

# Excel Analysis ToolPak (Level 2 – Data)

By the QCL

# Before Starting

1. Sign-in
2. Locally installed Microsoft Excel
3. Load Analysis ToolPak
4. Download files from: <https://github.com/CMC-QCL/Excel-Analysis-ToolPak-L2-Workshop>

# Load Analysis ToolPak as Add-in

For PC

1. Under the **File** tab, click **Options**
2. Under **Add-ins**, select **Analysis ToolPak** and click on **Go**
3. Check **Analysis ToolPak** and click **OK**
4. Under the **Data** tab, in the **Analysis** group, click on **Data Analysis**

For **Mac**: Excel 2016 or later

1. Under the **Tools** tab, select **Excel Add-Ins**
2. In the **Add-ins** window, select **Analysis ToolPak** and click **OK**
3. Under the **Data** tab, click on **Data Analysis**

If Analysis ToolPak is not available in the list of Add-Ins, click Browse

# Agenda

1. What is Analysis ToolPak
2. Common statistical analyses:
  - Histogram
  - Descriptive Statistics
  - F-test
  - t-test
  - ANOVA

Hands-on time available during workshop

# Analysis ToolPak

- Excel add-in
- Good: capability to do analyses without statistical software
- Bad: limited in number of tests and have more manual steps



May 1, 2020

Ashley Rhoades, MBS, RAC  
Senior Associate, Regulatory Affairs  
Gilead Sciences, Inc.  
333 Lakeside Drive  
Foster City, CA 94404

Dear Ms. Rhoades:

This letter is in response to your request that the Food and Drug Administration (FDA) issue an Emergency Use Authorization (EUA) for emergency use of remdesivir for the treatment of hospitalized 2019 coronavirus disease (COVID-19) patients, as described in the Scope of Authorization (section II) of this letter, pursuant to Section 564 of the Federal Food, Drug and Cosmetic Act (the Act) (21 U.S.C. 360bbb-3).

<https://www.fda.gov/media/137564/download>

# Data File

id	treatment	radiograph	nose swab	throat swab	rectal swab	score
RM1	remdesivir	0	5.185341	3.916133	0	0
RM2	remdesivir	0	3.638322	3.312539	0	0
RM3	remdesivir	2	7.944003	0	4.314602	3
RM4	remdesivir	1	7.037755	3.407456	3.102061	0
RM5	remdesivir	1	6.421312	3.879554	2.60709	3
RM6	remdesivir	0	7.097592	2.621482	0	0
RM7	vehicle	1	6.328537	4.75539	3.423561	8
RM8	vehicle	1	5.003218	0	5.805897	5
RM9	vehicle	0	6.205009	2.605291	0	10
RM10	vehicle	0	8.243229	5.772659	0	5
RM11	vehicle	3	6.159435	6.4662	0	10
RM12	vehicle	2	7.360754	8.563787	3.734053	10

**File:** remdesivirCov19list.xlsx

**7 fields** (column): id, treatment, radiograph, nose swab, throat swab, rectal swab, score

**12 records** (rows): original data contains 18 tests were downloadable in workbook format

**Experimental procedure:** 12 rhesus monkeys are divided into two groups, one test and one control. The test group is administered remdesivir while the control group is given vehicle solution over the course of 7 days. Only day 1 and day 7 data used here

<https://doi.org/10.1101/2020.04.15.043166>

# Histogram

Use to **summarize** the number of data points that fall **within** a specified **range** of values called bins

Resembles a vertical **bar** graph, but contains no gaps in between the bars

Question: what does the **score** histogram look like?



