

---

# DQN: Learning To Learn

---

Dennis Verheijden  
s4455770

Joost Besseling  
s4796799

## Abstract

We show that it is possible to implement a deep Q-network in Chainer. We use different techniques to train the network efficiently. While we did not manage to achieve super human performance in a number of games. Our results do imply that the original DQN scores are achievable and thus make a solid baseline for future studies.

## 1 Introduction

Reinforcement learning is a field in machine learning that is getting a lot of attention lately. Especially when Deepmind was able to develop the first AI (AlphaGo) that beat a top human player. Later, they managed to improve so much on AlphaGo, that they easily beat it with a new version AlphaGo Zero [7]. No longer are humans the best Go players in the world, as in chess this title belongs to the computers now.

One of the first algorithms that successfully played a big range of games was proposed by [2], called Deep Q-Learning Networks (DQN). In this method, the AI is given the raw pixel values of the game as input to the model. The network then assigns a score to each possible move, indicating the expected total reward of the action.

The continued interest in reinforcement learning was further boosted by the Atari Gym [1], a reinforcement learning environment to train and test various reinforcement learning algorithms on difficult, real-time, tasks. The gym has a large variety of different games that are commonly used as a benchmark tool. Our goal was to implement and train a novel reinforcement learning neural network in Chainer [9] to see if the results were reproducible. We chose to implement deep Q-learning as introduced by [2], with extensions from [3].

The structure of this paper is as follows: first we give a short introduction to the problem of reinforcement learning. We then proceed with giving an overview of the various techniques that are proposed to train a deep Q-network and to speed up learning. We then present our results and finish with an overview of our study with resulting conclusions.

## 2 Background

### 2.1 Atari

The Atari gym environment works as follows: An agent is playing a game, choosing different actions based on the current state (observation). When the agent manages to score a point, the game will return a positive reward. If the agent dies, the game will return a different, negative reward. It is easy to see how this leads to difficulties, since there might not be a direct relation between the last action and the last reward. Scoring a point may be the cause of an action that happened 100 frames ago.

An example may be drawn from the game of Pacman. The agent has to make sure it is not trapped by the little ghosts. If it is trapped, it will not immediately die. Death will come after a longer amount of

frames. To make the problem even more complex: the immediate positive reward after eating a pellet in a corridor, might lead to the agents demise.

On a lower level, the Atari environment works as follows: it uses a default routine for all the games available. First it has to be initialized, after that we can iterate through the screen by calling the `step` function on the environment with the action that the agent wants to perform. The environment will then return the resulting state, the reward, whether the game is finished or not and some information that is game specific. When the game is finished, i.e. when the *done* variable is *True*, we reset the environment to start another game, or we stop and are done with the training.

## 2.2 Reinforcement Learning

As stated before, the Atari environment provides a specific learning environment. The agent receives positive or negative rewards and has to change its actions based on these rewards. This methodology is called reinforcement learning. Reinforcement learning differs from both supervised and unsupervised learning in a number of ways. It differs from supervised learning because we don't have a training set of labeled data, we only gain the 'labels' after performing the action. In the context of Atari games, there is also a temporal mismatch between receiving a reward and whether the previous action is specifically the cause for gaining this reward.

It differs from unsupervised learning too, the network does receive information about whether the performed action was good or bad. So we are not simply learning the general structure of an Atari game, as is common in unsupervised methods.

This poses a number of different challenges. For example, the distance between an action and the reward. Also, the agent will explore different states of the game, based on the actions that it takes. This has the consequence that there is a balance between exploration and exploitation, if the agent always chooses the same action that has an immediate reward, the agent might get stuck in the game. But if it acts too randomly it might not learn to get past a difficult part of the game, in which it has to take a sequence of dangerous actions first [8].

## 2.3 Q-learning

One way to deal with the mentioned difficulties is Q-learning. Q-learning was proposed by Watkins and Dayan [11]. The assumption of Q-learning is that there is some function called  $Q(s, a)$  that provides the gain of doing action  $a$  when the agent is in state  $s$ . If we assume that we have this function available, we can utilize it by evaluating it at every state and choosing the action with the highest value. This will then result in perfect play. The problem is, of course, that we don't know this  $Q$ -function.

