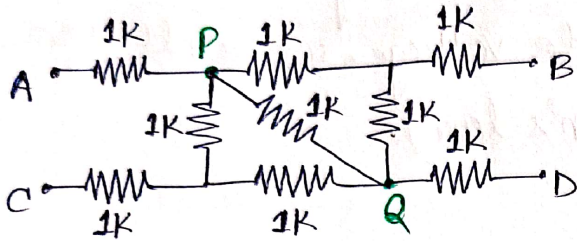
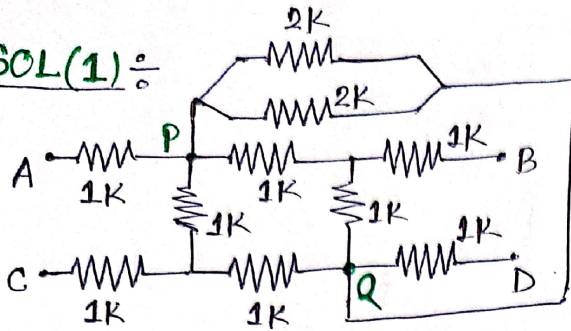


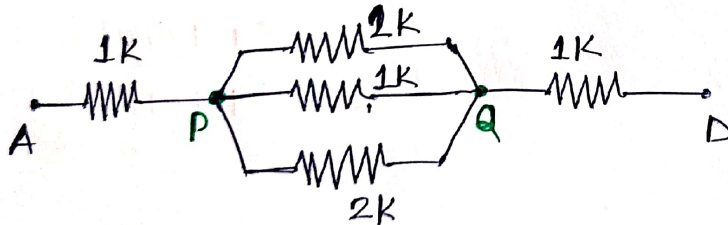
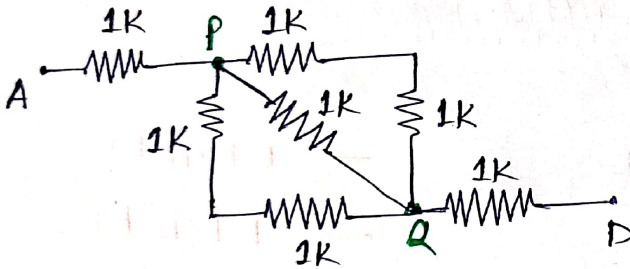
ASSIGNMENT-1 SOLUTION

SOL(1) :-

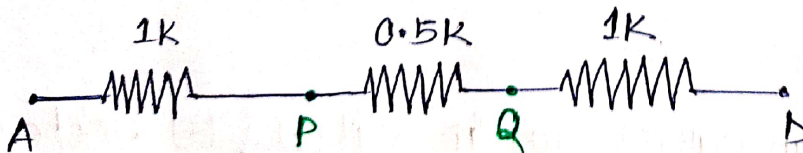


— (1 Point)

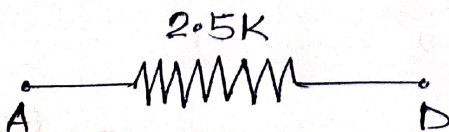
We have to determine the equivalent resistance b/w A & D, hence-



— (1 Point)



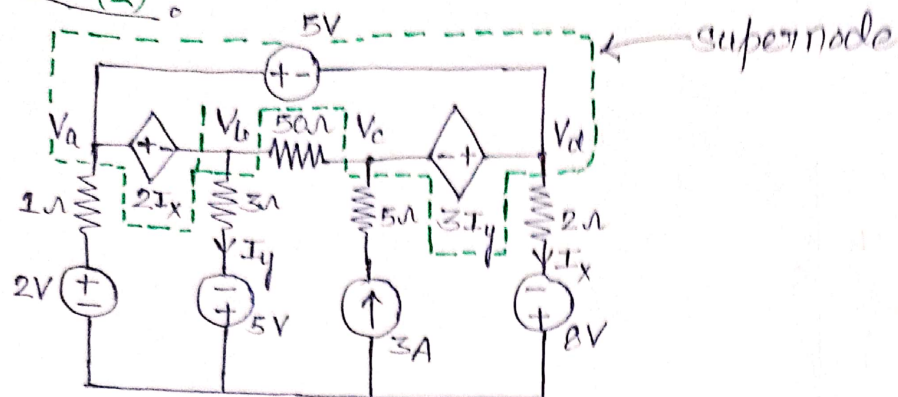
— (1 Point)



$$\therefore R_{AD} = 2.5K \Omega$$

— (1 Point)

SOL(2) :



Here ideal & practical voltage source is directly connected between the nodes. Hence to get node voltage, we will use supernode technique (KVL + KCL + Ohm's law).

