

RoboCup@Home Final Project: Compliant Grasping

Team: NineAndThreeQuaters $9\frac{3}{4}$

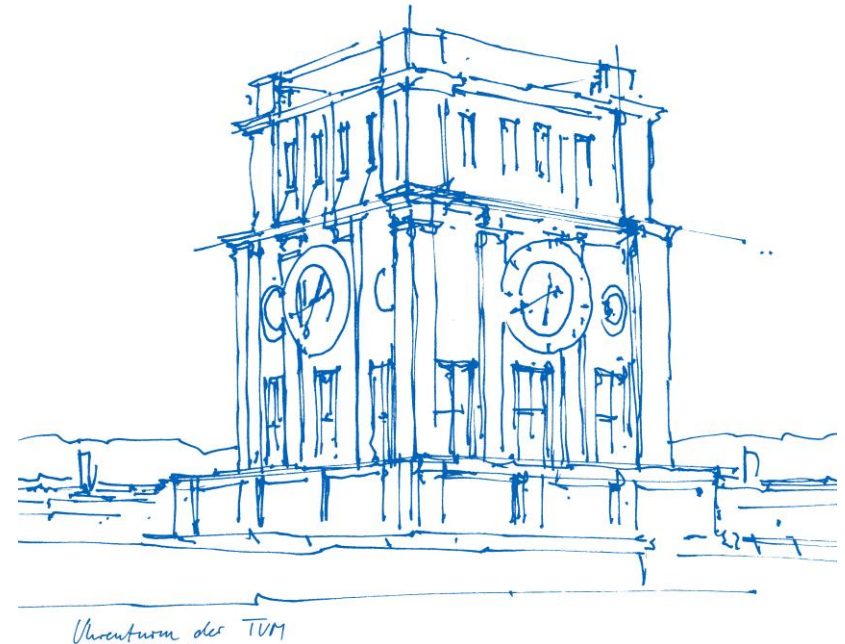
Member: Siqi Hu, Zhenyu Li, Chensheng Chen, Chenhao Wang

