

# Experience with Kokkos for Lattice QCD Code Bridge++

Kokkos tea-time at 7AM PST, 8AM MST, 10AM EST, 3PM UTC, 4PM CET, 0AM JST

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#### **Abstract**

# **Development Experience with Kokkos** (Practical insights from recent months)

- First time using the Kokkos framework
  - Prior experience with C++ (templates, lambdas) and CUDA

#### Target

- Mini benchmark code from Bridge++
- Community lattice QCD code from Japan

#### Focus

- Domain-wall Fermions (5D spins in 4D gauge)
- Even-odd decomposition

#### Progress

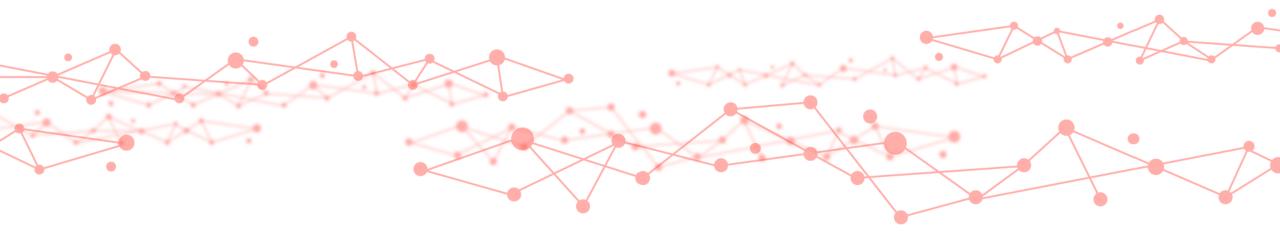
Implemented "mult" kernel in fp32 (solver implementation pending)

#### Notes

Insights are based on practical development experience rather than deep expertise



- 1. Introduction: Hello Kokkos
- 2. Bridge++: Lattice QCD code
- 3. Performance and conclusion





# **Motivation/Background**

- Accelerators were not applied for K (2012–2019) or Fugaku (2020–)
  - Priolizerd the ecosystem compatibility of application codes
  - People don't like to maintain a diverged source code for accelerators
- Seeking platforms for unified code development
  - Directive-based: OpenACC, OpenMP
  - Modern C++ library: Kokkos
  - Balancing Porting cost and performance



「京」K computer (2012-2019)



「富岳」Fugaku (2020-)



## What is Kokkos?

#### Overview

- A modern C++ library for Performance Portability
- Designed for high-performance computing (HPC) applications

#### Key Features

- Abstraction for multi-platform parallelism (e.g., CPUs, GPUs)
- Supports multiple backends: OpenMP, CUDA, HIP, etc.
- Enables unified code for diverse hardware architectures.

#### My Perspective

- Exploring Kokkos for the first time (not an evangelist)
- Balancing performance and portability

#### Insights

- Mostly for writing new code, not for modifying existing codes
- Requires explicit host-device data transfer
- Demands C++ expertise (e.g., lambda and value/reference capture)
- Free from vendor's proprietary statements in the users' codes





## Hello world in Kokkos

#### In CUDA

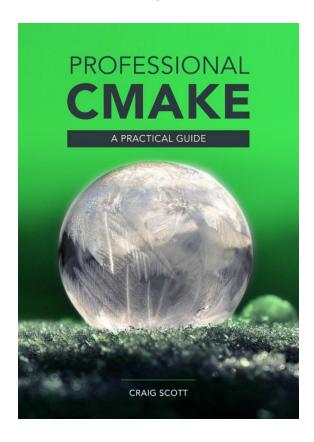
Getting started with CUDA is simple: a few lines of code and one command

```
keigo@gpu1:~$ nvcc hello.cu
keigo@gpu1:~$ ./a.out
Hello, world!
keigo@gpu1:~$ __
```

