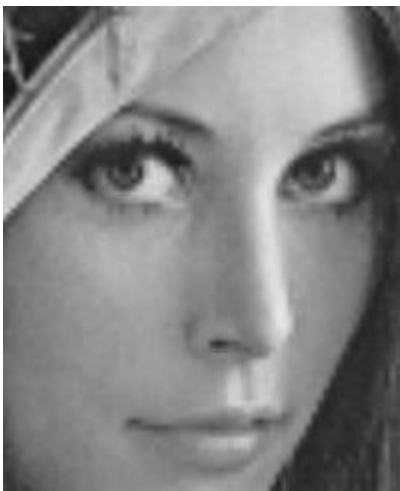


영상처리 HW4 15012974 최태호

Lab06에서 제공된 code들을 활용하여 기하학적 처리기법에서 다룬 bilinear interpolation, cubic convolution interpolation을 구현하라.

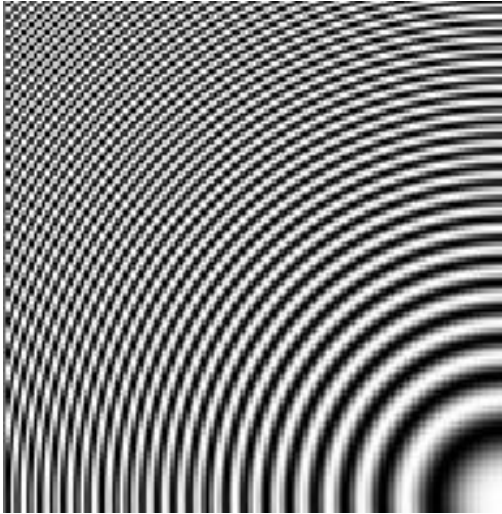
원본 - bilinear - cubic 순서



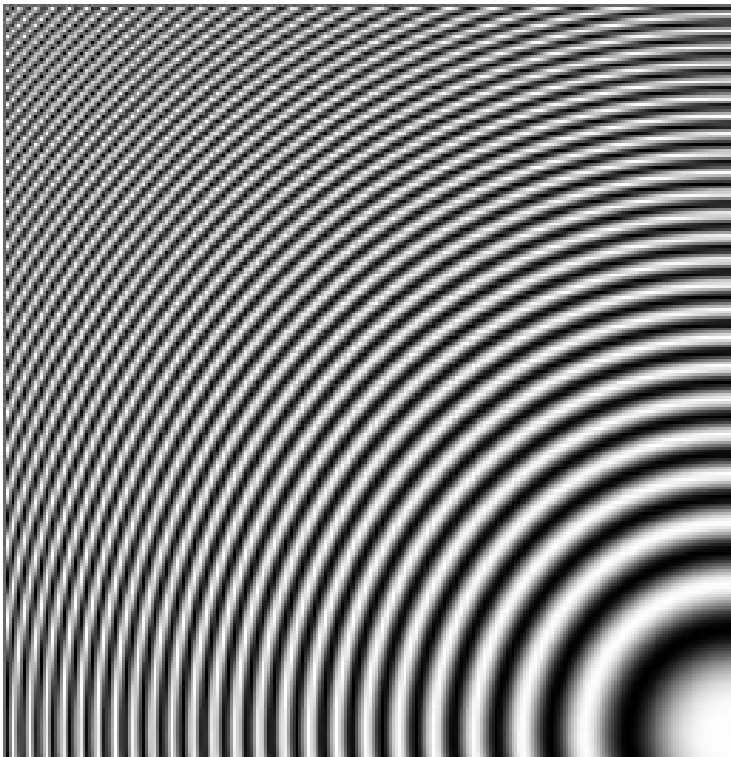
정확한 비교를 위해 lena영상을 3배로 키운후에 보간법을 적용하였습니다.

뒤로 갈수록 픽셀 경계선이 눈에띄게 사라지는 것을 볼 수 있습니다.

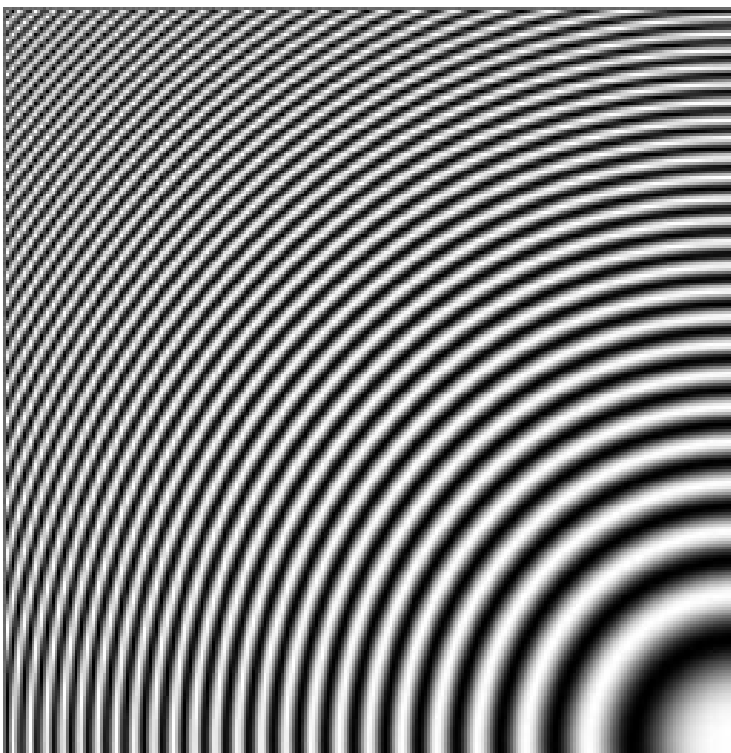
원본 - bilinear - cubic 순서



픽셀간의 경계가 눈에띄게 많다.