Technical University of Munich

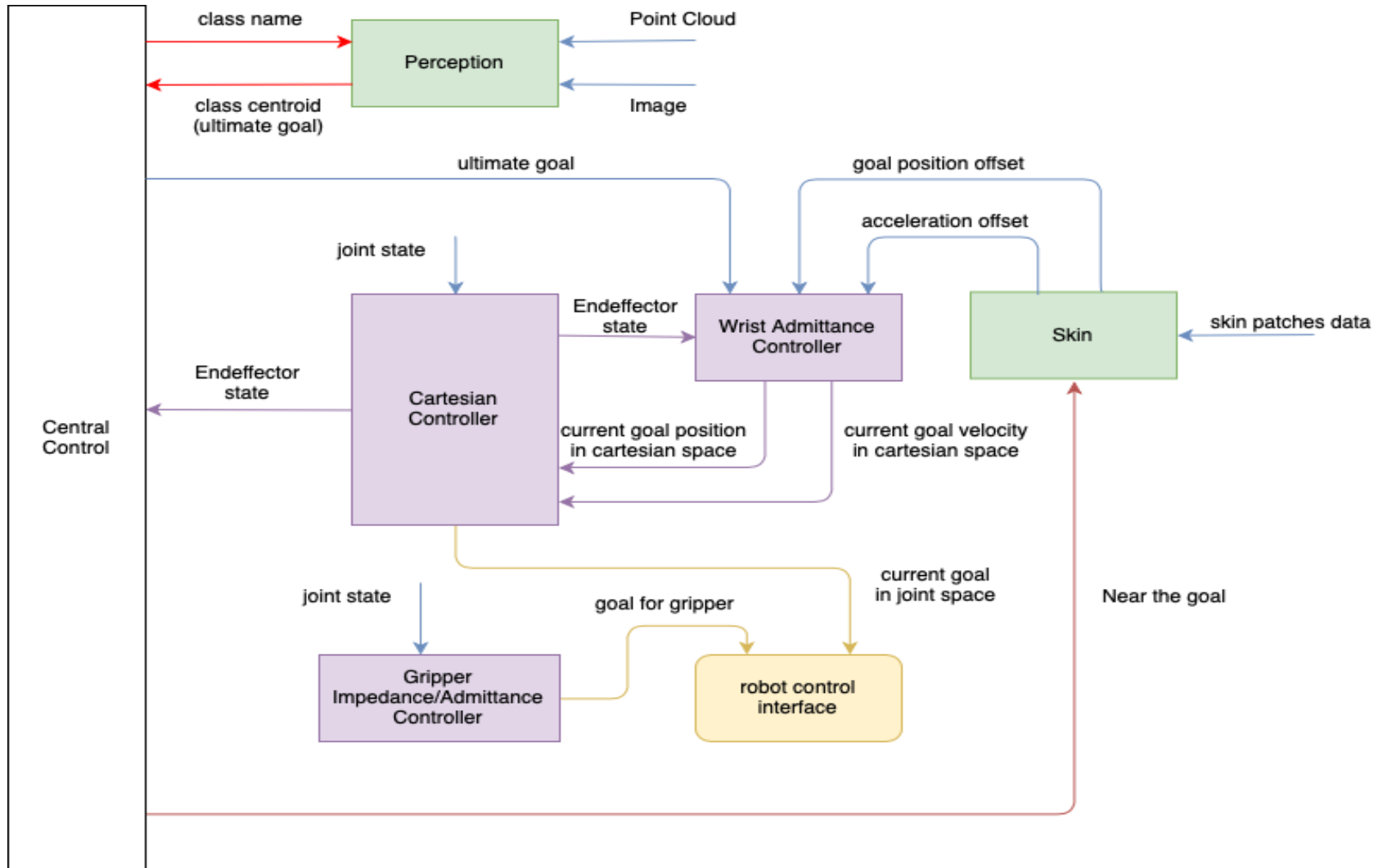
Chair for Cognitive Systems

Prof. Gordon Cheng

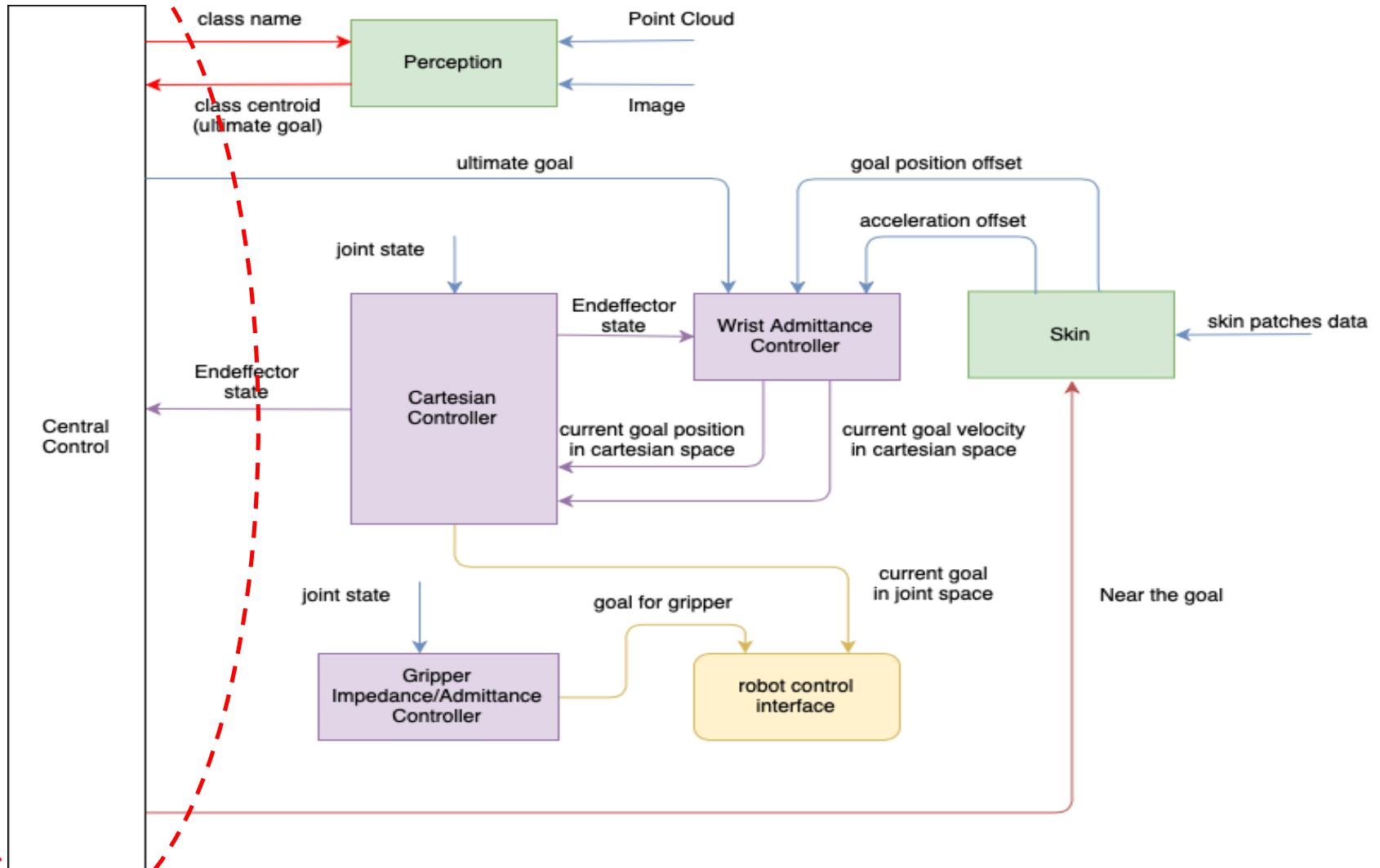
Munich, 08. February 2019



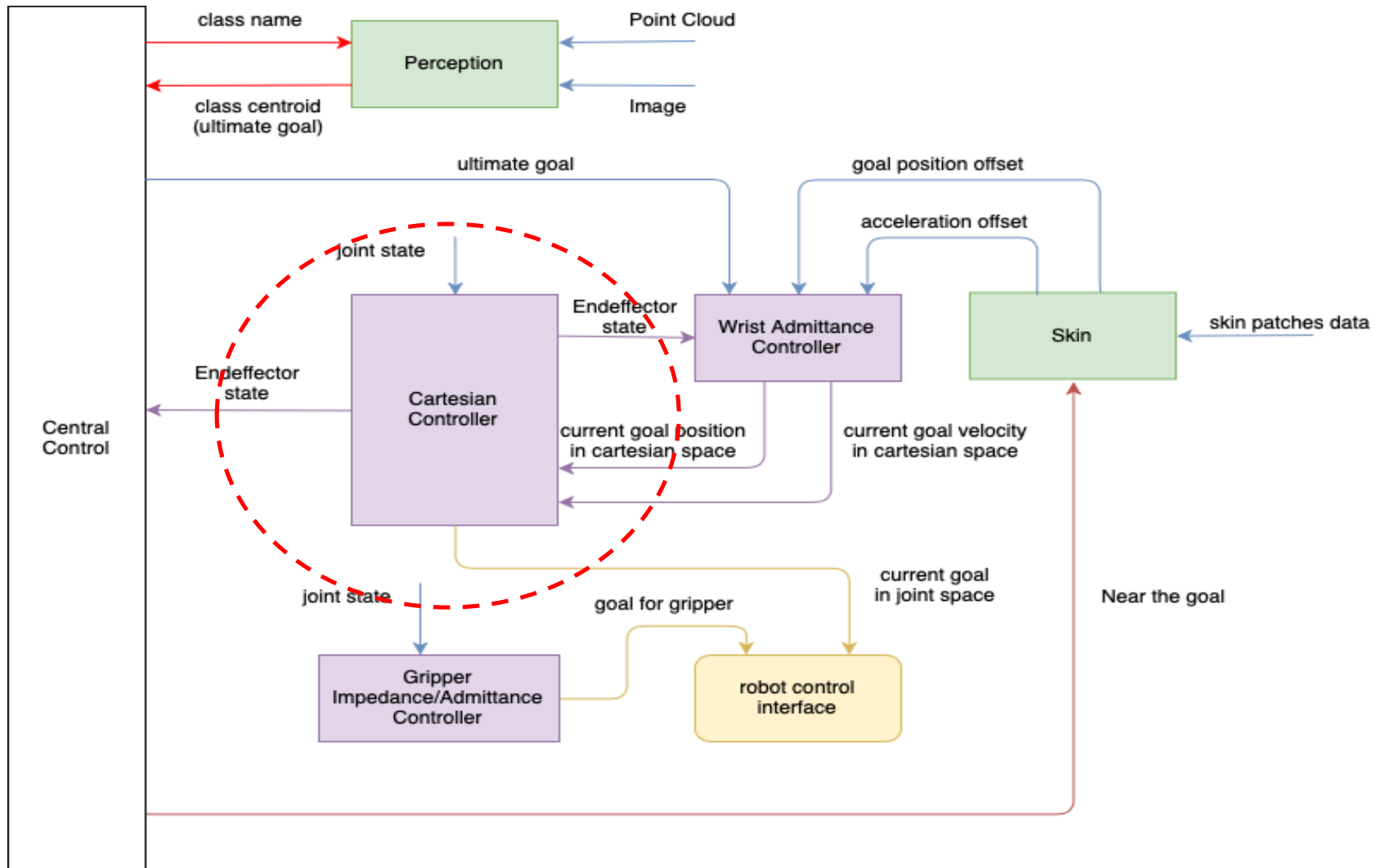
