

LeadFL: Client Self-Defense against Model Poisoning in Federated Learning^[1]

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Introduction

Problem: Federated Learning is susceptible to **bursty poisoning attacks**, where sudden spikes in malicious clients bypass standard server-side defenses.

Lingering Impact: Once the model is poisoned, the attack effect persists for many subsequent rounds even without further attacks, as servers cannot eliminate this lasting damage.

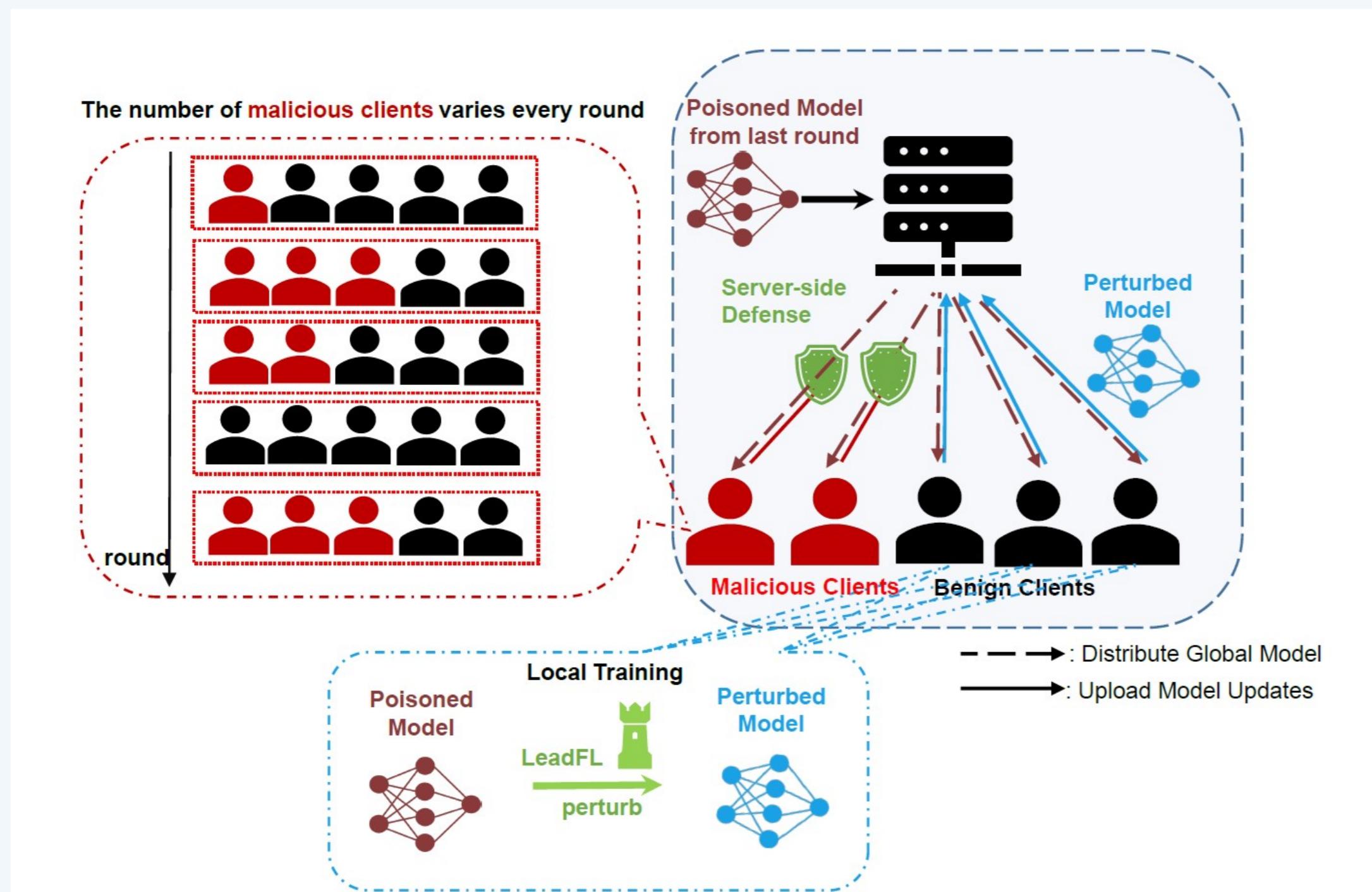


Fig 1: Bursty Adversarial Patterns

Why Existing Defenses Fail: Server-side defenses are designed assuming constant and low number of malicious clients.

