



# Implementing a groundwater module into CABLE

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# Outline

- 1) Overview of Hydrology
- 2) Infiltration, Surface, and Subsurface fluxes
  Parameterizations
- 3) Groundwater (aquifer)
  1D conceptual
  Explicit representation
- 4) Soil Moisture

  Vertical redistribution





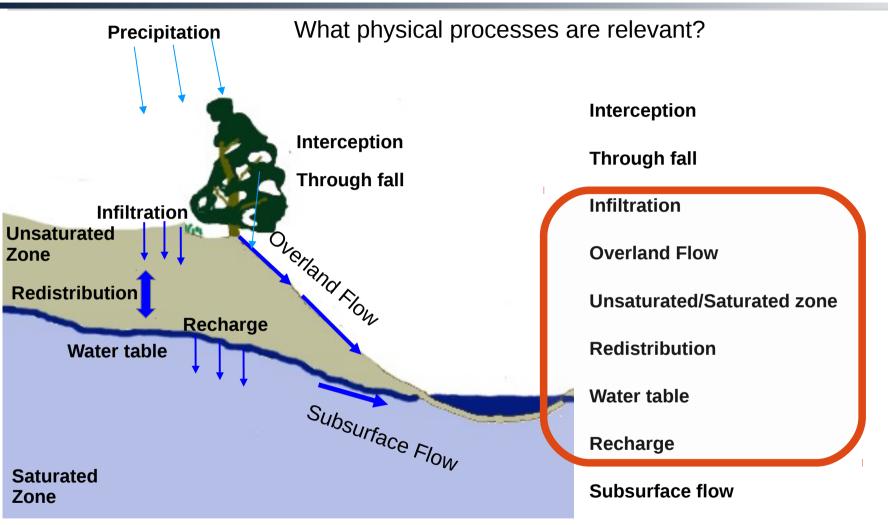


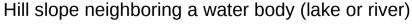


























# 1D Conceptual groundwater model

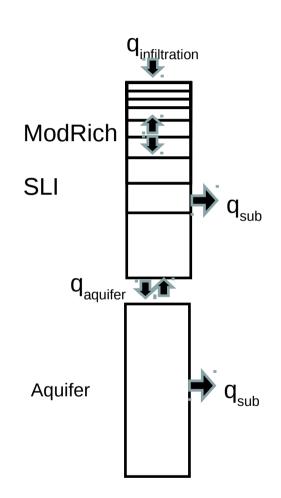
Simple bucket model of mass conservation:

$$\frac{d\Theta_{gw}}{dt} = q_{aquifer} - q_{sub}$$

Provides bottom boundary condition for Richards Equation Parameterize the fluxes using  $Z_{\nabla}$ ,  $\theta$ , K, and others

### **Limitations (of current implementation):**

- No transfer between grid cells
- Subgrid scale fluxes from conceptual model
- Neglects groundwater coupling with
  - Stream flow
  - Flood plains
  - Anthropogenic removal















**Australian Research Council** 

1) Definitions 2) LSMs 3) Soil Moisture 4) Horizontal Fluxes 5) Groundwater 6) Routing 7) Ice/Snow

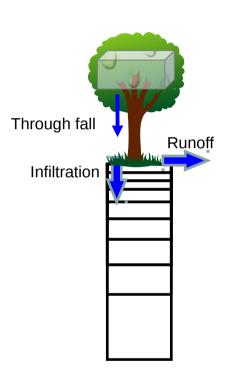
#### **Infiltration**

Limit flux into soil based on state of soil Depends on surface layer moisture, ice, soil properties For through fall over unsaturated soils:

$$q_{\mathrm{infl,max}} = K_{\mathit{sat,srf}} F_{\mathrm{infl}} \left[ \theta, \theta_{\mathit{sat}}, \frac{\partial \psi}{\partial \theta} \right]$$
.  $F_{\mathrm{infl}}$  can be one of many functions  $q_{\mathrm{infl,max}}$  is the maximum infiltration