General Structure



Central Control

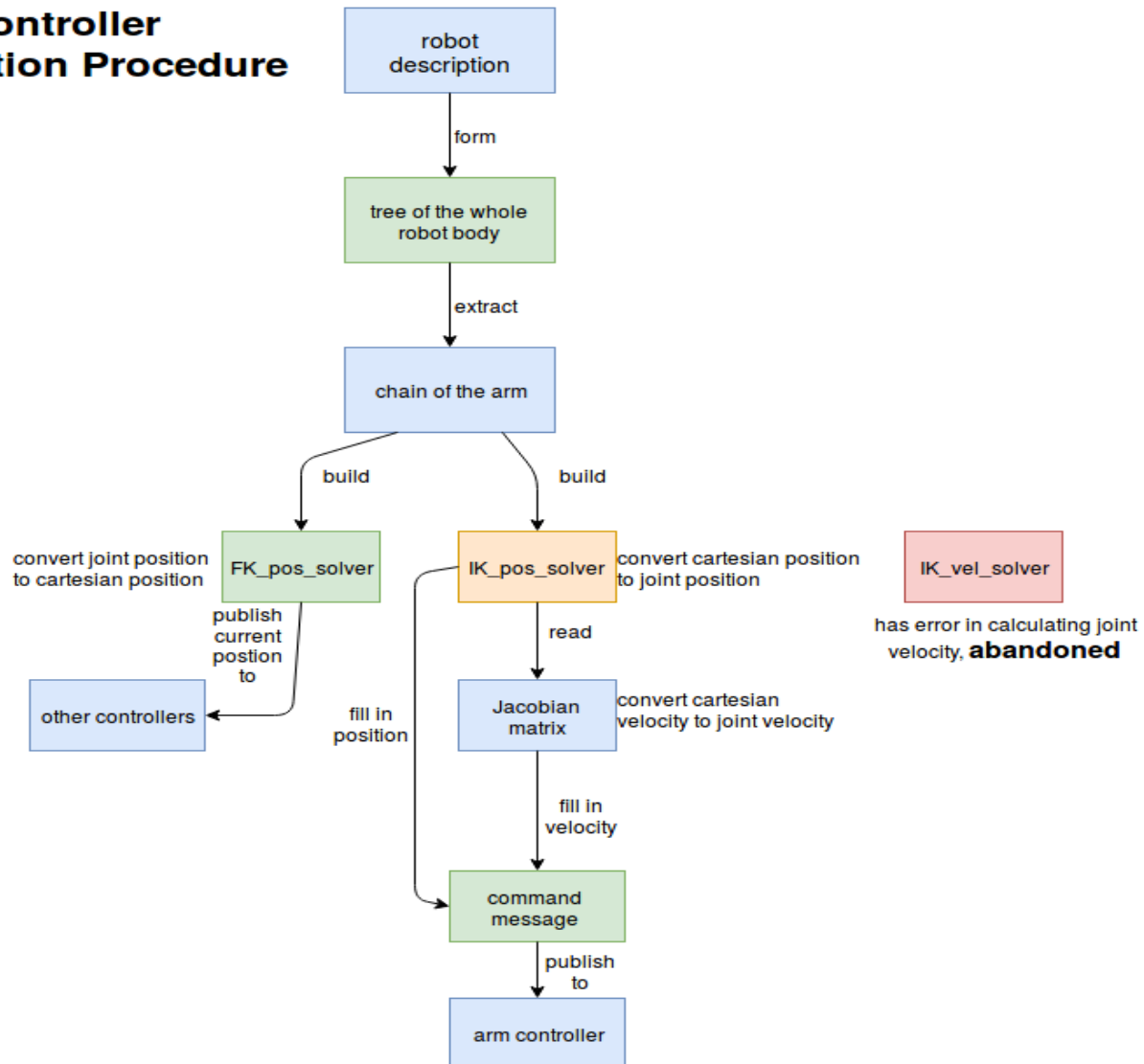


Cartesian Controller by Siqi Hu



Cartesian Controller

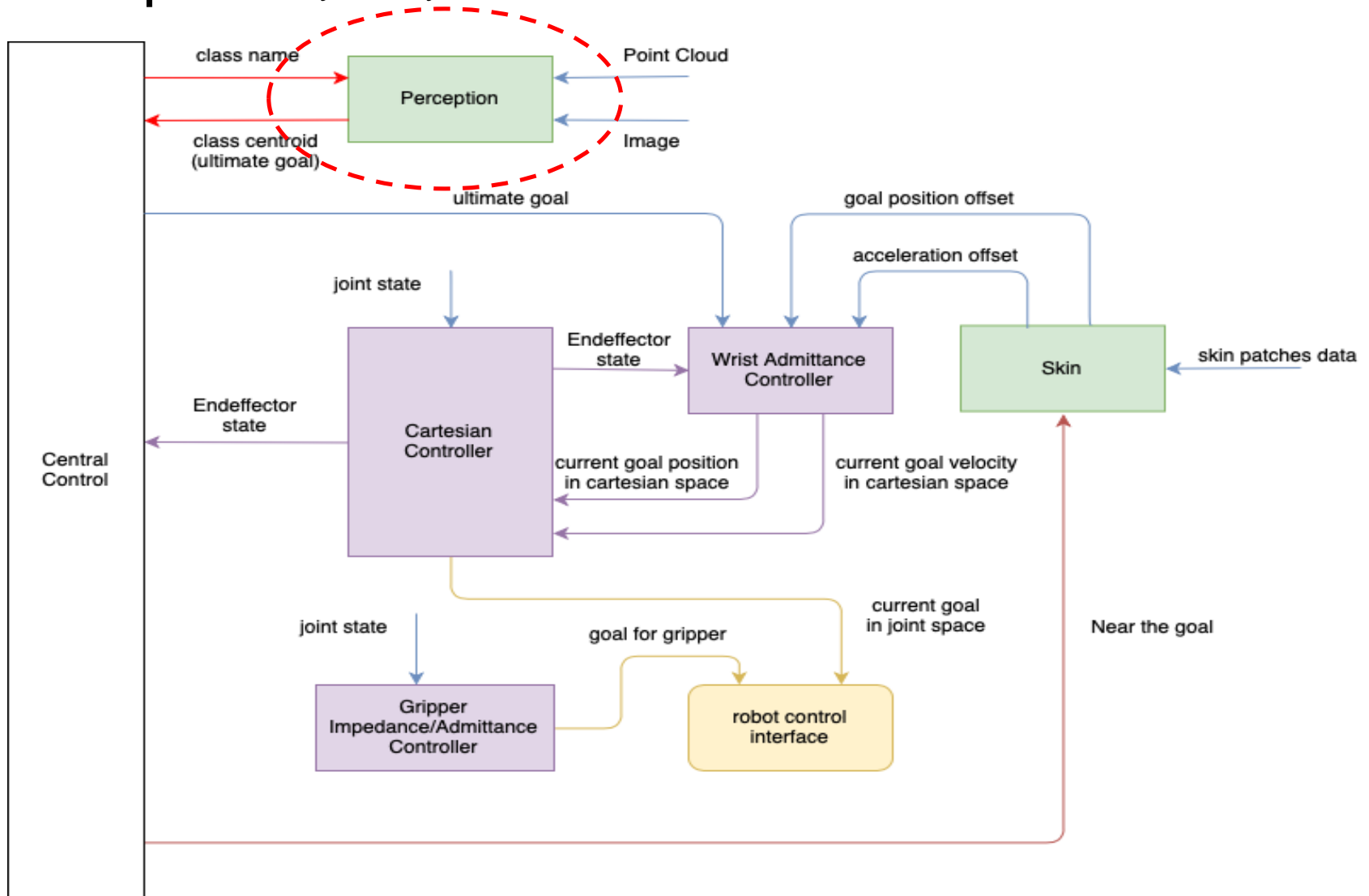
Cartesian Controller Implementation Procedure



