



# Authenticated Encryption

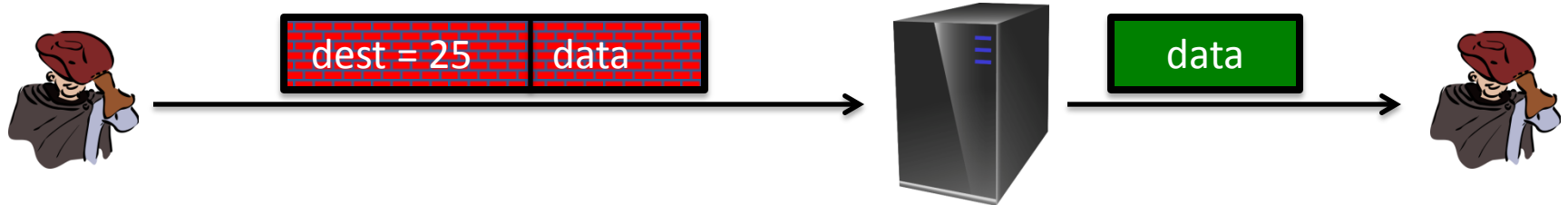
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Chosen ciphertext  
attacks

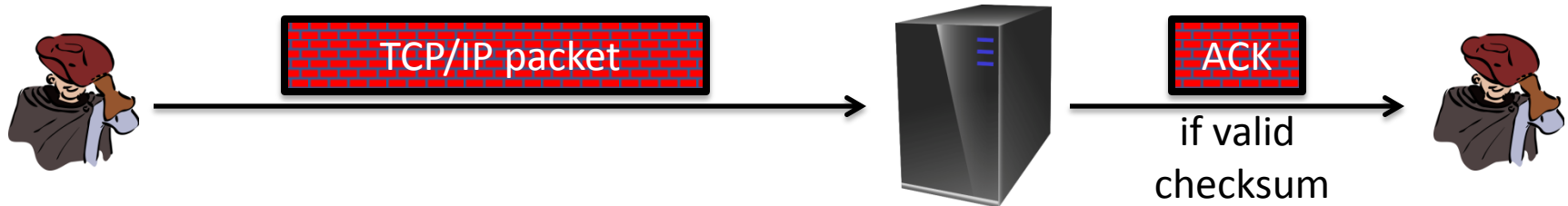
# Example chosen ciphertext attacks

Adversary has ciphertext  $c$  that it wants to decrypt

- Often, adv. can fool server into decrypting **certain** ciphertexts (not  $c$ )



