



A Look at More Complex Component-Based Applications

CCA Forum Tutorial Working Group

<http://www.cca-forum.org/tutorials/>

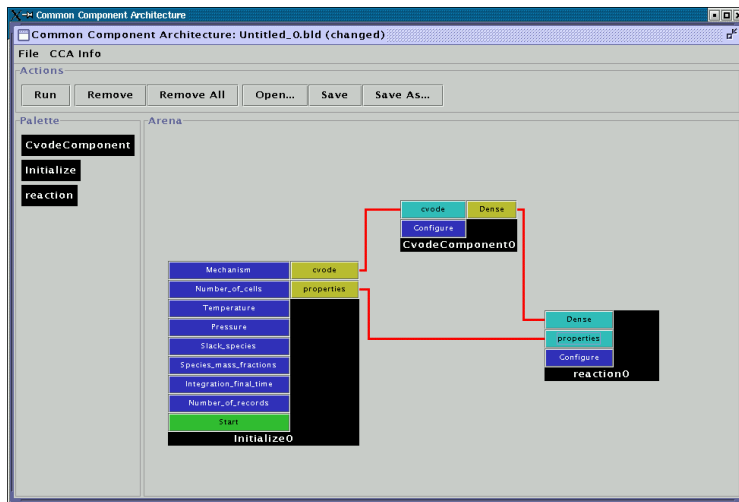
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Component model for high performance computing

- **Components**
 - C++ objects with a functionality
 - Ports : Provides and uses
 - Compiled into shared libraries
- **Framework**
 - Loads and instantiates components
 - Connects uses and provides ports
 - Driven by a script or GUI

A CCA code



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CCA model for high performance computing

- Requirements
 - High single cpu performance
 - Need parallelism, NOT distributed computing
 - SPMD quite sufficient, RMI not needed.
 - No parallel computing prescription/model
 - No one-size-fits-all
- Translates to :
 - Light-weight framework
 - Onus on the component writer.

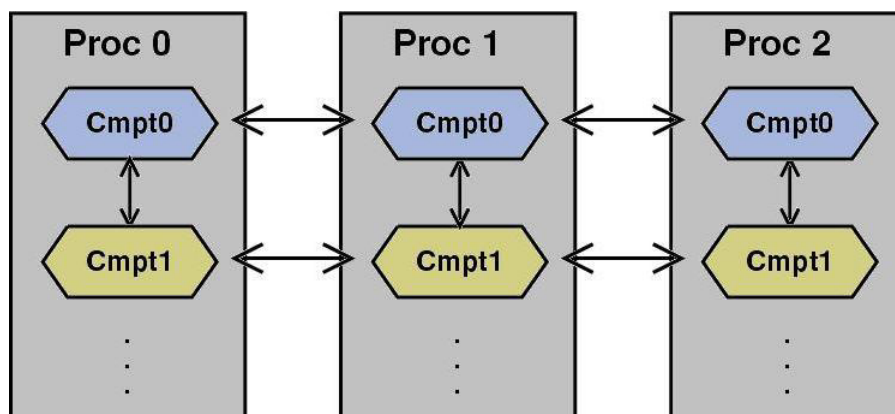
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Component model for high performance computing

- Solution :
 - Identical frameworks with identical components and connection on P processors.
 - Comp. A on proc Q can call methods on Comp. B also on proc Q.
 - Comp. A s of all P procs communicate via MPI.
 - No RMI – Comp. A on proc Q DOES NOT interact with Comp. B on proc N.
 - No parallel comp. Model – the component does what's right.
 - 2 such frameworks – Sandia, Utah.

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Pictorial example



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Summary

- A lightweight component model for high performance computing.
- A restriction on parallel communication
 - Comm. Only between a cohort of components.
- No RMI – no dist. computing.
- Components with a physics / chemistry / numerical algo functionalities.
- Standardized interfaces – Ports.
- That's the theory – does it work ?

