# orbital relaxation pt.1

 $\Psi_{cc}$ 

$$\Psi_{cc} = \exp(T_1 + T_2 + T_3 + ...) \oplus$$

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$$= \exp(T_2 + T_3 + ...) \stackrel{\sim}{+}$$

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$$\Psi_{cc} = \exp(T_1 + T_2 + T_3 + ...) \stackrel{\mathcal{L}}{=}$$

$$= \exp(T_2 + T_3 + ...) \stackrel{\mathcal{L}}{=}$$

$$\stackrel{\mathcal{L}}{\psi_i} = \psi_i + \sum_{\alpha} + \frac{1}{\alpha} \psi_{\alpha}$$

$$\Psi_{cc} = \exp(T_1 + T_2 + T_3 + ...) \stackrel{\cong}{+}$$

$$= \exp(T_2 + T_3 + ...) \stackrel{\cong}{+}$$

$$\stackrel{\cong}{\gamma_i} = \psi_i + \sum_{i} + \sum_{i} \psi_i$$

Ti is big when \$\Pi\$ is bad

 $\tilde{\Phi} = \exp(T_i) \tilde{\Phi}$  is intermediately normalized

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$$\widetilde{\Phi} = \exp(T, -T, t)$$
 is normalized

1. best overlap: maximize |〈五十〉

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2. best energy: minimize (YIHIY)

- 1. best overlap: maximize | \ \Delta | \ \P\ \ |^2 | Brueckner orbitals"
- 2. best energy: minimize (YIHIY)

- 2. best energy: minimize (1/11/1/2)
  "optimized orbitals"