- Often, adversary can learn partial information about plaintext



# Chosen ciphertext security

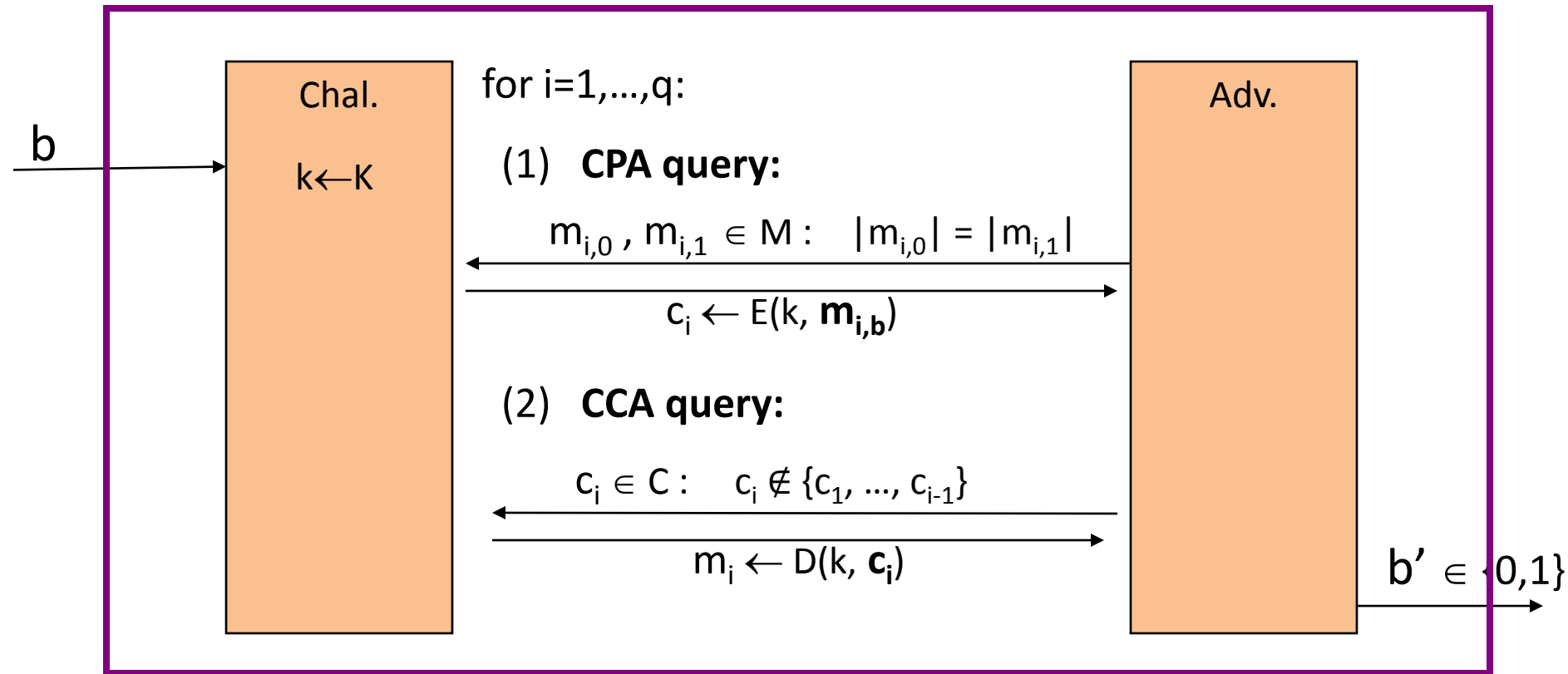
**Adversary's power:** both CPA and CCA

- Can obtain the encryption of arbitrary messages of his choice
- Can decrypt any ciphertext of his choice, other than challenge  
(conservative modeling of real life)

**Adversary's goal:** Break semantic security

# Chosen ciphertext security: definition

$\mathbb{E} = (E, D)$  cipher defined over  $(K, M, C)$ . For  $b=0,1$  define  $\text{EXP}(b)$ :

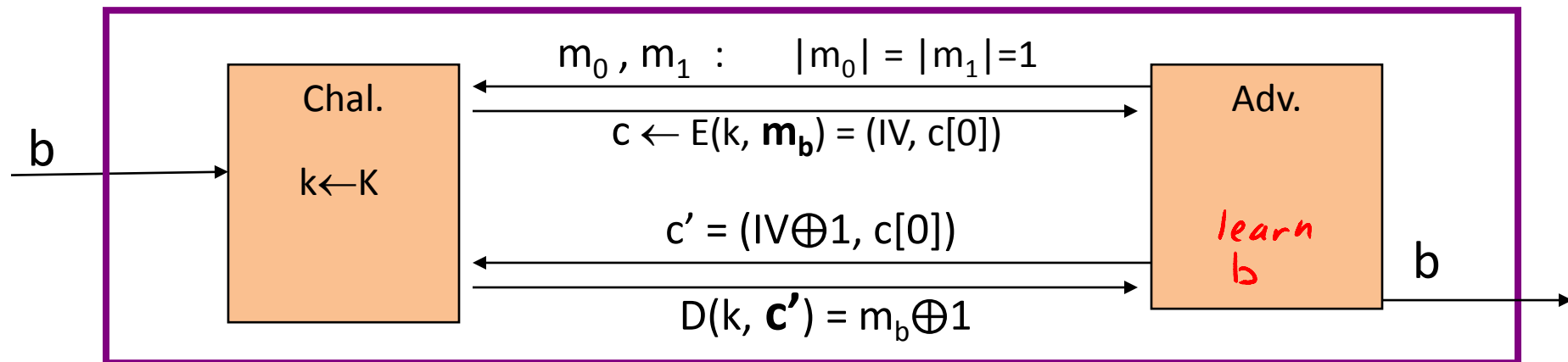


# Chosen ciphertext security: definition

$\mathbb{E}$  is CCA secure if for all “efficient”  $A$ :

$$\text{Adv}_{\text{CCA}}[A, \mathbb{E}] = \left| \Pr[\text{EXP}(0)=1] - \Pr[\text{EXP}(1)=1] \right| \text{ is “negligible.”}$$

**Example:** CBC with rand. IV is not CCA-secure



# Authenticated enc. $\Rightarrow$ CCA security

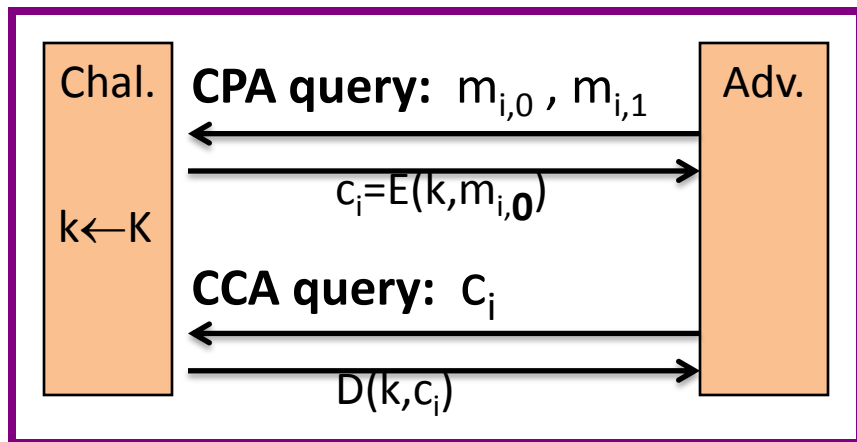
**Thm**: Let  $(E,D)$  be a cipher that provides AE.