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Problem categories

- Decomposition of simulation codes
 - How ? Along physics ? Numerics ?
 - Math model provides a hint ?
 - What granularity ?
 - Interfaces
- Libraries
 - Interfaces
- Nested containers
 - I.e. framework enhancements ?

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Decomposition of simulation codes

- 2 different physics simulations
- Component reuse
- Parallel, scalable, good single CPU performance
- A formalism for decomposing a big code into
 - Subsystem
 - Components.
 - Common underlying mathematical structure
- Dirty secrets / restrictions / flexibility.

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Guidelines regarding apps

- Hydrodynamics
- P.D.E

$$\Phi_t = F(\Phi, \nabla\Phi, \nabla^2\Phi, \dots) + G(\Phi)$$

- Spatial derivatives
 - Finite differences, finite volumes
- Timescales
- Length scales

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Solution strategy

- Timescales
 - Explicit integration of slow ones
 - Implicit integration of fast ones
- Strang-splitting

$$\Phi_t = F(\Phi, \nabla \Phi, \nabla^2 \Phi \dots) + G(\Phi)$$

1. $\Phi_t = G(\Phi), \quad t^n \rightarrow t^n + \Delta t / 2 \quad \{\Phi^n, \tilde{\Phi}\}$
2. $\Phi_t = F(\Phi, \nabla \Phi, \nabla^2 \Phi \dots), \quad t^n \rightarrow t^n + \Delta t, \quad \{\tilde{\Phi}, \hat{\Phi}\}$
3. $\Phi_t = G(\Phi), \quad t^n + \Delta t / 2 \rightarrow t^n + \Delta t, \quad \{\hat{\Phi}, \Phi^{n+1}\}$

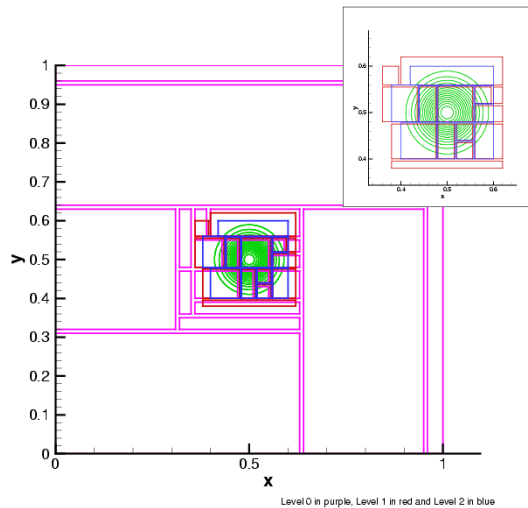
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Solution strategy (cont'd)

- Wide spectrum of length scales
 - Adaptive mesh refinement
 - Structured axis-aligned patches
 - GrACE.
- Start with a uniform coarse mesh
 - Identify regions needing refinement, collate into rectangular patches
 - Impose finer mesh in patches
 - Recurse; mesh hierarchy.

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A mesh hierarchy



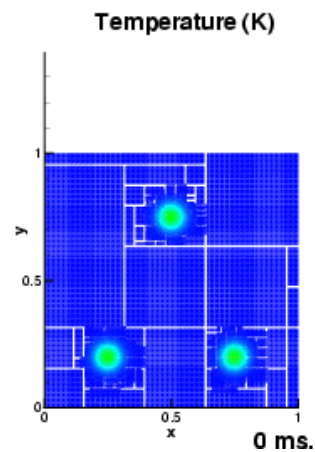
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App 1. A reaction-diffusion system.