- The first and the greatest barrier to Kokkos is
   CMAKE
  - By nature, Kokkos is designed to support multiple platforms
  - If there were kokkoscc command,,,
- Starting with Kokkos often feels like mastering a second tool—CMAKE—before writing actual code

#### In Kookkos

With Kokkos, learning CMake becomes an essential step—even for minimal examples



Best 40 dollars you will spend



## Minimal startup of Kokkos with CMAKE

 The common.cmake file in the kokkos-tutorials repository turned out to be helpful



https://github.com/kokk os/kokkostutorials/blob/main/Exe rcises/common.cmake

- Kokkos' source is downloaded from GitHub when you build first time
- In each build directory, e.g., build\_openmp or build\_cuda, Kokkosruntime is built as a dependent library

```
cmake_minimum_required(VERSION 3.16)
project(caxpy)
include(../common.cmake)

add_executable(caxpy caxpy.cpp)
target_link_libraries(caxpy Kokkos::kokkos)

set(CMAKE_VERBOSE_MAKEFILE ON)
```

Minimum CMakeLists.txt

```
$ cmake -B build_cuda
-DKokkos_ENABLE_CUDA=ON
-DKokkos_ARCH_HOPPER90=ON
$ make -C build_cuda -j
```

Build your C++ code in CUDA configuration together with libkokkoscore.a et al.



## **New Version of Quick Start**

 Simplest example of CMakeLists.txt in <u>https://kokkos.org/kokkos-core-</u> <u>wiki/quick\_start.html</u>

```
cmake_minimum_required(VERSION 3.16)
project(MyProject)

include(FetchContent)
FetchContent_Declare(
   Kokkos
   URL https://github.com/kokkos/kokkos/archive/refs/tags/4.5.01.zip
)
FetchContent_MakeAvailable(Kokkos)

add_executable(HelloKokkos HelloKokkos.cpp)
target_link_libraries(HelloKokkos Kokkos::kokkos)
```

```
Just type $ cmake -B build_openmp -DKokkos_ENABLE_OPENMP=ON $ make -C build_openmp -j
```





# **Case of using Spack**

 Application will be configured as the configuration of the Kokkos found in Spack

```
[keigo@qc-gh200-01 ~]$ spack find -lx
-- linux-rocky9-neoverse_v2 / gcc@11.5.0 ------
2cnzhf4 gh@2.58.0 mqw6c46 kokkos@4.4.01 qpcwipg kokkos@4.4.01
==> 3 installed packages
```

```
$ spack load kokkos+openmp
```

\$ cmake -B build\_openmp

\$ spack unload kokkos

\$ spack load kokkos+cuda

\$ cmake -B build cuda

\$ spack unload kokkos

cmake\_minimum\_required(VERSION 3.16)
project(MyProject)

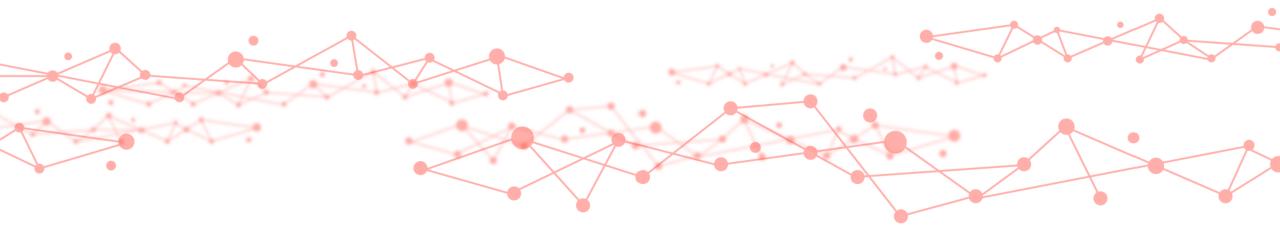
find\_package(Kokkos REQUIRED)
add\_executable(HelloKokkos HelloKokkos.cpp)
target link libraries(HelloKokkos Kokkos::kokkos)