Then  $(E,D)$  is CCA secure !

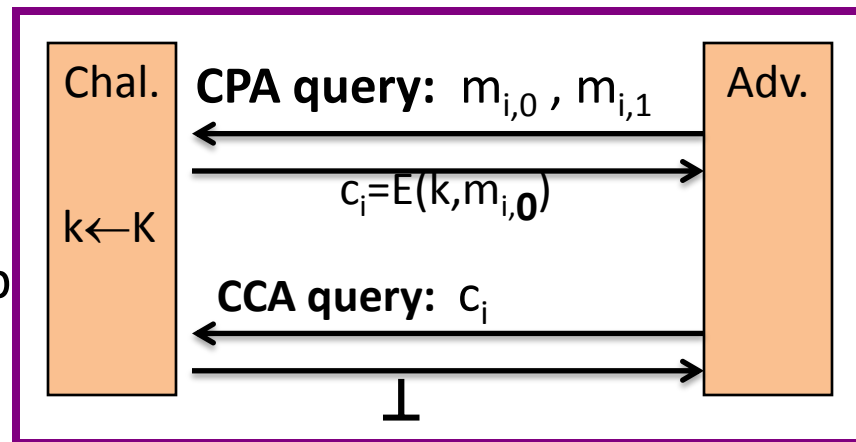
In particular, for any q-query eff. A there exist eff.  $B_1, B_2$  s.t.

$$\text{Adv}_{\text{CCA}}[A,E] \leq 2q \cdot \text{Adv}_{\text{CI}}[B_1,E] + \text{Adv}_{\text{CPA}}[B_2,E]$$

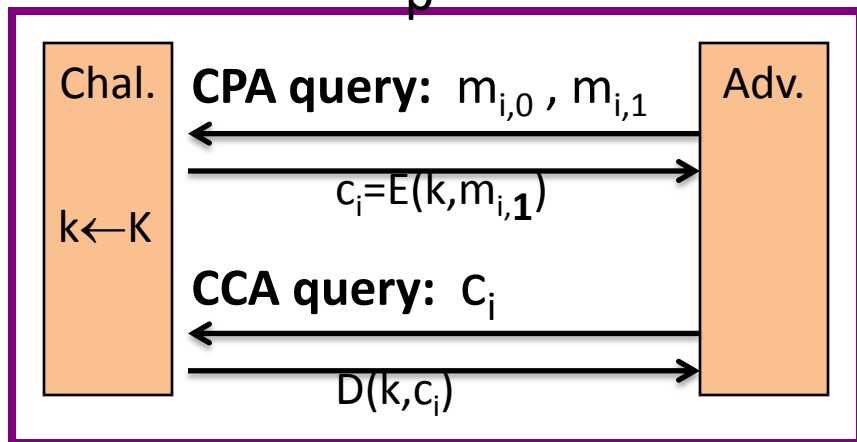
# Proof by pictures



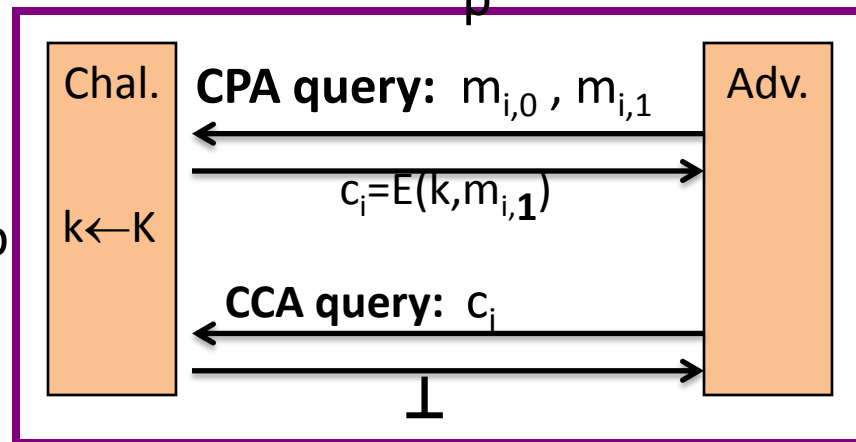
$\approx_p$



$\approx_p$



$\approx_p$



# So what?

Authenticated encryption:

- ensures confidentiality against an active adversary that can decrypt some ciphertexts

Limitations:

- does not prevent replay attacks
- does not account for side channels (timing)



End of Segment