# Histogram

1. Enter **bin** numbers of 5, 10, 15 (upper range)  
in H2: H4

2. Under the **Data** tab, click **Data Analysis**

3. Select **Histogram** and click **OK**

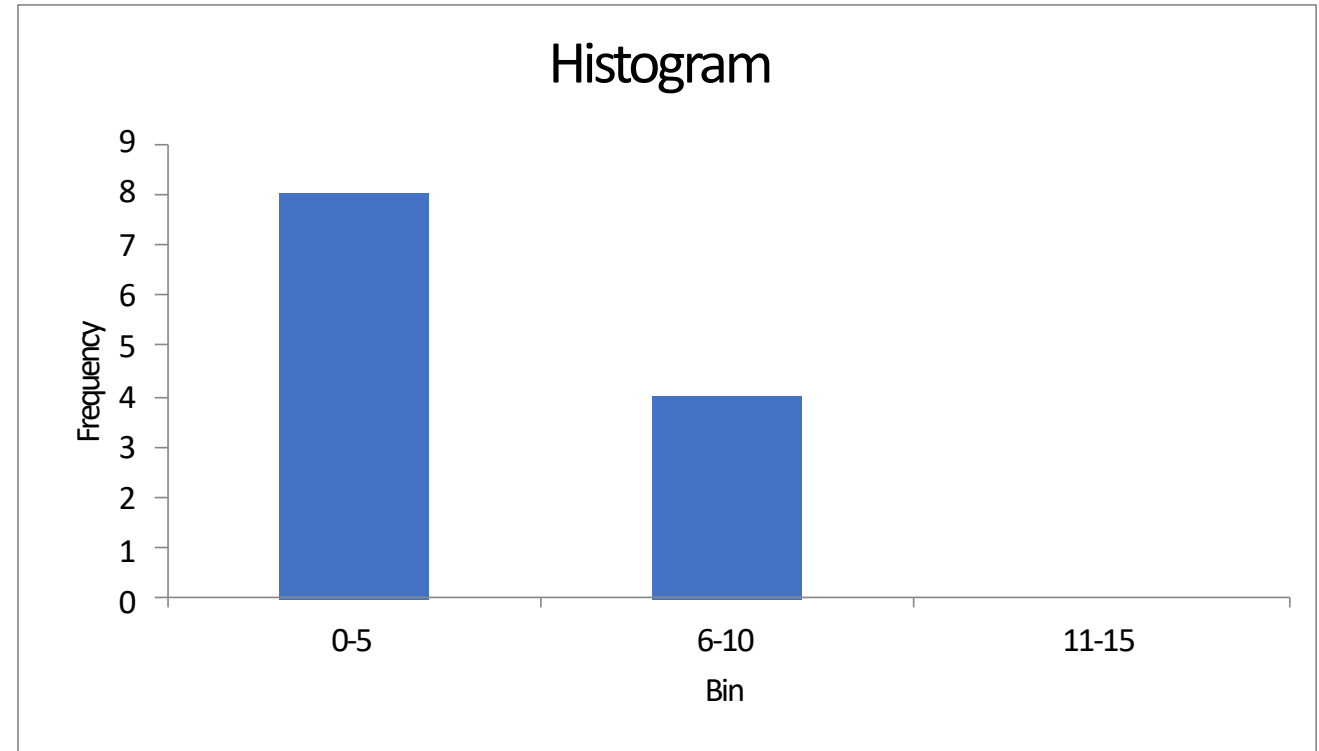
4. Select **G3: G14** as Input Range

5. Enter **H3: H5** as Bin Range

6. Under Output options, select **Cell J1** as  
Output Range

7. Check **Chart Output** and click **OK**

8. Once histogram appears, label range and  
click on diagram to edit



# Descriptive Statistics

Numbers that are used to summarize and describe data:

- Measure of **central tendency**: mean, median and mode
- Measure of **variance**: standard deviation, skewness and kurtosis

**Question:** Using data from day 1, what are the summary statistics for radiograph and nose swab?

# Descriptive Statistics Output

Summary statistics output:

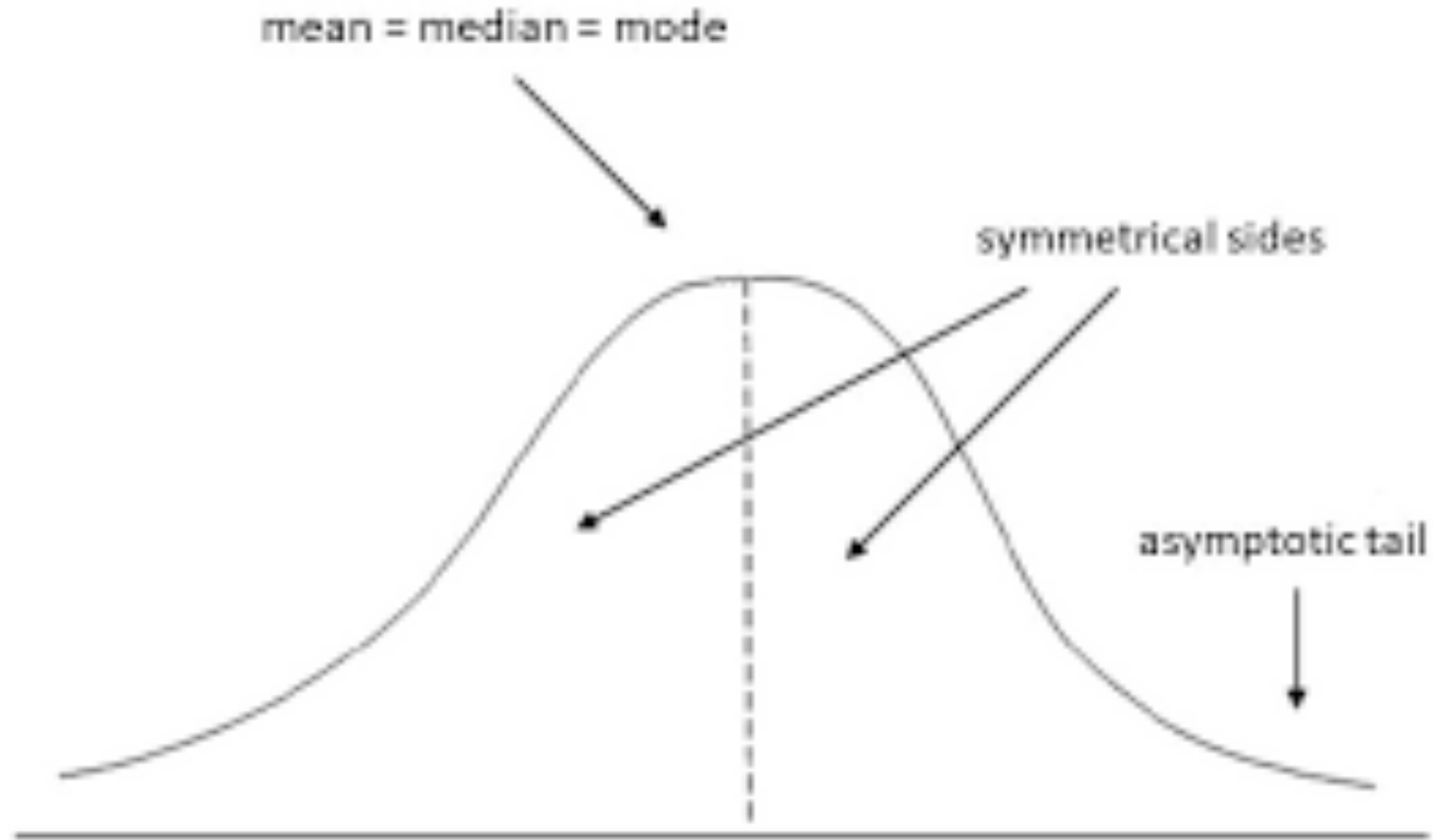
1. Under the **Data** tab, click **Data Analysis**
2. Select **Descriptive Statistics** and click **OK**
3. Select the **range C2: D14** as the Input Range. Check **Labels in first row**
4. Select **Cell I1** as the Output Range. Check **Summary statistics** and click **OK**

