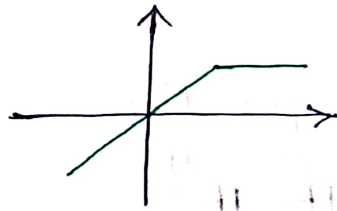


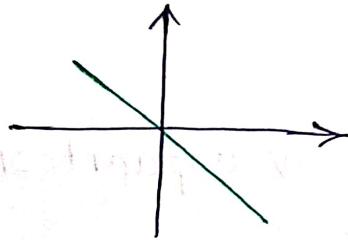
## BE Mid Sem Exam - 2023 Rubrics

SOL(1)÷ condition: When V-I characteristic passes through origin (0,0) then—

- (1) If  $(\frac{V}{I}) = (+ve)$  in both co-ordinate then the elements are Passive.
- (2) If  $(\frac{V}{I}) = (-ve)$  either in one co-ordinate or in both co-ordinate then the elements are Active.
- (3) If  $\frac{V}{I}$  characteristic is symmetric in opposite co-ordinate then the elements are Bidirectional otherwise Unidirectional.



\* Passive  
\* Unidirectional  
\* Non-linear → (1 Point)



\* Active  
\* Bidirectional  
\* Linear → (1 Point)

SOL(2)÷ According to the circuit condition — There will be spark in switch ( $S_2$ ) at time  $t = (t_0 + \Delta t_0) \cdot \text{sec.}$   
→ (2 Point)

SOL(3) :- At steady state/after long time —

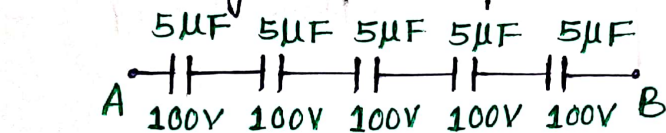
- \* Inductor behave as a short circuit.
- \* Capacitor behave as a open circuit.

There will be no effect in current 'I' because if ideal current source is in series with variable R, L or C then there will be no effect on current value (either you increase or decrease the value of R, L or C).  
→ (2 Point)

$$\therefore I = 1A$$

→ (1 Point)

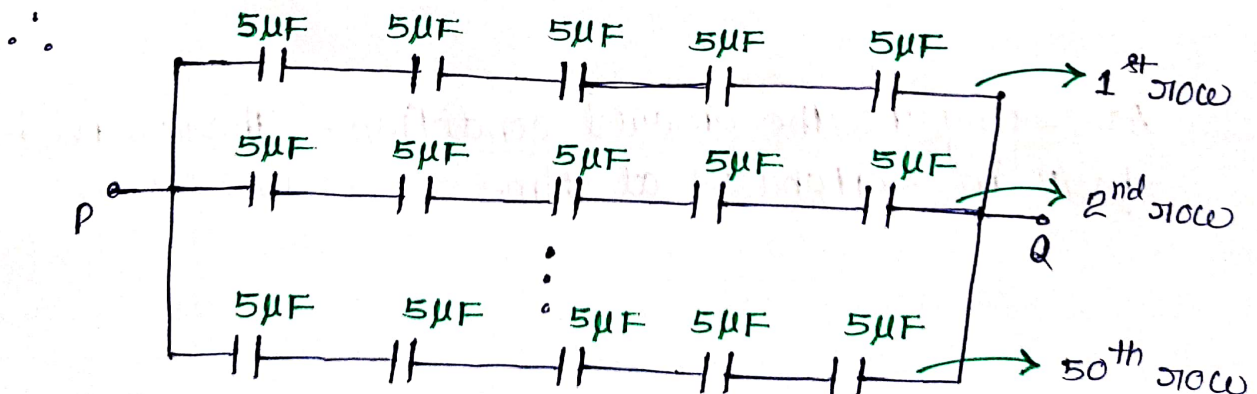
SOL(4) :- According to the question —



$$V_{AB} = 5 \times 100V = 500V$$

$$C_{AB} = 5 \times \frac{1}{5} = 1\mu F$$

Hence to get  $50\mu F$ ,  $500V$  capacitor, we required 50 such combination.



