

1) a) A = They find the looters.

B = They don't find them.

$(A \vee B)$

They will find the looters or they will not find them

b) A = Suskel is a movie reviewer

B = Elbert is a movie reviewer

$(A \wedge B)$

Suskel is a movie reviewer & Elbert is a movie reviewer

c) A = Popcorn stand is open

$(A \Rightarrow B)$

B = You want popcorn  $\rightarrow$  You can get some popcorn

If the popcorn stand is open, then you can get some if you want

d) A = You touch a painting

B = They kick us out

If you touch another painting, then they will kick us out

2

$A \wedge B$	$A \Leftrightarrow B$	A	B	$A \wedge B$	$A \Leftrightarrow B$
		T	T	T	T
		T	F	F	F
		F	T	F	F
		F	F	F	F

3) 1)  $A \rightarrow B$

2)  $(B \wedge C) \rightarrow D$

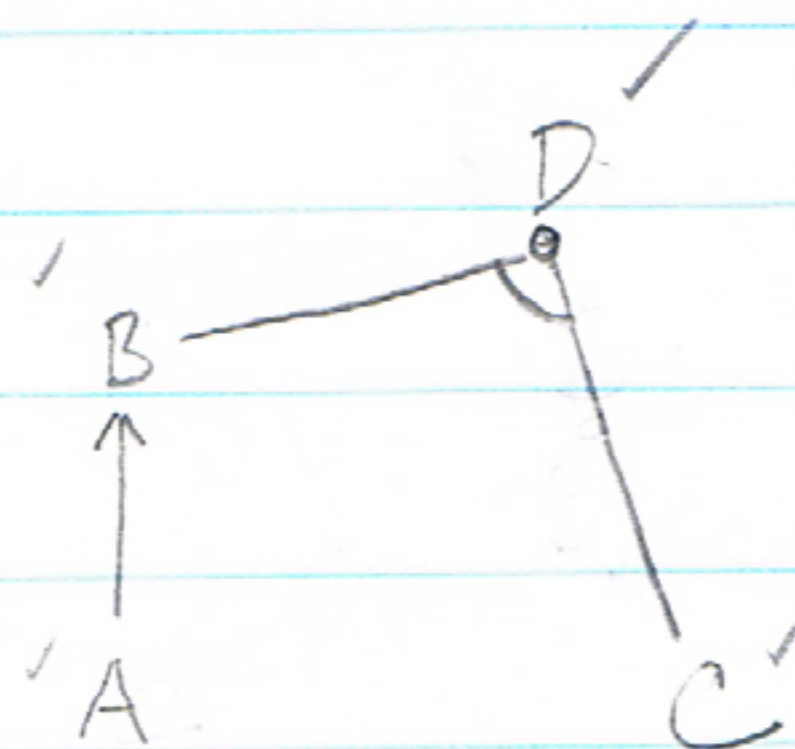
3)  $\neg B \rightarrow D$

4) C

5) A

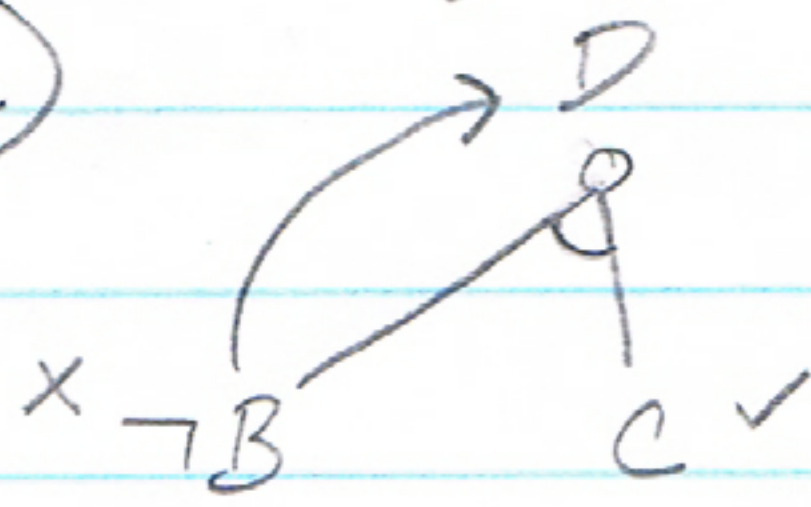
A = Downturn C = Resume

B = few jobs D = JD job





3) C)

d) 1)  $\neg A \vee B$ 2)  $\neg(B \wedge C) \vee D; \neg B \vee \neg C \vee D$ 3)  $B \vee D$ 4)  $C$ 4) a)  $\exists x \text{ Difficult}(x) \wedge \text{AITopic}(x)$ b)  $\exists x \forall z (\text{Course}(x) \wedge \text{Named}(\text{"AI"}, x)) \wedge$   
 $(\text{Course}(z) \wedge \text{Named}(\text{"AI"}, z) \rightarrow (x = z))$ c)  $\forall x \exists y \exists z \text{ Student}(x) \wedge \text{Enrolled}(x, \text{"COMP 569"})$   
 $\rightarrow \text{Exam}(y), \text{Exam}(z), \text{Take}(x, y) \wedge \text{Take}(x, z)$ 

5) In the paper, the section of The Executive Routine p.22 seems to be related to our discussion of inference, where theorems provide grounds for the KB and add to the possibility of future ones being solved. The Matching Process draws from forward-chaining to make a proof tree it seems; the main difference appears to be that only implication/AND is used. Subproblems further discusses that the possible building of the theorem base saves a lot of time w/ solving most problems. since after many basic steps are solved, few require <sup>many</sup> steps beyond it.