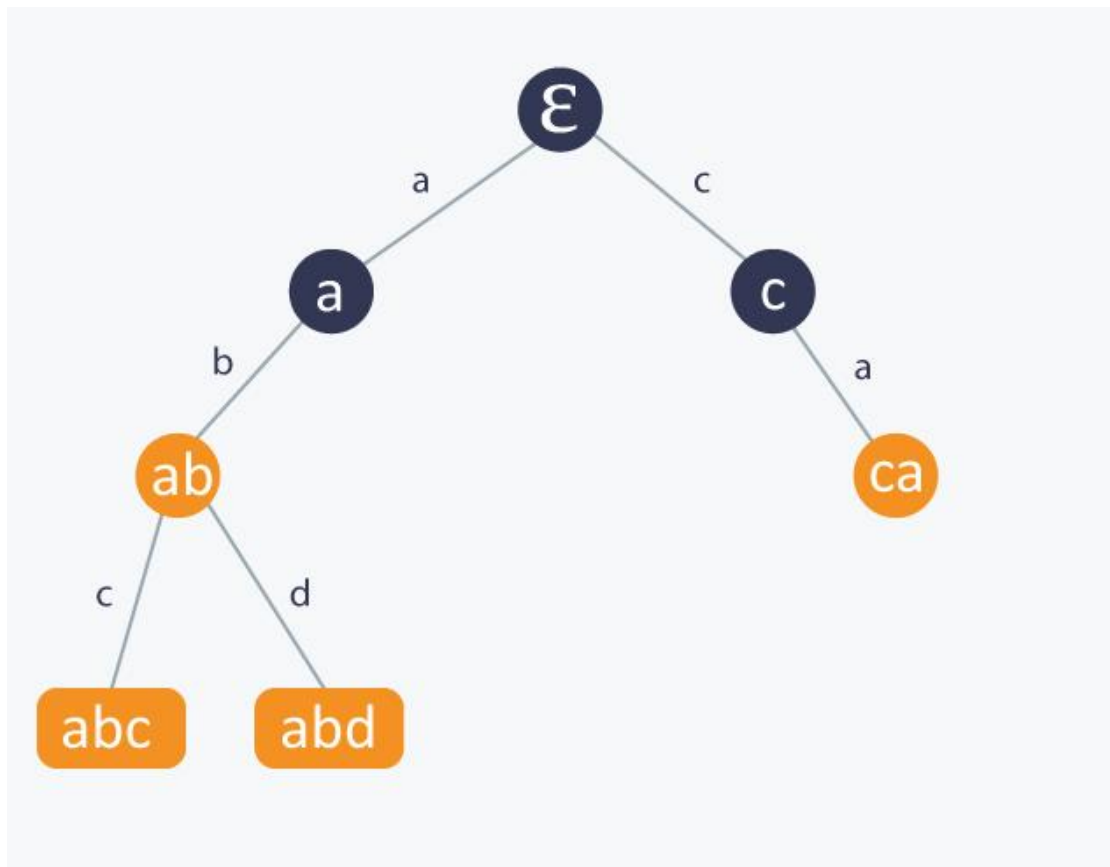


SUFFIX TREE

- In computer science, a **suffix tree** is a **compressed trie containing** all the suffixes of the given text
- Suffix trees allow particularly fast implementations of many important string operations.

Trie

- Trie is probably the most basic and intuitive tree based data structure designed to use with strings.
- Let S be a set of k strings, in other words $S = \{s_1, s_2, \dots, s_k\}$
- We can model the set S as a rooted tree T in such a way, that each path from the root of T to any of its nodes corresponds to a prefix of at least one string of S .
- Let $S = \{\text{abc}, \text{abd}, \text{ca}, \text{ab}\}$. Let ϵ corresponds to an empty string. Then a trie for S looks like this:



Suffix tree

- A suffix tree **T** is a natural improvement over trie used in pattern matching problem, the one defined over a set of substrings of a string **s**.
- A Suffix Tree for a given text is a compressed trie for all suffixes of the given text.

How to build a Suffix Tree for a given text?

As discussed above, Suffix Tree is compressed trie of all suffixes, so following are very abstract steps to build a suffix tree from given text.