radiograph		nose swab	
Mean	0.916666667	Mean	6.385375583
Standard Error	0.287579589	Standard Error	0.376889203
Median	1	Median	6.3749245
Mode	0	Mode	#N/A
Standard Deviation	0.99620492	Standard Deviation	1.305582496
Sample Variance	0.992424242	Sample Variance	1.704545655
Kurtosis	-0.013845347	Kurtosis	0.404774611
Skewness	0.85362124	Skewness	-0.654436895
Range	3	Range	4.604907
Minimum	0	Minimum	3.638322
Maximum	3	Maximum	8.243229
Sum	11	Sum	76.624507
Count	12	Count	12

# Hypothesis Testing

- **Hypothesis**: assumption about a phenomenon that is **testable** either by experiment or observation
- **Hypothesis test** in statistics allows testing of the results of a study to see if your results are **meaningful**:
  1. Figure out your null hypothesis ( $H_0$ )
  2. State your null hypothesis
  3. Choose the test to perform
  4. Support or reject the null hypothesis ( $H_1$ )
- All tests covered assume normal distribution: bell shape curve

# Normal Distribution



<https://www.simplypsychology.org/normal-distribution.html>

# F-Test

Used to determine whether the **variances** of two populations are equal:

**Variance**: refers to how far the numbers are spread from the center

In the F-test, there are two hypotheses:

$H_0$  (null hypothesis):  $\sigma_1 = \sigma_2$

$H_1$  (alternative hypothesis):  $\sigma_1 \neq \sigma_2$

Question: Using the nose swab data from day 1, are the variances of the **control group and test group** equal ( $\alpha = 0.05$ )?

# F-Test Output

Nose swab, day 1:

day 1	nose swab	
f-test	remdesivir	vehicle
RM1/RM7	5.185341	6.328537
RM2/RM8	3.638322	5.003218
RM3/RM9	7.944003	6.205009
RM4/RM10	7.037755	8.243229
RM5/RM11	6.421312	6.159435
RM6/RM12	7.097592	7.360754

1. Under **Data** tab, click **Data Analysis**, select **F-Test** and click **OK**
2. Enter **B2: B8** in Variable 1 Range
3. Enter **C2: C8** in Variable 2 Range
4. Check Labels
5. Enter **Cell E1** in Output Range and click **OK**

F-Test Two-Sample for Variances		
	remdesivir	vehicle
Mean	6.22072083	6.55003033
Variance	2.43743625	1.24749734
Observations	6	6
df	5	5
F	1.95386087	
P(F<=f) one-tail	0.23996192	
F Critical one-tail	5.05032906	

Check if **variances under Variable 1 > Variable 2**

**Yes:** proceed to data interpretation

**No:** swap data to calculate correct F-value

**Result:** p-value of 0.2340 > 0.05,  $H_0$  cannot be rejected so assume equal variances

# t-Test

Used to determine whether the **means** of two populations are equal

In the t-test, there are two hypotheses:

$H_0$  ( null hypothesis):  $\mu_1 = \mu_2$

$H_1$  (alternative hypothesis):  $\mu_1 \neq \mu_2$

Question: Using the nose swab data from day, are the means of the control group and test group equal ( $\alpha= 0.05$ )?