- A coarse approx. to a flame.
- H₂-Air mixture; ignition via 3 hot-spots
- 9-species, 19 reactions, stiff chemistry

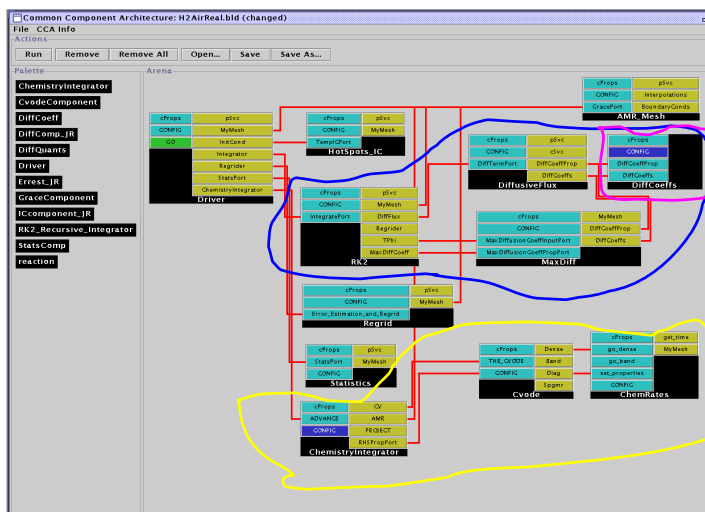
$$\frac{\partial Y_i}{\partial t} = \nabla \cdot \alpha \nabla Y_i + \dot{w}_i$$

- 1cm X 1cm domain, 100x100 coarse mesh, finest mesh = 12.5 micron.
- Timescales : O(10ns) to O(10 microseconds)



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App. 1 - the code



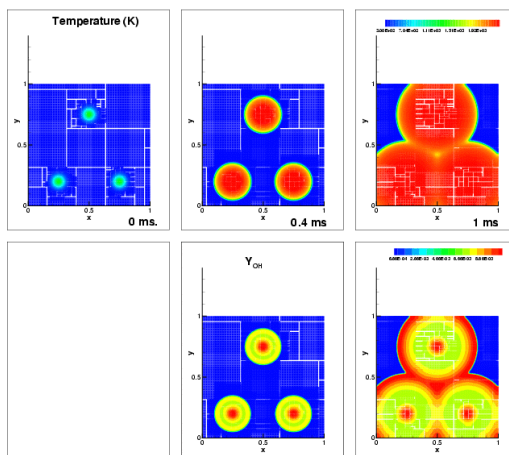
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So, how much is new code ?

- The mesh – GrACE
- Stiff-integrator – CVODE, LLNL
- ChemicalRates – old Sandia F77 subroutines
- Diff. Coeffs – based on DRFM – old Sandia F77 library
- The rest
 - We coded – me and the gang.

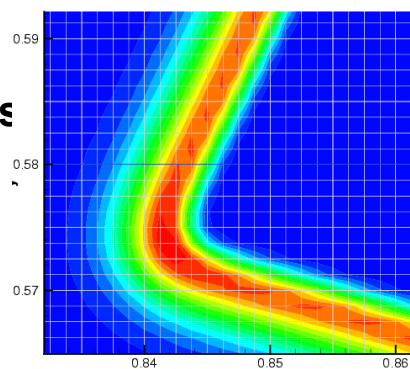
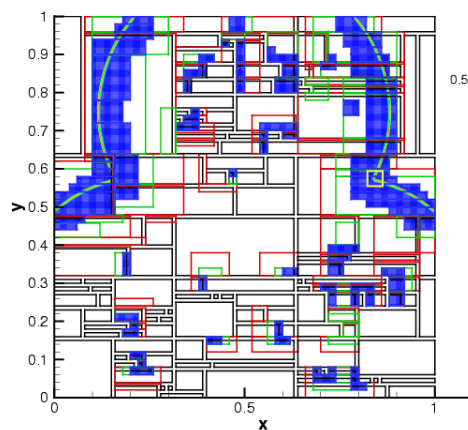
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Evolution



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Details



- H_2O_2 mass fraction profiles.