By Supernode technique -

$$\frac{V_a - 2}{1} + \frac{V_b + 5}{3} + \frac{V_b - V_c}{50} + \frac{V_c - V_b}{50} - 3 + \frac{V_d + 8}{2} = 0$$

$$\frac{V_a - 2}{1} + \frac{V_b + 5}{3} + \frac{V_d + 8}{2} = 3$$

$$-12 + 6V_a + 2V_b + 10 + 3V_d + 24 = 10$$

$$6V_a + 2V_b + 3V_d = (-4) \quad \text{--- (1)}$$

$$V_a - V_d = 5 \quad \text{--- (2)}$$

$$V_a - V_b = 2I_x \quad \text{--- (3)}$$

$$-V_c + V_d = 3I_y \quad \text{--- (4)}$$

$$\frac{V_b + 5}{3} = I_y \quad \text{--- (5)}$$

$$\frac{V_d + 8}{2} = I_x \quad \text{--- (6)}$$

Put the value of I_y & I_x from eqⁿ (5) & (6) in eqⁿ (4) & (3) respectively

$$V_d - V_c = 3\left(\frac{V_b + 5}{3}\right)$$

$$V_a - V_d = 2\left(\frac{V_d + 8}{2}\right)$$

$$V_d - V_c - V_b = 5 \quad \text{--- (7)} \quad -V_b + V_a - V_d = 8 \quad \text{--- (8)}$$

After solving, we get -

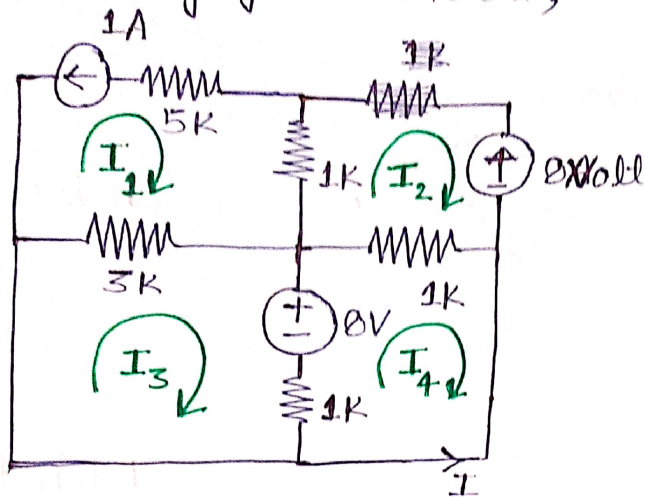
$$V_a = 1.89 \text{ Volt} \quad \text{--- 0.5 Points}$$

$$V_b = -3 \text{ Volt} \quad \text{--- 0.5 Points}$$

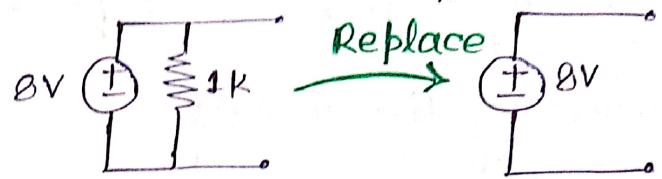
$$V_c = -5.11 \text{ Volt} \quad \text{--- 0.5 Points}$$

$$V_d = -3.11 \text{ Volt} \quad \text{--- 0.5 Points}$$

Q. (3) By given circuit, we can reduce it by —
(using source transformation)



In mesh analysis —



By applying mesh analysis —

$$\therefore I_1 = -1A \quad \text{--- (1)}$$

— (1 Point)

$$(I_2 - I_1) \times 1 + 8 + (I_2 - I_4) \times 1 = 0$$

$$2I_2 - I_4 = -1000 \quad \text{--- (2)}$$

— (1 Point)

$$(I_3 - I_1) \times 3 + 8 + (I_3 - I_4) \times 1 = 0$$

$$4I_3 - I_4 = -3000 \quad \text{--- (3)}$$

— (1 Point)

$$(I_4 - I_3) \times 1 - 8 + (I_4 - I_2) \times 1 = 0$$

$$2I_4 - I_3 - I_2 = 8 \quad \text{--- (4)}$$

— (1 Point)