One approach to approximate the  $Q$  function is the so called tabular Q learning. The main idea is to use the Bellman equation:

$$Q(s_t, a_t) = (1 - \alpha)Q(s_t, a_t) + \alpha(r_t + \gamma \max_{a_{t+1}} Q(s_{t+1}, a_{t+1})),$$

here  $s_t$  is our current state,  $a_t$  is the chosen action,  $r_t$  and  $s_{t+1}$  are respectively the reward and next state resulting from performing action  $a$ . In tabular Q-learning,  $Q$  is approximated by a table of size  $S \times A$ , where  $S$  is the size of the state-space and  $A$  is the size of the action space.

Unfortunately, the state-space is really big in our environments, since every slight change of a single pixel value in the Atari games is seen as a new state. This problem makes tabular Q-learning not feasible for our project.

To tackle this problem, Mnih et al. proposed a solution: use a neural network to approximate the  $Q$ -function instead of a table. The neural network can then be trained to estimate the  $Q$  function for every state. An early optimization of this problem is to let the network predict the  $Q$ -value for all of the possible actions, instead of predicting the value of a given action. This means that the network will only get the state as input, and not the state and the action. So we don't have to run the entire network multiple times, to get a score for each action. It also makes sense that this works; there is a high correlation between the possible rewards in a given state. This leads to the following updating rule

$$Q(s_t, a_t) = r_t + \gamma \max_{a_{t+1}} Q(s_{t+1}, a_{t+1})$$

There are numerous challenges when training a deep Q-network. In this paper we will discuss a few of the problems that have to be considered and methods to combat these problems.

## 2.4 Network Architecture

The network architecture that we will be using has a number of different layers. Since we are dealing with raw pixel data, we have chosen to use three convolutional layers. Convolutional layers are especially good at handling visual input, because they take advantage of the spatial features that are hidden in the pixel data. After these layers we have two fully connected layers. The output size of the final fully connected layer corresponds to the number of possible actions the agent can perform. After every hidden layer we perform a rectified linear activation function.

## 3 Related Work

Reinforcement learning is a very active field, so there is a lot of related work. In 2013 Mnih et al. introduced a novel way to tackle the problem of reinforcement learning which they called Deep Q-learning. This method is highly effective, achieving super human play in a number of games [2]. In 2015, Mnih et al. proposed a new iteration of their DQN algorithm with several new tricks to achieve higher highscores and make the learning process more stable [3].

More recently, Google’s Deepmind achieved another major success in reinforcement learning. when they managed to beat one of the worlds best Go players, a feat long thought of as impossible due to the complexity of the game. After that they managed to beat their own AI easily, with a new version that was entirely self-trained. Decisively showing that the game of Go is now also beat by computers. They also trained the newest version of their AI on different games and managed to obtain similar successes.

A problem of Neural Networks is the so called Catastrophic Forgetting which means that if we take a network, and train it on *problem 1*, for example one of the games in Atari. And then train it on a different game, *problem 2*, the network will ‘forget’ how to play problem 1 [6].

Another problem is that of knowledge transfer. Some games are fairly similar, so learning one game might help you play another game. But can a neural network transfer the knowledge from one game to the next? There are a number of ways to tackle these problems. For example the work that Rusu et al. did on Progressive Neural Networks [6]. In this paper they introduce a network architecture that adds a new network for every problem that it encounters, but incorporates all computations of the previous networks via lateral connections to previous hidden layers of previously learned tasks. The idea is that these computations speed up the learning of the next network, because some of the knowledge transfers from one game to the next.

## 4 Methods

Because deep Q-learning is computationally expensive, we had to use a lot of optimizations and tricks to speed up the learning process. There is also a lot of instability in learning optimal Q-values, so we use some methods to reduce this instability. In this section we will describe the techniques that we used to tackle these problems.