Motivation: A client-side intervention is critical to suppress attack propagation locally, regardless of server-side defenses.

Understanding the Attack Effect

Attack Effect on model Parameter^[2]: We quantify the impact using the Attack Effect on Parameter (AEP), denoted as δ_t .

$$\delta_t \triangleq \theta_t - \theta_t^M \quad (1)$$

Benign global model Poisoned global model

Propagation of AEP^[2]: When malicious clients attack in rounds τ_1 and τ_2 , we estimate the attack effect for the intermediate rounds ($\tau_1 < t < \tau_2$) as follows:

$$\hat{\delta}_t = \frac{N}{K} \left[\sum_{k \in S_t} p^k \prod_{i=0}^{I-1} (I - \eta_t \mathbf{H}_{t,i}^k) \right] \hat{\delta}_{t-1} \quad (2)$$

Where **Hessian Matrix** is: $H_{t,i}^k \triangleq \nabla^2 L(\theta_{t,i}^k)$

Key Insight: If $\hat{\delta}_{\tau_1}$ resides in the kernel (null space) of $H_{t,i}^k$, then $\hat{\delta}_t = \hat{\delta}_{\tau_1}$, causing the attack effect to persist unchanged.

If $H_{t,i}^k$ is highly sparse $\Rightarrow \delta_t \approx \delta_{t-1}$

Why server-side defenses fail: The propagation of attack effects is determined by $H_{t,i}^k$ during local client training, which is inaccessible to the central server.

Previous Client-Side Defense (FL-WBC)^[2]: Adds random noise to reduce Hessian sparsity.

- **Problem:** Uncalibrated noise degrades model accuracy

Hessian Matrix Approximation^[3]

Core Idea: Perturb the Hessian matrix to minimize the coefficient $(I - \eta_t H_{t,i}^k)$, reducing the lingering attack effect.

- **Problem:** Computing Hessian Matrix is expensive

Hessian Matrix Approximation^[3]:

- **Diagonalization:** We approximate H using only its diagonal elements to reduce complexity:

$$H \approx \text{diag}(H)$$

- **Finite Difference:** The diagonal is estimated via the change in gradients between iterations:

$$H \approx \text{diag}(\nabla L(\theta_{t,i+1}^k) - \nabla L(\theta_{t,i}^k))$$

- **Parameter Estimation:** To avoid extra backpropagation, we approximate gradient changes using model weight differences:

$$\tilde{H}_{t,i}^k \approx \frac{\text{diag}(\hat{\theta}_{t,i+1}^k - \theta_{t,i}^k - \Delta \theta_{t,i}^k)}{\eta_t} \quad (3)$$

LeadFL Solution

LeadFL Client-Side Defense: A secondary backpropagation process is deployed utilizing a regularization term to minimize the coefficient involved in the propagation of the AEP.

$$\text{Step 1: } \hat{\theta}_{t,i+1}^k \leftarrow \theta_{t,i}^k - \eta_t \nabla L(\theta_{t,i}^k)$$

Local Training (Standard SGD)

$$\text{Step 2: } \theta_{t,i+1}^k \leftarrow \hat{\theta}_{t,i+1}^k - \eta_t \alpha \text{clip} [\nabla(I - \eta_t \tilde{H}_{t,i}^k), q]$$

Regularization Term

Where $\tilde{H}_{t,i}^k$ denotes the estimated diagonal of the Hessian Matrix, η_t is the learning rate, α represents the regularization rate controlling perturbation magnitude, and $\text{clip}(\cdot, q)$ is an element-wise clipping function with threshold q ensuring theoretical convergence.

Evaluation

- Dataset: FashionMNIST
- 100 clients (25% malicious), 10 selected per round
- Attacks: 9-pixel backdoor (Periodic bursty attacks)

