nhanes

March 9, 2020

1 Survival analysis of NHANES III data

```
Data sources:
```

NHANES data files

NHANES mortality files

```
[1]: import statsmodels.api as sm
import numpy as np
import pandas as pd
import os
import matplotlib.pyplot as plt
```

/nfs/kshedden/python3/lib/python3.7/site-

packages/statsmodels/compat/pandas.py:23: FutureWarning: The Panel class is removed from pandas. Accessing it from the top-level namespace will also be removed in the next version

data_klasses = (pandas.Series, pandas.DataFrame, pandas.Panel)

Read the survival data

```
[2]: fname = "NHANES_III_MORT_2011_PUBLIC.dat.gz"
  colspecs = [(0, 5), (14, 15), (15, 16), (43, 46), (46, 49)]
  names = ["seqn", "eligstat", "mortstat", "permth_int", "permth_exam"]
  f = os.path.join("../data", fname)
  surv = pd.read_fwf(f, colspecs=colspecs, names=names, compression="gzip")
```

Read the interview/examination data

Recode region with text labels

```
[4]: df["region"] = df.region.replace({1: "NE", 2: "MW", 3: "S", 4: "W"})
```

These are variables that may predict mortality.

```
[5]: df["poverty"] = df["poverty"].replace({888888: np.nan})
   df["female"] = (df.sex == 2).astype(np.int)
   df["rural"] = (df.urbanrural == 2).astype(np.int)
```

Calculate the age in months at study entry (NHANES interview)

```
[6]: df["age_months"] = 12 * df.age
```

Calculate the age in months at final status determination (death or censoring)

```
[7]: df["end"] = df.age_months + df.permth_int
```

It is possible to do something more sophisticated about missing data, but here we will do a complete case analysis.

```
[8]: df = df.dropna()
```

SurvfuncRight can't handle 0 survival times

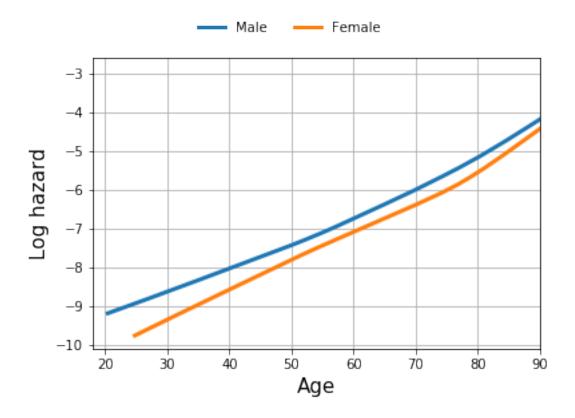
```
[9]: df = df.loc[df.end > df.age_months]
```

The hazard function is the derivative of $-\log(S(t))$, where S(t) is the survival function. Here we calculate the derivative numerically using second differences. This tends to produce a noisy estimate of the derivative, so we smooth it below with local polynomial smoothing.

```
[10]: def hazard(sf):
    tm = s.surv_times
    pr = s.surv_prob
    ii = (pr > 0)
    tm = tm[ii]
    pr = pr[ii]
    lpr = np.log(pr)
    return tm[0:-1], -np.diff(lpr) / np.diff(tm)
```

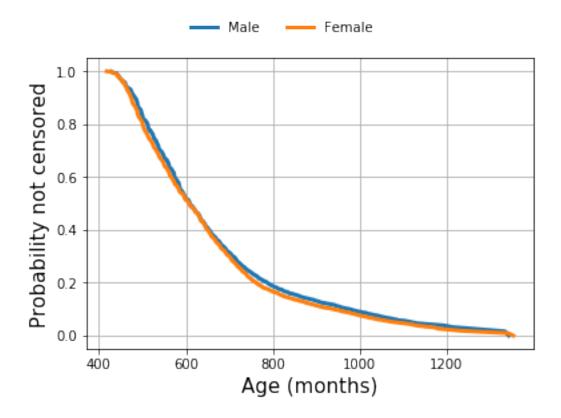
Plot the hazard functions for women and men. These are unadjusted hazard functions, i.e. they describe the hazard for all people at a given age.

```
[11]: plt.grid(True)
    sex = {0: "Male", 1: "Female"}
    for female in (0, 1):
        ii = df.female == female
        s = sm.SurvfuncRight(df.loc[ii, "end"], df.loc[ii, "mortstat"], entry=df.
        \[
        \rightarrow loc[ii, "age_months"])
        tm, hz = hazard(s)
        ha = sm.nonparametric.lowess(np.log(hz), tm/12)
        plt.plot(ha[:, 0], ha[:, 1], lw=3, label=sex[female])
        ha, lb = plt.gca().get_legend_handles_labels()
        leg = plt.figlegend(ha, lb, "upper center", ncol=2)
        leg.draw_frame(False)
        plt.xlabel("Age", size=15)
        plt.ylabel("Log hazard", size=15)
        _ = plt.xlim(18, 90)
```



Plot "reverse survival functions" to get a sense of the follow up time.