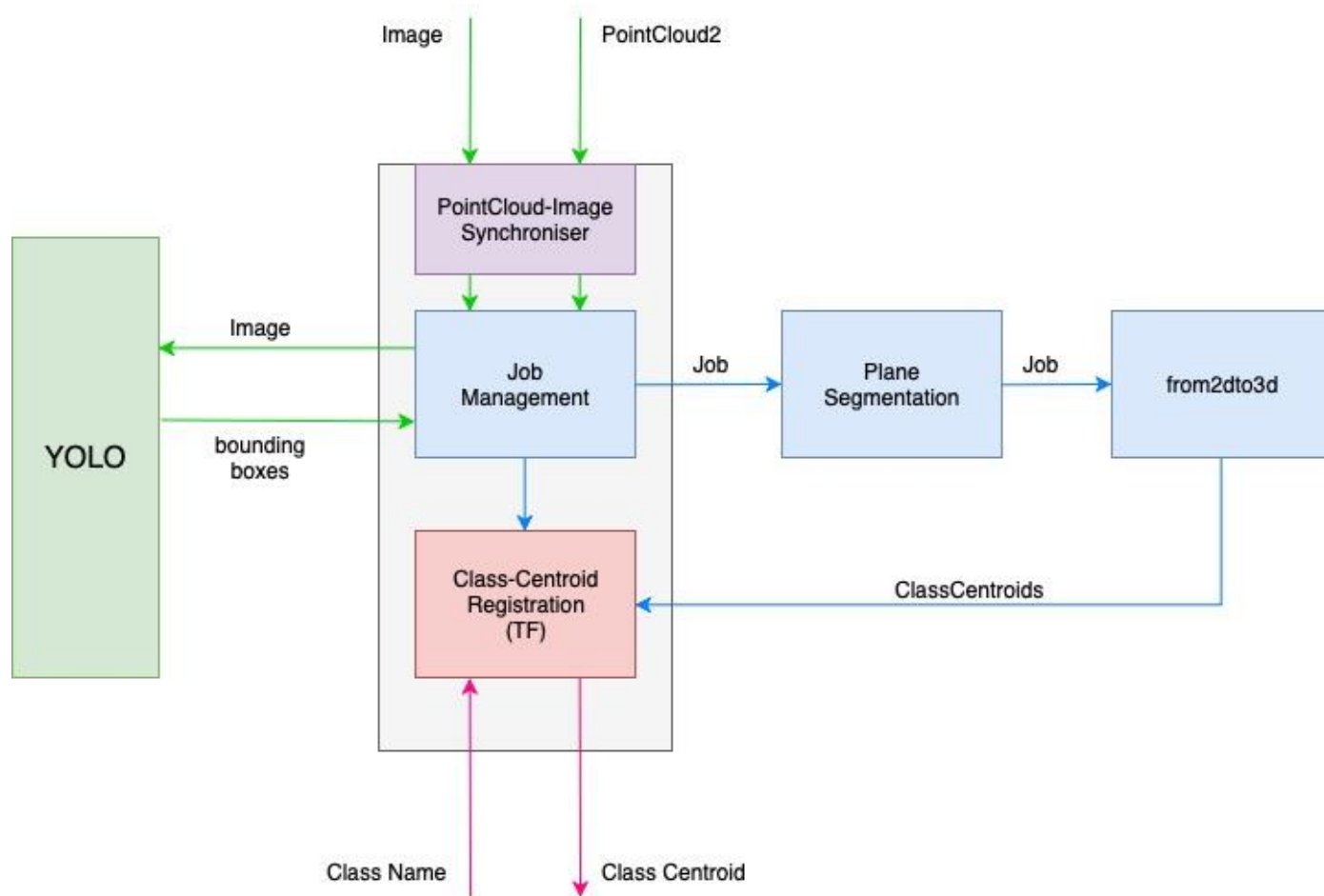
Cartesian Controller

Small Demo in Simulation: Set a goal in cartesian space.
Convert goal position into 7 goal joint values, publish the goal joint values in order to move the end-effector to the goal.

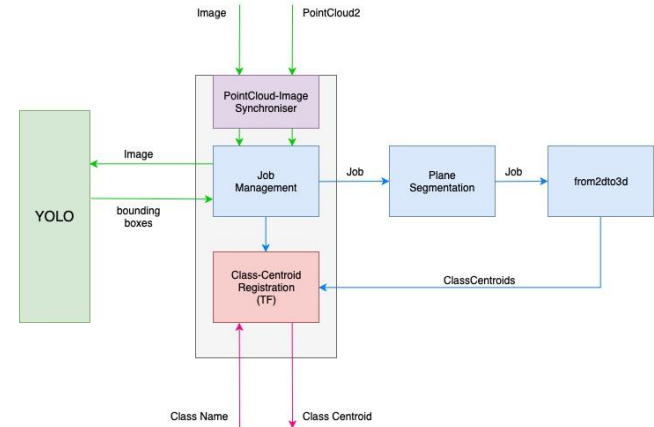
Perception by Zhenyu Li



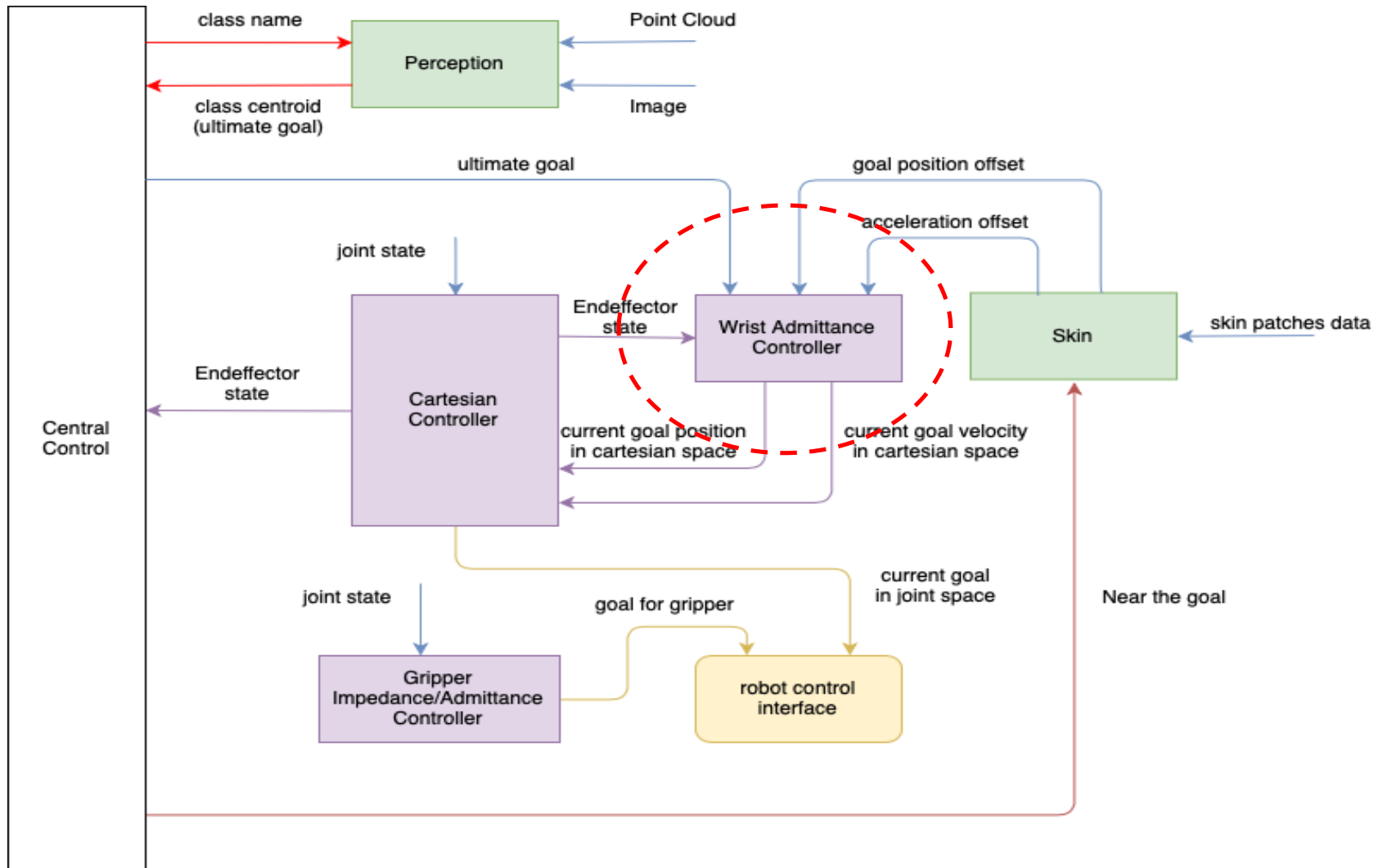
Perception: pipeline



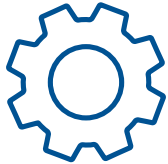
1. No need of clustering
2. Accurate centroid
3. Capable for dealing with moving scenario



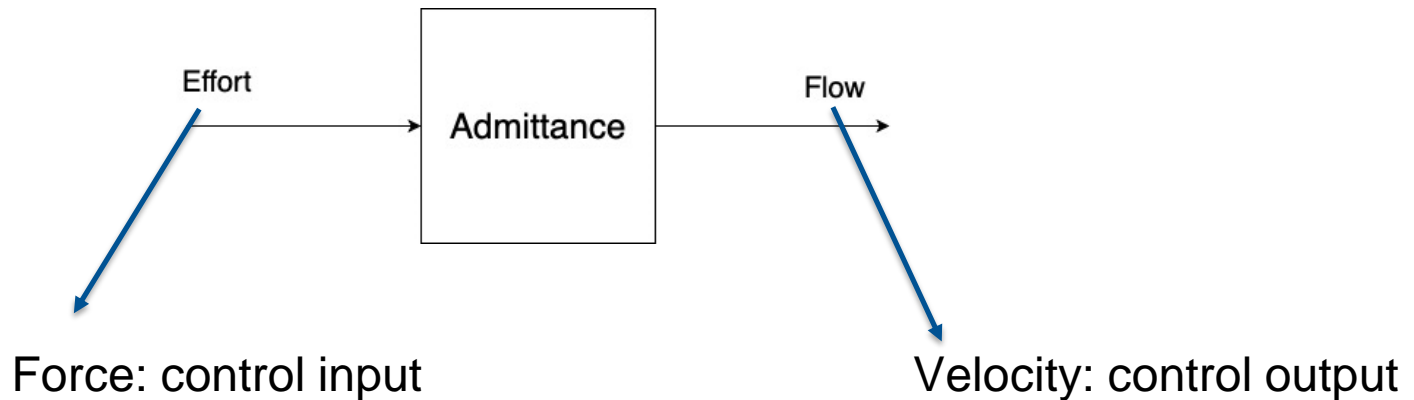
Wrist Admittance Control



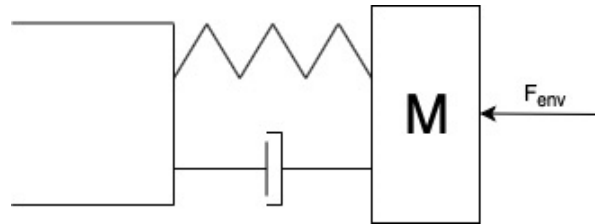
Wrist Admittance Control



What is admittance in the field of mechanical system?