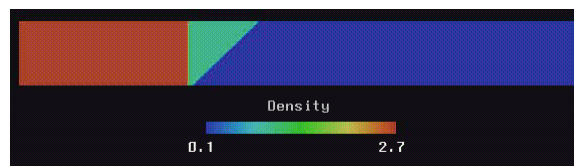
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App. 2 shock-hydrodynamics

- Shock hydrodynamics

$$U_t = F_x(U) + G_y(U) \quad U = \{\rho, \rho u, \rho v, \rho E, \rho \zeta\}$$

- Finite volume method (Godunov)



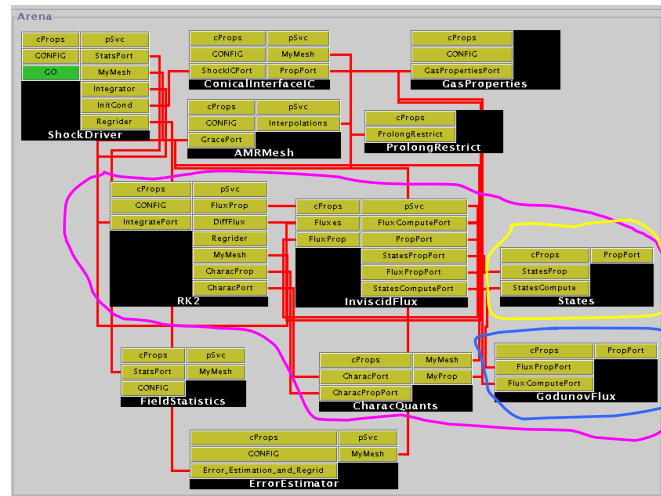
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Interesting features

- Shock & interface are sharp discontinuities
- Need refinement
- Shock deposits vorticity – a governing quantity for turbulence, mixing, ...
- Insufficient refinement – under predict vorticity, slower mixing/turbulence.

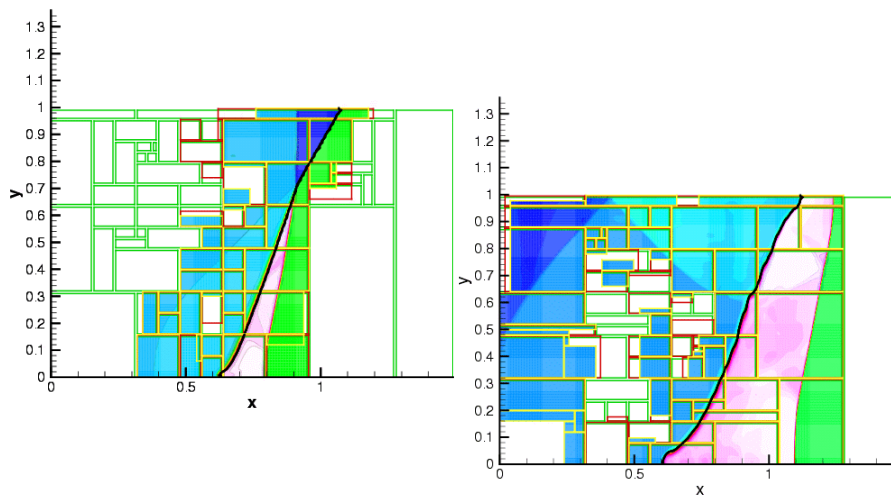
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App 2. The code



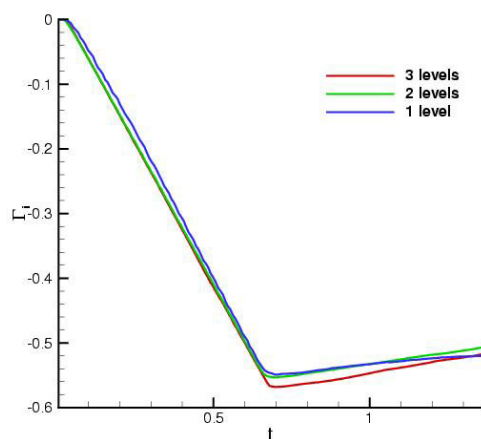
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Evolution



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Convergence



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Are components slow ?

