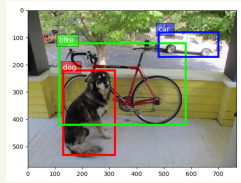


RF 基础

Supervised Learning

有标签

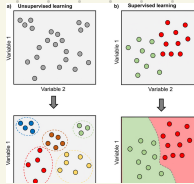


bounding box 坐标, 标签
↓ 模型
结果



Unsupervised Learning

无标签

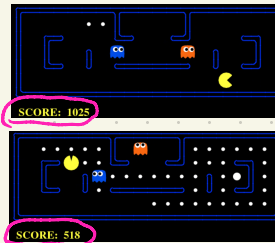


无原始数据
↓ 模型
结果

Reinforcement Learning

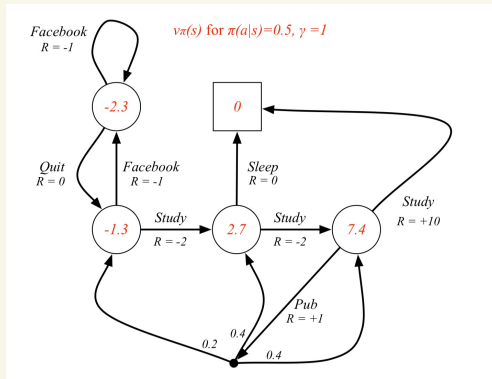
学习环境, 强化学习

(无数连续标签的
监督学习)



最优动作
↑ 模型
环境

Markov Decision Process (从感知认知到量化)



$\langle S, A, P, R, \gamma \rangle$

A Markov decision process (MDP) is a Markov reward process with decisions. It is an environment in which all states are Markov.

Definition

A Markov Decision Process is a tuple $\langle S, A, P, R, \gamma \rangle$

- S is a finite set of states
- A is a finite set of actions
- P is a state transition probability matrix, $P_{ss'}^a = \mathbb{P}[S_{t+1} = s' | S_t = s, A_t = a]$
- R is a reward function, $R_s^a = \mathbb{E}[R_{t+1} | S_t = s, A_t = a]$
- γ is a discount factor $\gamma \in [0, 1]$.

矩阵表示 P

	C1	C2	C3	Pass	Pub	FB	Sleep
C1							
C2		0.5					0.2
C3			0.8				
Pass				0.6	0.4		
Pub							1.0
FB	0.2	0.4	0.4			0.9	
Sleep	0.1						1

Agent 状态转移

- C1 C2 C3 Pass Sleep
- C1 FB FB C1 C2 Sleep
- C1 C2 C3 Pub C2 C3 Pass Sleep
- C1 FB FB C1 C2 C3 Pub C1 FB FB C1 C2 C3 Pub C2 Sleep

量化序列转移

Sample returns for Student MRP:

Starting from $S_1 = C1$ with $\gamma = \frac{1}{2}$

$$G_1 = R_2 + \gamma R_3 + \dots + \gamma^{T-2} R_T$$

Bellman Equation
↓ $V = R + \gamma V$

C1 C2 C3 Pass Sleep	$v_1 = -2 - 2 * \frac{1}{2} - 2 * \frac{1}{4} + 10 * \frac{1}{8} =$	-2.25
C1 FB FB C1 C2 Sleep	$v_1 = -2 - 1 * \frac{1}{2} - 1 * \frac{1}{4} - 2 * \frac{1}{8} - 2 * \frac{1}{16} =$	-3.125
C1 C2 C3 Pub C2 C3 Pass Sleep	$v_1 = -2 - 2 * \frac{1}{2} - 2 * \frac{1}{4} + 1 * \frac{1}{8} - 2 * \frac{1}{16} =$	-3.41
C1 FB FB C1 C2 C3 Pub C1 ...	$v_1 = -2 - 1 * \frac{1}{2} - 1 * \frac{1}{4} - 2 * \frac{1}{8} - 2 * \frac{1}{16} =$	-3.20
FB FB FB C1 C2 C3 Pub C2 Sleep		

如同人性: 延时满足与即时满足, 每人有不同 γ 值

State Value function

$$V^\pi(s) = E_\pi \{G_T | s_t = s\}$$
 expected return starting from state s following policy π

Action value function

$$Q^\pi(s, a) = E_\pi \{G_T | s_t = s, a_t = a\}$$
 expected return starts from state s , following policy π , taking action a

V & Q 关系 $V^\pi(s) = \sum_{a \in A} \pi(a|s) \cdot Q^\pi(s, a)$ 所有 Q 加权平均后是 V

如果 MDP 的元组信息缺失 $\langle s, A, A, R, \gamma \rangle$

→ Monte-Carlo Learning

Temporal-Difference Learning

预测 value function

• Value based learn values of states and actions

• Policy-based learn policy directly, which completely by-passes learning values or actions all together (因为 state space or action space too large)
比如之前 MDP 无限个状态动作

• actor critic combination of value-based and policy-based