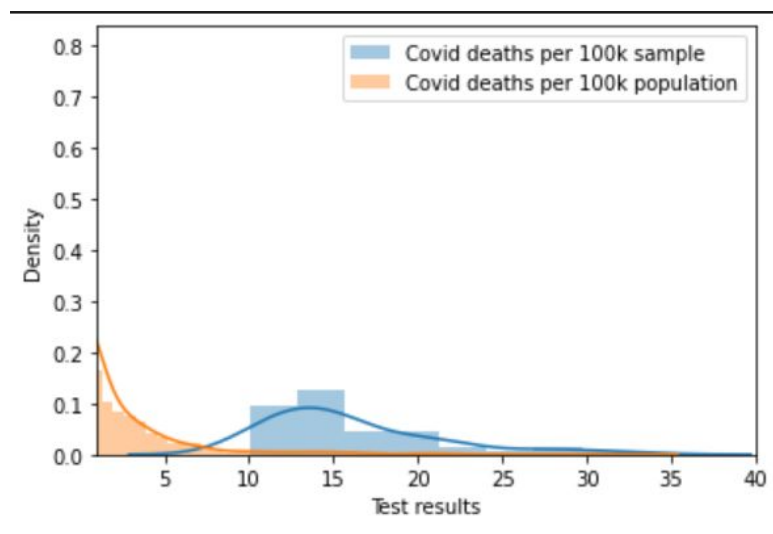


Fig 3. Covid deaths per 100k sample vs population

**Step 1:** State null hypothesis

**Null hypothesis:** Covid\_deaths\_per\_100k has a mean of 2.90

**Step 2:** State alternate hypothesis

**Alternate hypothesis:** Covid\_deaths\_per\_100k has a mean not equal to 2.90.

**Step 3:** Apple tail test for distribution

We need to apply two-tailed test

**Step 4:** Choose significance level

**Significance level :** 0.05

**Step 5:** Find degrees of freedom

Degrees of freedom:  $48 - 1 = 47$

**Step 6:** Compute critical value at chosen significance level using degrees of freedom

From the two-tailed t table

Critical value at 0.05 = 2.39

**Step 7:** Find t-score

Mean of covid deaths per 100k sample: 16.072397716458443

Mean of population of covid deaths per 100k: 2.115330205271514

Standard deviation of sample of covid deaths per 100k:  
5.197312906798237

Sample size of covid deaths per 100k: 48

t-score: 18.605268135712134

**Decision:** Since t-score is greater than the critical value, the null hypothesis can be rejected.

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## Two Sample t-test: Dependent sample