$$I_4 = -I \quad \text{--- (5)}$$

Put value of I_3 & I_2 from eqⁿ (3) & (2) in eqⁿ (4), we get —

$$2I_4 - [(-3000 + I_4)/4] - [(-1000 + I_4)/2] = 8$$

$$2I_4 + 752 - I_4/4 + 504 - I_4/2 = 8$$

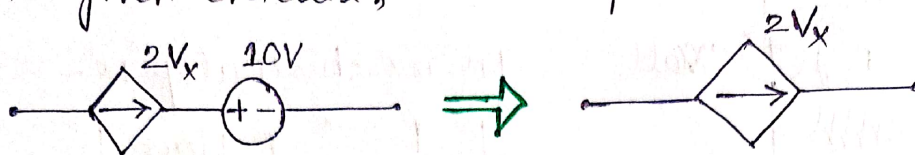
$$\therefore I_4 = -998.4 \text{ mA}$$

$$\therefore I = -I_4 = 0.9984 \text{ A} \approx 1 \text{ A}$$

— (1 Point)

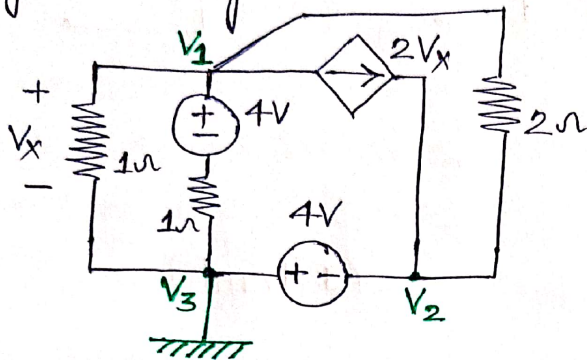
SOL(4) :-

In the given circuit, we can replace —



— (1 Point)

By reducing the circuit —



— (1 Point)

By nodal analysis, we get —

$$\frac{V_1}{1} + \frac{V_1 - 4}{1} + \frac{(V_1 - V_2)}{2} + 2V_x = 0$$

$$-V_2 + 2V_1 + 2V_1 - 4 + V_1 + 4V_x = 0$$

$$-V_2 + 5V_1 + 4V_x = 0 \quad \text{--- (1)}$$

— (1 Point)

$$V_1 = V_x \quad \text{--- (2)}$$

— (1 Point)

$$V_2 = -4 \text{ Volt} \quad \text{--- (3)}$$

— (1 Point)

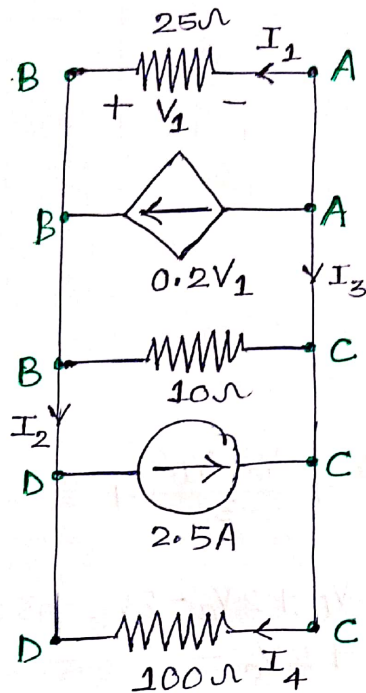
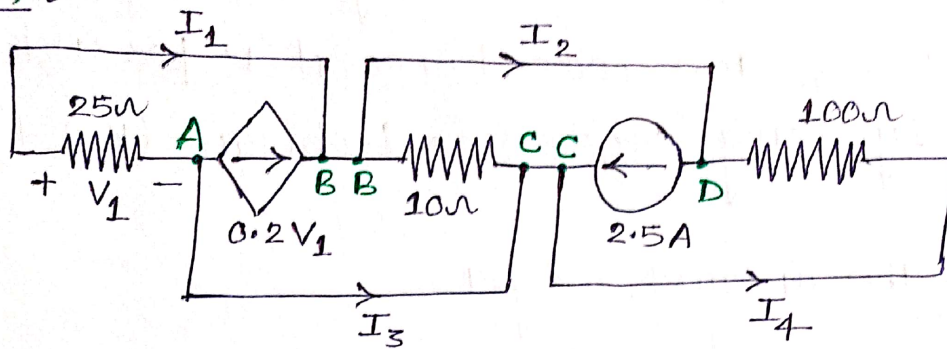
By eqⁿ (1) & eqⁿ (2), we get —

$$9V_x = 4$$

$$\therefore V_x = (4/9) \text{ Volt}$$

— (1 Point)