$$\therefore V_{PQ} = 5 \times 100 = 500V$$

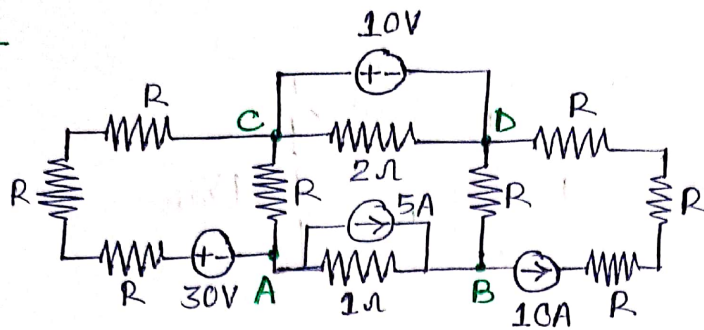
→ (1.5 Point)

$$\therefore C_{PQ} = 50 \times \left(5 \times \frac{1}{5}\right) = 50\mu F$$

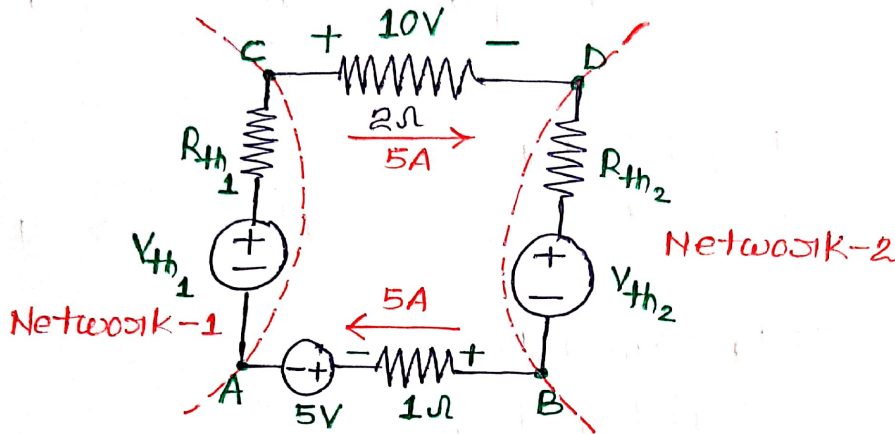
$\therefore$  Total no of capacitors required of value  $5\mu F$ ,  $100V$   
 $= 5 \times 50 = 250$  capacitors

→ (1.5 Point)

SOL(5) :-



The above circuit can be redrawn as —



→ (2 Point)

The current entering & leaving any network must be same. (By KCL)

$$\therefore I_{CD} = \left(\frac{10}{2}\right) = 5A \quad (\text{current entering in Network-2}) \rightarrow (1 \text{ Point})$$

$$\therefore I_{BA} = 5A \quad (\text{current leaving from Network-2}) \rightarrow (1 \text{ Point})$$

By above circuit —

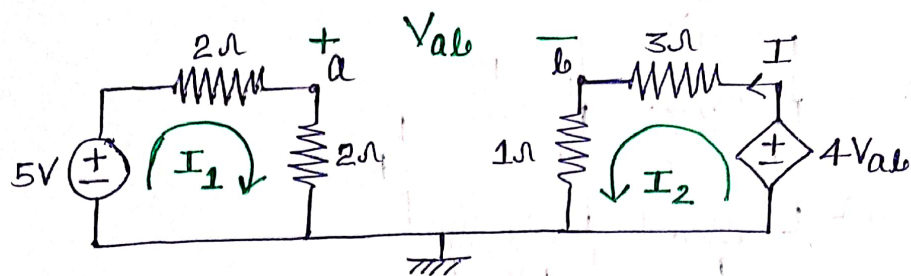
$$V_{AB} = -5 - (5 \times 1) = -10V$$

$$\therefore V_{AB} = (-10) \text{ Volt}$$

→ (2 Point)