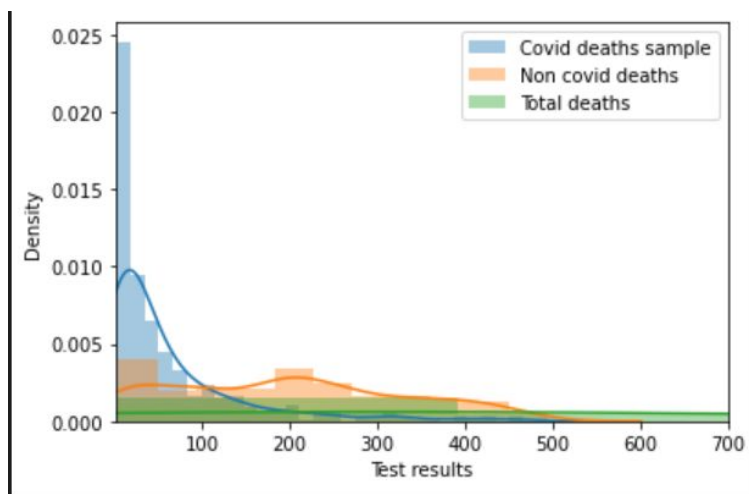


Fig 4. Deaths with covid, without covid and total deaths

**Step 1:** State null hypothesis

**Null hypothesis:** There is no difference in deaths with and without covid

**Step 2:** State alternate hypothesis

**Alternate hypothesis:** Covid deaths is greater than non covid deaths

**Step 3:** Apply tail test for distribution

We need to apply right-tailed test

**Step 4:** Choose significance level

**Significance level :** 0.05

**Step 5:** Find degrees of freedom

Degrees of freedom: 1325

**Step 6:** Compute critical value at chosen significance level using degrees of freedom

From the right-tailed t table

Critical value at 0.05 = 1.646

**Step 7:** Find t-score

Mean of covid deaths sample: 49.932565789473685

Mean of non covid deaths sample: 91.66295264623956

Mean of population of covid deaths: 97.70478983382209

Mean of population of non covid deaths: 806.0371456500488

Standard deviation of covid deaths: 58.73732097328938

Standard deviation of non covid deaths: 65.24505198110661

Sample size of covid deaths: 630

Sample size of non covid deaths: 697

t-score: 195.85796557225905

**Decision:** Since t-score is greater than the critical value, the null hypothesis can be rejected.

## Two Sample t-test : Independent sample

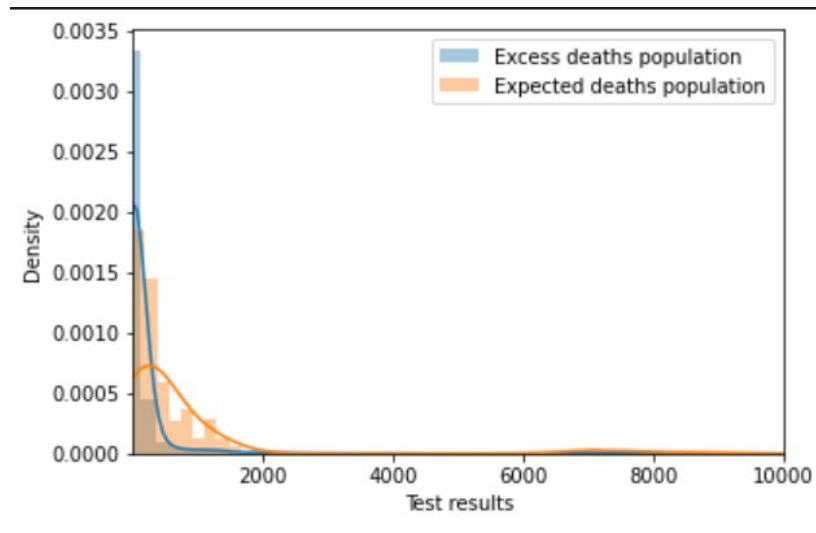


Fig 5. Excess deaths population vs Expected deaths population

**Step 1:** State null hypothesis

**Null hypothesis:** There is no difference in the mean of expected deaths and excess deaths

**Step 2:** State alternate hypothesis

**Alternate hypothesis:** mean of expected deaths is greater than the mean of excess deaths

**Step 3:** Apply tail test for distribution

We need to apply right-tailed test

**Step 4:** Choose significance level

**Significance level :** 0.05

**Step 5:** Find degrees of freedom

Degrees of freedom:  $94 + 34 - 2 = 126$

**Step 6:** Compute critical value at chosen significance level using degrees of freedom

From the right-tailed t table

Critical value at 0.05 = 1.660



### Step 7: Find t-score

```
Mean of excess deaths sample: 2662.1176470588234
Mean of expected deaths sample: 7.074468085106383
Mean of population of excess deaths: 132.95552884615384
Mean of population of expected deaths: 756.3810096153846
Standard deviation of excess deaths: 2549.2152753015307
Standard deviation of expected deaths: 0.29290395145326925
Sample size of expected deaths: 94
Sample size of excess deaths: 34
t-score: 32.28009442036821
```

**Decision:** Since t-score is greater than the critical value, the null hypothesis can be rejected.

### F-test

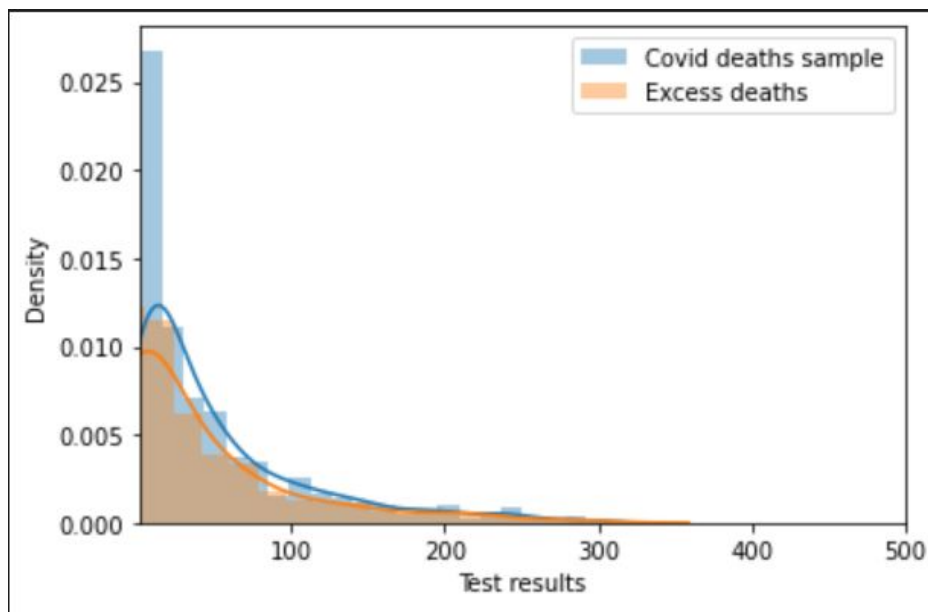


Fig 6. Covid deaths and Excess deaths

### Chi square test

**Step 1:** State null hypothesis

**Null hypothesis:** Covid deaths and excess deaths are independent

**Step 2:** State alternate hypothesis

**Alternate hypothesis:** Covid deaths and excess deaths are not independent

**Step 3:** Choose significance level

**Significance level :** 0.05

**Step 4:** Find degrees of freedom

Degrees of freedom: 1

**Step 5:** Compute critical value at chosen significance level using degrees of freedom

From the right-tailed f table  
Critical value at 0.05 = 3.841

**Step 6:** Find chi-square value

	excess_deaths	expected_deaths	Total
covid_deaths	228	507	735
non_covid_deaths	228	507	735
Total	456	1014	1470

Table 1. Excess deaths and covid deaths

Chi-square-score: 0.0

**Decision:** Since chi-square value is less than the critical value, the null hypothesis cannot be rejected.

Hence excess deaths and covid deaths are independent.

### ANOVA test

The different groups considered are:

Covid deaths in the week 1 -10  
Covid deaths in the week 11-30  
Covid deaths in the week 31-52

**Step 1:** State null hypothesis

**Null hypothesis:** There is no variance between the means of the different groups

**Step 2:** State alternate hypothesis

**Alternate hypothesis:** Means are not equal

**Step 3:** Choose significance level

**Significance level :** 0.05

**Step 4:** Find degrees of freedom

$K = 3$

$N = 258$

$Df1 = 2$

$Df2 = 255$

**Step 5:** Compute critical value at chosen significance level using degrees of freedom  $df1$  and  $df2$

From the ANOVA f table

Critical value at 0.05 = 2.3473

**Step 6:** Find F value

F-score: 18.50506413762189

**Decision:** Since F-score value is greater than the critical value, the null hypothesis can be rejected.

Therefore, the covid deaths in the three different times have sufficient variance.