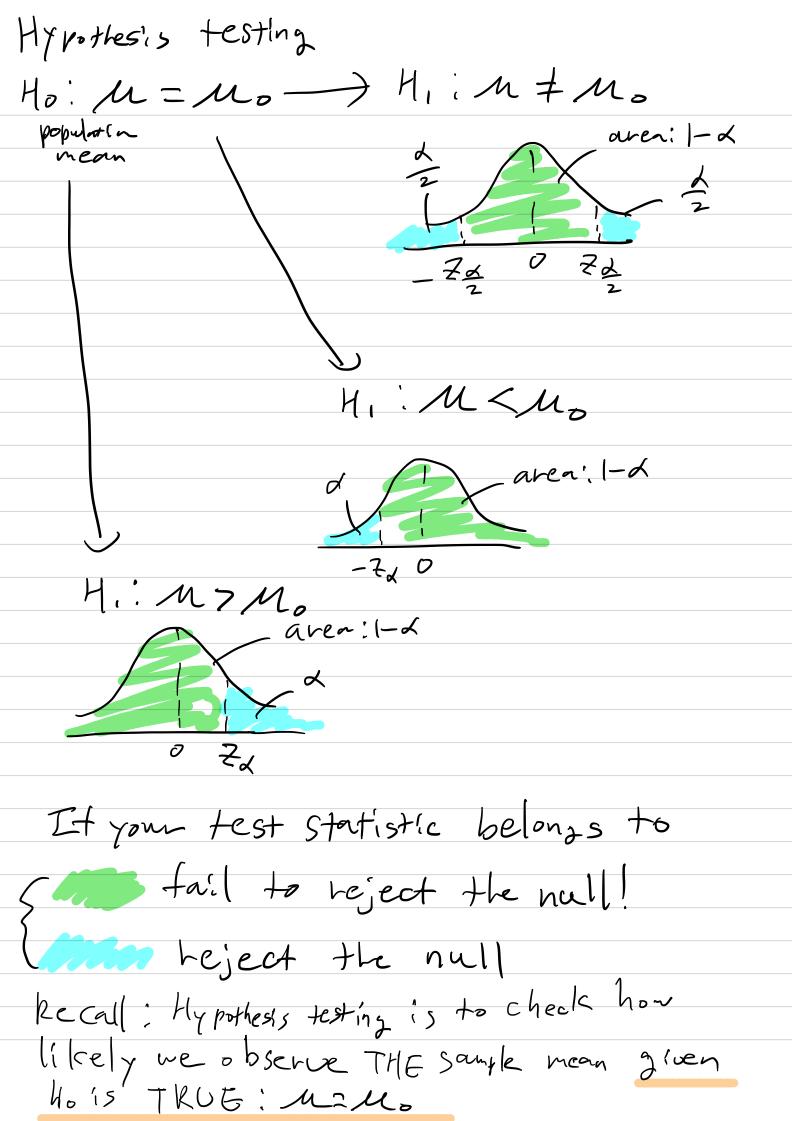
Independently drawn absenuations; X1, X2, ... Yn from population (probability distribution) with mean E(X) and various V(X) We are interested in the distribution of the Sample mean X_n (i.e. the mean of the observations $X_1, X_2, \dots X_n$) Expectation of Fai $E(\overline{x}_n) = E(\frac{1}{n}\sum_{i=1}^n x_i) = \frac{1}{n}\sum_{i=1}^n E(x_i) = E(x_i)$ $E(a(x_1+x_2)) = aE(x_1+x_2) = aE(x_1) faE(x_2)$ And for all i, Xi is drawn from an identical distibution appropriation) with mean: E(x) Variance of Xn $V(x_n) = V(\frac{1}{n}\sum_{i=1}^{n}x_i) = \frac{1}{n^2}\sum_{i=1}^{n}V(x_i) = \frac{1}{n}V(x_i)$ $V(a(x_1+x_2)) = a^2V(x_1+x_2) = a^2V(x_1)+a^2V(x_2)$ And for all i, Xi is drawn thom an identical distibution appropriation) with Variance U(X)

For large enough samples (n is lange),
the distribution of sample mean Xn will converge to normal, and
$\frac{\lambda \eta}{2} \frac{E(x)}{\lambda \lambda} \frac{\lambda \lambda}{\lambda} \frac{\lambda}{\lambda} \lambda$
TV(X)/n Converge in distribution This is same as
13 n grows
LThis is some as
$\frac{1}{2}$
Tn-ECYn)
$\sqrt{(x_n)}$
$\bigvee \bigvee (x)$
Recall that population can follow AIDY
How EVER once you obtain the samples
X
However once you obtain the samples and draw the distribution of their
and draw the distribution of their
MEANS, due to Central Unit Theorem? it will always follow N (E(X), V(X)/n)
it will always films A) (E(x) 1/6)
(A) h e : 10 \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \
when n's large pr
- Normal Xn



Hi, M+Mo test statistic 2 =) p-value: Pr(>121)+Pr(<-121) H. M<M 2 > p-value: Pr(<2) H.: M7Mo aven: 1-2 7 P-Value: Yr (>2) p-value 3d =) reject the null!

p-value 3d =) fail to reject the null! "=" case is negligible since it is almost impossible to get a p-value exactly same as &.

Textbook chapten 7,2.1

Tea tasting experiment

Ho: O chance of being correct =0,5 (00) 41', 0 >0.5 p-value for gettly everything correct if Hoisthue: 0=0.5 The setting; complete Randonitation culti Mich and Ti4 Let the subject know Mi4 and Ti4 # Entire possibilities: 8 4 = 70 # Correct choices

2 4 6 8

Cases 4044 4143 4242 4341 4940 16 36 16 1 Phobability 70 16 Sum: 70 16 1 It Ho is thue: O =0.5, then every case among the 10 cases will have equal probability to p-value (# correct choices = 8) = $\frac{1}{70}$ p-value ($\frac{1}{70}$ = $\frac{1}{70}$ + $\frac{1}{70}$ = $\frac{17}{70}$ Be course we are conducting right-sided test!

(i.e. H.; Q>Oo)