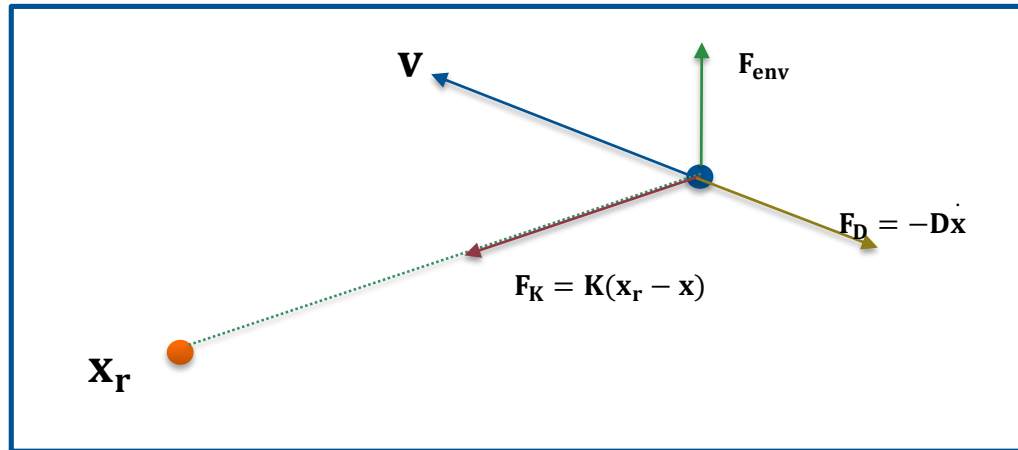


Wrist Admittance Control: 1-dimension



$$M\ddot{x} + D\dot{x} + K(x - x_r) = -F_{env}$$

Wrist Admittance Control: cartesian space



$$\mathbf{M}\ddot{\mathbf{x}} + \mathbf{D}\dot{\mathbf{x}} + \mathbf{K}(\mathbf{x} - \mathbf{x}_r) = \mathbf{F}_{env}$$

$$\ddot{\mathbf{x}} = \frac{1}{\mathbf{M}} \left[-\mathbf{D}\dot{\mathbf{x}} + \mathbf{K}(\mathbf{x}_r - \mathbf{x}) + \mathbf{F}_{env} \right]$$

Wrist Admittance Control: cartesian space

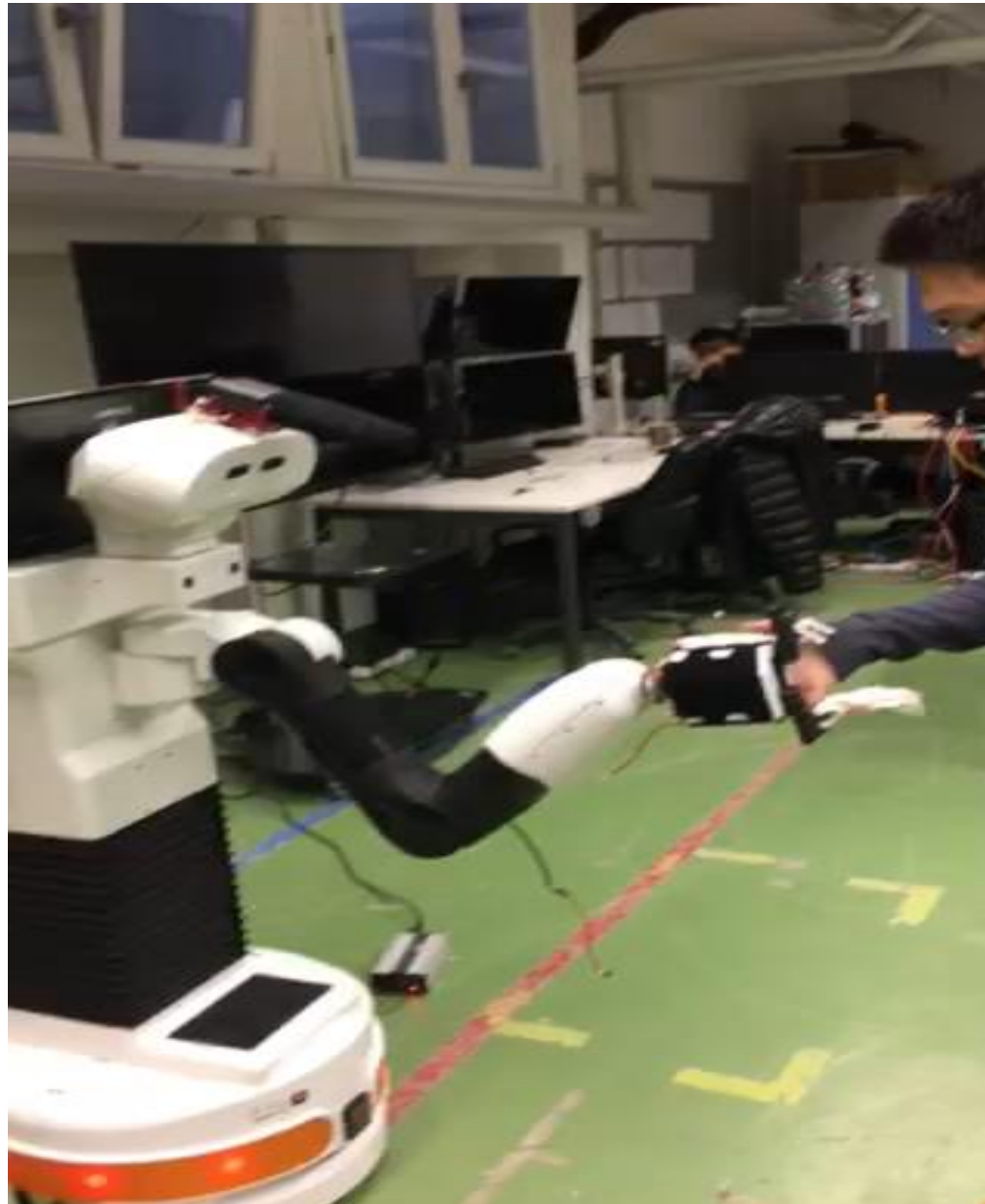
$$\ddot{\mathbf{x}} = \frac{1}{\mathbf{M}} [-\mathbf{D}\dot{\mathbf{x}} + \mathbf{K}(\mathbf{x}_r - \mathbf{x}) + \mathbf{F}_{\text{env}}]$$