Kokkos packages in Spack only need to be loaded when you run cmake -B

Minimum CmakeFiles.txt



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## **Bridge++: Community Lattice QCD code**



### An object-oriented LQCD simulation code in C++

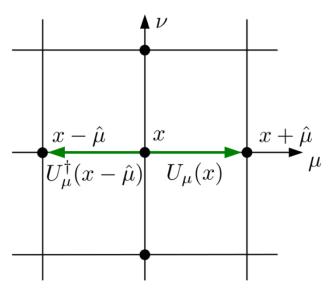
- Development started in 2009, with version 1.0 released in 2012, and 2.0 in February 2024
- Developed within the Japanese high-energy physics community
- Experimental accelerator branch in OpenACC and CUDA

#### Mini benchmark code on Domainwall Fermion kernel

- The fermion (or spinor or quark) field has a 5th dimension to keep chiral symmetry well
- 4-dimensional SU(3) gauge field as link variables
- Benchmarking matrix (gauge) vector (spinor) multiplication performance



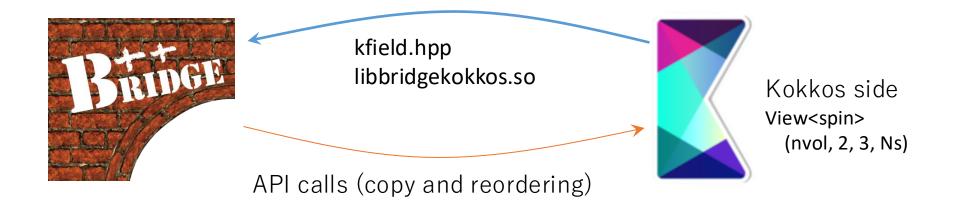
https://bridge.kek.jp/La ttice-code/index e.html





# Connecting Two Worlds Through Modular Design

Bridge++ side Field (nin, nvol, nex)

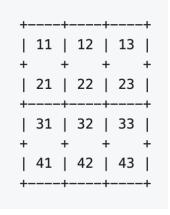


- We need to connect two C++ codes with various class and macro definitions for each.
  - Impractical to let Bridge++ include Kokkos headers.
  - Use kernel programs in Kokkos as a plug-in
  - The module serves Bridge++ only two files: Kfield.hpp and libbridgekokkos.so
    - Employed pImpl idiom for this purpose
    - 1 line change in CMakeLists.txt, to switch a.out to liba.so



## Data structure

- Best memory performance on GPU is achieved by coalesced access of float4 datatype
  - SoA (structure of arrays) is a natural layout for GPUs
  - But fixed size structure in 8- or 16-byte enables more efficiency
    - Smaller number of streams and access locality
    - cuobjdump to confirm the 16-byte load/store instruction
- We assigned 2-spinor (pair of complex<float>) to the float4 datatype
  - Spin: 3 colors, upper/lower 2-spinor, 6 streams
  - Gauge: 3 or 4 streams + reconstruction



#### Spinor:

- 3 color, 4 complex (dirac)
- Ns for the 5th dimension

```
View<TwoSpin****> spin("spin",
  nvol/2, 2, 3, Ns);
```

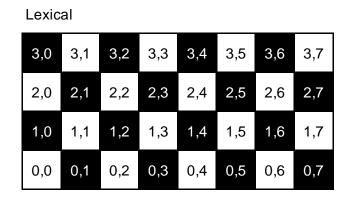
(sizeof(TwoSpin) == 16)

```
(Fortran like ordering)
Gauge:
```

- 3×3 complex matrix, 4 directions
- 3rd row can be reconstructed View<TwoSpin\*\*\*\*> gauge("gauge", nvol/2, 4, 5, 2);