### 4.1 Preprocessing

Due to the complex nature of raw pixel data, it is a good idea to do a manual preprocessing steps on the data. Some of the difficulties of the raw pixel data: There are a lot of unused pixels in the game, for example the top of Pong only contains the score, this isn’t useful information for playing the game. We can remove this from the input of the network, to reduce the dimensionality of the data. Another dimension is the information about color, every pixel in the input exist of three channels (i.e. red, green, and blue). By combining them into one input layer, we reduce the complexity even

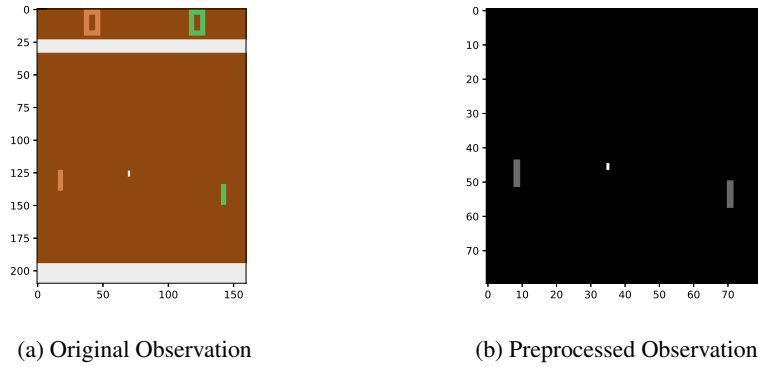


Figure 1: Visualization of our preprocessing step

more, without throwing away necessary information. We do this by converting the 3-dimension color information to a 1-d representation containing shades of gray. The final preprocessing step is that we downsample the screen, that means that we divide the screen in to blocks of  $2 \times 2$  pixels and only pick one of those pixels.. Most information is too detailed and can be ignored. The result of our preprocessing may be observed in figure 1.

Another problem with Atari games is that one screen doesn't provide enough information to be able to infer the precise state of the game (e.g. what direction is the ball moving toward? What direction is the opponent going? Or in pacman, what directions are the ghosts moving in?). In order to mitigate this effect, first we used the difference between the previous screen and the next screen. After some testing, this this did not provide enough information, for example it need not necessarily provide the information of movement. We then decided to implement another technique in which we stack the last  $n$  frames [2]. Essentially, we introduce 4 channels, each channel contains an entire preprocessed screen of the game. The idea is that the combination of the last four frames contain enough information to be able to accurately predict the changes in the states of the game.

#### 4.2 Reward Clipping

Different environments in the Atari gym have different reward structures, which means that training on the different games would mean that we need different hyper parameters and learning rates. To reduce this effect, we clip all non-zero rewards to either 1, or  $-1$ . Of course, this will have a negative effect on the agent, since it cannot differentiate between small and big rewards. However, this does not have an effect in most games [3].

#### 4.3 Replay Memory

Since we are playing the game in real time in the Atari environment, there will be a high correlation between successive game-states. Which might lead to the algorithm getting stuck in a local maximum. Consider the scenario in which moving to the right in the beginning of the game gives an immediate positive reward, but makes the player get stuck in a local maximum.

In order to mitigate this effect, we use experience replay [2]. We let the network gather some experience, before we start training the network. After a initial threshold is reached, we allow the network to play the game by itself and start learning. The replay memory consists of *Transitions*, which we define as the the current game state, the resulting game state, the taken action, the resulting reward and whether it was a final state to a list of experiences. Training is done by uniformly sampling experiences from the experience list, these drawn samples form our mini-batch. More details on training will be provided in chapter 4.5.1.

#### 4.4 Calculating the Loss

The model is trained by utilizing the techniques mentioned before. The network will be trained to approximate the  $Q^*$  function. Using the mean square error loss function:

$$L = \left[ \left( r + \gamma \max_{a'} (Q(\theta_i, s', a')) \right) - Q(\theta_i, s, a) \right]^2$$

in which  $\theta_i$  are the current weights,  $s'$  is the state that is obtained after performing  $a$  on the state  $s$ ,  $r$  is the reward obtained by performing action  $a$  on state  $s$ .