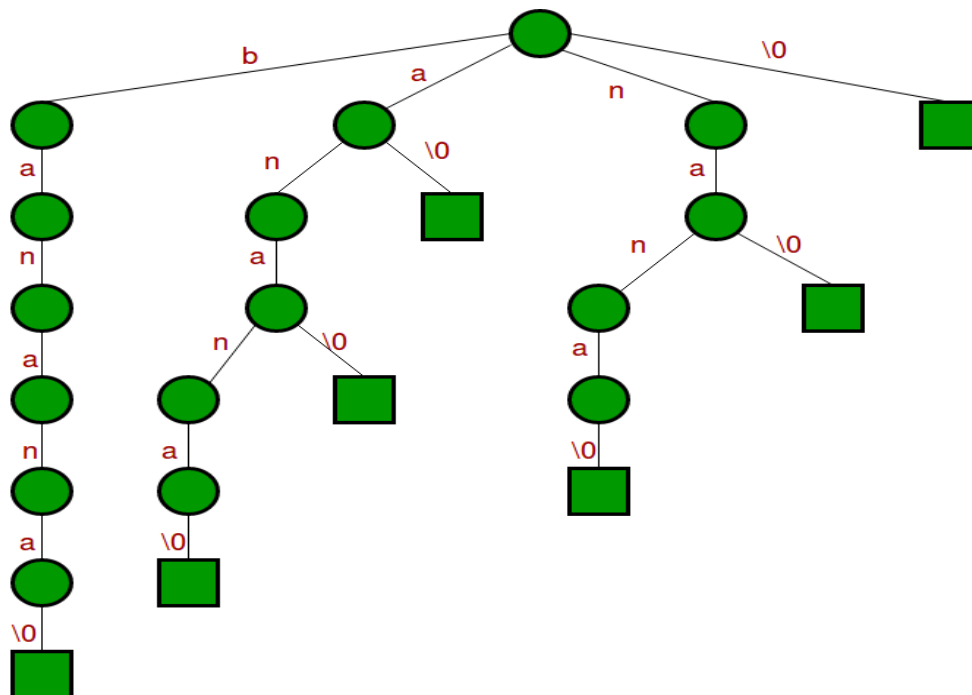
1) Generate all suffixes of given text.

2) Consider all suffixes as individual words and build a compressed trie.

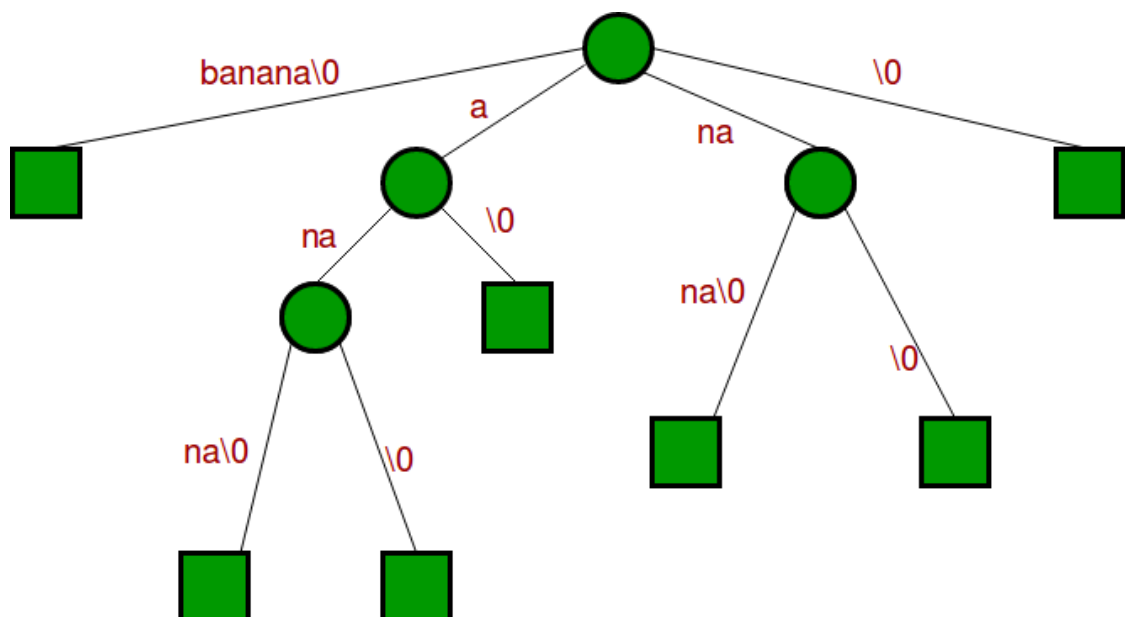
- Let us consider an example text “**banana\0**” where ‘\0’ is string termination character.
- Following are all suffixes of “**banana\0**”

1. banana\0
2. anana\0
3. nana\0
4. ana\0
5. na\0
6. a\0
7. \0

- If we consider all of the above suffixes as individual words and build a trie, we get following.



- If we join chains of single nodes, we get the following compressed trie, which is the Suffix Tree for given text "banana\0"



The suffix tree for the string S of length n is defined as a tree such that

- The tree has exactly n leaves numbered from 1 to n .
- Except for the root, every internal node has at least two children.
- Each edge is labelled with a non-empty substring of S .
- No two edges starting out of a node can have string-labels beginning with the same character.
- The string obtained by concatenating all the string-labels found on the path from the root to leaf i spells out suffix $S[i...n]$, for i from 1 to n .

Applications of Suffix Tree

- Suffix tree can be used for a wide range of problems.
- Following are some famous problems where Suffix Trees provide optimal time complexity solution.
 - 1) Pattern Searching
 - 2) Finding the longest repeated substring
 - 3) Finding the longest common substring
 - 4) Finding the longest palindrome in a string