$$\dot{\mathbf{x}} := \dot{\mathbf{x}} + \ddot{\mathbf{x}}dt$$

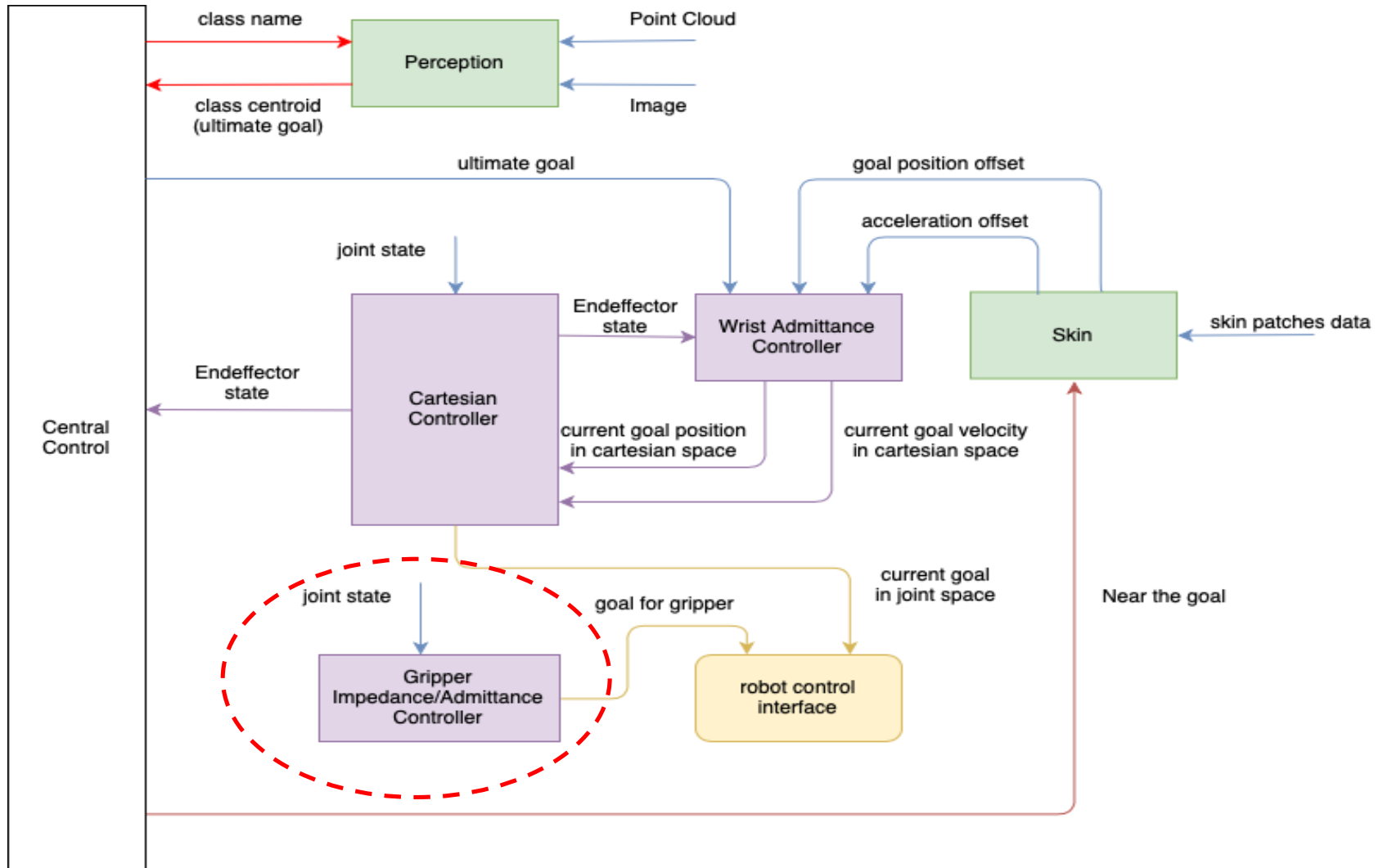
$$\mathbf{x} := \mathbf{x} + \dot{\mathbf{x}}dt$$



Cartesian
Controller

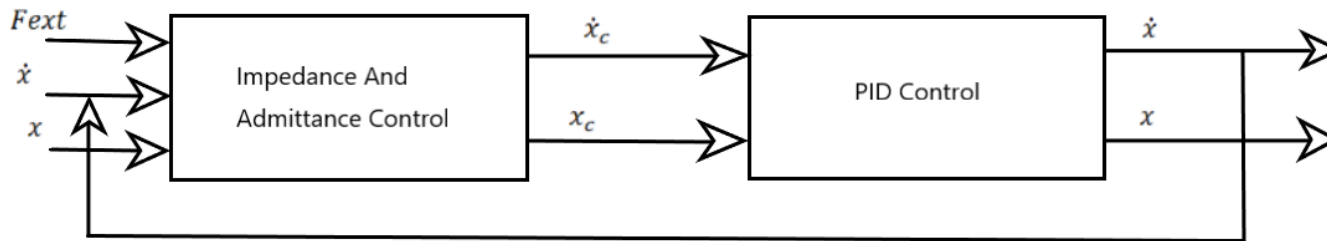


Gripper Impedance/Admittance Controller



Gripper: Impedance And Admittance Control

Control Structure:



Control Law:

Designed Property: $M\Delta\ddot{x} + B\Delta\dot{x} + K\Delta x = F_{ext}$

Target State: $\ddot{x}_d = 0$ $\dot{x}_d = 0$ $x_d = x_d$ ("grip": $x_d = 0$, "release": $x_d = 0.04$)

Control Function: $M\ddot{x}_c + B\dot{x}_c + K(x_c - x_d) = F_{ext}$ (current state: $\ddot{x}_c, \dot{x}_c, x_c$)

Gripper: Impedance And Admittance Control

Practical Problem:

Problem: Tiago can't use \ddot{x} or force

Solution: Using \ddot{x} to calculate \dot{x} and x

$$\dot{x}(t + dt) = \dot{x}(t) + \ddot{x}(t + dt) * dt$$

$$x(t + dt) = x(t) + \dot{x}(t + dt) * dt$$

Problem: In each iteration, $\Delta\dot{x}(t)$ is too small → PID control can't deal with so small change and next iteration, \dot{x} and x will stay the same

Solution: using \ddot{x}_c to calculate virtual \dot{x}_c which increases in each iteration

Gripper: Impedance And Admittance Control

Stability Analysis:

$$\ddot{x}(k+1) = (F_{ext} - B\dot{x}(k) - Kx(k)) * \frac{1}{M}$$

$$\dot{x}(k+1) = \dot{x}(k) + \ddot{x}(k+1)dt = \left(1 - \frac{B}{M}dt\right)\dot{x}(k) - \frac{K}{M}dt * x(k) + \frac{F_{ext}}{M}dt$$

$$x(k+1) = x(k) + \dot{x}(k+1)dt = \left(1 - \frac{B}{M}dt\right)dt\dot{x}(k) + \left(1 - \frac{K}{M}dt^2\right)x(k) + \frac{F_{ext}}{M}dt^2$$

$$\begin{bmatrix} x(k+1) \\ \dot{x}(k+1) \end{bmatrix} = \begin{bmatrix} 1 - \frac{K}{M}dt^2 & \left(1 - \frac{B}{M}dt\right)dt \\ -\frac{K}{M}dt & 1 - \frac{B}{M}dt \end{bmatrix} \begin{bmatrix} x(k) \\ \dot{x}(k) \end{bmatrix} + \begin{bmatrix} \frac{dt^2}{M} \\ \frac{dt}{M} \end{bmatrix} F_{ext}$$