## 4.5 Double DQN

Because the standard version of deep Q-learning uses the same  $Q$  function to estimate the future reward and predict the current reward, there might arise feedback loops while training. To prevent this from happening, we can use two deep Q-networks called Double DQN [10]. One network is used to predict the future reward and the action, and one is used to approximate the value that the network should predict. The adaptation of the loss function looks as follows

$$L = \left[ \left( r + \gamma \max_{a'} (Q(\bar{\theta}_i, s', a')) \right) - Q(\theta_i, s, a) \right]^2$$

in this function  $\bar{\theta}_i$  denotes the fact that the weights of this network are constant while training a single batch. We then synchronize model  $\theta$  with  $\bar{\theta}$  after a set number of frames. This leads to an increased stability in learning [10]. Syncing is done by smoothing the difference between the weights of both networks. One way how this is achieved is that the new weights are the average of the weights of the networks.

### 4.5.1 Training

Start the training by initializing the necessary things: initialize the weights of the network, initialize the experience list, initialize the Atari environment and set the current screen to be all zeros. After that, we can start training the network.

Then we loop for a given number of games over the next phase of the training.

The agent plays the game, we store each move that it makes, together with the starting and ending state and the clipped reward in the experience list. The state that is stored is the preprocessed state. If the agent wins or loses the game, we increment the game counter and restart the game.

Every so many moves, we let the agent train from the experience list. We extract a random subset from the list and start the actual training loop. For each experience in the subset, we calculate the loss as in chapter 4.4, and use that to update the network weights.

## 5 Results

In this section we will go over our results for CartPole and Pong. We will first give a quick explanation of the game followed by the results. For the results we will apply smoothing to the rewards. If there is a large amount of games, the graphs would otherwise be unreadable due to big outliers, i.e. games where the agent performed very poorly. This smoothing is done by calculating the average of a window, i.e. the average of the next and previous  $n$  games.

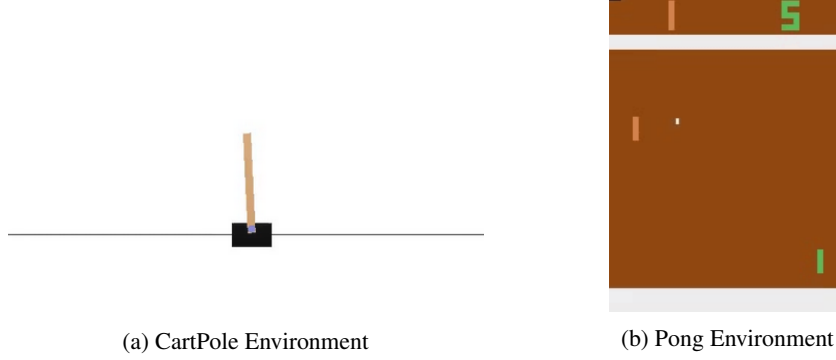


Figure 2: Examples of Environments

### 5.1 CartPole

As a proof of concept we first tried to solve CartPole (env CartPole-v0), since this is the easiest environment to train on. In CartPole (figure 2a) you control a cart. On top of this cart, there is a pole. The objective of this game is to balance the pole on the cart by moving the cart left or right. CartPole is considered ‘solved’ when the average reward is greater than or equal to 195.0 over 100 consecutive trials.

The results of our algorithm can be found in figure 3. We have plotted the average reward, and the smoothed reward. The smoothed reward is the average of the previous and the next three results. What we can observe from these results is that the environment has a somewhat exponential learning curve until the ceiling has been reached (a score of 200). The algorithm fairly quickly learned what it should do. What we can observe from this result is that it seems that the agent was probably stuck in a local maximum at around 50 and 80 games. It probably tried to explore different options since the total reward drops. It took roughly 200 games to be good at the game. And after roughly 500 games, we solved CartPole by satisfying the win-condition.