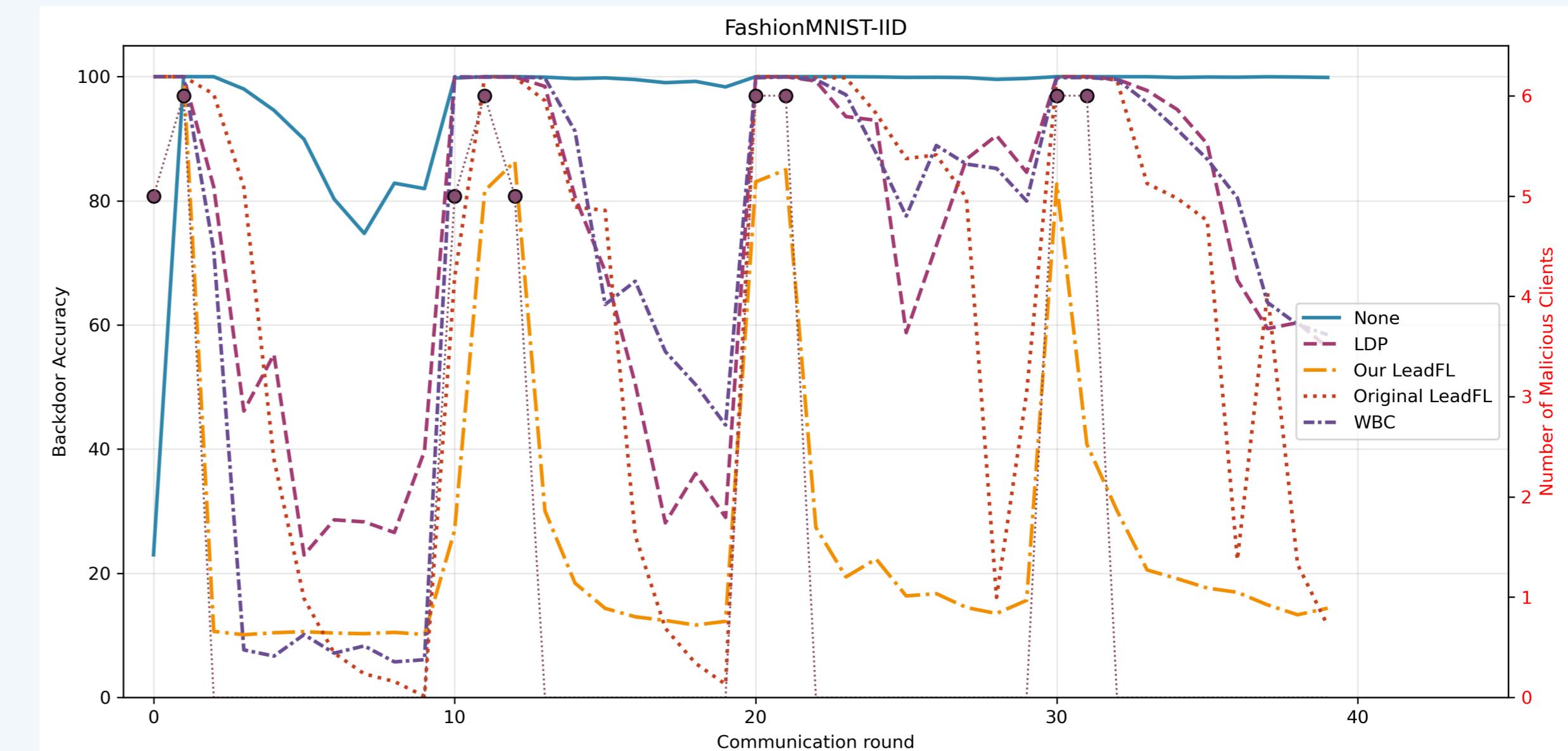


Fig 2: Backdoor Accuracy Comparison of Different Client-side Defenses

Client-Side Defense: Comparison of defenses under a 9-pixel pattern backdoor attack (periodic patterns) with Bulyan server-side defense on IID and non-IID FashionMNIST datasets in Fig 3 and Table 1.

| | IID | | | | | Non-IID | | | | |
|----------|------|------|------------|-----------------|------|---------|------|------------|-----------------|------|
| | None | LDP | Our LeadFL | Original LeadFL | WBC | None | LDP | Our LeadFL | Original LeadFL | WBC |
| MA | 88.8 | 85.0 | 72.9 | 86.9 | 85.8 | 60.6 | 74.3 | 38.1 | 73.0 | 65.0 |
| BA Avg | 95.5 | 73.1 | 29.4 | 62.2 | 70.8 | 97.2 | 76.8 | 25.6 | 54.3 | 68.0 |
| BA Final | 99.9 | 56.4 | 14.4 | 11.6 | 58.4 | 99.2 | 67.6 | 2.7 | 18.8 | 45.6 |

Table 1

Regularization Analysis: Analyzed the effect of varying the regularization rate in Fig. 3.

