Generalized S-I-R model

1 Equations

These are the equations for the model:

$$\frac{dE_1}{dt} = \Theta_1 E_1 + \mu_1 R_1 + \Lambda_1 R_1 + \delta_1 - \Lambda_1 R_1 - \delta_1$$

$$\frac{dE_2}{dt} = \Theta_2 E_2 + \mu_2 R_2 + \Lambda_2 R_2 + \delta_2 - \Lambda_2 R_2 - \delta_2$$

$$\frac{dE_3}{dt} = \Theta_3 E_3 + \mu_3 R_3 + \Lambda_3 R_3 + \delta_3 - \Lambda_3 R_3 - \delta_3$$

$$\frac{dI_pre_1}{dt} = \Theta_1I_pre_1 + \mu_1E_1 +$$

$$\frac{dI_pre_2}{dt} = \Theta_2I_pre_2 + \mu_2E_2 +$$

$$\frac{dI_pre_3}{dt} = \Theta_3I_pre_3 + \mu_3E_3 +$$

$$\frac{dI_symp_s_1}{dt} = \Theta_1I_symp_s_1 + \mu_1I_pre_1 +$$

$$\frac{dI_symp_s_2}{dt} = \Theta_2I_symp_s_2 + \mu_2I_pre_2 +$$

$$\frac{dI_symp_s_3}{dt} = \Theta_3I_symp_s_3 + \mu_3I_pre_3 +$$

$$\frac{dI_symp_m_1}{dt} = \Theta_1 I_symp_m_1 + \mu_1 I_pre_1 +$$

$$\frac{dI_symp_m_2}{dt} = \Theta_2I_symp_m_2 + \mu_2I_pre_2 +$$

$$\frac{dI_symp_m_3}{dt} = \Theta_3I_symp_m_3 + \mu_3I_pre_3 +$$

$$\frac{dI_asymp_1}{dt} = \Theta_1I_asymp_1 + \mu_1I_pre_1 + \\ \frac{dI_asymp_2}{dt} = \Theta_2I_asymp_2 + \mu_2I_pre_2 + \\ \frac{dI_asymp_3}{dt} = \Theta_3I_asymp_3 + \mu_3I_pre_3 + \\ \frac{dHOSP_m_1}{dt} = \Theta_1HOSP_m_1 + \mu_1I_symp_m_1 + \\ \frac{dHOSP_m_2}{dt} = \Theta_2HOSP_m_2 + \mu_2I_symp_m_2 + \\ \frac{dHOSP_m_3}{dt} = \Theta_3HOSP_m_3 + \mu_3I_symp_m_3 + \\ \frac{dHOSP_s_1}{dt} = \Theta_1HOSP_s_1 + \mu_1I_symp_s_1 + \\ \frac{dHOSP_s_2}{dt} = \Theta_2HOSP_s_2 + \mu_2I_symp_s_2 + \\ \frac{dHOSP_s_3}{dt} = \Theta_3HOSP_s_3 + \mu_3I_symp_s_3 + \\ \frac{dHOSP_s_3}{dt} = \Theta_3HOSP_s_3 + \mu_3I_symp_s_3 + \\ \frac{dR_1}{dt} = \Theta_1R_1 + \mu_1I_symp_s_1 + \mu_1I_symp_m_1 + \mu_1I_asymp_1 + \mu_1HOSP_m_1 + \mu_1HOSP_s_1 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_s_2 + \mu_2I_symp_m_2 + \mu_2I_asymp_2 + \mu_2HOSP_m_2 + \mu_2HOSP_s_2 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_s_2 + \mu_2I_symp_m_2 + \mu_2I_asymp_2 + \mu_2HOSP_m_2 + \mu_2HOSP_s_2 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_s_2 + \mu_2I_symp_m_2 + \mu_2I_asymp_2 + \mu_2HOSP_m_2 + \mu_2HOSP_s_2 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_s_2 + \mu_2I_symp_m_2 + \mu_2I_asymp_2 + \mu_2HOSP_m_2 + \mu_2HOSP_s_2 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_s_2 + \mu_2I_symp_m_2 + \mu_2I_asymp_2 + \mu_2HOSP_m_2 + \mu_2HOSP_s_2 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_s_2 + \mu_2I_symp_m_2 + \mu_2I_asymp_2 + \mu_2HOSP_m_2 + \mu_2HOSP_s_2 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_m_2 + \mu_2I_symp_m_2 + \mu_2I_symp_2 + \mu_2HOSP_m_2 + \mu_2HOSP_s_2 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_m_2 + \mu_2I_symp_m_2 + \mu_2HOSP_m_2 + \mu_2HOSP_s_2 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_m_2 + \mu_2I_symp_m_2 + \mu_2HOSP_m_2 + \mu_2HOSP_s_2 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_m_2 + \mu_2I_symp_m_2 + \mu_2HOSP_m_2 + \mu_2HOSP_s_2 + \\ \frac{dR_2}{dt} = \Theta_2R_2 + \mu_2I_symp_m_2 + \mu_2I_symp_m_2 + \mu_2HOSP_m_2 + \mu_2HOSP_$$

$$\frac{dS}{dt} = \frac{R_1}{N} \delta_1 \frac{R_2}{N} \delta_2 \frac{R_3}{N} \delta_3 - \frac{E_1}{N} \delta_1 - \frac{E_2}{N} \delta_2 - \frac{E_3}{N} \delta_3$$

 $\frac{dR_3}{dt} = \Theta_3 R_3 + \mu_3 I _symp_s_3 + \mu_3 I _symp_m_3 + \mu_3 I _asymp_3 + \mu_3 HOSP_m_3 + \mu_3 HOSP_s_3 + \mu_3 I _symp_s_3 + \mu_3 I _symp_s_3 + \mu_3 I _symp_m_3 + \mu_3 I _symp_s_3 + \mu_3 I _symp$