SOL(6)÷



In Mesh-1 —  $-5 + (2+2)I_1 = 0$

$$I_1 = \left(\frac{5}{4}\right) A \quad \text{--- (1)} \quad \rightarrow (1 \text{ Point})$$

In Mesh-2 —  $-4V_{ab} + (3+1)I_2 = 0$

$$I_2 = V_{ab} \quad \text{--- (2)} \quad \rightarrow (1 \text{ Point})$$

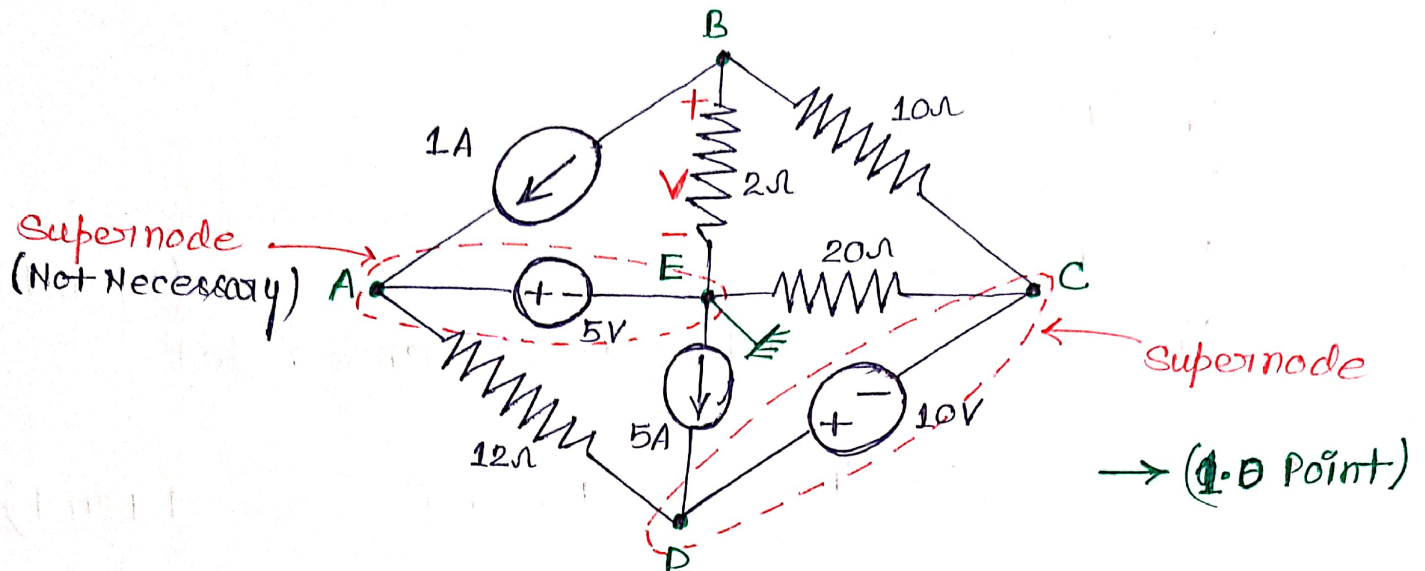
By circuit —  $-2I_1 + V_{ab} + I_2 = 0$

$$-2\left(\frac{5}{4}\right) + V_{ab} + V_{ab} = 0$$

$$\therefore V_{ab} = 1.25 \text{ Volt} \quad \rightarrow (2 \text{ Point})$$

$$\therefore I_2 = I_2 = V_{ab} = 1.25 A \quad \rightarrow (2 \text{ Point})$$

SOL(7):



at Node B — 
$$\frac{V_B - V_E}{10} + \frac{V_B - V_E}{2} + 1 = 0 \quad (\because V_E = 0)$$

$$V_B - V_C + 5V_B + 10 = 0$$

$$6V_B - V_C = -10 \quad \text{--- (1)} \quad \rightarrow (1 \text{ Point})$$

at Node A & E (By Supernode) — (Not necessary)