## Even odd decomposition



Even				
	3,1	3,3	3,5	3,7
	2,0	2,2	2,4	2,6
	1,1	1,3	1,5	1,7
	0,0	0,2	0,4	0,6

$$\begin{pmatrix} D_{ee} & D_{eo} \\ D_{oe} & D_{oo} \end{pmatrix} \begin{pmatrix} x_e \\ x_o \end{pmatrix} = \begin{pmatrix} b_e \\ b_o \end{pmatrix}$$

$$\begin{pmatrix} D_{ee} & D_{eo} \\ D_{oe} & D_{oo} \end{pmatrix} \begin{pmatrix} x_e \\ x_o \end{pmatrix} = \begin{pmatrix} b_e \\ b_o \end{pmatrix} \qquad \underbrace{\begin{pmatrix} 1 - D_{ee}^{-1}D_{eo}D_{oo}^{-1}D_{oe} \\ D_{eo}D_{oo}^{-1}D_{oe} \end{pmatrix}}_{\equiv D} x_e = D_{ee}^{-1} \begin{pmatrix} b_e - D_{eo}D_{oo}^{-1}b_o \end{pmatrix}$$

Split the lattice points into two parts

$$x_o = D_{oo}^{-1} (b_o - D_{oe} x_e)$$

- $D_{ee}$ ,  $D_{oo}$ : Self (site local) operations
- $D_{eo}$ ,  $D_{oe}$ : Stencil operations
- A new D matrix is defined to be solved
  - Nearly the same cost as the original, but rapid convergence



## **Kernel properties**

#### D<sup>+</sup>D operation for CG solver consists of two different types of kernels

#### Stencil kernel

- Called 4 times
- Spatial hopping in 4D spacetime, as in the usual Wilson-type kernel
- Needs halo exchange in MPI environment (not implemented in this study)
- Potential reusability of data (no explicit shared memory tuning is applied)

#### Stream kernel

- Called 5 times, before and after the stencil kernels
- Site-local, element-by-element operations for the 5th dimension
- No data reusability (good benchmark for the bandwidth)
- 3x 1R/1W, 1x 2R/1W, 1x 2R/2W

Even-odd decompisition

$$\begin{pmatrix} b_e \\ b_o \end{pmatrix} = \begin{pmatrix} D_{ee} & D_{eo} \\ D_{oe} & D_{oo} \end{pmatrix} \begin{pmatrix} x_e \\ x_o \end{pmatrix}$$

It is transformed to solve

$$D = 1 - D_{ee}^{-1} D_{eo} D_{oo}^{-1} D_{oe}$$

Diagonal  $D_{ee}$  and  $D_{oo}$  are tridiagonal matrices of size  $N_s$ , of which inverse is available in  $O(N_s)$  cost

Four-dimensional Wilson kernel

$$D_{x,y} = [1 + F(x)]\delta_{x,y} - \kappa \sum_{\mu=1}^{4} \left[ (1 - \gamma_{\mu})U_{\mu}(x)\delta_{x+\hat{\mu},y} + (1 + \gamma_{\mu})U_{\mu}^{\dagger}(x - \hat{\mu})\delta_{x-\hat{\mu},y} \right],$$



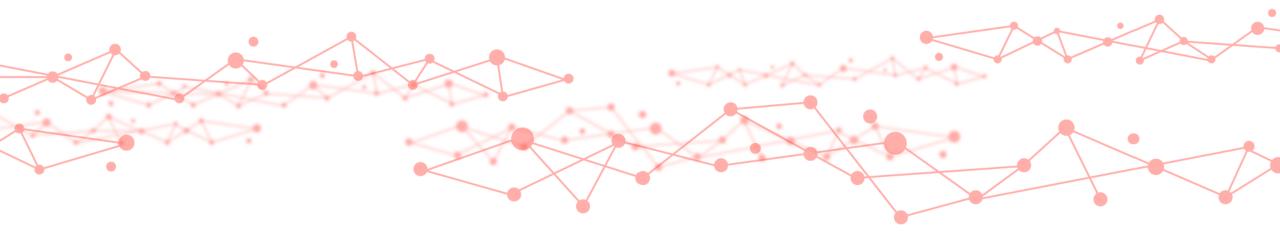
## Use of template for on-register kernels