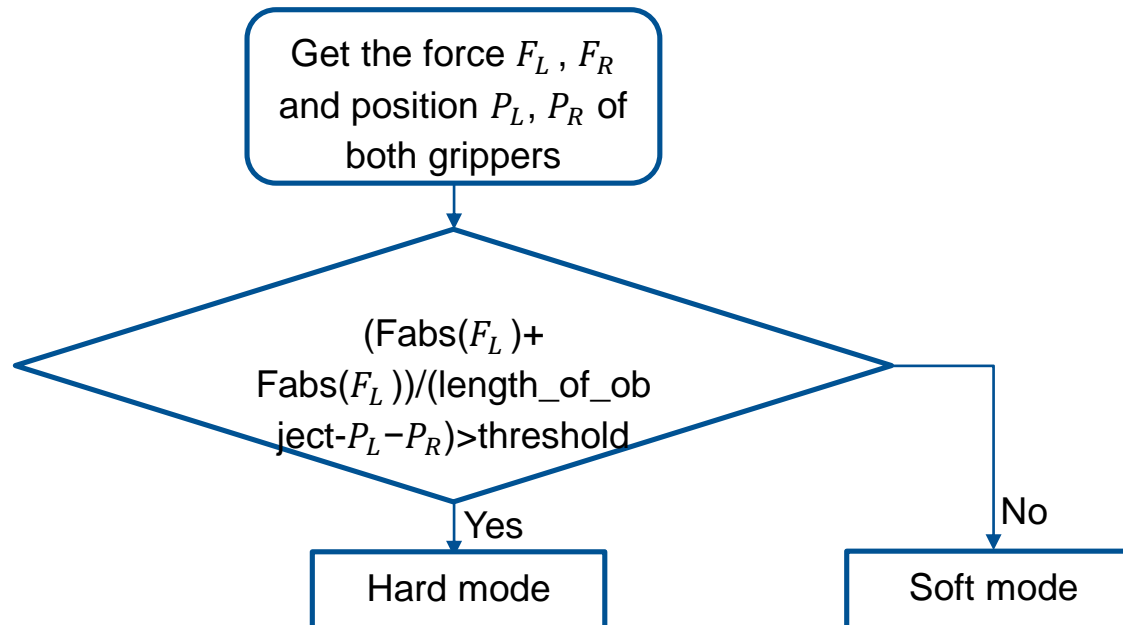
$$\text{According to } |\lambda I - A| = 0 \quad |\lambda_1| < 1 \quad |\lambda_2| < 1 \Rightarrow \begin{cases} 1 - \frac{B}{M}dt < 0 \\ \left| \frac{1}{2} \left(\frac{K}{M}dt^2 - 2 + \frac{B}{M}dt \right) \right| < 1 \end{cases}$$

Gripper: Impedance And Admittance Control

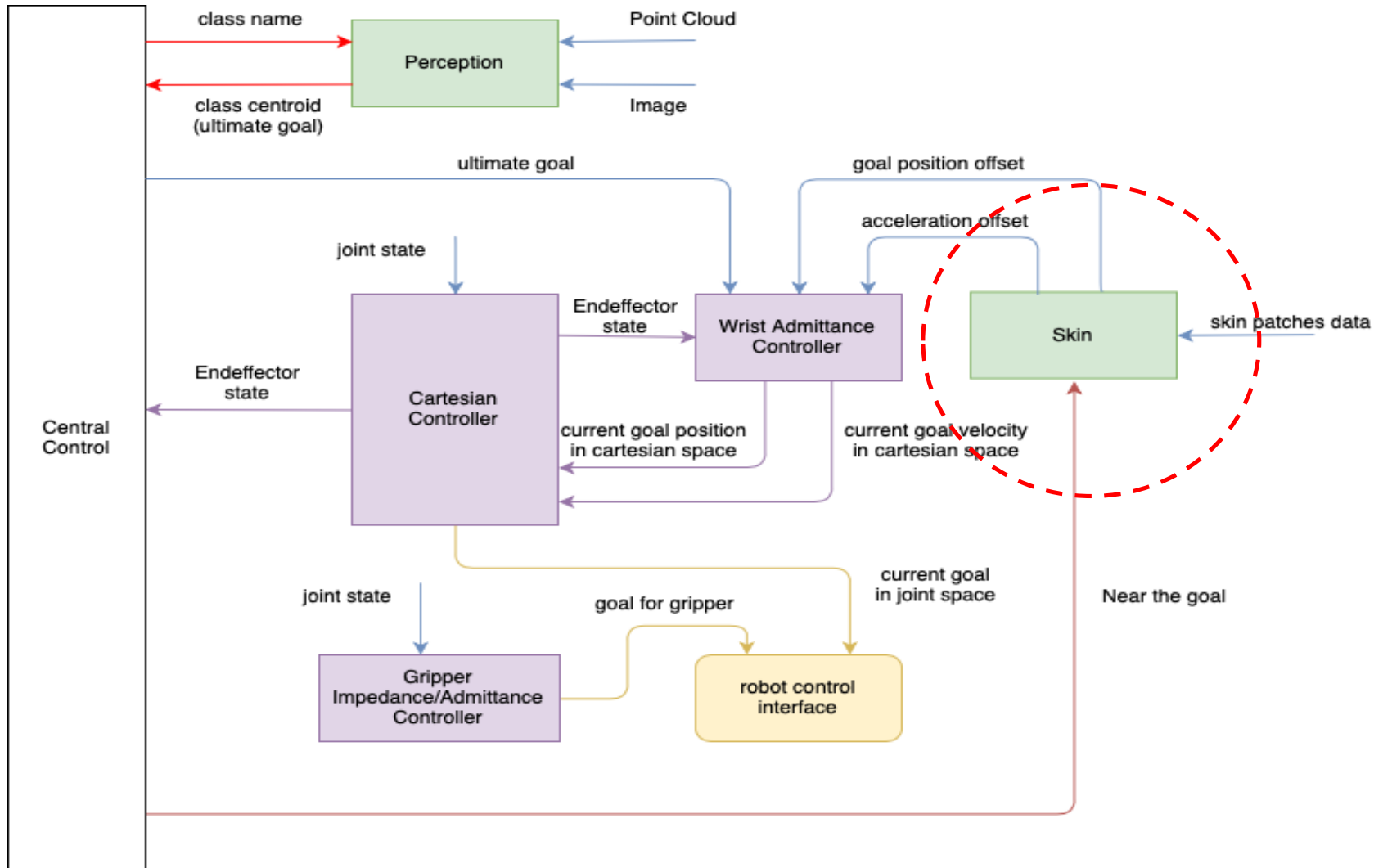
Extension:

Two mode: $\begin{cases} \text{soft mode} \\ \text{hard mode} \end{cases} \Rightarrow \text{ensure } F_{ext} \text{ not too big}$
(with different parameters M, B, K)