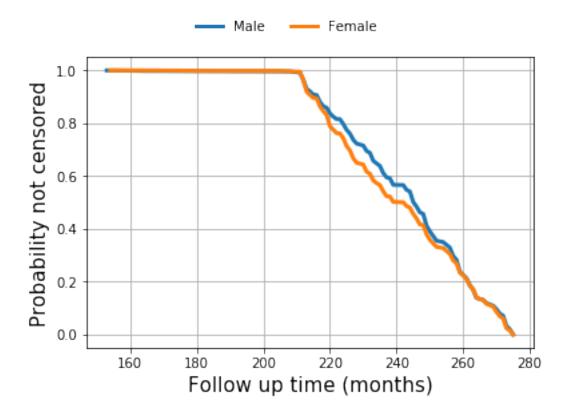
[12]: Text(0, 0.5, 'Probability not censored')



Here is another reverse survival function, looking here at follow-up time rather than age.

```
[13]: plt.grid(True)
    sex = {0: "Male", 1: "Female"}
    for female in (0, 1):
        ii = df.female == female
        t = df.loc[ii, "end"] - df.loc[ii, "age_months"]
        s = sm.SurvfuncRight(t, 1 - df.loc[ii, "mortstat"])
        plt.plot(s.surv_times, s.surv_prob, lw=3, label=sex[female])
    ha, lb = plt.gca().get_legend_handles_labels()
    leg = plt.figlegend(ha, lb, "upper center", ncol=2)
    leg.draw_frame(False)
    plt.xlabel("Follow up time (months)", size=15)
    plt.ylabel("Probability not censored", size=15)
```

[13]: Text(0, 0.5, 'Probability not censored')



Fit a proportional hazards regression model, using sex, urbanicity, and poverty status to explain the variation in life span.

Results: PHReg Model: PH Reg Sample size: 7361 Dependent variable: end Num. events: 2105 Ties: Breslow [0.025 0.975] log HR log HR SE HR P>|t| region[T.NE] -0.0879 0.0669 0.9158 -1.3138 0.1889 0.8033 1.0442

Confidence intervals are for the hazard ratios 7361 observations have positive entry times

Fit the same model as above, not stratifying by state of residence.

```
Results: PHReg
______
Model:
                  PH Reg
                                           8
                           Num strata:
                                           154
Dependent variable:
                  end
                          Min stratum size:
Ties:
                  Breslow
                          Max stratum size:
                                           3612
Sample size:
                  7320
                          Avg stratum size:
                                           920.1
Num. events:
                  2105
                          t P>|t| [0.025 0.975]
      log HR log HR SE HR
female -0.3945
              0.0446 0.6740 -8.8481 0.0000 0.6177 0.7356
rural
     -0.0157
              0.0714 0.9845 -0.2194 0.8263 0.8559 1.1323
poverty -0.1048
              0.0131 0.9005 -8.0205 0.0000 0.8778 0.9239
_____
```

Confidence intervals are for the hazard ratios 7361 observations have positive entry times

Now stratify instead on county. Note that the sex and poverty coefficients are similar to what we saw above, but the urbanicity coefficient (rural) changes substantially. Below, we compare people living in rural areas to people living in non-rural areas, while living in the same county. Above, we compare people living in rural areas to people living in non-rural areas without the requirement that they live in the same county.

Results: PHReg

______ Model: PH Reg Num strata: Dependent variable: end Min stratum size: 126 Ties: Breslow Max stratum size: 937 Sample size: 7169 Avg stratum size: 237.5 Num. events: 2105

	log HR	log HR SE	HR	t	P> t	[0.025	0.975]
female	-0.4131	0.0457	0.6616	-9.0439	0.0000	0.6049	0.7235
rural	0.1159	0.1610	1.1229	0.7199	0.4716	0.8191	1.5394
poverty	-0.1093	0.0137	0.8965	-7.9949	0.0000	0.8728	0.9208
======				======			

Confidence intervals are for the hazard ratios 7361 observations have positive entry times