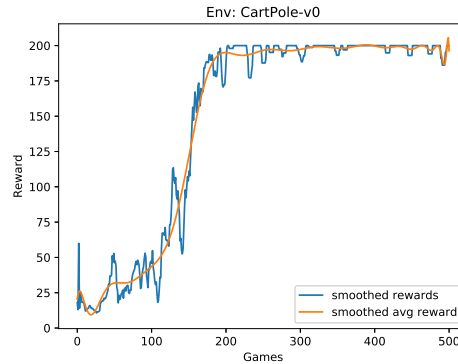


Figure 3: The result of the CartPole-v0 environment. The reward as a function of games.

### 5.2 Pong

The true test of our algorithm was Pong (env Pong-v0). In Pong (figure 2b), there are two players, on the left the AI and on the right the Player. The player can move their paddle up and down. The objective of the game is to get the ball behind the opponent and score a point. The player that first gets 21 games, has won the game.

Putting this into the context of our environment: scoring a point gives a reward of 1, losing gives a reward of -1. The game is over if a player has a score of 21. The total reward is the sum of all rewards, e.g. if the agent got a total reward of -21, he lost all games; if the player receives a total reward of 1, this means that he won 21 points and lost 20 times.

In figure 4, we see the results obtained while training on Pong. The first thing that may be noticed when comparing this figure to figure 3, is that (effective) learning start much later: it took some 6000 games, before the agent finally started to learn. After about 9000 games, the reward becomes exponential. You can observe that the average reward is still rising when the graph stops. This is due to time constraints. Extrapolating this trend, we expect that the network would continue getting better for at least a few thousand games. We are confident that the deep Q-network would be able to consequently beat the computer opponent.

Another thing that we may observe is that the smoothed rewards (here we have taken the previous 100 and next 100 rewards) still have a high variance. This is due to the instability of learning. Where weight-updates are too large, such that the weights ‘overshoot’, e.g. over- or undervalue an action. This may be an indication that the learning rate was too high.

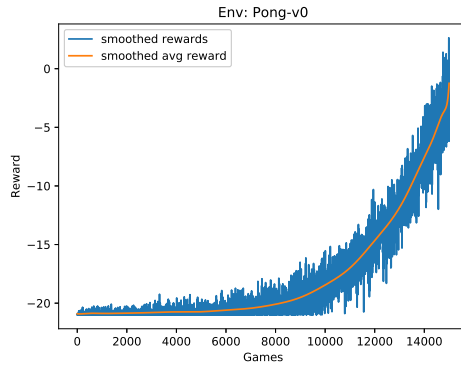


Figure 4: The result of the Pong-v0 environment. The reward as a function of games.

## 6 Conclusion

Although we were not able to train an agent that fully beats any game, apart from the easier CartPole, we can say with confidence that, given more time, the algorithm would eventually beat the criteria of beating Pong. We therefore show that the scores in the Google Deepmind paper [2], can be achieved provided enough computational power and time. Since DQNs were the first networks that could learn any Atari game from pixels without domain knowledge, we argue that this paper provides an excellent baseline for comparing algorithms for future reinforcement learning tasks.

## 7 Discussion and Future Work

We have implemented a standard deep Q-network. However, there are many more different network structures, with each have their own advantage and disadvantages, which have proven to learn faster and more stable than DQNs, like A3C networks [4].

However, one particularly interesting network architecture that we want to point out is the Progressive Neural Network [5]. This structure is specifically strong when learning different, similar, games with the same network. Since knowledge learnt from previous games may help in learning new games. Although we can train our network to act in the different games with relative ease, we have to start over from scratch each time we train the network, so extending our implementation to a Progressive Neural Network would be the next step in achieving generalized Reinforcement Learning.

Another issue that is inherent to (vanilla) DQNs, is stability. We also observed stability issues in the training of Pong (figure 4). We first hypothesized that this was due to the learning rate or other hyperparameters. After doing some research, this might be due to the nature of the model [10]. A solution to this problem is to have two networks, one for network updating and one for smoothing the difference in weights when syncing as discussed in section 4.5.