- C++ compilers << Fortran compilers
- Virtual pointer lookup overhead when accessing a derived class via a pointer to base class
- $Y' = F ; [I - \Delta t/2 J] \Delta Y = H(Y^n) + G(Y_m) ;$ used Ccode to solve this system
- J & G evaluation requires a call to a component (Chemistry mockup)
- Δt changed to make convergence harder – more J & G evaluation
- Results compared to plain C and ccode library

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Components versus library

Δt	G evaluations	Component time (sec)	Library time (sec)
0.1	66	1.18	1.23
1.0	150	2.34	2.38
100	405	6.27	6.14
1000	501	7.66	7.67

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Really so ?

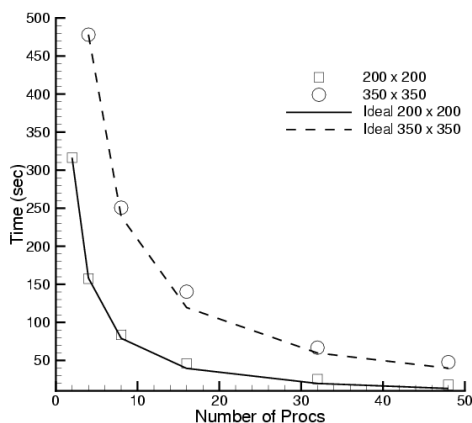
- Difference in *calling* overhead
- Test :
 - F77 versus componens
 - 500 MHz Pentium III
 - Linux 2.4.18
 - Gcc 2.95.4-15

Function arg type	f77	Component
Array	80 ns	224ns
Complex	75ns	209ns
Double complex	86ns	241ns

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Scalability

- Shock-hydro code
- No refinement
- 200 x 200 & 350 x 350 meshes
- Cplant cluster
 - 400 MHz EV5 Alphas
 - 1 Gb/s Myrinet
- Worst perf : 73 % scaling eff. For 200x200 on 48 procs



Summary

- Components, code
- Very different physics/numerics by replacing physics components
- Single cpu performance not harmed by componentization
- Scalability – no effect
- Flexible, parallel, etc. etc. ...
- Success story ...?
 - Not so fast ...

Pros and cons

- Cons :
 - A set of components solve a PDE subject to a *particular* numerical scheme
 - Numerics decides the main subsystems of the component assembly
 - Variation on the main theme is easy
 - Too large a change and you have to recreate a big percentage of components
- Pros :
 - Physics components appear at the bottom of the hierarchy
 - Changing physics models is easy.
 - Note : Adding new physics, if requiring a brand-new numerical algorithm is NOT trivial.
- So what's a better design to accommodate this ?

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What else is up ?

- “libraries” !
 - But as components, standard interfaces
 - “Linear solver component” (interface!)
 - Petsc, Trilinos etc, etc
- Meshes :
 - Standard interfaces for discretizing domains (unstructured meshes)
 - Math operators on such meshes
 - Data objects to hold fields on such meshes
- Strange things ...
 - Data de- and re-composition, visualization ...

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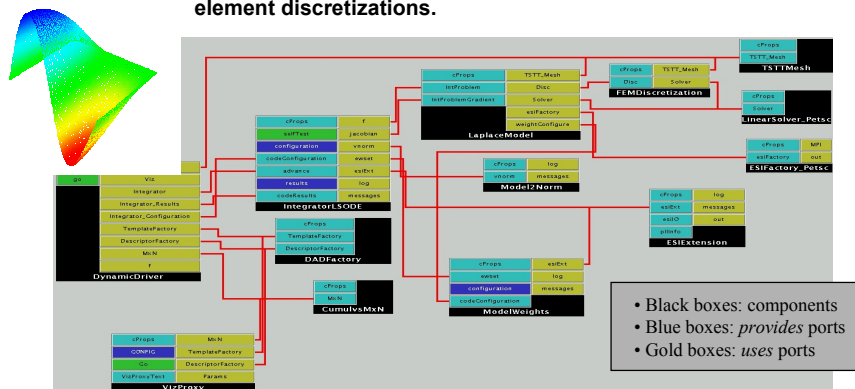
Libraries

- Linear algebra
 - PETSc, Trilinos, etc → components
- Optimization
 - TAO
- ODE & DAE Integrators
 - LSODE, Cvode
- Profiling & optimization (cache artists ?!?)
 - TAU
- Data redist + Viz
 - CUMULVS, using AVS, no less !