- GPU compilers can assign registers for fixed-size small arrays, like float x[3];
- But users don't like the lattice size parameters fixed as compile-time constants
  - Nx, Ny, Nz, Nt, Ns
  - At least in the C++ era
- I set finite numbers of presets and chose chose appropriate number at runtime
  - Assigned 12 threads per lattice point, for 3 colors, and 4 real numbers in 2-spinor are independent in the stream kernels

```
struct Fops5D Base;
template <int Ns>
struct Fops5D dirac: public Fops5D Base {
  struct Kernel{
    float upper[Ns];
    float lower[Ns];
constexpr int Ns presets[] = {8, 10, 12};
constexpr int Len_presets = sizeof(Ns_presets)
              / sizeof(Ns presets[0]);
// Recursive template
template <int I>
Fops5D Base *new Fops5D dirac(int Ns){
  if(Ns == Ns presets[I]){
    fprintf(stderr, "Ns=%d found in presets", Ns);
    return new Fops5D dirac<Ns presets[I]>;
  }else{
    return new Fops5D dirac<I+1>(Ns);
// Terminate the recursion
Template <>
Fops5D_Base *new_Fops5D_dirac<Len_presets>(int Ns){
  fprintf(stderr, "Ns=%d NOT found in presets ", Ns);
  return new Fops5D Base;
```



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# Performance (GH200)

- 32×32×32(×8) Lattice
- 6.7 TFLOPS (Bridge++ output) [peak: 67 TFLOPS]
- **2.4 TB/s** [peak: 4TB/s]
- 0.23 sec for Stencil and 0.21 sec for Stream kernels

```
Elapsed time: mult: total 0.44 sec, count 1, average
                                                        0.44 sec
FLOP per mult: 29796335616.000000
 performance : 6741.344648 GFlops
elapsed : 4.419940e-03 sec/iter
Elapsed time: DdagD: total 0.44 sec, count 1, average
                                                         0.44 sec
       DdagD: 4.420481e-03 sec/iter
Elapsed time: DdagD dummy1: total
                                     0.23 sec, count 1, average
                                                                   0.23 sec
    DdagD dummy1: 2.298491e-03 sec/iter
Elapsed time: DdagD dummy2: total
                                     0.21 sec, count 1, average
                                                                   0.21 sec
    DdagD dummy2: 2.147071e-03 sec/iter
Bandwidth: 2.437968 Tbyte/s
```



# Performance (MI250)

- After developing in the NVIDIA environment, the benchmark code ran without any modification
- **0.8 TFLOPS** [peak: 23 TFLOPS]
- **0.30 TB/s** [peak: 1.6 TB/s]
- Still, the stencil and stream kernels are well-balanced

```
Elapsed time: mult: total 3.65 sec, count 1, average
                                                       3.65 sec
FLOP per mult: 29796335616.000000
performance: 816.755729 GFlops
elapsed : 3.648133e-02 sec/iter
Elapsed time: DdagD: total 3.70 sec, count 1, average
                                                         3.70 sec
       DdagD: 3.698752e-02 sec/iter
Elapsed time: DdagD dummy1: total
                                     2.01 sec, count 1, average
                                                                  2.01 sec
    DdagD dummy1: 2.012270e-02 sec/iter
Elapsed time: DdagD dummy2: total
                                     1.70 sec, count 1, average
                                                                  1.70 sec
    DdagD dummy2: 1.704034e-02 sec/iter
Bandwidth: 0.307182 Tbyte/s
```



# **Insights and Reflections**

## Challenges, or steep learning curve

- CMAKE: a new environment to me inevitable for Kokkos
- pImpl: connecting two worlds with minimum dependency