We also investigated the use of the Huber loss as opposed to the mean-square-error. Mind that this was before we implemented Reward Clipping. The Huber loss has a different behaviour depending in

the value of  $\delta$ . When there is a small difference in the predicted and target Q-value, the MSE and the Huber loss behave similarly. However if the difference is big, MSE would have a massive loss and the Huber loss would not. The Huber loss behaves more like the absolute error in this case. Although this depends on the chosen hyperparameter  $\delta$ . This also theoretically would stabilize learning, however due to a bug in Chainer, we could not use the Huber loss. That is why we implemented reward clipping to mitigate the potential exploding gradient problem.

In this paper, we had to scale down some parameters used in [3], due to computation limitations. One of the parameters we scaled down is the capacity of the replay memory, where we used 1/40th of the capacity.

## References

- [1] Greg Brockman, Vicki Cheung, Ludwig Pettersson, Jonas Schneider, John Schulman, Jie Tang, and Wojciech Zaremba. Openai gym, 2016. URL <https://github.com/openai/gym>.
- [2] Volodymyr Mnih, Koray Kavukcuoglu, David Silver, Alex Graves, Ioannis Antonoglou, Daan Wierstra, and Martin Riedmiller. Playing atari with deep reinforcement learning. *arXiv preprint arXiv:1312.5602*, 2013. Original Atari DQN Paper.
- [3] Volodymyr Mnih, Koray Kavukcuoglu, David Silver, Andrei A Rusu, Joel Veness, Marc G Bellemare, Alex Graves, Martin Riedmiller, Andreas K Fidjeland, Georg Ostrovski, et al. Human-level control through deep reinforcement learning. *Nature*, 518(7540):529–533, 2015. Improvements Upon Original NIPS Paper.
- [4] Volodymyr Mnih, Adrià Puigdomènech Badia, Mehdi Mirza, Alex Graves, Timothy P. Lillicrap, Tim Harley, David Silver, and Koray Kavukcuoglu. Asynchronous methods for deep reinforcement learning. *CoRR*, abs/1602.01783, 2016. URL <http://arxiv.org/abs/1602.01783>.
- [5] Andrei A. Rusu, Neil C. Rabinowitz, Guillaume Desjardins, Hubert Soyer, James Kirkpatrick, Koray Kavukcuoglu, Razvan Pascanu, and Raia Hadsell. Progressive neural networks. *CoRR*, abs/1606.04671, 2016. URL <http://arxiv.org/abs/1606.04671>.
- [6] Andrei A Rusu, Neil C Rabinowitz, Guillaume Desjardins, Hubert Soyer, James Kirkpatrick, Koray Kavukcuoglu, Razvan Pascanu, and Raia Hadsell. Progressive neural networks. *arXiv preprint arXiv:1606.04671*, 2016. URL <https://arxiv.org/pdf/1606.04671>.
- [7] David Silver, Julian Schrittwieser, Karen Simonyan, Ioannis Antonoglou, Aja Huang, Arthur Guez, Thomas Hubert, Lucas Baker, Matthew Lai, Adrian Bolton, et al. Mastering the game of go without human knowledge. *Nature*, 550(7676):354, 2017.
- [8] Richard Sutton and Andrew Barto. *Reinforcement Learning: An Introduction (Complete Draft)*. The MIT Press, 2017. URL <http://incompleteideas.net/book/bookdraft2017nov5.pdf>.
- [9] Seiya Tokui, Kenta Oono, Shohei Hido, and Justin Clayton. Chainer: a next-generation open source framework for deep learning. In *Proceedings of Workshop on Machine Learning Systems (LearningSys) in The Twenty-ninth Annual Conference on Neural Information Processing Systems (NIPS)*, 2015. URL [http://learningsys.org/papers/LearningSys\\_2015\\_paper\\_33.pdf](http://learningsys.org/papers/LearningSys_2015_paper_33.pdf).
- [10] Hado Van Hasselt, Arthur Guez, and David Silver. Deep reinforcement learning with double q-learning. In *AAAI*, volume 16, pages 2094–2100, 2016.
- [11] Christopher JCH Watkins and Peter Dayan. Q-learning. *Machine learning*, 8(3-4):279–292, 1992.