Performance Evaluation of Stream Data Processing Systems

ABSTRACT

Over the past years, Stream data processing is gaining compelling attention both in industry and in academia due to its wide range of applications in various use-cases. To fulfil the need for efficient and high performing Big data analytics, numerous open source stream data processing systems were developed. Processing data with high throughput while retaining low latency is key performance indicator for such systems. In this paper, we propose a benchmarking system to evaluate the performance of stream data processing systems, Storm, Spark and Flink in terms of indicators shown above. More specifically, the latency of windowed aggregation and windowed join operators is evaluated jointly with the throughput of a system.

1. INTRODUCTION

Streaming data processing has been gaining significant attention due to its wide range of uses in Big data analytics. The main reason is that processing big volumes of data periodically is not enough anymore and data has to be processed fast to enable fast adaptation and reaction to changed conditions. Several engines are widely adopted and supported by open source community, such as Apache Storm [2], Apache Spark [3], Apache Flink [1] and etc.

2. RELATED WORK

3. PRELIMINARY AND BACKGROUND

3.1 Storm

general info, windowing, partitioning, join.

3.2 Spark

general info, windowing, partitioning, join.

3.3 Flink

general info, windowing, partitioning, join.

4. BENCHMARK SYSTEM DESIGN

We keep overall design of benchmark simple and akin to the systems under to be tested. The stream data processing system connects to predefined number of socket input data sources. Each input data source has its own data generator and queue where tuples are put after generation. When the stream data processing system pulls data from socket server, serving thread sends the data from queue rather than directly from data generator.

Figure 1 shows the overall intuition of the benchmark system. Firstly, the data generator, at the left side of the figure, spawns the tuples and appends the current timestamp as a separate field. Secondly, the generated tuples wait in queue until the stream data processing system pulls them. Queue is based on FIFO semantics. Thirdly, the stream data processing system combines the tuples from different sockets by uniting streams. Depending on the nature of operator to be tested, there can be several unions of streams. For example, windowed aggregation is single input stream operator but join operator accepts two streams as an input. Fourthly, the operator to be tested computes the data in windows. In our case, we test windowed aggregation and windowed join operators. Finally, the next operator calculates the latency of a tuple by subtracting event timestamp from current timestamp.

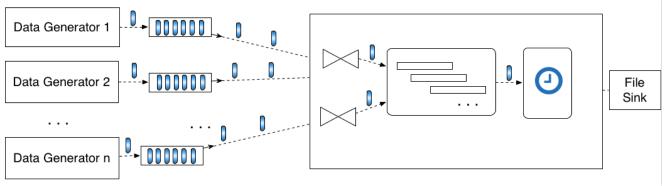
Proper handling tuples' timestamp fields while joining or aggregating is crucial. In this work, *merging* of tuples' timestamp fields is done by selecting *maximum* over them. That is, latest arrived tuple's timestamp is transferred to the new tuple as a result of aggregation or join. Equation 3 defines this logic formally.

Here $t \in T$ is a stream tuple, t[k] is k^{th} field of particular data point and \equiv means equivalent in terms of type. For aggregation function |T|, the size of a set is not bounded, whereas for join function it is bounded by two, being |T| = 2.

4.1 Key Performance Indicators

To measure the performance of a system, we connected max 16 data generators to system under test with order of 1,2,4,8 and 16 as increasing further does not increase the overall throughput significantly. We call the tests with related workloads as 1x, 2x, 4x, 8x and 16x. Moreover, the configuration of each data generator must be the same. Configuration includes parameters such as overall input size, generation speed, socket port and etc. Equation 1 defines this formally.

Figure 1: Design of benchmark system.



4.1.1 Throughput

Throughput of a system is calculated as summing the consumer throughput of all queues. If the system pulls the data from all queues with same rate then, the throughput of all queues will be the same. It is crucial for experiments to adjust the throughput of producer to be approximately the same as the one of consumer. The semantics behind adjustability of consumer and producer throughputs must be clear and applicable to stream data processing system designs as well. Here producer is data generator and consumer is stream data processing system.

To overcome this problem, we propose simple mechanism to adjust upper limit of producer throughput to consumer throughput. Figure 2 shows the basic intuition behind this. There are three borderlines to be taken into consideration. The green portion of queue S_a , is acceptable sustainability. That is, if consumer can consume elements with no more than S_a elements left in queue, then this is acceptable and consumer and producer throughputs are said to be adjustable. However, the engines we test have back-pressure mechanism that can limit consumer pulls from queue. So, if consumer is slower than producer, we let S_b elements to be buffered additionally. This behaviour, on the other hand, is allowed not *limited time* (the definition of *limited time* is below). If after *limited time* the queue size is not within boundaries of S_a then the application quits, indicating the consumer cannot sustain current data generation rate. Finally, if queue size increases within boundaries of $S_a + S_b$ then there is no need to wait for back-pressure and application quits immediately.

To evaluate the $tolerance\ limit$ in queue for possible back-pressure, we use rounds.

$$round_{length} \leftarrow S_a$$

$$round_{max} \leftarrow \frac{S_b}{S_a} \tag{2}$$

 $round_{length}$ is the check period in queue. That is, after every $round_{length}$ tuple put into the queue, the check has been done of queue size. If queue size is between S_a and S_b

then, the application is not quit immediately, but instead checked $round_{max}$ times. The calculation of these variables are shown in Equation 2.

4.1.2 Latency

$$\mathbf{Let} f: \{t|t \in T\} \to t',$$

$$\mathbf{then}, \exists k \ s.t. \ t[k] \equiv t'[k] \ \forall t \in T$$

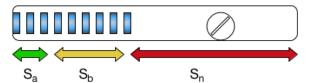
$$\mathbf{and} \ t'[k] \leftarrow \mathrm{argmax} \{t[k] \ | \ t \in T\}$$

$$\mathbf{Let} \ t_i \in I, t_o \in O$$

$$\mathbf{then} \ Latency \ t_o = time_{now} - t_o[k]$$

$$s.t. \ f: \{t_i \ | t_i \in I\} \to \{t_o \ | t_o \in O\}$$

Figure 2: Basic intuition behind back-pressure-compatible queue



5. EVALUATION

5.1 Keyed Windowed Aggregations

scale up/down window size increase/decrease batch siez increase/decrease

5.2 Joins

same as above

6. CONCLUSIONS

7. ACKNOWLEDGMENTS

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9. REFERENCES

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9.1 References

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APPENDIX

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