# t-Test output

Nose swab, day 1:

day 1	nose swab	
f-test	remdesivir	vehicle
RM1/RM7	5.185341	6.328537
RM2/RM8	3.638322	5.003218
RM3/RM9	7.944003	6.205009
RM4/RM10	7.037755	8.243229
RM5/RM11	6.421312	6.159435
RM6/RM12	7.097592	7.360754

1. Under **Data** tab, click **Data Analysis**, select **t-Test: Two Samples Assuming Equal Variances** and click **OK**
2. Enter **B2: B8** in Variable 1 Range
3. Enter **C2: C8** in Variable 2 Range
4. Enter **0** for Hypothesized Mean Difference
5. Check Labels
6. Enter Cell **E1** in Output Range and click **OK**

t-Test: Two-Sample Assuming Equal Variances		
	remdesivir	vehicle
Mean	6.220720833	6.550030333
Variance	2.43743625	1.247497343
Observations	6	6
Pooled Variance	1.842466796	
Hypothesized Mean Difference	0	
df	10	
t Stat	-0.420208712	
P(T<=t) one-tail	0.341609663	
t Critical one-tail	1.812461123	
P(T<=t) two-tail	0.683219327	
t Critical two-tail	2.228138852	

The p-value is greater than 0.05 ( $0.6832 > 0.05$ ) so the null hypothesis cannot be rejected. Therefore, assume that means are equal

# Analysis of Variance(ANOVA)

Statistical models and associated estimation procedures used to analyze the **differences among group means** in a data set

**Single factor or one-way ANOVA** is used to test the null hypothesis ( $H_0$ ) that the **means** of several populations are **equal**

**Two-way ANOVA** is used when want to compare the **differences** between groups that have been **split** on two independent variables

# One-Way ANOVA

In one-way ANOVA:

$H_0$  (null hypothesis):  $\mu_A = \mu_B = \mu_C$

$H_1$  (alternative hypothesis): at least one mean is different

Question: Using the nose swab data from days 1, 3 and 7, are the means from the control group (RM1 to RM6) equal ( $\alpha = 0.05$ )?

# One-Way ANOVA Output

Using nose swab data on days 1, 3 and 7

1. Under **Data** tab, click **Data Analysis**
2. Select **ANOVA: Single Factor** and click **OK**
3. Select **C3: E8** as Input Range
4. Check Labels in first row
5. Leave alpha as 0.05
6. Under Output options, Cell **G1** as Output Range
7. Check **Chart Output** and click **OK**