Infiltration limited by

- 1) K<sub>sat</sub> Hydraulic conductivity of the soil
- 2)  $\theta$  relative to  $\theta_{sat}$
- 3)  $\psi$  (soil potential) changes

















#### **Surface Runoff**

$$\boldsymbol{q}_{\mathrm{srf}} = \!\! \boldsymbol{F}_{sat} \, \boldsymbol{q}_{\mathrm{thr}} \! + \! \left( 1 \! - \! \boldsymbol{F}_{\mathrm{sat}} \right) \! \left( \boldsymbol{q}_{\mathrm{thr}} \! - \! \boldsymbol{q}_{\mathrm{infl}}^{\mathrm{max}} \right)$$

#### **Subsurface Runoff**

$$q_{\mathrm{sub}} = G[z_{elv}]\Gamma[Z_{\nabla}]$$

## **Runoff Based on TOPMODEL concepts**

Subsurface Runoff: Topographic gradients drive subsurface fluxes

$$q_{\text{sub}} = T_i \tan[B]$$

B: slope

T<sub>i</sub>: Transmissivity (conductance)

Horizontal transmissivity (i.e. conductivity) declines exponentially with  $Z_{\nabla}$ 

Simplified parameterization:

$$q_{\rm sub} = q_{max} e^{-fZ_{\nabla}}$$

 $\lambda_{m}$ : Grid cell mean  $\lambda$ 

 $Z_{\nabla}$ : Grid cell mean water table depth

f: Tunable parameter (~0.2)

Alternative that combines the topographic index and  $\mathbf{K}_{\text{sat}}$  into  $\mathbf{q}_{\text{max}}$ 











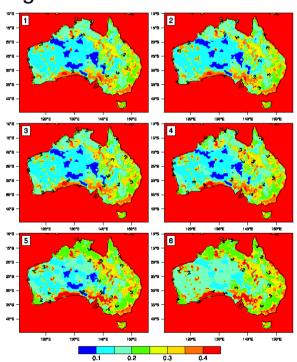


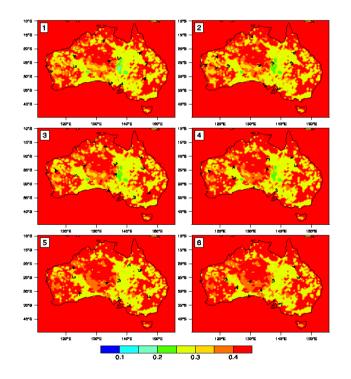


# Many tunable parameters

- Subsurface Runoff
- Surface Runoff
- Groundwater

In the process of tuning the parameters to give a reasonable simulation



















# **2D** groundwater model: Explicit horizontal fluxes and $Z_{\nabla}$ dynamics:

Model grid resolves topography driven fluxes

- Increasingly computationally viable
- Unknown aquifer and soil properties remain problematic

Common among hydrologists, used by at least 1 LSM Simplifying Assumptions (Dupuit-Forchheimer)

- $Z_{\nabla}$  is relatively flat with a hydrostatic saturated zone
- Horizontal fluxes & K invariant with respect to z

Solves for the thickness of the saturated layer:

Darcy's Law:  $q_{\mathrm{sub}} = -kh \nabla_{\mathrm{xy}}[h]$ 

h: thickness of saturated zone xy: horizontal direction

Conservation of 
$$\frac{\partial h}{\partial t} = \frac{\partial}{\partial x} \left[ -kh \frac{\partial h}{\partial x} \right] + \frac{\partial}{\partial y} \left[ -kh \frac{\partial h}{\partial y} \right]$$

Simplified 2D simplified equation for groundwater dynamics (i.e.  $Z_{\nabla}$ )

Explicit horizontal transport between grid cells

Computationally expensive compared to 1D models

Soil and groundwater properties are poorly constrained due to limited observations

