### FIN3080 Assignment 3 Report

## **Data processing**

### Downloading data

First, I downloaded 3 different csv files, they separately contain:

- 1. All Daily Market Index
- Weekly Return without Dividends for All the Stocks in the Market, the Market Type of the Stocks
- 3. Weekly Risk Free Rate

### **Problem 1**

(a)

- 1. Filter out all the data whose 'Indexcd' is Index000300, which means it is the csi300 index.
- 2. Transfer the date of each data into the corresponding month and calculate the average csi300 index of the month. Save the data as another document.
- Construct a new column and shift the average csi300 index into next month and use this
  month as t, last month as t-1 to calculate the monthly return. The result will be like this
  form.

$$R_{k,t} = I_{k,t} / I_{k,t-1} - 1$$

```
        month
        mean_index
        index
        last month
        return

        0
        2005_05
        877.821882
        960.709500
        -0.086278

        1
        2005_06
        879.925045
        877.821882
        0.002396

        2
        2005_07
        853.139952
        879.925045
        -0.030440

        3
        2005_08
        927.240348
        853.139952
        0.086856

        4
        2005_09
        942.550091
        927.240348
        0.016511

        .
        .
        .
        .
        .

        219
        2023_08
        3853.924435
        3878.075143
        -0.006227

        220
        2023_09
        3742.056200
        3853.924435
        -0.029027

        221
        2023_10
        3587.914294
        3742.056200
        -0.041192

        222
        2023_11
        3568.071182
        3587.914294
        -0.005531

        223
        2023_12
        3377.154857
        3568.071182
        -0.055307
```

4. Then calculate the required data.

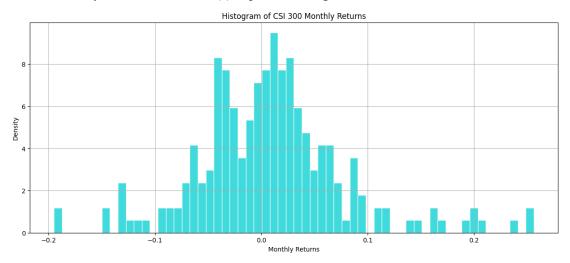
Mean: 0.008022105965103086

Standard Deviation: 0.0702539576947071

Skewness: 0.6024057067617048 Kurtosis: 2.015243944338839

(b)

Use the monthly return calculated in (a) to plot the histogram.



(c)

Use the Shapiro-Wilk test to test whether it is a normal distribution, and as the result tells it is absolutely not a normal distribution. We can also find out the result by looking at the shape of the figure we obtained in (b).

### Problem2

## **Data Processing**

- 1. Csmar cuts the data into two files, so first merge them together.
- 2. Use the market type to filter out the mainboard stocks.
- 3. Use time to divide the data into three period.
- 4. Convert the date of the risk free rate into the corresponding week.

- 5. Calculate the mean of the return of all the stocks and use it as the return of the market portfolio.
- 6. Merge the risk free return, the market return and the stock return together.
- 7. Calculate the Ri Rf and the Rm Rf for each stock.
- 8. Divide all the data into three time periods.

### P1 Calculating Individual Stock βs

Run the regression for Ri – Rf and Rm – Rf of each stock, and obtain their beta. Sample data are shown below.

stock_code	Beta
1	0.337687
2	0.639046
4	0.58931
5	1.027914
6	1.196454
7	0.678335

# P2 Construct Stock Portfolios and calculate portfolio βs

#### **Process**

1. Group the individual stocks into 10 portfolios according to the size of their  $\beta$ s.

Calculate the monthly (return of the portfolio – Rf). Sample data are shown below.

```
divided_by_betas year_week ri - rf rm - rf 0.0 2019-01 -0.003608 0.016610 0.0 2019-02 0.012713 0.029264 0.0 2019-03 0.004021 0.001243 0.0 2019-04 -0.006002 -0.005899
```

2. Run the regression for the data and calculate the  $\beta$  for each portfolio.

### Result

	0.0	1.0	2.0	3.0	4.0
alpha	-0.001297	-0.000008	-0.000062	0.000616	-0.000255
alpha_t_value	-1.992031	-0.015011	-0.148650	1.477141	-0.710558
beta	0.772549	0.864526	0.909146	0.935968	1.009280
beta_t_value	36.965487	49.004038	68.372222	69.913480	87.590838
R-squared	0.931808	0.960022	0.979057	0.979951	0.987134
Observations	102.000000	102.000000	102.000000	102.000000	102.000000
	5.0	6.0	7.0	8.0	9.0
		0.0	7.0	0.0	5.0
alpha	0.000014	-0.000290	-0.000002	0.000451	-0.000854
alpha alpha_t_value	0.000014				
•		-0.000290	-0.000002	0.000451	-0.000854
alpha_t_value	0.041649	-0.000290 -0.832427	-0.000002 -0.005330	0.000451 0.974178	-0.000854 -1.501781
alpha_t_value beta	0.041649	-0.000290 -0.832427 1.053822	-0.000002 -0.005330 1.100428	0.000451 0.974178 1.105400	-0.000854 -1.501781 1.159132

### **Findings**

- 1. Betas are all around 1 and they are all very significant, it is similar with the findings in the original paper.
- 2. Different from the paper the alphas of my portfolios mostly are not significant, which means we fail to reject the null hypothesis.
- 3. R-squared seems uncorrelated with betas, it also indicates the original conclusion.

## P3 CAPM Cross-sectional Regression

#### **Process**

- 1. Calculate the (average total return for each portfolio Rf)
- 2. Run the regression. Sample data are shown below.

```
divided_by_betas ri - rf Beta
0.0 0.001354 0.772549
1.0 0.001271 0.864526
2.0 0.001187 0.909146
3.0 0.001058 0.935968
4.0 0.001752 1.009280
5.0 0.001415 1.042325
6.0 0.001941 1.053822
7.0 0.001539 1.100428
8.0 0.001900 1.105400
9.0 0.002151 1.159132
```

#### Result

	Coefficient	t-value
gamma0	-0.000649	-0.919304
gamma1	0.002216	3.146075
R-squared	0.553017	nan
F-statistics	9.897789	nan
P-value	0.013679	nan

## Findings

- Different from the paper, I fail to reject that gamma0 is equal to zero, so my conclusion will
  be there is no significant evidence showing that there are factors other than the systematic
  risk. It may because that our portfolio is formed with all the stocks so its individual risk is
  well-diversified.
- 2. Similar with the paper, my gamma1 is significantly different from 0, which indicates that as risk increases, return will also increase. It is consistent with the CAPM model.
- 3. My R-squared is around 0.55, it is larger than the R-squared in the paper, but it is also not a very perfect fit.