Using the length of object and the position of both grippers to switch the modes



Skin: Movement Correction



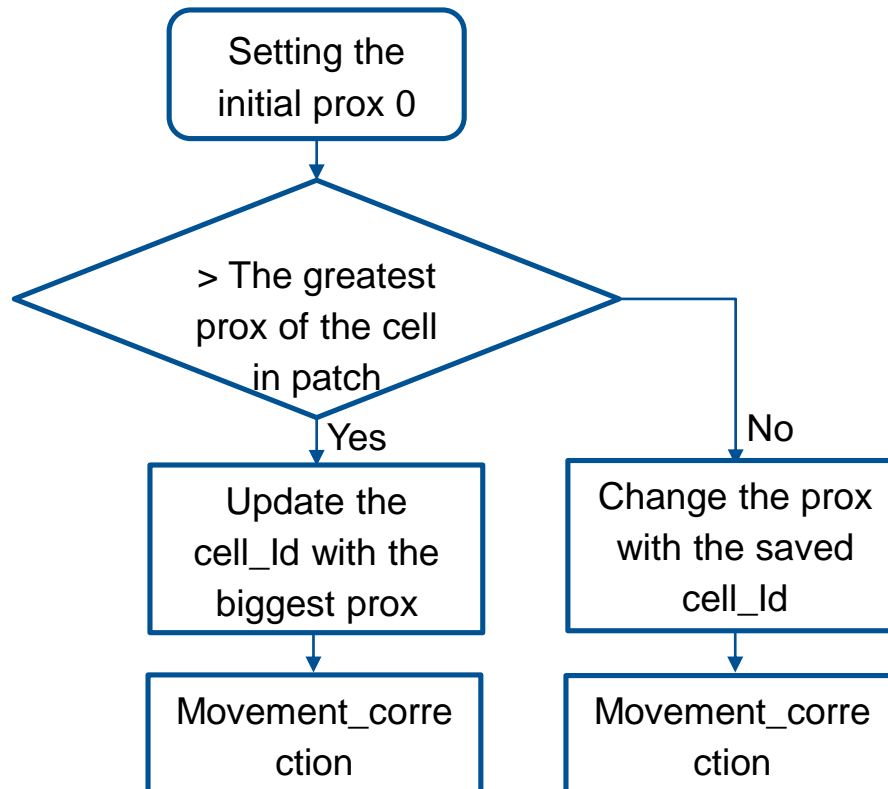
Skin: Movement Correction

Get data from sensor

Topic: /tiago/patches Every cell each time publish data

→ Take the smallest distance from cells in one path

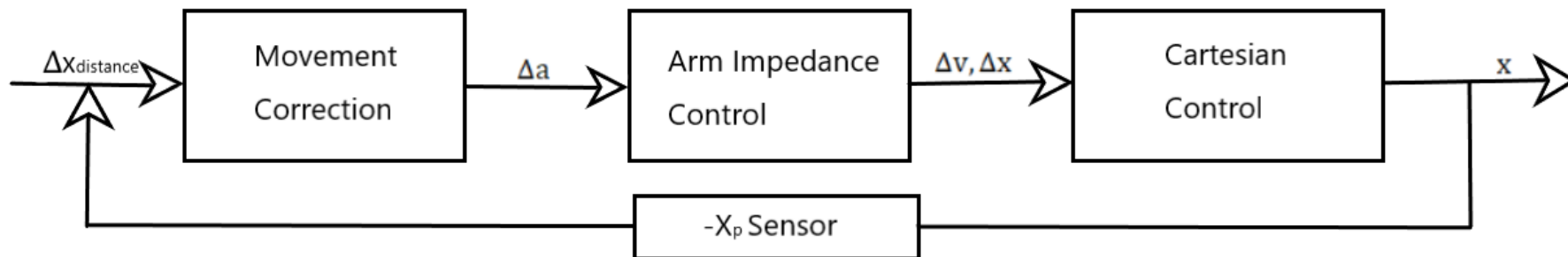
Algorithm flow of each pitch:



Skin: Movement Correction

Movement correction:

The distance between object and skin too small \rightarrow give an Δa to arm controller



Cost function:

Assume $prox = \frac{1}{\Delta x}$

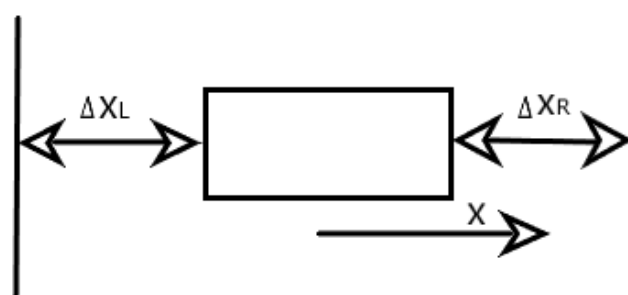
$$F = \left(\frac{1}{\Delta x_L}\right)^2 + \left(\frac{1}{\Delta x_R}\right)^2$$

$$\frac{\partial F}{\partial x} = -\frac{1}{2}\Delta x_L^{-\frac{3}{2}} * \frac{\partial \Delta x_L}{\partial x} - \frac{1}{2}\Delta x_R^{-\frac{3}{2}} * \frac{\partial \Delta x_R}{\partial x}$$

$$= \Delta x_R^{-\frac{3}{2}} - \Delta x_L^{-\frac{3}{2}}$$

$$\Delta \dot{x} = \Delta x_L^{-\frac{3}{2}} - \Delta x_R^{-\frac{3}{2}} \Rightarrow prox_L^2 - prox_R^2 \Rightarrow (\max prox_L)^2 - (\max prox_R)^2$$

$$\Rightarrow \Delta a = w * (prox_L^2 - prox_R^2)$$



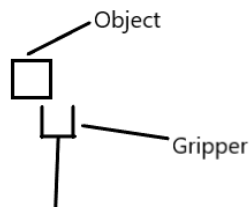
Skin: Movement Correction

Optimizations:

- 1、 Avoid large $\Delta\alpha \rightarrow$ different w for different distances
- 2、 Estimating noise in sensor data \rightarrow discard small $\Delta\alpha$

Position correction:

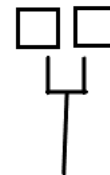
4 cases when grasp



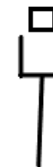
Set goal a little right



Set goal a little left



Can't grip the object



Can grip

- (1) Send Δx to arm impedance control to change the goal
- (2) When arm approaches the target, open position correction
- (3) Perform not good in practice because of the distance, which can be detected by sensor is too short compare to the motion of arm

Skin: Movement Correction

Temperature

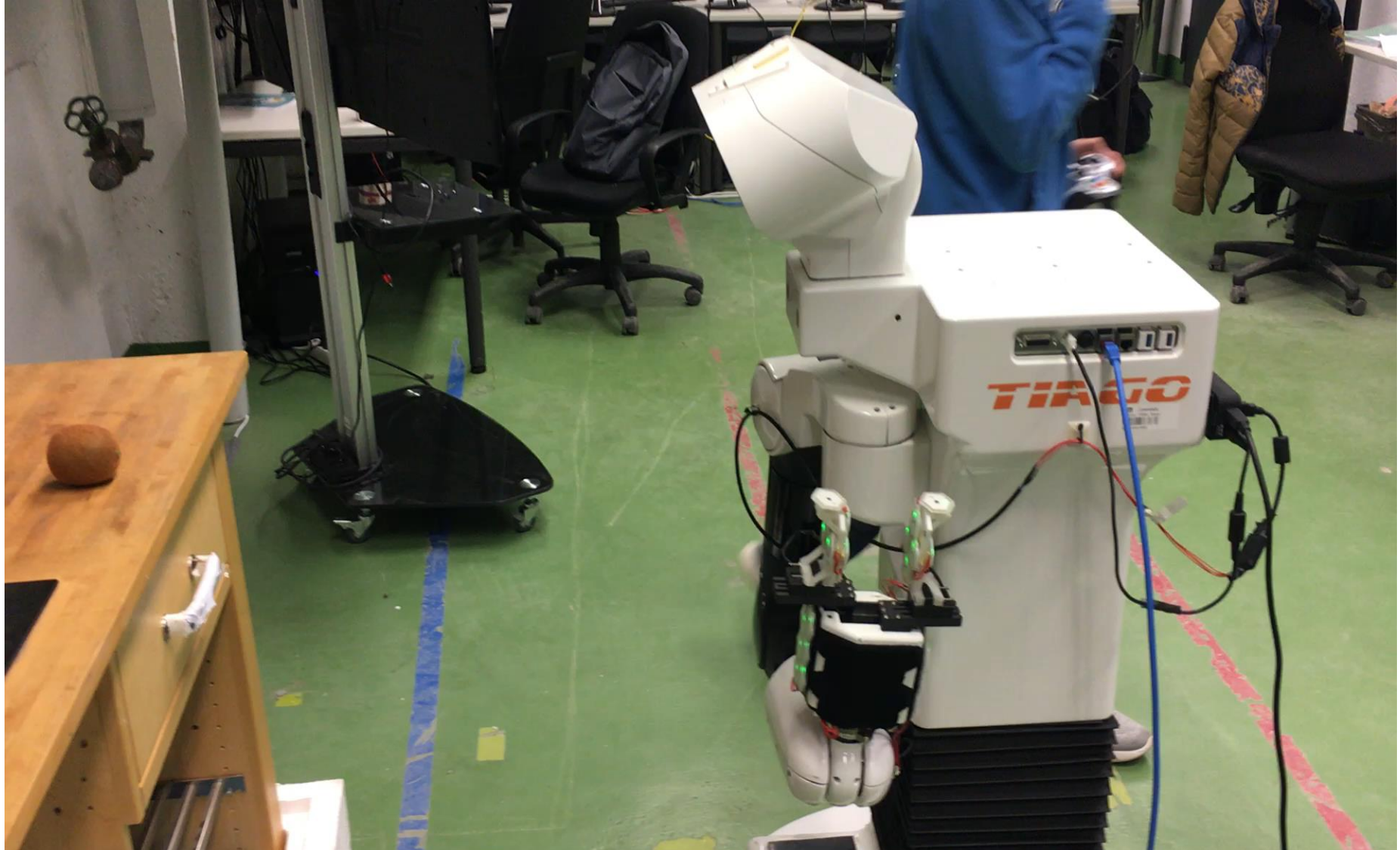
Take the temperature from the patch3 and patch5

Too hot → tiago speak “hot”

Too cold → tiago speak “cold”

Practical Problem:

Plastic layer of the skin too thick



Thanks!