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Time-Dependent PDE on an Unstructured Mesh

TSTT unstructured mesh prototype components with finite element discretizations.



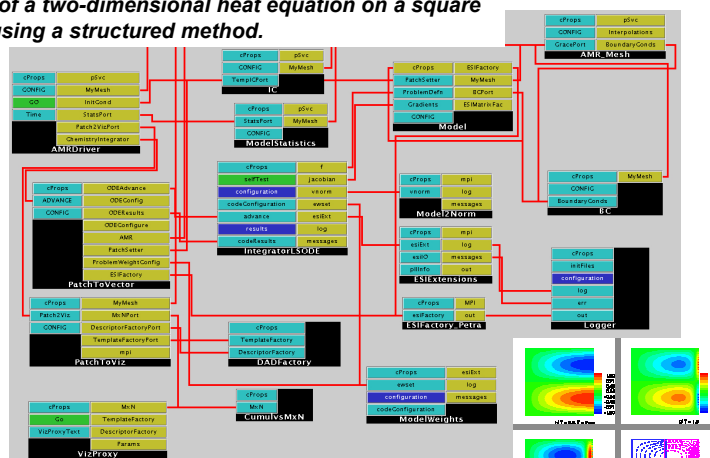
IntegratorLSODE provides a second-order implicit time integrator, and **FEMDiscretization** provides a discretization.

This application uses the **DADFactory** component to describe the parallel data layout so that the **CumulvsMxN** data redistribution component can then collate the data from a multi-processor run to a single processor for runtime visualization.

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Heat Equation on an Adaptive Structured Mesh

Solution of a two-dimensional heat equation on a square domain using a structured method.

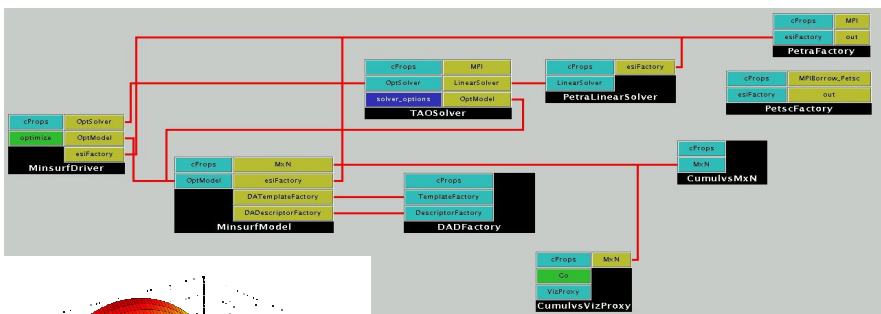


IntegratorLSODE provides a second-order implicit time integrator, and **Model** provides a discretization. The remaining components are essentially utilities that construct the global ODE system or adaptors that convert the patch-based data structures of the mesh to the globally distributed array structure used for runtime visualization.

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Unconstrained Minimization Using a Structured Mesh

Determine minimal surface area given boundary conditions using the **TAOSolver** optimization component. I.e., solve $\min f(x)$, where $f: R^n \rightarrow R$.



TAOSolver uses linear solver components that incorporate abstract interfaces under development by the DOE-wide Equation Solver Interface (ESI) working group. Underlying implementations are provided via the new ESI interfaces to parallel linear solvers within the PETSc (ANL) and Trilinos (SNL) libraries.

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Conclusions

- Progress ..
 - Libraries <-> components : well ahead
 - Decomposing applications
 - Slower, but harder job
 - Language interoperability
 - Framework done
 - Adoption by people on
- Knotty points
 - Interfaces and scientists ...