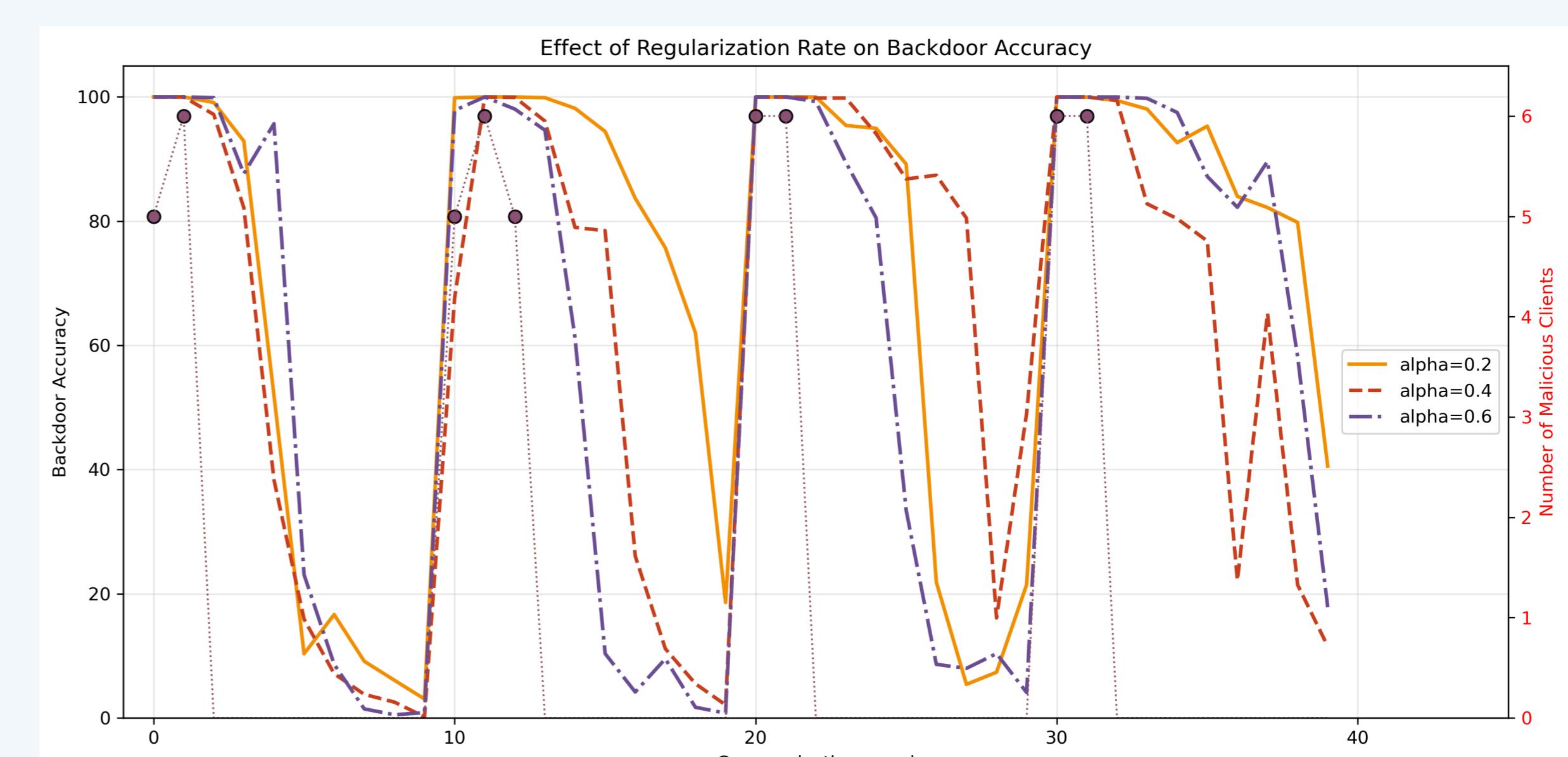


Fig 3 Backdoor Accuracy Comparison of Different Regularization Rates

Conclusion

Increase in attack recovery: LeadFL mitigates the lingering impact of bursty poisoning attacks by regularizing the client-side Hessian matrix.

Decline in main task accuracy: Theoretical and empirical evaluations prove that LeadFL defend against attacks with a low degradation of the main task accuracy.

References

- [1] Zhu, C., Roos, S., & Chen, L. Y. (2023). LeadFL: Client Self-Defense against Model Poisoning in Federated Learning. *ICML 2023*.
- [2] Sun, J., et al. (2021). FL-WBC: Enhancing Robustness Against Model Poisoning Attacks in Federated Learning from a Client Perspective. *NeurIPS 2021*.
- [3] LeCun, Y., Denker, J. S., & Solla, S. A. (1990). Optimal Brain Damage. *Advances in Neural Information Processing Systems 2 (NIPS 1989)*, 598-605.