$$\frac{V_A - V_D}{12} - 1 + \frac{V_E - V_B}{2} + 5 + \frac{V_E - V_C}{20} = 0 \quad (\because V_E = 0)$$

$$\frac{V_A - V_D}{12} - \frac{V_B}{2} - \frac{V_C}{20} = -4$$

$$5V_A - 5V_D - 30V_B - 3V_C = -240$$

$$5V_A - 30V_B - 3V_C - 5V_D = -240 \quad \text{--- (2)}$$

at Node C & D (By Supernode) —

$$\frac{V_C - V_B}{10} + \frac{V_C - V_E}{20} + \frac{V_D - V_A}{12} - 5 = 0 \quad (\because V_E = 0)$$

$$\frac{V_C - V_B}{10} + \frac{V_C}{20} + \frac{V_D - V_A}{12} = 5$$

$$6V_C - 6V_B + 3V_C + 5V_D - 5V_A = 300$$

$$-5V_A - 6V_B + 9V_C + 5V_D = 300 \quad \text{--- (3)} \quad \rightarrow (1 \text{ Point})$$

$$V_D - V_C = 10 \quad \text{--- (4)} \quad \rightarrow (0.5 \text{ Point})$$

$$V_A - V_E = 5$$

$$V_A = 5 \quad \text{--- (5)} \quad \rightarrow (0.5 \text{ Point})$$

After solving eq<sup>n</sup> (1), (2), (3), (4) & (5), we get —

$$V_A = 5 \text{ Volt}$$

$$V_B = 1.73 \text{ Volt}$$

$$V_D = 30.38 \text{ Volt}$$

$$V_C = 20.38 \text{ Volt}$$

$$V_E = 0 \text{ Volt} \quad (\text{Taking as reference node})$$

→ (1 Point)

$$\therefore V = (V_B - V_E) = (1.73 - 0) = 1.73 \text{ Volt} \rightarrow (1 \text{ Point})$$

SOL(8): In duality—

$R \leftrightarrow G$	Loop(Mesh) $\leftrightarrow$ Node
$L \leftrightarrow C$	$Z \leftrightarrow Y$
$V \leftrightarrow I$	$\frac{dV}{dt} \leftrightarrow \frac{dI}{dt}$
$KVL \leftrightarrow KCL$	$\int V dt \leftrightarrow \int I dt$
Series $\leftrightarrow$ Parallel	$\rightarrow$ (1 Point)

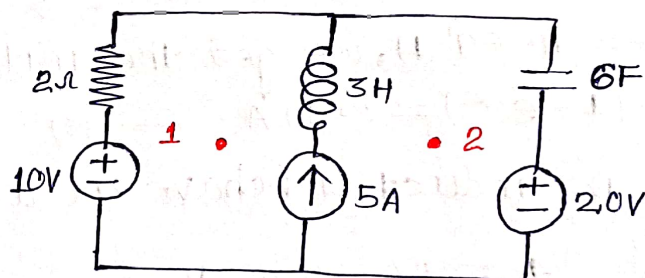
Short Trick to draw dual Network—

- (1) When voltage source circulate current in CW direction, then the arrow mark of the current source is indicated towards respective node.
- (2) When current source circulate current in CW direction, then the (+ve) sign of the voltage source is assigned to respective node.

Alternate Method to draw dual Network—

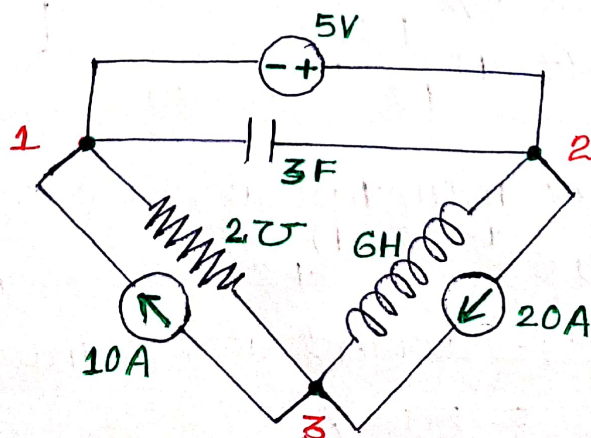
Write down the equations from given network & convert them according to the properties of duality & finally draw the network.