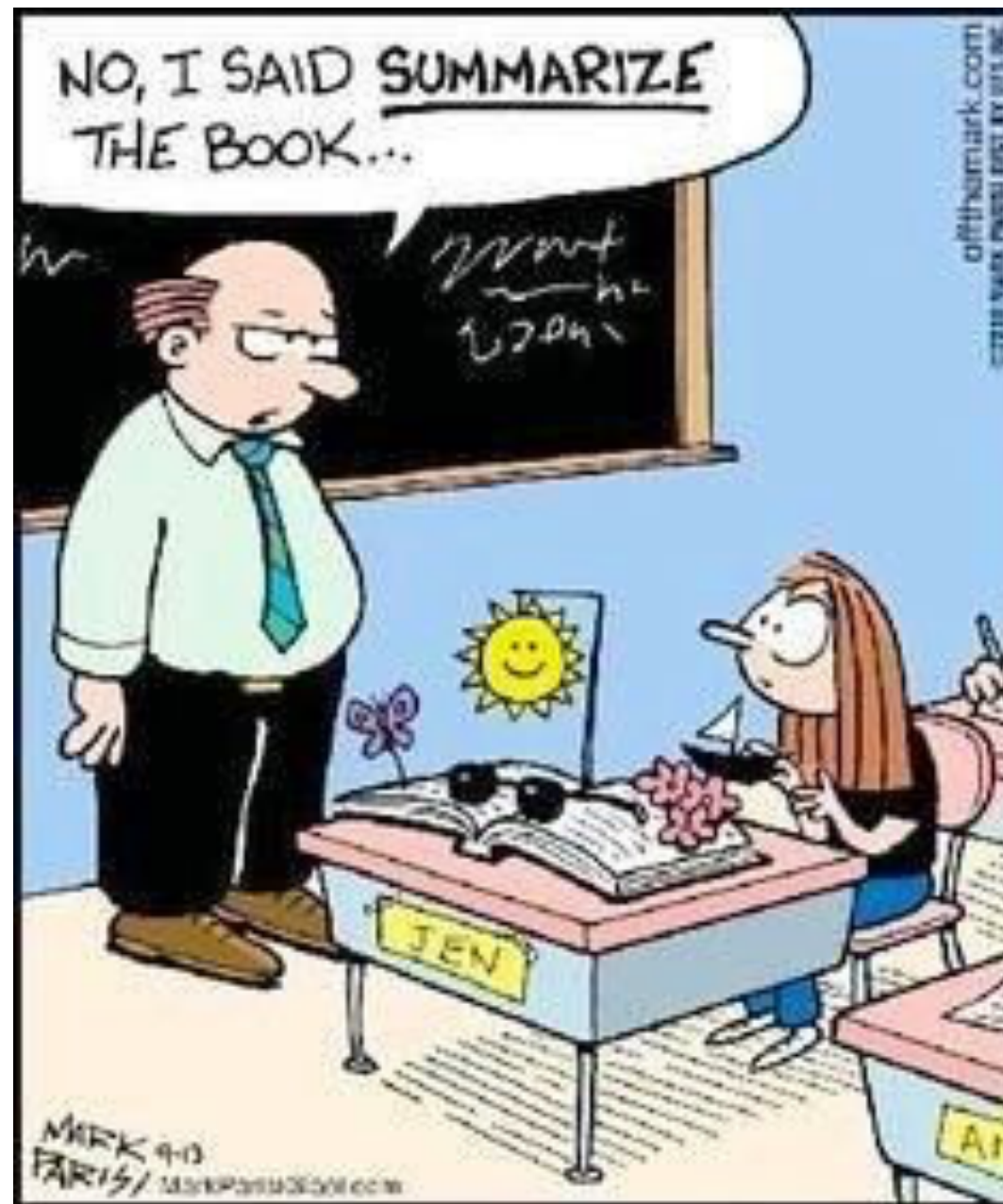
Anova: Single Factor						
SUMMARY						
Groups	Count	Sum	Average	Variance		
day1	6	37.324325	6.22072083	2.43743625		
day3	6	28.862184	4.810364	6.46655747		
day7	6	17.137164	2.856194	2.17916216		
ANOVA						
Source of Variation	SS	df	MS	F	P-value	F crit
Between Groups	34.2558552	2	17.1279276	4.63620501	0.02706062	3.68232034
Within Groups	55.4157794	15	3.69438529			
Total	89.6716346	17				

The p-value is less than 0.05 ( $0.0271 < 0.05$ ) to show statistical significance, F value is also greater than F crit ( $4.636 > 3.682$ ). Therefore, the null hypothesis is rejected to suggest that at least one of the means of the three swab is not equal.

# Hands-on Exercises

Suppose that you want to own a new startup business and you got a data set ([owan04.xls](#)) that contains the startup costs for shops. To evaluate what do you want to go into, a sampling of different amounts of cost are collected. Using  $\alpha = 0.05$ , determine the following:

1. Generate **descriptive statistics** for all the variables in the dataset
2. Let's say you set your mind on owning either a pizza parlor or a baker/donut shop, using X1 (cost for pizza) and X2 (cost for baker/goods):
  - The **F-test** to determine whether the **variances** of the two variables are equal or not
  - The **t-test** to determine whether the means of the two variables are equal or not
3. Perform a **one-way ANOVA** using all variables to determine whether at least one of the means are equal



<http://thedumbdatascientist.blogspot.com/2016/12/descriptive-statistics-summarizing-data.html>

# In the End

1. Excel Analysis ToolPak provides a **basic** set of tools for data analyses
2. Things to keep in mind:
  - What does the **output** mean?
  - Are the results **statistically significant** or not?

# Questions?

Come visit the QCL at Kravis Lower Court or email at [qcl@cmc.edu](mailto:qcl@cmc.edu)