두배로 키웠음에도 원본보다 픽셀 경계선이 매우 줄어듦.



bilinear보다 매우 부드러워짐

bilinear_interpolation 함수

```
double bilinear_interpolation(image_ptr buffer,int x,int y,unsigned long X_Source, unsigned long Y_Source, int cols,
float x_scale, float y_scale)
{
    float NW, NE, SW, SE, EWweight, NSweight, EWbottom, EWtop;
    unsigned char dest_pixel;
    NW = buffer[Y_Source * cols + X_Source];
    NE = buffer[Y_Source * cols + X_Source + 1];
    SW = buffer[(Y_Source + 1) * cols + X_Source];
    SE = buffer[(Y_Source + 1) * cols + X_Source + 1];

    EWweight = (x / x_scale) - (float)X_Source;
    NSweight = (y / y_scale) - (float)Y_Source;

    //printf("%f %f\n", EWweight, NSweight);

    EWtop = NW + EWweight * (NE - NW);
    EWbottom = SW + EWweight * (SE - SW);

    dest_pixel = (char)EWtop + NSweight * (EWbottom - EWtop);
    return dest_pixel;
}
```

cubic_interpolation 함수

가중치 함수에대한 계수 a는 임의로 -0.5로 정하고 식을 전개하여 거리 d에대한 다항식으로 구현

```
double cubic_interpolation(double v1, double v2, double v3, double v4, double d)
{
    double v, p1, p2, p3, p4;

    p1 = 2 * v2;
    p2 = -v1 + v3;
    p3 = 2 * v1 - 5 * v2 + 4 * v3 - v4;
    p4 = -v1 + 3 * v2 - 3 * v3 + v4;

    v = (p1 + d * (p2 + d * (p3 + d * p4))) / 2.;
    return v;
}
```

$$v = \left\{ -\frac{1}{2}(1+d)^3 + \frac{5}{2}(1+d)^2 - 4(1+d) + 2 \right\} v_1$$

$$f(x) = \begin{cases} \frac{3}{2}|x|^3 - \frac{5}{2}|x|^2 + 1 & 0 \leq |x| < 1 \\ -\frac{1}{2}|x|^3 + \frac{5}{2}|x|^2 - 4|x| + 2 & 1 \leq |x| < 2 \\ 0 & 2 \leq |x| \end{cases} \quad \begin{cases} + \left\{ \frac{3}{2}d^3 - \frac{5}{2}d^2 + 1 \right\} v_2 \\ + \left\{ \frac{3}{2}(1-d)^3 - \frac{5}{2}(1-d)^2 + 1 \right\} v_3 \\ + \left\{ -\frac{1}{2}(2-d)^3 + \frac{5}{2}(2-d)^2 - 4(2-d) + 2 \right\} v_4 \end{cases}$$

거리 d에 대한 다항식

$$v = \frac{1}{2} \left[(-v_1 + 3v_2 - 3v_3 + v_4)d^3 + (2v_1 - 5v_2 + 4v_3 - v_4)d^2 + (-v_1 + v_3)d + 2v_2 \right]$$

```

for (y = 0; y < new_rows; y++)
{
    index = 0;
    for (x = 0; x < new_cols; x++)
    {
        X_Source = (double)(cols-1)*x / (new_cols-1);
        Y_Source = (double)(rows-1)*y / (new_rows-1);
        source_index = Y_Source * cols + X_Source;

        //1행
        a2 = (int)X_Source;
        a1 = a2 - 1;
        if (a1 < 0) a1 = 0;
        a3 = a2 + 1;
        if (a3 >= cols) a3 = cols - 1;
        a4 = a2 + 2;
        if (a4 >= cols) a4 = cols - 1;
        p = (x / x_scale) - (float)X_Source;

        //2행
        b2 = (int)Y_Source;
        b1 = b2 - 1;
        if (b1 < 0) b1 = 0;
        b3 = b2 + 1;
        if (b3 >= rows) b3 = rows - 1;
        b4 = b2 + 2;
        if (b4 >= rows) b4 = rows - 1;
        q = (y / y_scale) - (float)Y_Source;

        //printf("%f\n", p);
        v1 = cubic_interpolation(buffer[b1 * cols + a1], buffer[b1 * cols + a2], buffer[b1 * cols + a3], buffer[b1
* cols + a4], p);
        v2 = cubic_interpolation(buffer[b2 * cols + a1], buffer[b2 * cols + a2], buffer[b2 * cols + a3], buffer[b2
* cols + a4], p);
        v3 = cubic_interpolation(buffer[b3 * cols + a1], buffer[b3 * cols + a2], buffer[b3 * cols + a3], buffer[b3
* cols + a4], p);
        v4 = cubic_interpolation(buffer[b4 * cols + a1], buffer[b4 * cols + a2], buffer[b4 * cols + a3], buffer[b4
* cols + a4], p);
        dest_pixel= cubic_interpolation(v1, v2, v3, v4, q);

        //dest_pixel = bilinear_interpolation(buffer, x, y, X_Source, Y_Source, cols, x_scale, y_scale);

        if (type == 5) { /* PGM */
            //line_buff[index++] = buffer[source_index]; //Nearest
            line_buff[index++] = dest_pixel; //bilinear, cubic

```