Given Network—



• 3 (reference node)

Dual Network—



$\rightarrow$  (5 Point)

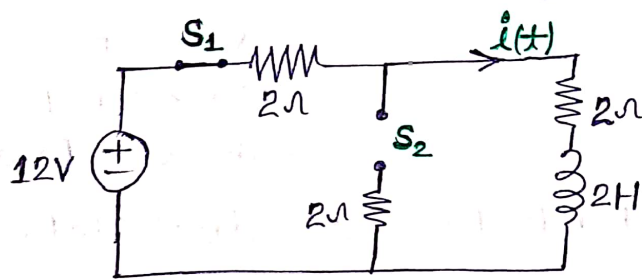


SOL(9) :-

Step(I):  $0 < t < 4 \text{ sec}$  [ $S_1$  is closed &  $S_2$  is open]

Current through  
Inductor,

$$\begin{aligned} i(t) &= \frac{V}{R} [1 - e^{-t/\tau}] \\ &= \left(\frac{12}{4}\right) [1 - e^{-t/0.5}] \\ &= 3 [1 - e^{-2t}] \quad \text{--- (1)} \end{aligned}$$



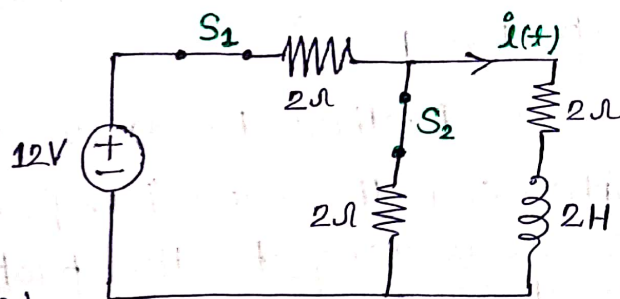
$$\therefore \tau = \left(\frac{L}{R}\right) = \left(\frac{2}{2+2}\right) = 0.5 \text{ sec}$$

→ (1 Point)

Step(II):  $t > 4 \text{ sec}$  [ $S_1$  &  $S_2$  both are closed]

Current through  
Inductor,

$$\begin{aligned} i(t) &= [i(0^+) - i(\infty)] e^{-t/\tau} + i(\infty) \\ &= [i(4) - i(\infty)] e^{-(t-4)/\tau} + i(\infty) \quad \text{--- (2)} \end{aligned}$$



$$\therefore \tau = \frac{L}{R} = \left(\frac{2}{2+1}\right) = \frac{2}{3} \text{ sec}$$

→ (1 Point)

Put  $t = 4 \text{ sec}$  in eq<sup>n</sup> (1), we get the initial current,  
 $i(0^+) = i(4) = 3(1 - e^{-8}) = 2.99 \text{ A}$  --- (3)

→ (1 Point)

at  $t = \infty$ , the inductor behave as a short circuit.

$$\therefore i(\infty) = \left(\frac{2}{2+2}\right) 4 = 2 \text{ A} \quad \text{--- (4)}$$

→ (1 Point)

By eq<sup>n</sup> (2), (3) & (4), we get—

$$i(t) = (2.99 - 2) e^{-3(t-4)/2} + 2$$

$$i(t) = 0.99 e^{-1.5(t-4)} + 2 \quad \text{--- (5)}$$

→ (1 Point)

$\therefore$  Current across inductor at  $t = 5 \text{ sec}$ ,

$$i(5) = 0.99 e^{-1.5(5-4)} + 2 = 2.22 \text{ A}$$

$\therefore i(5) = \text{Current across inductor (at } t = 5 \text{ sec)}$

$$= 2.22 \text{ A}$$

→ (1 Point)