SOL.(5) :-



— (1 Point)

By nodal analysis at point B/D — ($V_B = V_D = V_1$)

$$\frac{V_1}{25} + \frac{V_1}{10} + \frac{V_1}{100} + 2.5 = 0.2V_1$$

$$\therefore V_1 = 50 \text{ Volt}$$

$$\therefore I_1 = \frac{-V_1}{25} = \frac{-50}{25} = (-2 \text{ A})$$

— (1.5 Point)

By nodal analysis at point A — $-2 + 0.2 \times 50 + I_3 = 0$

$$\therefore I_3 = (-8 \text{ A}) \text{ — (1.5 Point)}$$

$$\therefore I_4 = \frac{-V_1}{100} = \frac{-50}{100} = (-0.5 \text{ A})$$

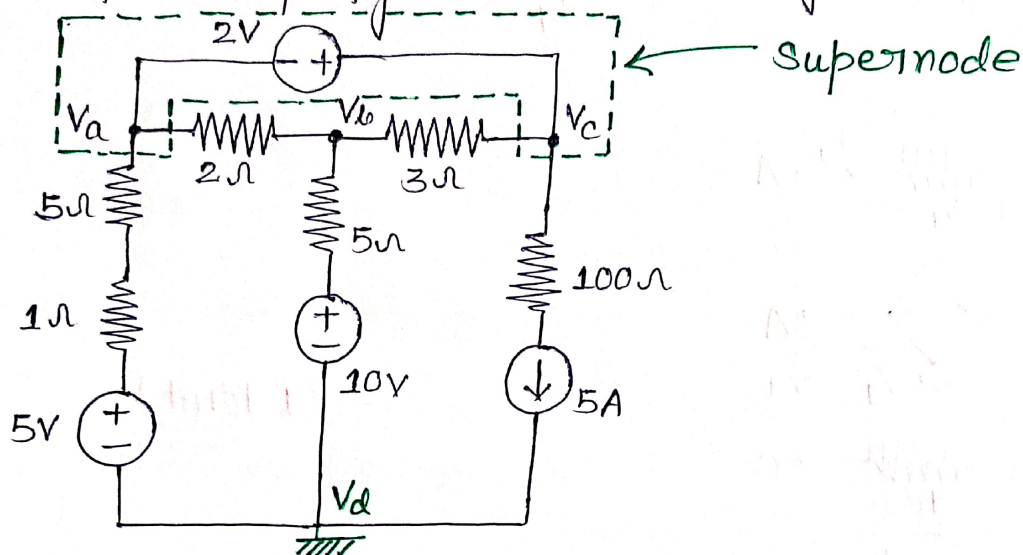
— (1.5 Point)

By nodal analysis at point D — $I_2 + I_4 = 2.5$

$$\therefore I_2 = 3 \text{ A} \text{ — (1.5 Point)}$$

SOL(6) By given circuit — Ideal voltage source '2V' is connected between two node hence it is possible to find solution by using super node technique (KVL + KCL + Ohm's law).

After simplify the circuit, we get —



By super node — $\frac{V_a - 5}{6} + \frac{V_a - V_b}{2} + \frac{V_c - V_b}{3} + 5 = 0$ [K.C.L.]

$$V_a - 5 + 3V_a - 3V_b + 2V_c - 2V_b + 30 = 0$$

$$4V_a - 5V_b + 2V_c = -25 \quad (1) \quad \text{--- (1 Point)}$$

By circuit — $V_c - V_a = 2$ [K.V.L.] — (2) — (1 Point)

Nodal analysis at V_b , we get —

$$\frac{V_b - V_a}{2} + \frac{V_b - 10}{5} + \frac{V_b - V_c}{3} = 0 \quad [K.C.L.]$$

$$15V_b - 15V_a + 6V_b - 60 + 10V_b - 10V_c = 0$$

$$-15V_a + 31V_b - 10V_c = 60 \quad (3) \quad \text{--- (1 Point)}$$

By eqⁿ(1), eqⁿ(2) and eqⁿ(3), we get —

$$\therefore V_a = (-8.18) \text{ Volt} \quad \text{--- (1 Point)}$$

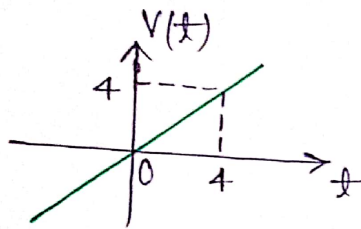
$$\therefore V_b = (-4.02) \text{ Volt} \quad \text{--- (1 Point)}$$

