D- Discrek radom umzble: 3 notetion what is: + > Fintenumber of 2266 f(Z=z)= [z] 3) Probability mass function: not necessary A factor for which : 2 things Support all volve of 2 for whice [Z] > 0 and defined [2] > 0 Probability mass furction (4) Example Specis Kidnes on May plas: [Z/K] = z Moment generating function j=1,2,3,4 M Moments  $M_j = \sum_{z \in S} (z - c)^j [z]$ E(z) = u = ZZ [z] approximated by may ration draws from C = 0 13=1 the List buting 2 using First memon + 1 2 Z 5 (2-m)[2] approximatel as E(z-u) = 6 = C=M 1 & (z:-m)2 j= 2 Social Control Monet other morents skawness ( ) i= 4 Kurtosis "fatron of talls Quantile Cumpeletue distribution function. Probability Mass F(z) = 2 [u] F(2)=11

(1) Continuous radom variable a < 2 < b, infinite number of values Requirements for probability density function ① [z] 20

P126651.7 density of

(3) S [2] dz = Pr (a < 2 < b)

3) [z] {z = 1

Monat generating function

 $m_{ij} = \int_{-\infty}^{\infty} (z-c)^{j} [z] dz$ 

First moment: Expected value or mean

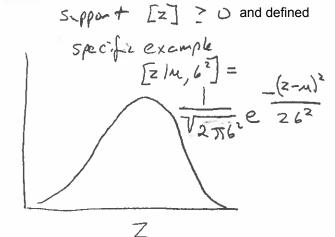
C=0  $M = E(z) = M = \int Z[z] dz$  j=1 appointed as  $\frac{1}{n} \stackrel{?}{\underset{}{\stackrel{\sim}{\sim}}} z$ :

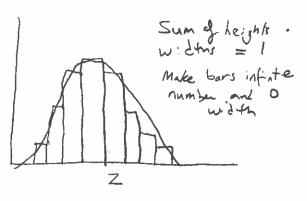
Second central moment:

 $c = M M_2 = E(z-M)^2 = 6^2 = \int_{(z-M)}^{\infty} [z] dz$ approximetel as  $\frac{1}{n} \stackrel{?}{\underset{\sim}{\sum}} (2:-m)^2$ 

Probability donsity F(Z) = Commulative distribution function =

Pr(z ≤ u)





Probability dasity are values on the continuous curve such that the avea cente te curve = 1 Scaling of y axis