## Currently remaining problem

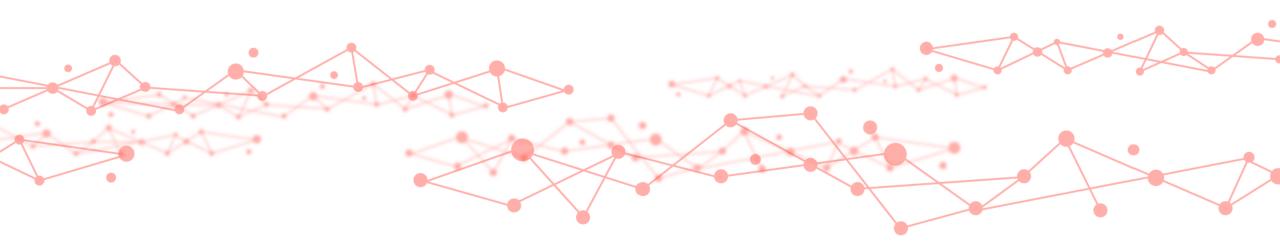
Poor performance on AMD, Kokkos, HIP, or hardware issue?

## Developing with Chat GPT-4o

- He/she knows CMAKE, HIP, CUDA, Kokkos, and C++
- Generated codes were not always perfect but I enjoyed the conversations
- It is essential to refer to the *primary source* finally, but generative AI is beneficial as a *reverse lookup* tool



# Supplemental materials for implementation detail





# Gamma matrices and spin projections

Dirac (energy) form:

$$\gamma_k = \sigma_2 \otimes \sigma_k = \begin{pmatrix} 0 & -i\sigma_k \\ i\sigma_k & 0 \end{pmatrix}$$
  $(k = 1, 2, 3)$ 

$$\gamma_4 = \sigma_3 \otimes 1 = \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix}$$

$$\gamma_5 = \sigma_1 \otimes 1 = \begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}$$

Weyl (chiral) form:

$$\gamma_4 = -\sigma_1 \otimes 1 = \begin{pmatrix} 0 & -1 \\ -1 & 0 \end{pmatrix}$$

$$\gamma_5 = \sigma_3 \otimes 1 = \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix}$$

Spin projections:

$$1 + \gamma_k = \begin{pmatrix} 1 & -i\sigma_k \\ i\sigma_k & 1 \end{pmatrix} = \begin{pmatrix} 1 \\ i\sigma_k \end{pmatrix} \begin{pmatrix} 1 & -i\sigma_k \end{pmatrix}$$
$$1 - \gamma_k = \begin{pmatrix} 1 & i\sigma_k \\ -i\sigma_k & 1 \end{pmatrix} = \begin{pmatrix} 1 \\ -i\sigma_k \end{pmatrix} \begin{pmatrix} 1 & i\sigma_k \end{pmatrix}$$

For implementers:

$$i\sigma_{1} = \begin{pmatrix} 0 & i \\ i & 0 \end{pmatrix} \mapsto \begin{pmatrix} 0 & 0 & 0 & -1 \\ 0 & 0 & 1 & 0 \\ 0 & -1 & 0 & 0 \\ 1 & 0 & 0 & 0 \end{pmatrix} : (a, b, c, d) \to (-d, c, -b, a)$$

$$i\sigma_{2} = \begin{pmatrix} 0 & 1 \\ -1 & 0 \end{pmatrix} \mapsto \begin{pmatrix} 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \\ -1 & 0 & 0 & 0 \\ 0 & -1 & 0 & 0 \end{pmatrix} : (a, b, c, d) \to (-c, -d, a, b)$$

$$i\sigma_{3} = \begin{pmatrix} i & 0 \\ 0 & -i \end{pmatrix} \mapsto \begin{pmatrix} 0 & -1 & 0 & 0 \\ 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & -1 & 0 \end{pmatrix} : (a, b, c, d) \to (b, -a, -d, c)$$