$$\therefore V_c = (-6.18) \text{ Volt} \quad \text{--- (1 Point)}$$

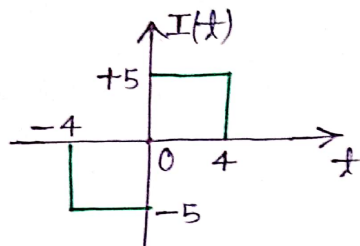
SOL(7)

as we know that — $P = V \cdot I$

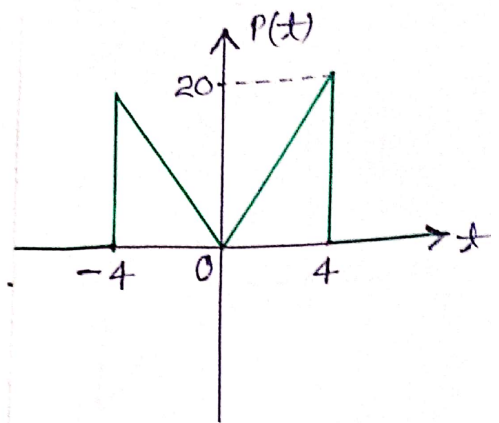
$$P(t) = V(t) \cdot I(t)$$



$$V(t) = t$$

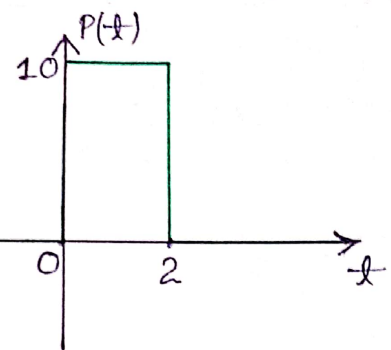
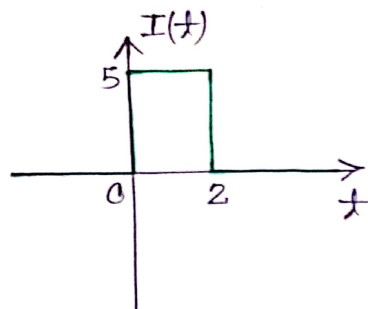
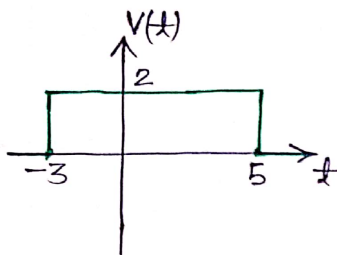


$$I(t) = -5[u(t+4) - u(t)] + 5[u(t) - u(t-4)]$$

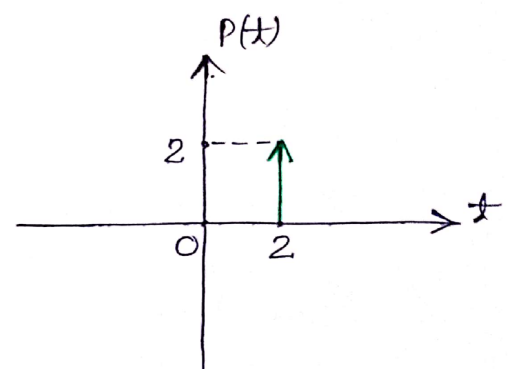
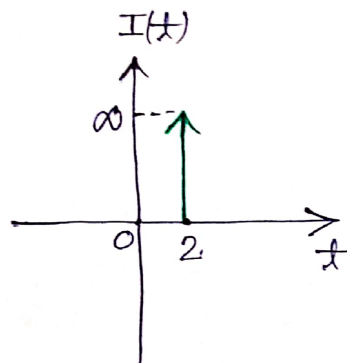
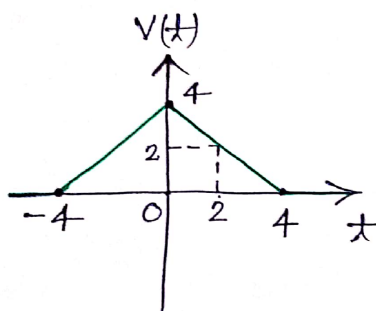


$$P(t) = V(t) \cdot I(t)$$

— (2 Point)



— (2 Point)



$$P(t) = V(t) \times I(t)$$

— (2 Point)